

Tues Aug 7, 1956

Mr. Gorty:

What about use of ^{tree} // computer. for chess and checkers.

704 uses 24 usec/instruction.

Th. 2 armed bandit problem: we have 2 armed bandits — each with its ^{own} payoff prob, $P_1; P_2$. We don't know P_1 and P_2 , but we are gn. th. aprip $f(P_1, P_2)$. The Q. is how to play. Play depends on no. of trials expected. If we have many trials, we may work them $\approx y$ for a while, to get into, then work th. best one only.

There is an optimum constant time for deciding how good a ~~pos~~ position is. \therefore if we play very deep, its time should be negligible compared to T_u . amt. of time spent updating positions.

Th. plausible move program (if such is expedient) ~~is~~ is more imp., however, in determining total time required.

"plausible move program" is an operator that has as input, th. board state, and th. pl. moves as outputs.

— Contrast with "Evaluation * procedure", which is simple & board state functional.

Th. moral is, that even in chess (not only checkers), if one does play, say 10 or 20 moves into th. future, that th. time required for th. final eval. is negligible, compared to th. ~~total~~ time required for updating. It still, however, is probably worth while to spend much time on ^{final} position eval., since it is equivalent to a factor of ~ 100 (say for 2 moves deep) in ~~extra depth~~ computation time. At any rate, th. time per move ~~mean~~, for a very large computer, will be determined by th. time ~~is~~ nec. to select plausible moves. At any rate a good eval scheme will just add that much to th. effectiveness of play. Th. point is, that th. time to be spent on end-position eval, th. time spent on determining plausible moves, and n , th. move depth, are all to be selected independently.

Th. time per move = ~~time~~ $(n T_p) + T_{Ev.}$ K^n $\left(\frac{N_0}{n}$ _{sec} _{move}

$n =$ depth, $T_p =$ Time spent in determining plausible moves _{final posit.}
 $T_{Ev.} =$ eval. time.

McCarthy

So independently we want to reduce K (?)
 reduce T_p and T_{ev} , increase n — in line with ↑ in efficacy
 and reducing total time.

T_{ev} has ~~an~~ method of determining its goodness.

n is judip of everything.

The problem of how large to make T_p and K , isn't clear.

It appears that T_p and T_{ev} ^{may} ~~would~~ be of the same order of magnitude.

It would seem a lot easier to invent a pseudo chess with simpler moves. ~~It~~ T.M. would play human players that have as much training in the game as it has.

The time per move $\approx (k^n + k^{n-1} + k^{n-2} + \dots) \approx T_p + k^n T_{ev}$

$$\approx \frac{k^{n+1}}{k-1} \approx k^n$$

$$|k \leq k^n - \sum_{i=1}^{n-1} k^i|$$

McCarthy on Artificial intelligence.

- 1) Program must improve itself
- 2) How machine can write programs for itself.

Probably McL is content to solve the prediction problem by building a min. machine. — which is a problem of the 2nd kind.

Logical problems and proofs:

Syntactical methods: rules for string chains into new chains

Semantic " : use of examples to suggest

theorems or use of ^{counter} examples to prove counter theorem.

Bigelow says that for recognizing signals in noise, there is no lower threshold of perception. That for sine in noise (sound) with enuf cases, the observer will get a verage ≥ 0 .

McC thinks chess imp. because of small ad-hock instructions that it is good to know how to program (?) This isn't too clear to me. At any rate, McC is still strong for chess.

Samuels doesn't feel chess has much over checkers, but will go along with McC. Samuels doesn't seem too happy about how to get learning out of checkers, either.

Selfridge doesn't think chess is so great, but will go along with McC. Also S. thinks some statistics are nec. ^{for learning} — contrary to McC.

Rochester isn't too hot on chess, ~~is~~ — would like but will go

along with McC if there is nothing better. Nat's ~~stupid~~ pet idea is Th. proby. problems in Feller - (which I think is too hard to start on - the eventually my machine should be able to do it). Nat also seems to like Marv's ideas, but these latter aren't ~~so~~ concretely formulated enuf for Nat to start on them^{at} (perhaps).

Shannon is interested in chess, but isn't too enthused over its relevance to the art. int. problem.

Ministry is very much against chess, also would like to get more active interest in his own ~~problem~~ approach, which is Geometry, with figure drawing and a kind of model.

Bigelow is tolerant of chess, and any other approach, is not so optimistic about ~~what~~ how good T.M.'s can be in a few yrs. Is usually right on most questions, but hasn't really moved to any particular side.