3 TM

ABC Defgh CMN : Communal Music Net?

396.10: Since a PST is a rather general item, this "view" enables more exact modifications of PD$_1$: It could include "pure" savers like "Quick Look".

So perhaps my present position is that, for IND, PD$_1$ is a final Goal: Recall each PD$_2$ is a "search theory". — That this would work for anchor & items of 391.05-.40.

We can start w. a simplified form of "Phase 2" For each problem coming in, TM tries to categorize it in terms of which PST is best for it. At first, perhaps there are only a few PST's & only a few types of problems. TM can try various PST's on various problem types & obtain a matrix giving measure performance ($\doteq$ Goal: (presumably/maximized)) for each problem type, PST pair.

The categorizing functions (Like or $\doteq$ to R-fcts) will be initially formalized by indices "given by trainer — later, I envy of Phase R's will be done by TM, w.o. indices — or infrequent indices.

[An index can be regarded as a crude "Hint".]

Note: I think the "R fcts" are being used in rather different ways from My previous use of them (see 4. early sections) on QA Irng.

Also Might adopt "Soft" R fcts for both applications. T. "matrix" of (#0) is a component of a ("Soft") R methodology.

OK — Say the R has chosen a particular "PST" (of 4. 391.05-.40 types): What next? How are these PST's implemented? Well, T. R "system for QA is implemented by setb in the early sections of "the Report". Any of the other techniques of 391.05-.40 can be individually implemented — but how to MIX them? Depends much on what techniques are being "Mixed"! (see 9:45)

Ideally, for IND: T. input Recognizer decides what PST(s) to use to solve it. This is done in Both Phase 1 & Phase 2, but in Phase 1, the operations are much simplified because

certainly vastly in Phase 2; Its as an early TM model (at IDSIA) in which I had a function that would look at a problem & decide how to break it (perhaps taken from the older work).

How, what I want in Phase 1, is a kind of "Minimal" system that can be used useful inductions: perhaps helps w. broad "Hints" by trainer.

Would 396.20 approach be good as this pt.? — I do want as minimal a system as poss'l. Just try to apply each of the 4 methods of say 396.04-.11 to the Algebra TSP.

396.04-.11

A "Study Problem" for each technique of 396.04-.11, try to devise a training sequence

0.30.03

3TM

Dups

396

PP 292–395

see previous pages for more details

cop.rm Page 11 item 25 ← bad typo fixed

Perhaps spend much time in CostaRica working on a clear exposition of what the problem is; what the soln. is, & how its relevant to tsQ construction & soln. in "Phase 1"!

It does seem to be one of the most impt Q's in understanding Phase 1. Also it enables us to understand the equivalences of various forms of PD_2: Such as:

Oct.

1) The 391.09–.12 idea: of an apparently rather general form of "context": How best to use past parings of $QA_{i,\dots,j}$ to associated O^j, for various j, to suggest a O^{n+1} from $QA_{i,\dots,n}$.

2) The Recognition function forms of O^2.

3) The use of 'definitions, token-frequencies of O^n to give a pd for O^{n+1}.

4) The General idea of a SUMAC: This may be merely a different way of looking at all of these "equivalent" PD_2's.

I Want to show how each of the effects of 391.05–.40 work in all of the PD_2 models. 391.05–.40 plus 394.22–395.40 seem to cover about all of the ideas, but while I do seem to understand it now: I'm not sure those ~2½ pp. would be enough to explain it to a "Me" of 6 mo. from now — much less one 2 yrs in future!

A nice approach: Consider a simple tsQ from Algebra, say. Consider different models of finding short codes (≡ models of finding Regularities) for this problem! How does this intro the ideas of .04–.11 (or 391.05–.40) — or other general "Pd2" ideas?

To what extent is there a real separation between Pd_1 (the original) & Pd_2 — the Pd that Guides Search? Both are conditional pd's on type of a (soln pgm string) as conditioned on the (problem data). Presumably, after a large corpus; PD_1 would be somewhat like a PD_2.

.23 It is disturbing! It puts us back to asking what PD_1 is & the Dept of I — which puts us to Phase 2!

But I also think of Pd_1 as ≈ AZ: A fixed, Unconditional Pd for induction

NB A recent (Ref) bearing of this. "2 Pd's" date: ~366.06 ff

Maybe Soln. of 2 PD's problem. 394.22 – 395.03
(395.01–.02 in particular) 395.03–.40 is also quite important!

333: Win 98 Second edn. 192M Ram 4.10.2222A) Same on HP 500! 256 M Ram.

00 Could find "solns" fast (in the sense of satisfying constraints) but not necessarily of high

.01 pc (≡ hy PD$_1$). ((Getting "solns" that "work" is always possible by an A. H. code or a "up tite" "Promiscuous" "everything" code — lots of low pc, but easy to find fast)) → e.g. see (.18–.22)

.02

.03 Perhaps .01–.02 clarifies the problem enough so that it is more or less solved!

.01–.02 considerations may enable understanding of: [the probs summarized on 391.05–.40]
① use of "R" (foreign) functs: Constraining form of conds, but can lead to finding fitting codes faster (tho not necessarily shortest).

② When I do trials to QA$_{1\ldots nH}$ corpus, we also realize that O_i worked w. $QA_{1\ldots i}$ ($i \leq n$).
Part of this is in form of various defns of new tokens & modified pc's of tokens that are used in trials for the entire $QA_{1\ldots nH}$ corpus. I'm not sure I really realized this in my most recent discussion.... that those "token defns", & pc modifns were (partial) pc modifns wrong summaries of the "previous corpus". ABCDE ABCDE abcde abcde

So actually All of the techniques of 391.05–.40 involving the "2 PD's", are also approaches to SUMAC. Conversely, SUMAC is just another way of saying that we want to be able to use the fact that we have codes for certain parts of the corpus, & we'd like to use those codes to help code the rest of the corpus

.18 [SN]: (.01–.02) codes for QA induction ① The A.H. code: It makes a table of all Q→A pairs. If a Q has k difnt A's; Then each of the A's gets pc = $\frac{1}{k}$.
② The "promiscuous code" for all Q's the d.f. on the output A's is the universal D.F., or, if we want a more easily constructed D.F. Say λ is the mean no of bits in the A's: Then an A that is b bits long is

.22 given pc ≈ $\left(\frac{1}{2}-\frac{1}{2\lambda}\right)^{b} \cdot \frac{1}{\lambda}$ or some similar function.

All methods of Sumac or "using the past" can get stuck if finite CB is used: ← (if an finite CB system) So The Need for Backtracking or some other Technique to "Get that work done".
One way out is always "Backtracking" to progressively greater depths.

Usually, assoc. w. each "Sumac" there will be bias introduced by reordering of trials. Is it usually diff't (or impossl) to guess at the Magnitude or direction of the bias (??) — IS IT?

I kind of feel that I understand the problem(s) of 391.05–.40 & the "2 PD's" problem(s).
An attempt to explain: (.01–.02 lines & breakthru: All of the methods of PD$_2$ are reorderings of trials meant to get a soln quicker (a code that "fits" for inv. or one that "fits" for induction
Note the introduction: 394.22 ff explains how the conds (which have PD's) for induction can be treated as attempts to solve INV problems.

This Does seem like a very impt. problem in Phase 1 ... Perhaps the most impt. problem. It seems to integrate various areas of search.
So I do want to remember & have a record of just how this works!

03103
6.28.03
3PM

for 9AM.

.00 : Report Revisions Abstract.

1) on update algorithm: Add to : In early phases of Learning we use a relatively simple update algorithm. Later the accumulation of data enables us to use a more complex update algorithm to recognize a broader range of regularities.

.08

10 There are two Extreme approaches to designing an intelligent machine.

In CYC (ref), Lenat gives the machine much factual information in a very direct manner. The system's learning capability can be used to interpolate — to fill in the knowledge it was not explicitly given. Some

In our system, the amount of information directly inserted into machine is kept as small as we can afford. Almost all of its knowledge is obtained by inductive inferences from the sequence of problems given to it by the trainer.

If successful, CYC will have a large, encyclopedic knowledge base which it will use to solve problems. On the other hand, if successful, our system will

20 be very good at discovering new knowledge, based on fewer facts and more on inductive integration of those facts.

.21

.22 031.03 On the "2 Pd's" problem. I had thought of the PC as being in 2 parts: the function's the evaluation of PC of corpus. For many comps not true: for d-Prdn: apps of corpus with cond = 0 or 1 only. For s-induction, using 310, we have effectively same situation — we look for "short codes" (in number bits). For induction models w. both continuous & discrete params, I found (recently) a way to get about same effect using "Monte Carlo Search".

30 If the corpus has many individuals than can be individually evaluated, we can do "sampling" of corpus to reduce search time: Also look for "difft" cases in corpus for testing (this would probably not work for SM "outliers".)

.36 Anyway, a possible approach is that the aux info used in the search could be either ① logic part of a prog. or ② useful for searching only.

→395

① causes no theoretical difficulties. ② hvr, does. A search containing ②-type info

0.26.03

3TM.

00 : Perhaps a most impt. idea to include in "T. Report" (or at least My version of it), is

[386.10–.27] : The Idea of "Lenat's Expert System," & a "Pure Induction Machine" as being

.02 2 extreme [redacted] ways of obtaining a Smart Machine.

Also, recently parts of abstract that / use of WOW makes incorrect.

.03: 392.40 Re: the problems of PD_1 v.s. PD_2 (391.05–.40):

Consider the R function "Solution". As descbd in the "Reports" Recursions in the 5 update techniques (Items) for merging R's & inventing new ones: Synthesis & Analysis resp.

— So we can grow & consolidate (areas of interest / parts of science) ...).

10 : (392.40 space) This is an impt Q.: One aspect of it! If we stay in the "same R" can we simply directly work on improving the assoc P.? — Or is each R a subuniverse of unbounded Complexity — So we treat each R as a separate (Ro linked by commons) universe — to be solved by creating "sub R's" — (& subsub R's ... ect) ?

Another BIG Q! Say we are looking for a New P for the corpus of a certain R.

How do we do trials that recognize the fact that certain Q_n's worked w. most of the corpus?

→ This puts us back at the beginning of the problem of 391.05 ff, .09 ← in particular.

.19 One Common method, is to use the tokens (& their pcs) (including the newly invented Tokens of the last successful Q_n.)

20 also, implement OSL which is something like considering Q_n & large subset of Q_n as

.21 "sort of" tokens.

[0.28.03] So far, several Big Methodologies for Phase 1

Now → (1) Mix of Expert System & Mech Lrng. (.00–.02)

(2) (.19–.21) Use of pc's of Tokens & definitions of New Tokens in Q_n (including OSL considerations)

(3) Use of Recognition Functs (see early sections of Report on QA Lrng).

(4) "Genzd Context." I don't know how this fits into 1, 2, 3 — whether (2/or 3) are a [redacted] part of 4.

30 (5) "QuickAbort" by the hours (My impression is that this is only "Other" type of Genr.

The main type is Modif of approp to Lsrch. Perhaps (probly) this doesn't include Lrng during Lsrch.

(6) see methods of 391.05–.40.

∠ ABc ABC ABCDE
AF BCABCDEFG

3TM

5 — depth of content. Backtracking

.00 A rewrite of 391.05–.40: Reordering: 6, 2, 4, ①
(1 hard; 3 Refine & Vcc.; 5 31 by; 1 2pd3)

6 — Hard problem:
② use of ideas for earlier probs
⑤ depth of contexts 4 scaling 1...idea of 2 pd's
③ R functs & ce (see stuff written on R functs)
⑦ back track.

T. ideas of Mixing E.S. & M.L. in constructing TSQ's for TM. Dfrnt roles, ie: Much E.S. & no fast lrng, but poor Genzn. Much ML gives good Genzn but slow lrng.

Maybe mention in my comparison to Lenat.

10 SN If O_n works for $QA_{i/n}$ Then a "neighborhood" of O_n is a set of O's ∋ [redacted] pc they give "tr" QA in corpus is within Δ of that of O_n.

Hvr, that kind of "neighborhood" is too diffl to delimit/construct.

We want O_n to be in a form ∋ we can easily make cands that have hy proby of working well on $QA_{i/n}$, (or "Most" of $QA_{i/n}$).

.18 0.26.03 In "Phase 1" there are 2 sources of info: ① apriori (PD1) ② History of trials (.18R)

.19 [redacted] $[(QA_i O_i)]_{i=1/n}$: I have been considering ② to be "external context" because it is not part of PD_1 || Hvr. ② doesn't seem to be really "statistical info"!

20 Because t. Srch was not done in "strict pc order" or "at random", t. results will perhaps be "BIASED". How to Characterize this "BIAS" is unclear.

.23 Whether (.18R) is legit "statistical info"; T. Q is: to what extent does it work? This mite be addressable as a statistical problem.

SN While I had Considered Mut/cross as a way to Get cands. for O_{n+1} Whoops! → see 393.19! for a common way — I really haven't (proposed/found/suggested) any good Mut/cross's — OTHER THAN Recogn. functs.

T. recogn. functs will (eventually) have to be ("fuzzy"/gray/problstc/s functs):

30 At first, t. R functs are directly defined by t. "Indices" that are furnished by Trainer. Later TM has to induce them, since t. trainer doesn't always give those indices.

So t. initial TSQ's will each be for a single "index type" i.e. they will be for just one Recogn. funct. — So no recog. funct is used, at first.

Tho if [redacted] one had 10 difrnt indices, one could have 10 difrnt P functs, & these P functs could share cncs. → Spec 393.03

.38 One Impt Q is: As one ↑ corpus of TM, do we have to ↑ no. of R's, & keep t. no. of cncs in each R constant (or have upper bnd for no. of them). → 393.10 Spec.

3 TM

no ! of new [low freq] words as ssz ↑?: (In smaller ssz the words had case counts ≥ 0.)

My impressn was that pc↓ was too rapid (as a funct of ssz) for this to be t. complete explann, but it mite be a component that reduces t. size of t. residual

.04 effect. ABC

ABCDEFG HIJklmnoff

.05 : 390.30 So list impt. ideas:

. 1) T. "Two pd's" ⓐ Pd₁ (AZ aprip) ⓑ Pd₂ pd involving "context" $\left(\begin{matrix} QA_1 \cdots QA_n \\ O_1 \cdots O_n \end{matrix}\right)$. | 375.04 refs.

.09 . 2) 387.22-.24 : That one goal in our srch for O_{n+1} is to use t. facts that)Note 390.31 ✓

10 (O_i works for $QA_1, \cdots)_{i=1 \cdots n}$ — That we would like (in some sense) O_{n+1} to be a "modifn/augmentn" of O_n that retains all of O_n's old predn capabilities & in addition does Q_{n+1}, A_{n+1}. T. idea is to reduce t. srch for O_{n+1}.

.12

. 3) (390.11, 389.20) An impt. part of (2)(.09) is that certain ways to accomplish this (e.g. t. Recognition functs) result in much reduction of cc in testing conds

. 4) An early use of context was that it was necy to deal w. "scaling" . . . . That the uncondl pc' for tokens got too small (as corpus size ↑ . . . or more exactly, as no of concs. in lang ↑ (see 390.35 391.04 for discussn).

20

. 5) Definition of "context" (390.21, .25, .31-.34): for a "token", if t. pc is "unconditional" there is no "context" used. Any "conditions" on t. pc of a token are part of t. "context": Context can be "internal" (part of original AZ (≡ pd₁)) or "External" (all other contexts) 390.21, .25, .35 ✓

. 6) T. present problem seems to be a major bottleneck in deciding how to do "Phase 1". Designing t. lrng. TSQ's.

. 7) T. form of Pd₂ (see .09 (2)) should facilitate "Backtracking" when necy.

30 ✓ (Note that "Backtracking" is necy part of any (SUMAC system w. CB<∞!) See 375.07 for a genl method to do backtracking. . . . Also NOTE ⓑ (.32)

.32 8) There is the SUMAC ("Summary Machine") w. backtrack idea, that is closely related to all of this. ~~Summary~~ Sumac w CB=∞ is ideal (by itself); Hur. Sumac w CB<∞ needs Backtracking (at least) to enable it to continue a corpus. ~~Perhaps back~~ Backtracking to adequate depth (maybe (AT WORST) down to zero corpus length) (which means starting AB INITIO.) will eventually work, but could be VERY expensive.

9) T. "Quick Abort" type of srch Hours Don't seem to involve 2 kinds of PD's — but they mite be part of PD₂. : They are an impt. kind of "Phase 1" hour, hm.

3TM

P_0 4×10^9yr
P_U 8×10^7yr

Uses 6.4 × 7 = 95 — 7×10^8y U235 — 4.5×10^9 yrs U238

.00 My present impression is that t. 2 PD's PD, PD_2 — PD_2 was t. result of an attempt to solve t. problem of 387.22–.24 (Note 388.02)

Now it seems that PD_2 was (at least — perhaps Mainly) an attempt to solve 387.22-.24 ...

But does it have any other values)?

.03 .. Stated a somewhat more-gl way; we want t. PD of O^{n+1}, in view of (condition)

■ $(\{Q_i, A_i\}, O_i)_{i=1/n}$, and $\{Q_{n+1}, A_{n+1}\}$ ~~for which we may not want to include Q_{n+1} in t. conditional~~.

.07 The PD_1 info should also be available.

I think .05–.07 may be identical w. any "ganzen of "Context" sometimes used —

.10 (a yr. ago?). → ≡ 388.20

.11 A sort of aside: When we use Recognition funcls (as one kind of approach for .05–07)

We have a very IMPT serious second effect i.e. usually we only have to trace a small part of t. corpus ante. new cands. This may also be tied up w. t. search for t. "augmentation" of O_n needing to be much smaller (hyerpc)

than a srch for an O_n that must satisfy ~~several or~~ many or all of t. (Q,A)'s.

My impression is that this business of not having to test much of t. Corpus, is a very impt part of Human Updating process

---

Re: t. "R funcls": When we find that we have a v.g. R function that really defines a set of phenomena that should have a good, common P funct (P(A|Q), then if t. pc for a new Q,A of that R is too low, we really want to revise that P rather than change the R revise the R

N.B. ... that an R funct is an impt. kind of Context. //

.21 Is "ganzen context" ≡ "t. condition" in condl probby? Looks like it! — So t. idea of context is to find additional arguments for "t. condition". In t. simplest type of f.D., we take as how unconditional pd's — as a common (or Null) context.

.25 Note that "Context" can be for a single Token, or for an entire O_{n+1} set, (or for a Ans?). ABCDEFGHIJ

.26 SN For 2 PD's of 387.15–.19: Use simple form that of first real Wts of t. 2 PD's. — (we assume t. 2 PD's or 2 pd's operate in II.)

Try writing "summary" (as if to a novice) of "context" ideas re t. pd_1 v.s pd_2 problem: — 391.05 → at a token, say

.31 Context can be of 2 kinds: ① internal: due to ways in which O_{n+1} being constructed — i.e. it is part of Pd_1 only. ② External: all other contexts: The $O_1 \ldots O_n$ contexts, whether its a Chemistry or Math-problem, even any "sequences" in it.

.34

.35 T. original Motivation of using context was that w.o. it, growth of t. language would cause the pc's of tokens to ↓ so that as Corpus ↑ in size — More correctly as no. of Concs. in language ↑, it would be harder & harder to solve problems

SN In Math. langs, as one ↑ size of corpus, pc's of tokens does ↓. It acts as if t. tokens didn't have normalizable pc's! Could t. effect be due to the normal rate of introduction

3TM

Monday 7 P.M. | 617.817.6325 | 85 chestnut hill rd | 617.225.5700 | Chas off Beacon St. line. | For Rollo.

F

.00 : (spec 388.40) : T. idea of Mut/cross of O_n for O_{n+1} trials uses info that O_n fit corpus up to $(QA)_n$.
We also have t. info's that for all i, O_i fit corpus $(QA)_{1..i}$ — which is info useful
.02 for Backtracking. e.g. $O_{n-1} \rightarrow O_{n+1}$ has to fit $(QA)_{n,n+1}$ in addition to what O_{n+1} fit. (10)

SN It mite be time (politically) to publish or prove NT (Necessity Term) or ALP.
If we have a Algm that provides, for each poss. string, a seq. of approxns to a certain (same) incomputable D.F. — Does this D.F. have to be same as some Universal D.F. — i.e. can we associate a finitely describable UMC to it? .
Perhaps re read the older "NT" (~1979) paper.

.10 (.02) → For a simple sequencial corpus (sequencial predn), There are at least 2 (standard) ways
.11 to augment a code for an (part of t. corpus: 1) Terminate t. first subcorpus w. an end symbol (This costs ≤ $\log_2 n$ — n = key no. of sub corpus) and code the new section "ab initio" or using regys in initial sting.
.13 2) Simply try continuations of t. codes for t. initial corpus; They will (usually) give continuations that don't follow t. desired contmn, but for each such code, we can add in "correction bits".

For BAG induction (& prob. QA induction which can be regarded as a variety of Bag induction) This is not so easy. We mite do its (corrections), by having t. system output something & have a standard way of modifying (Mut/cross) t. outputs of t. system. Assoc. w. each modifn. would be a pc. This could be a "fixed" (conditional) pd, or t. pd could evolve
.20 as we have more cases from t. past.

A way to do it is by Recognition functions.

0.23.03 SN I was wondering about need of t. present work on Action Algm. Evaln. (ABE)
.23 by David & others. One impt. use of it is SM (ordinary SM strategy evaln).
.24 Another, more complex, involves choosing a stock & strategy pair so as to max expected future yield.
I haven't yet found nice ways to do either of these problems using t. Unvl. D.F. (UDF) | TUD Turing Universal distribution
In t. case of SM I did try "Yield coding": There was a "reason" why it was N.G., but I was not convinced w. that objection.
.30 It is not clear how it could be applied to .24.... (But perhaps it can!).
A trouble was: that a strategy wasn't legit unless its "yield factor" paid for pc of its dtrn — so one needed an enormous ssz to tell if a strategy was any good. Actually, this is a common diffy when one is making predictions that are much smaller than noise!

3 PM

00: 387.40 : If we have a good Mut/cross, PD_2, then it will implement 387.22-.24 and we should get ~~[illegible]~~ an acceptable soln. in 387.38 w.o. much searching (= cc).

The idea of 387.22-.24 was a genzn of the idea that in some coding environments, one can ~~[illegible]~~ make "Modifns" of a code sequence by augmenting it ... (by "continuing", etc).
387.22-.24 is a bit broader than the idea of t. prob'y of x_2 (O_{n+1}) given x (O_n), — How many more bits do we have to add to x_1 (O_n) (or to its derivs), to obtain x_2 (O_{n+1})?
In 387.22-.24, hvr, we add much more info than just x_1 (O_n), to produce x_2 (O_{n+1}):
We also look at all t. $\{O^i, O^{i+1}\}$ pairs of the past & obtain a probilistic relation to "Mutate" O^n to get good O^{n+1} cands.

While 387.22-388.10 is a not-bad understanding of "t. 2 approps": I'd still like to understand the gist of 266.26-.40! [I suspect that 266.29-.36 has t. main idea.]

T. expl. of 387.22-388.10 is actually not bad .... (It certainly could use more details) — but is it t. only justifn. of t. use of PD_2 for srch? ~~[illegible]~~ Is t. idea of 266.29-.35 an essentially different aspect of t. utility of PD_2? Perhaps read t. stuff leading (& post) to get better idea of what was "going on" then!

some ~~[illegible]~~ refs: 363.14-.21R (ibid. .21R ff also seems ~~[illegible]~~ relevant)
~~[illegible]~~ 366.26-.40
367.18

EN) 361.35-.40 ~~seems to be~~ is very relevant to 387.22-.24: — "It's t. Recognition function" idea. It is one important way (& I'd like to genz it if possl), to make it easy to get "modifns" of O^i_n, that will ~~[illegible]~~ generate O_{n+1} cands ~~[illegible]~~ that all automatically work w. $(QA_1 \ldots n)$. This also saves a lot of cc!
Certainly Recognition functions are much used by humans. I do, hvr, want to genz them a lot. — In general, our models for O^i include recognition functs. Look at my analysis of R functs in t. Report & see how they can be genzd — in particular, in ways ~ to t. ways humans seem to use them in induction.

The Recogn. functs of 361.35-.40 is one very common approach to t. problem of 387.22-.24; T. Mut/cross idea in PD_2 is a rather large "jump" as a genzn of "Recogn. functs". I'd like a set of "intermediate" genzns to bridge t. gap betw. R. functs & "PD_2" (= Mut/cross).

T. foreg. ideas are intimately tied in w. ideas of Backtracking (q.v. 375 references) — That when it seems one cannot solve problem by Modifns (Mut/cross) of O^i_n, one "backtracks" to O_{n-1} or O_{n-2} .... : I had this "soln" to t. backtrack problem in ref. P 375. — This will have to be integrated into t. "general" soln. of t. problem of 387.22-.24

Oct 21, 03

BTM

.00 : 386.40 (spec): Troubles, while sequencel info can be put in by t. trainer, there will be much less of this (if any) when TM is working real problems in RW w.o. a "trainer".

[SN] I had idea that t. form of t. O^2 soln in 385.34, was indep of ssz. — This is not true for s-induction: (Is it true for d-induction (a-induction)?). In s-induction, (dope ssz gives us a sharper d.f. on values of ~~constants~~ parameters — Gives a narrower distribution. (t. and -induction, there is no point of repeating a corpus element (in pc) so t. corpus is a set not a BAG)

So its really a difrnt distribn.

10 : 386.40 (spec) : Re. t. > Corresor 386.30 : This is t. same problem as I seem to think I solvd on 366.29-.40 — except that I don't how see how it solves it! It mite be well to go thru t. old stuff & try to summarize t. argts., & understand just what was doing. Th. problem is of much importa in phase I.

T. idea of 366.37 was that phase I needn't be too picky or accurate!

.15 (SN) Conjecture: we have 2 Pd.'s A & B : If we mix them (give each awt, say) then If they have = wts, then If one has a sharp D.F. for a given argt. & the other has a flat D.F., then the sharp d.f. will win. If both have sharp D.F.'s, we will get a bimodal d.f. & both choices will be impt. If we think of t. 2 corps, due to $O^1 \cdots O^2$ (sequential) v.s. t. SQA corpus, → 390.26

.19 ~~if either~~ has a hy p.c. choice, t. combination will give that choice. <ABCDEFGabcdefg = Fine! ABCDE

20 So we have these 2 pd's A > B (corpus seq. / corpus 1 — seq.) : How do we best use them to get good induction?

.22 [SN] Using QA corpus Only: Say O_n^2 works for $QA_{1 \ldots n}$; To get a O^2 to work for $QA_{1 \ldots n+1}$, we want to use t. info. that [O_n^2 works for $QA_{1 \ldots n}$] — So we want mut/cross of O_n^2 —

.24 or, t. (population of) ~~corpus~~ [$O_1 \cdots O_n$] — But it seems like t. final arbiter is t. QA corpus Gore via AZ. (368.35-.40 seems to be related to this)

Using Lsrch does put cands in t. pc order, so one ends up w. best $\frac{pc}{cc}$; There may be ~~[illegible]~~ larger pc's available, but they have larger cc's. If we use PD_2 $(O^1 \ldots)$ to guide Lsrch, & PD_1 as [illegible] Gore — How will results differ from using PD_1 to guide Lsrch & PD_1 as Gore?

30

A Guess: The PD_2 Guidance will give us maybe not best pc solns, but it will get them faster than using straight PD_1 Guidance — So maybe better $\frac{pc}{cc}$? (All "pc's" are via PD_1).

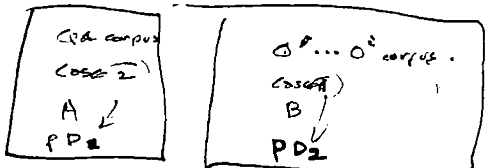
Perhaps PD_2 would find a soln. befor PD_1

In t. search, we have 2 vectors: a^2 (α), t. aprp of O^2; and $\prod_{j=1}^{n} O^2(A_j \mid Q_j)$ (β)

(B) In Lsrch, we chose O^2's in α (PD_1) order, then mult. by assoc β. We look for maximum products

.38 In (A) " " " " PD_2 " " " β " " " "

3 PM



00:382.35 : A possl. answer: Any info TM obtains anyway: thru external corp. or thru it own experience in solving problems (Traces) can be included in t. GPD, & can affect the h( ) functions of any possl. problem, PSF pair.

We may not wish to include certain dependency possibilities because we apriori "feel" that their cc is > their "Utility"! — i.e. "not worth the time".

≡ Were I was on in fixing up the "report" w. a summary of "How things have — what needed to be done ... etc.". See 380.26 ff.

10 → I guess t. problem in both (THY c) & d (PE) is this: There are 2 extreme ways to do them: ① The "expert system" way of pgmg in all need heurs to solve all oft. problems (no lrng at all) ② No "pgms of heurs at all, just start w. primative set of cncs & suitable TSQ. — preferably w. as large CJS's as are achievable w. current tech nolgy.

[Actually, we want ② may be too hard to do, takes too long. 3.42 13.7
We want a mix of ①②: Some Q's are: ⓐ how much of 1 v.s. 2, ⓑ how to implement various "speed ups" of 1, by hints, pgmg in some impt. concs, (what aprxs to
20 give these conc).]

The BIG Q then is how best to Mix ① & ②. Usually, any of ① is bad in t. sense of TM not (nec'ly) being able to learn t. heurs (or whatever) that were "pgmd in". [Ramanujan was example of Intelligence w. important parts missing: yet v.g. intelligence!]

To some extent, one can't do ① completely: There is initial choice of
.27 primative concs — but this can contain a (relatively) small amt. of A.H.ness.

Case 2 (366.02 -.03) → A (based on QA corpus)   Case 1 (366.01) → B GNOS & O', O², O³ ... O^n extrapoln.

30 : 385.40! Say 385.34 is t. "True Gure" & 385.35 —.40 is a modified aprx used for search. Presumably, t. only reason B mite be used, is that it would realize that certain solns w. very good "A" have excessively large cc. Ideally,

$B(x) \propto \frac{A(x)}{cc(x)}$ ≈ $\frac{A}{cc}$ X ≡ cond. — which would seem to be not much of an advantage since L such trials are in ≈ $\frac{pc}{cc}$ order.

In t. discussn of 385.35 —.40, we are using extra info & sequential properties of t. T.Q.

→ See 375.04 for refs. on Pr[illegible] on 366.29 —.40 & that I solved it!

(387.00 space, 387.10 space)

3TM

"RAYMOND'S REVIEW" .16

(2)

00 : (SN) for Doming Paper: In Intro! After de-by t. Paper & all ascertains; THEN! "We ask" — How does Ray work fit into a Broa world on 6: Univl. d.f., MDL, MML, etc.

In [crossed out] QAMTM! We have to lrn a certain set of Concs, in ≈ a certain order. If we run [crossed out] into trouble, we have to "Back track". Normally, t. Sci community has trouble deciding when to back track: [crossed out] but it is working NAMTM. problem.

For QAMTM, we may be able to do back tracking [crossed out] w. a simple backtrack criterion / threshold.

[I was remember a recent Cwi TM Text 2 wks or 2 Mon.) soln to t. Backtracking problem: see 375.07 for Refs]

10 Along w. QAMTM lrning of # d-funct-type concs, It has to lrn Contexts which are d-functions. Also, in Lsrch (& probly many other srch systems) one has to lrs an agenda on Conds — which is an S0 funct — but this agenda is more or less "given" & for some extent, known. T. Contexts are less routine.

Oct 15, 03

.16 (SN) (Raymond's Review!) This is 2 things (1) A listing of How & where to get recent & older papers on t. web. (2) Book/paper reviews by specific editors. These need not be up to date! Shalizi, e.g., would be good book reviewer. Also, refs to Amazon's book reviews & Does Barnes & Noble do book reviews?

20 But we would be mainly web-oriented; so a person Cu'ully could get t. material (or a good review of it) on t. net.

Existing "Reviewers" Shalizi, McCarthy, Minsky, Hart(?), Gunkel(?), Kurtzweil, Nature, Science Daily, Sci Amer., New Scientist.

We could mix this w. t. Dartmouth '56 idea of "Bodion Editors"

Some IMPT ideas in TM rsch!

1) The [crossed out] "WON" soln. for opten! Use of $h(t_i)/t$] max as Goal. (= max $\frac{pc}{cc}$)

2) That Lsrch is ≈ optimum if "all info is in P.D." (does it ever happen? be are we able to put all info into PD? — well, when we are able to use WON, then Lsrch obsolete! — The Won only works 1 trial! ☺.

3) We can design TSQ's by looking at TSQ's for humans, identifying "adequate" heuristics. — Then design TSQ's to learn heurs (w. perhaps "HMB").

We must factor Heurs a/o PST's & put factors in Dictionary.

30 4) For QA induction; t. actual Goal is Max: to find 1 or more O's ∋ This is large as possl.

$$\sum_i a_i \prod_{j=1}^{n} O^i(A_j | Q_j)$$: Then use $\sum a_i\, O^i(A_{n+1} | Q_{n+1})$ to get a P.d. on A_{n+1}.

.34

35 5) In searching for solns to 4) one can use sequential info in t. [crossed out] TSQ (corpus). Also any [crossed out] contextual (local a/o General Contexts) — Remember — Humans do get this info... Doing induction w/o. it is an unacceptable handicap. → 386.35

0.13.03

3TM

Forms Needed. 1065 is k-1

4952 ✓ Ipl.

1116 ✓ foreign tax credit. f's 2 [illegible]

6781 ✓

2001 4797 ~ 2hr should observation 4PM or 5PM, blood clot should be well formed.

~13:30 as time for urine

.03!383.07

1) What is main Bottleneck in present QA system? (Says tentatively, "Phase 1").

2) side Q: Is phase 1 by itself feasible? would it be good enuf to work problems of enuf difficulty/complexity so it could go to Phase 2?

3) Also, Re: the phase 1 phase 2 dicotomy: essentially different ways to Lsrch. Phase 1 is Lsrch Phase 2 is Won.

4) Just [illegible] how is "Adaptive" done in Phase 1, is it really effective? — Is it even Legitimate? (i.e. not [illegible] pseudoprediction),

5) Is there any way I can use various "Machine lrng" techniques that have been developed already Like GA, ANN, RNN, Machine translation lrng (large corpus), New String Compression Methods; Methods used for Music Style lrng, ... ect.

Any method that would speed to entry of system to Phase 2, could be useful — even if they take lots of cc w/o ssz initially.

Use of GA for O^2 srch. i.e. in srch to find Good O^2.

In Lsrch, we solve it as a INV problem: So "fitness fund" is a Yes/No type — Not any good for GA! Well, we could have a partial function that operates correctly on some of the QA's but not on others. We should be able to express this as a "partial coding." — Here. This difficulty occurs mainly in (MTM mode) d-funct Not in (NMTM mode) s-funct

IN d-funct mode, Did we use "Recog. funct's" or was this for s-funct's only?

IN s-func QATM: I guess a main diffty would be cands assigning zero to some correct Ai's: Or very low Pc's so, in Lsrch, it would take very long to find them.

N.B.: The basic idea that I have about QA lrng (& all lrng), is that the main idea is one lrns to do simple problems by random srch. That one then uses the cands used to solve simple problems, to solve more diffl problems. loop to [illegible]

I should really try to get TM to work like this. — to get to Phase 2: Phase 2 seems to me to be a really optimum self improving system!

3 TM

00:382.40: So, in Lsch model, its not clear as to what the guiding pd is to "adapt" to — what "is" a v.g. p.d.? Well, an optimum pd would give very hi pc to a funct. that solved all of the problems very fast. So perhaps a good would be total time for soln. of all (Inv.) problems. ($\Sigma T_i = min$) Hvr, we have to assign pc's! [Hvr, $T_i = \infty$ for some (unsolved) problems].

Instead of ΣT_i: some orderings: ΣT_i compares a PST's that solve same number of problems — $T_i = 0$ if time $= \infty$. Otherwise solving largest no. of problems w. $T_i < k$ is a kind of Goal.

.07 So the pc could be the prob. that the function had max? of that Goal. → 384.03

10

.20

30

0.5.03

3 TM

.00 : [SN] "Max Cross Entropy" may be related to "QA induction & its "Convergence Thm".

In simple MEM, one has constraints between pcs. One is Given a/ say non-linear model w. a finite set of probabilistic params, and one has constraints among the params.

In Max Crossentropy; MAYBE one is given a perhaps known data set, Q, & an unknown data set, A, T. relation of Q to A thru a finite no. of probabilistic params to adjust & some known constants on these params. Max Crossentropy defines a soln set of params. It is seen as ALP in the cases covered — but the QA model is relevant, & the conv. thrm for QA induction is relevant.

.09

[END] Q: If one has adequate ssz, T. incomputability of ALP is not relevant.

.10 — However, in A.I. ssz is rarely "adequate": Is incomputability of ALP then relevant? } ... Nov 5.0

[SN] In "Bern Seq." (general), Laps rule is simply implemented by name of 1/ coding. ($\equiv$ Az)

Could OSL be done in a way?

We start w. precorpus. The first token is selected at random from precorpus. If output matches true corpus and a symbol is requested, we have fixed pc (= ε) of continuing in existing code or requesting a new symbol by randomly choosing from extant code. (pc = 1 - ε of) We continue until "stop" or we print a non-corpus symbol. — At which pt. we backtrack to last unexpanded node.

So each code is obtained by starting in precorpus, going forward, then occasionally looping back to pt. in "code" thus far "then going forward, etc. : [END]

Clearly any code can be written this way, since at worst, we can just code single tokens from precorpus.

.20

.30 : 381.40: So, while one may start out using the Lsrch-generated Corpus, It's probly necy when in WON mode to generate the needed corpus more intelligently (more oriented toward the needs of WON). Also note 378.31 on "partial work" on any problem being heuristically useful: How to [redacted] the info to make the h( ) functions, is unclear. 5:00 3:13 P 15 18 23

→ A [Guess] is that the trials obtained in WON "prob. solving Mode" will not be adequate for subsequent improvement / h( ) calculations. IS THIS TRUE? → 386.00

.35

Essentially 2 problems: ① When in WON Mode, what is good way to deal w. need for augmented corpus for better h( ) d.f.'s. 378.02 - .09; .20 - .40 discussion this to some extent. View it as time spent in self-improvement.

② WON & Lsrch seem to be quite different in how they work:

3TM

9 1/2 9 → 9 1/2 / 9 ≈ 12 1/3 (12 2/3) 88.6

[redacted]

direct

00 : 380.40: So [redacted] direct [redacted] Lsrch is a real possy. Now, what about t. "PST Grammar"?

.02 It is a pd on PST's. ~~We have to convert it to something like a~~ (.027) Is this PST Grammar a purely "Phase 2" object? || How we get empirical info on Prob. solving inst. PST Grammar is unclear. → see [378.02 - .09, .20 - .40 on "Grammar t. set of PSTs"]

Re (.027) { we can use the elements of t. Grammar as part of t. "Reference Machine" in t. "straight Lsrch" approach.

T. "empirical" info on PST → h( ) info that we get from t. straight Lsrch problem solvers may not be so good. The "problem solvers" for most problems will be very similar, because ~~[...]~~ "adaptive" Lsrch trys to find a ~~[...]~~ common pst for all problems.

Q: Lsrch seems (a bit) normal in that it looks at t. problem & tries to find a soln. It tries to find a "Universal" function that will do that for all problems.

Phase 2 breaks down problems into 2 parts: first, (look at problem, decides which PST to try first.) Then, by watching attempted soln, it [redacted] modifies t. functional parts & may decide on ~~[...]~~ a different trial. So it is an algm, but (I think) a v. good one.

While "adaptive" Lsrch may be rather normal, it is also not very "perceptive": i.e. it only knows which pst's have solved which problems, but it doesn't look very carefully at just "how good" each soln was.

"Phase 2" is a development of [redacted] t. Mixed corpus thm — in which all of t. "info" in TM is in t. "GPD"...

→ ((Also, using "pure Lsrch" its not clear what t. "guiding pd" is about. [What is it tied of?]

MCT was designed to deal w. this Q.

0.5.03

Phase 2 differs in Spirit from Direct Lsrch, in that in Direct Lsch (or Adaptive Lsrch), it is not clear as to what t. "Adapted p.d." means: what it is t. pd of.

In Phase 2, it's quite clear. In phase 2 we have a complete set of PST's, generated by a universal Algm. ⟨T. Algm also assigns an apriori pd to t. PST's (But we never use that apriori as such).⟩

.27: 378.40 Somehow, we get a corpus of [PST$_i$, problem$_j$, T$_{ij}$, δ]$_{ij}$ data: Then we use QATM (δ = fail or succeed)

to induce a p.d. on t. pc of soln of any PST$_k$, prob$_\ell$ [redacted] = P(T$_{k\ell}$ | PST$_k$, prob$_\ell$) (Time)

T. corpus of .27 could be obtained by applying Lsrch (unadaptive or adaptive) to solve a set of problems. For a small set of problems that are very Disparate (different from one another), there is not much difference betw. adaptive & non-adaptive Lsrch.

.32 [There is a discussion of cc spent on obtaining t. corpus of .27 on 378.02-.09; .20-.40]

So there are these 2 essentially different methods of trying to solve problems. — Is one better than t. other in some ways? Is one "Uniformly" better than t. other? Can they be combined? (which is, I think, what is done in t. Report as of now).

We start out w. Lsrch. We get lots of data; Almost all of t. Inv. data is failures — the bit/oz data covers the space of interest better. We can use this data as Corpus to get h( ) functions for WON, but its not such a great corpus [see .32 for t. rel. to complexity!

see 382.2

00: (Spec) 379.12: Rewrite of 379.00–.12 refer to (New) Sections 2.1, 3.1 (Because INV/OZ using Lsrch only) → .26

Change Section Numbering in §2 & §3:
~~Subsections~~
§2 is ~~Mainsection~~ main section
§2.1 Solution by Lsrch
§2.2 A more improved method.

[SN] last ¶ of §3.1 needs rewriting.

.04 [SN] It is possl. to take [Reinforcement machine] use it solve OZ problems, w. o. any of the problems specific to RTM: i.e. We give RTM [redacted] as inputs the descr. of a OZ problem {M(x) and the }, We then give it reinforcement M(x) every time — so it learns how to do OZ problems.

§3 is main section
2.1 soln. by Lsrch
2.2 a Multimproved...

~~The~~ advantages of this: It may be possl. to get TM to do a lot of automatic "self improvement" in RTM mode — to develop a lot of techniques for §1. That would also be useful in pure "OZ" mode.

Go thru doc looking for 2.1 and 3.1

→ Correction for second last ¶ of mtrodn of Report.

2.1 → 2.2

3.1 → 3.2

probability distributions, {h(t)} for the former, will take .. New text below

examine each Chapt! There will not be many

From each good distribution, h(t) we obtain a figure of merit, ~~𝓔~~, that ~~𝓔~~ gives an optimum ordering of trials for its associated F_i functions, we ~~use this figure of merit to guide our trials~~. Then use this to order our trials.

See That FN 3 ~ P 15 comes out OK.

Last lines of §3.2: .... To ~~use~~ (improve) their solutions ~~The~~ These improved probabilities give us better h( ) functions, which enable us to {recursively} improve the h( ) functions and so on. This can eventually result in exceedingly good h( ) functions and exceedingly good solutions ~~to both~~ to both ~~inversion and~~ optimization and inversion problems.

2.1 occured many times; 3.1 only once.

Check out use of P_1 etc. last line of §3.2 Just what ap. is referred to? Mention of ε.cog.m I'm not sure it is meaningful!

.26: (.00) (see 379.00–.12 — to be rewritten):

In [redacted] both a (inversion) and d (optimization) of Phase 1, there are several approaches possible. [Note to rjs: These several approachs have corresponding ~~...~~ approaches in ~~...~~ a & b of Phase 1]

Actually, the methods listed in 2.1 & 3.1 — using simple Lsrch (w. possibly diffnt ref. machines for INV vs. OZ) is not ~~very~~ good. It uses the same D.F. for all problem types! ~~Tho the D.F. is "Adaptive", it still uses the same~~ (adaptive) D.F. for all problem types. After it has solved several problems this way, using Lsrch: It ~~...~~ begin ~~...~~ Phase 2.

.36 || On second thot, We really only need 1 ~~...~~ d.f. for all problems!

We want a single function that looks at problems and decides on soln. method. (.36 ff) ~~In the case~~ T. Pargo; I wrote w. INV in mind. For OZ problems, a single PST can look at an (OZ) problem & decide what ("sub" PST) should work on it. This → ~~PSE~~ PST ~~...~~ is a single PST that does all ~~of~~ (OZ) problems.

N.B ENV | OZ

00: 378.00: In both Ph1 (ENV, OZ): we could just start out w. a general refrence Unc, & do Lsrch

space

The tSQ's would have to be very long before we got to do more interesting problems.

To avoid this deficulty, we start w. a Ref. Unc. that has as srtns, or procedures, macros that can be combined to yield PST's that are known to be useful.

We could get a similar effect w. a TSQ, but the TSQ would have to be very long.

The advantage of doing it w. a TSQ is that when TM has finished our TSQ that teaches it a large set of useful TSQ's, we are fairly certain that it can continue to discover new PST's of these kinds in future.

If we decide not to use a very long TSQ or we are very careful in designing the initial set of macros, we may end w. a TM that can continue to discover new PST's that we have no use for but we would be less certain than if we had used the very long TSQ for training.

.10

.12 .00 – .12 needs to be written up better. ——→ 380.00

Phase 2.

Phase 2 is one of the major goals of this system. In Phase 2, the system uses inductive inference to improve its updating and searching techniques for both INV and OZ problems. Since inductive inference can be regarded as an OZ problem, Phase 2 recursively improves its technique for improving itself.

We are ready to enter Phase 2, when the inductive operator in induction system of Phase 1 b, has had enough training to effectively

~~The kinds of problems involved in updating — as described in Sections 2.1 and 3.1.~~ do this as effectively implement the updating schemas

.... described in sections 2.1 and 3.1.

20

Another Major goal is learning to understand English. Though it is possible to do this (deterministically, predictably) in Phase 1 a/, it would be much easier to learn it in phase 1 b if probabilistic predictions). This learning would be It could be done more rapidly and more reliably after the learning had gotten to Phase 2.

30

It will be noted that the various Phases and sub phases need not be implemented in the order we've given. OOPS is able to solve the inversion problems of Phase 1 c, but it has to be seriously modified if it is to solve the probabilistic induction problems of phase 1 b.

(NB) P361 has some good stuff on it not included in 377.00–.40

.00: (Spec 377.32) Phase 1 c : (Discuss Creation of "Grammar" for both c & d. We could (optionally) not do {grammar w. factored examples} — but then TSQ has to be Much longer) → 379.00

.02 [SN] In WON execution, we will normally not "exercise" many of the PST's, so we wouldn't have much data on them: ∴ poor h( ) estimates.
As part of the WON system, one will have to "exercise various PST's for info purposes" not merely because these PST's are "good bets". The strategy as to what PST's to try on what problems (not merely on the present problem) — devising — sounds like a diff't problem! When working on problem P_0, it may be necy to try a few sample PST's on P_0 to get a good idea of lots of h( )'s. → .20

.09

.10 — Not mentioned as Impt Subgoal (Milestone) subgoal: English [redacted] understanding. It can be put in the Phase 1 (b) ...
— Make exactly 2 NMQATM (ex con bom Phase 2) as well ... should be if we ever get to Phase 2!)

[SN] P.D. obtained by by full Univl D.f. are "unbiased"; But many (I'm not sure if not most or all) approxns can be very biased. E.g. one can prefer only those codes that give certain predns. There may be ways to do unbiased approxns! e.g. State "such techniques" to CB. How Do I define "such techniques" so it wouldn't be biased? It should be a simple defn., perhaps common to all Reference Machines.

.20 : (.09) → Actually, for INV problems, one usually doesn't get much info if CB is small: For small CB we usually fail to solve it, & this tells us little. If we do solve it, then we quit! So we can't get positive info. preceding our h( ) evalns. — A corpus of this sort is ≈ useless to get info for WON.
For OZ probs, its different. For any CB and any problem and any PST, we usually get some info — i.e. how much G was obtained. (If CB is too short, hvr, No G will be obtained. — This is ≠ −∞, because we are interested in "Expected values" of G & a "−∞" screws this up. (Its part of an "improper linearization of f.G")

Hvr, INV probs are usually converted to OZ problems. — or perhaps to "GPS form" — having a vector Goal [— corresponding to "vector h( )". — The result is that by working on a problem a little,
30 one does get some useful feedback, [redacted] w.o. [redacted] completely solving the problem.

.31 { Most Generally, any [partial work] on any problem using any PST, can yield info re. any PST (same or diff't) working on any prob (same or diff't). The way this "partial work" info is obtained & is mapped into the h( ) df.'s Varies considerably in all cases! The exact (statistical) logical process by which this occurs, is quite unclear, at present. }

→ 381.27 Some relevant continu.

9.30.03
9.3203

3TM

9.4 ... 930

337 377
TOPP end $\frac{92}{28} = 1.6$ pp/d.

pp 237 1/3, 237 2/3 } Arnon Aymanted Table of Contents

oo : 376.40 : so head map back to @ 361.00 ff:

First, an outline of the system and its parts:

Phase One has three parts: (a) Learning Q-A induction (or Operator induction) for deterministic problems. These two problems in which a function mapping each Q_i into its associated A_i, and finding this function is written the competence capacity of the system (i.e. it doesn't take too much time or memory

(b) Learning Operator induction for probabilistic problems. Here there exists a unknown probability distribution $P(A_i|Q_i)$ relating Q_i and A_i, and finding this function is written

Competence capacity of the system

(c) Solving Inversion problems using Lsearch.
Time-limited optimization

(d) Solving problems using Lsearch.

Phase Two changes Uses the search and update methods of sections 2.1 and 3.1 to solve inversion and time limited optimization problems.

How far have we gotten in this program?

In (Dec 94?) we designed Phase 1a We have designed a training sequence for learning Deterministic problem of to evaluate algebraic expressions. This training sequence was inadequate so flawed from the scaling problem" — solutions to successive problems took longer and longer. We need to design training sequences and contexts — To deal with this problem, we have to find ways to define and discover contexts" (section 1.3) and to facilitate this kind of discovery. design training sequences in which this discovery can take place.

Phase 1,b for probabilistic operator induction, we have outlined a method Some kinds of languages that might be used (section 4), but there are many more ways to represent probabilistic operators. The design/selection of suitable representations for these operators should be implemented made concurrent with the design of training sequences associated for these problems → 388.00

Phase 1,c The training sequences for Inversion problems using Lsearch are very similar to those for Phase 1a ... deterministic prediction or Phase 1,a.

Phase 1,d In Lsearch for time limited optimization,

Discussion of design of problem language for (Inv) probs.

9.29.03

3TM

00 : 375.33 can be used for General BAG induction! — Not so general: the PPM method as shown works only w. "string" (class objects" (see .07)

1) How can we use the Methods of PPM to associate pc's w.r. functions (Like AZ or OOPS)?
2) Probably I can improve PPM.
3) PPM is available as BZ2 (prog. for compression/decompression) which I have in D:\BZ2 folder
So I can actually try it out on real problems.
4) Can I make a variation of PPM that is for unorder BAG of (finite) strings?

.07 Re: Expanding the "context" idea to function trees & pc's of Tokens:
The trouble w. "Tree" context, is that it isn't "linearly ordered" ← is this true? I think so;

Consider funct tree:

50 Node A is a "mult" so mult is the "Token".
Here A = B·C : B and C are tokens of equal strength

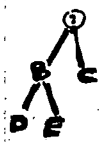
Unless we consider B, C (≡ C, B) to be the "context"

A deeper context is

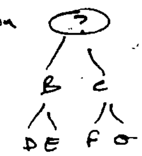
i.e. 2 layers.

Clearly the deeper context is desirable, if we have enough CSZ for it (If it always gives same Answer!) ©.

Any way, say we have previous data on



But not on



then what;

Well, actually, I was thinking that any context is usable:
The wt. of it depends on its SSZ and its inherent/complexity (dem) [redacted]

20 I can see how to apply old Z141, — since it was really designed w. tree generation in mind. Generalizing PPM into trees may not be as easy.
The Q is: would Z141 (using contexts only) give as good or better results than PPM?
There did seem to be a point at which PPM seemed not to work in a reasonable way... i.e.
When larger contexts were considered its entropy increased a small amt — But later
the got a method w. arbly large contexts: I don't know if it ended up working better.

NB, the paper: {Cleary, T, T, 1995} "Unbounded Length contexts for PPM"
Is quite Understandable! See my notes in it.

930.02

30 Back to "Milestones": §8 as written, discusses only TSQ writing: This is perhaps O.K. — But I should refer to §8 — which is oriented to this! Also §5 about TSQs.
Probably Almost all of the result §8 should go to §5 on TSQS. Troublers:
OOPS is not introduced until §5! So perhaps, in section 5,
refer to [Say that] "[later §(?) will discuss OOPs:
a pgm that uses TSQ for Adaptive Lsrch. "§8 discusses the feasibility
of using the TSQ of OOPS as the beginning of a longer program of
(very) general learning."]

→ (perhaps a better way to say this entire sentence).

: As soon as I get Roadmap done: Do bibl. review very impt! I'm really forgetting compt. things I've done in last yr!

↓ Recent Items of IMPORTANCE ↓

1) On srch for O^i fcns for S induction: fast way (impt.) 370.32–374.08] Integration of Discrete & Continuous Learning — srch for

2) (363.21 R) ff: "Paradox" of 2 kinds of aprpds: One for ~~...~~ a pfcn criterion, & other for guiding Lsrch for the first criterion. (367.18–.22 also) (366.29–.40) is said to resolve the problem.

3) How To do Backtracking in S-QA~~M~~ (NMTM) ~~369~~ 369.04–.13; .19–.21 ↓
This Routine is indep. of our choice of how O^i is modified to produce O^{i+1} cands. ← (i.e., is it p.d. on O^{i+1}) 36 4.12 on 589 FN#2.
We do discuss various formalisms for deriving O^i cands. Some involve sequential conditional (as in OOPS), others do not.

NOTE: As I write R. "Road map" Make list of probs that need to be solved, so when I go thru my Bibl. review, I can recognize impt needed ideas!

9·29·02 [SN] on J's Godel mchn! In it's ~~method~~ srch method for proofs: for practical operations, Hand waving is sometimes OK. — "Heuristic proofs", plausibility argts. are ok.
These considerations may enable us to relax Gödel's "unprovability" results.

TM normally works w. probability — so instead of Logic, it uses problistic logic (reasoning)
(If we give logical rules pc's of 1−ε (small ε), this will usually give results same as normal logic as ε→0; But it will not work for infinite sequences of logical rules!

[BZZ BZ2] is a Prediction by Partial Matching (PPM) compression technique that does get pc for each coded symbol. Its signifly better than LZ.

It can be used for categorization (perhaps) in fdg. way: Say we have instances of category i: $[D_j^i]_{j=1|n_i}$ ← Bag. Make corps consisting of the "Bag." ~~...~~ with members of Bag selected in their freq. count in the bag. Make a long corpus. Say we have a new symbol sequence, X. For this corpus append X & find the P_X^i.

We have several other possl. categorizations, each w. its assoc. data BAG.
for ~~...~~ each category i, compt P_X^i. These probys give rel. proby that X is in each category.

If our randomly Generated corpi are very long, the predns having almost all wt. will be in various elements of the corpus.

One way to avoid this: For each category data bag, randomly permute the elements and P_X^i for X following it. Do this random corpus repeatedly — obtaining P_X^i for each — then Use mean of all of the $P_X^i = \overline{P_X^i}$. Use Bayes for the diffnt. category bags, to get rel pc of X in each category.

9.27.03

3TM

00 : 373.40 : T. Q being just how much error can we tolerate? Also, using a small part of the corpus usually means that probs are broader & easier to find.

.02 : 373.13 → An alternative View: If Model has pc, we spend a time ∝ pc on it — so we write use of no. of test pts ∝ pc.

373.25 ff on the effect of f( ) (entropy, say) on the search appears to be a different task: But important one.

T. Discussn. of approxns using only parts of the corpus, needs more work! It seems: Fri: 6:15

.08 Very relevant to [S.M.]

.10 : 370.06 → [9.28.03] [SM] Some Random Notes:

1) On "Complete" prefix sets (a) A prefix set is "complete" ⟺ every string (finite or semi infinite) is an extension of it.

(b) Any prefix set (complete or not) can be divided arbitrarily into subsets — all of which are prefix sets. The subsets may or may not overlap.

(c) for OOPS extension to be used for a 3IU, its legal pgm inputs can be 2 non-overlapping prefix sets — one for S, the other for R.

(d) S can be extended from O7 to devise new total O's/1's.

(e) Hvr. 370.19-.20 holds: It's best to do TSQ & simultly decide on good

.20 representation(s) for 3IU (or s-functs in general)

2) In [redacted] revision of section on "Road map".

2) Phase 1. (a) QA d-functs (b) QA s-functs (c) Inv. via Lsrch (d) OZ via Lsrch

Phase 2 (a) Inv via Wen (b) OZ via Wen.

Point out that these milestones don't always have to be in that order. OOPS is a realization of Phase 1 (e). It can do Phase 1 (a) and also could be used (d) by searching for "improvements" in Inv. mode —

Letter to Juergen:

Received your Godel Machine paper: I don't yet see how it

.30 can be more universal than my own system — which is capable of effectively completely replacing itself by an arbitrarily better system. I have not read much of your paper, however, so it may become clear with continued reading.

For my paper, you suggested including a section on the scope of development of the system. I have included a section (6?), but am not satisfied with it. I'm working on an improved version. Grace will be back in a week or so and help with the revision.

Cheers — Ray

3TM

00: : So, the initial strategy is to randomly (or possibly regularly) do trial pts. w. number of trials ∝ pc_i of Model$_i$.

* Say all pts start out w. low f( ). As soon as we begin to get hyper f values, we do trials near those f values. We want them as far as possl. from other hy f pts, yet we want them to have hy f. — This gives us hy $\int f\, d(\theta)$ [parameter]. The density of trials remains ∝ pc_i × local f( ) value ("f" is pc of corpus w.r.t. the model).

I certainly don't have exact details of such method, but this gives an outline of direction.

.09 [I main idea]: That the density of trials (w.r.t. the models) in the region of a model [group of models] ∝ pc_i × (apparent pc of corpus in that region)

.10 After we find a region w. a peak in or near it, use the general Non-linear optimiz. method. There is a standard method; if it doesn't work, I have my own method — involving local quadratic approxn, then jump to peak of quadratic approxn, to make new quadratic approxn; loop to α → 374.02

.13

Now the forgoing should be used if there is no other "proved best" optimiz. method — e.g. in linear regress, one could use the forg. method but there is a much more efficient way.

We need only the forg. to find a good region and an idea of its size so we can use general N.L.

That this method's working is indep of no. of dims of params is of interest.: Saves much time evaluating Models.

Still, hvr, we don't want to have many params because for a given SSZ, the predns

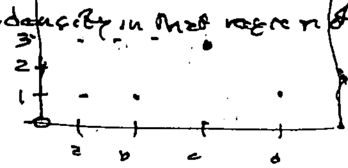
.20 are not so good ... but whatever the no. of params, the forg. will give us the best predns

— in locally linear predns ≈ error ∝ n^b I think, where b is the no. of params.

No! $E(\ldots) < c + \frac{1}{2} b \ln n$ [c is cost of discrete part of Model] I'm not exactly sure of the "½" factor

½ ln k cost

.25 **N.B.** The forgoing trick mainly has to do w. W_i of each peak. It doesn't much concern the H_i of each peak, Well perhaps it does. When we do a "test point" we get an f value. The subsequent sampling density in that region of param space is ∝ f. Say we have 4 test pts



.30 c is now of interest so we try pts ½ way betw a & b; & betw. c & d. This new info suggests new trials to make.

We want to find the width of the "peak" at c — also want to know if f gets hyper than at c.

Another trick: When we are just starting out, we just want a rough idea of which models might be good and what params to use. To do this we can save much time by using only a small, random, part of the corpus. As we get more info, each test pt. is more valuable & more exact values of it are useful, so we use a larger part of the corpus. } Why? Hvr. it is clear that much error in F is bad.

3TM

.00 : Say I'm just working on a model. It has a small w but large WH.
For any trial, I expect yield is wH, but the variance is very large! If we do $\frac{1}{w}$ trials, we will get maybe one hit w yield H. I say yield per (mean) trial is wH, $\mu = wH \cdot \mu = wH$ $\mu^2 = w^2H^2$
For Σx^2 it's H^2 on the mean, it's wH^2, $wH^2 - (wH)^2 = H^2(w - w^2)$ $= \sigma^2$
which seems large. So $\sigma = H\sqrt{w - w^2} \approx H \cdot \sqrt{w}$
$\frac{\sigma}{\mu}$ or $\frac{H\sqrt{w}}{Hw} \sim \frac{1}{\sqrt{w}}$ So we need $\sqrt{\frac{1}{w}}$ trials to get same size of how large $\mu = Hw$ is —
But I think we need no. trials of $\frac{1}{w}$ (which is squares much) to have a good chance of getting one hit! (This seems paradoxical!) so $\frac{1}{w}$ v.s. $\frac{1}{\sqrt{w}}$!??

.10 No, No! We did $\frac{1}{w}$ trials: got one hit & so yield per trial $= \mu$ was $wH \cdot$; σ^2 was about wH^2.
so we got $\frac{\sigma}{\mu} = \frac{\sqrt{w}H}{wH} = \frac{1}{\sqrt{w}}$ after $\frac{1}{w}$ trials.
(This is kind of my Monte Carlo method of trying to find out how many coins to use in (or non-linear) regression) ...
While the $\frac{\sigma}{\mu}$ may be quite large, if one does get a hit, one has an idea that H is quite large & w is small. The value of $\frac{\sigma}{\mu}$ doesn't give a good picture of one's "state of knowledge" after $\frac{1}{w}$ trials — After one has found a "hyp." one knows $H \approx$ what wH is, and to what H is.

Another tack: After finding an unusually hy pt. on some model, try pts near that one — try "Hill climbing".

.20

Given several models of different a priori How much cc to investigate each?
Should cc be cc a priori? Start random trial on highest pc model.
After k successful tries we think $w < \frac{1}{k}$, so we do trials on another model with lower pc, until we know that its w is $< \frac{1}{k}\frac{pc_1}{pc_2}$. — So until we get some hits, we time-share trial time cc pc of model.
After we find a few hyish pts, The local pc is higher & we do more time share in that region.

.29 We don't have to do random trials: we can do uniformly-spaced trials. Then double no.
.30 — of pts by putting a new pt. $\frac{1}{2}$ way between old pts. — Then double again, etc.
.31 Each time we double & find no "great value of pc" we halve our knowledge of w.
— So a soln. is found in narrower & narrower faces — So for each model, amount of time between pts is cc $\frac{1}{\text{pc of model}}$. ∴ density of trials is cc pc of model.

Am I sure that comes from .29 - .31 (on doubling no. of pts)? It would seem that having $\gg 1$ dimension would really ↓ value of each trial! The no. of pts needed to narrow down hyper-value by $\frac{1}{2}$ is cc $2^{\text{new no. of dims.}}$ No: say n dim space w. k^n pts, uniformly placed, then n value of an empty region is $\frac{1}{k^n}$: i.e. cc (no. of trials)$^{-1}$.
So dimensionality seems to be irrelevant.

9.27.03

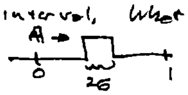
3TM

00: : Say t. p.d. is 1 dim: [redacted] $\uparrow f(\lambda)$

f = one param x $0 \le \lambda \le 1$.

We take uniform dist. of λ on 0,1 interval, What is expected value of largest λ found?

Say we do n trials. Simplify



with n trials, the prob'y that none will have a peak of 0 is $\left(1-\frac{1}{\Delta}\right)^n \approx e^{-\frac{n}{\Delta}}$. If $n = \frac{1}{\Delta}$ prob'y of $\cancel{\text{being}}$ finding A, is $1-e^{-1}$

So it would take $\sim \frac{1}{\Delta}$ trials to find the peak. The argument holds in > 1 dimension as well.

Another way to do this would be to sum the pc's of trials; Just summing the largest 100 trials thus far, would be fine. Just a simple sum is fine: In floating pt., we get rid of very small contributions!

10 — If there is only one peak, the point of ~~max~~ prob'y is irrelevant, only the sum of pc's gives the wt of that point.

If there is > 1 peak we should keep track of the sum separately for

.13 each peak, to give the relative wt. of its prediction.

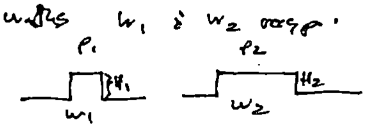
(SN) TM Goal: To find simplest possl. path to solve arbitrary diffl. probm(s)

This may be how TM differs from Godel.

In .10–.13 if we merely want prediction, we can actually "sum" all of the predictions of the various trials, we actually computing the probys of each predn.!

20 What .00ff seems to be saying: If we have a discrete set of d(?) of models w. continuous params, A ~~...~~ v.g. way to search is to just try discrete models in pc order & try random continuous params, Maybe have the time spent on random srch for a discrete model, be $\propto$ the discrete ~~pc~~ aprip of that Model (?).

Say I have 2 discrete models of aprips p_1 & p_2 resp. They have "~~...~~" equivt of Δ widths w_1 & w_2 resp. How best to search?



Also peaks have hts H_1 & H_2: w_1 & w_2 are apri known! w_i are apriori unknown.

do the trials on case i.

Say I spent [redacted] What is expected yield

30 — The mileage I get per trial is $\propto$ $w_i \cdot H_i$. [redacted] expected "yield" from 1 trial on case i

is $w_i \cdot H_i \, p_i$..

.32 After many trials ~~...~~; perhaps make the relative no. of trials on model i

.33 $\propto$ (mean yield per trial) of model i.

well, say Mod$_1$ has a large w_1 but not so large H_1; mod 2 has small w_2 but much larger $w_2 \cdot H_2$.

So we would spend most time on mod$_1$, until we get a hit on mod 2.

If we start w. random trials: At first we don't know w_i, but eventually we begin to get ideas of how big they are. I think we get into an expected $w_i H_i$, eventually;

3PM

Kind of Break Thru on Evalns of continuous params of predictive functs, O^2. How to do Lsrch over a set of Cand functs (.32) to at least 374.08; 373.09–.13 is conclusion: But other simple ideas follow

.00: (Spec 369.35): If the [illegible] 5 inputs R input were some how des [illegible] — Perhaps this would be distinguishable.

369.26–.35? ::

The (363.14–.21L) model merely postulates a (probable) ordering of the O^2 (cands model).

2 ideas: 1) That "extending" O^2 will not work, unless the prefix set R is not complete, so

.06 There is a set S' of prms, of which none of R are prefixes. The S continues [illegible] from S'. (see 374.10 to 374.20) for a relevant discussion of prefix sets → 374.10.

2) I can use one of the regular inputs to AZ as an "R": The way it works: R's always consist of a binary sequ with end symbol Δ. The pc of Δ depends on the distribution of R's: If there are many long R's then Δ is small.

10 Δ ≈ (mean length of R)$^{-1}$. We can analyse this [R] by assuming CBs or by using finite CB. In the latter (practical) case, we will assign pc's to 0, 1, Δ so as to maximize pc of data. This will be Lap's rule — so pc of each symbol will be ∝ its freq for that particular [illegible] Q_i. ← (I'm not sure of this! The counts maybe should be over whole corpus). Thus it will probably depend much on how many A's we examine for each Q_i. Would like to do a lot so that Normalizing them would be a good approx.

Anyway, this could work out as an "R" input. This

.19 [Here, I think best approach is to: Rotate ideas (363.14–.21L) on C^0 ordering, & actually do a t.s.Q. Then decide on good form(s) for "R" input.

20 So write up the Road map: Making these ideas clear. ← (.19–.20) ABCDefghijk

Also write up alternative possl forms of R, of ΣIU — or more Generally of O^2.

e.g. Bernoulli forms (≡AZ). Functions w. params, like $a x^n e^{-bx}$ etc. (we only need to know ≈ $\frac{m+0}{a}$)

361.00 It is a good ≈ "Outline" of the road map: It does need filling in, & expansions of just where the (diffs problems) are — & how bad they are.

SN A common type of S function: Give the central (highest pc) objects & a way to assign pc's to objects more "distant" from the center. This is a "Clustering" approach.

30 One could have multimodal difs — w. >1 "center" each "center" could have a wt. So the pc of a pt. is the / sum of its wtd distances to all of the centers. Definition of "distance" simple.

.32 [SN] Finding peaks of continuous pd's. (S-funcs). Getting the ≤ probability (ALP) Search the Time $\frac{cc}{pc}$ where cc is time per trial & pc is integrated pc of the model(s). This is (I think) form of one reas Monte Carlo Lsrch.

This is very interesting, because it automatically gets around the [wasteful duplication] of normal Lsrch.

Look into this carefully: It would be a "Great Break thru" if TRUE"

Actually, I don't think one uses "Monte Carlo Lsrch": it's more like random search.

This d.f. — Tree us down to any specific — The d.f. that determines

00:368.40: Well we have a pro-tem. CB=CB₀. We can search all of the Q_{i} to Q_{n-1} successes, with CB = CB₀. If no success, try all $Q_1 \cdots Q_{n-1}$ successes w. total CB = CB₀ — for entire $Q_1 \cdots Q_{n-1}$ set.
(Note that the total time for each level of i = n-1, n-2 … will be CB₀ because the sum of their pc's will be ≤ 1.

.04 N.B. I think I'm using 363.14-20 as the model for 3IV. It is very "sequential" & mindful of "OOPS". Hrs (This) doesn't specify the order in which O^i cands are to be tried — it could be via OOPS, or AZ or any "Grammar" or "GA Mut/cross scheme".
The "tree labling" of 368.23 need not be a "tree": It's just a list of certain cands that have been tried, & it has to be in a form that makes the info useful for whatever kind of srch. I decide on.

10 So in backtracking from i = n, say we go to all cands that are known to work on $Q_1 \cdots Q_{n-1}$ and have had a "time out" (the value of which is … on the "list") we test them using CB₀ (for entire time out cand. … The list shows how much cc used on each cand thus far.)

.13 Ideally, then, w. CB=CB₀ we test all cands that can do $Q_1 \cdots Q_{n-1}$ & have some "timeout" available for extension. If no success, we include " " " " $Q \cdots Q_{n-2}$ in the srch, w. same CB=CB₀

9.26.03 [SN] It may well be that after TM has been "modifying" old O^i's to create new O^i cands — & doing this by caution only, that TM will invent internal functions that make it easy to modify O^i's in this way. — Unfortly, this is a kind of "Hand waving" Argt. — it would be well to have good ideas as to what such functs might be & put them in as "primitives", or design the Rof mechanism around them.

.19 → we continue down to Q_1 • If no success CB ← 2 CB₀ & try again.

20 NB (In this (.13-.19) routine, we don't have any Backtrack thresholds for pc: Which seems
.21 Strange; since in Human Science we do. What's going on here!)

[SW] In one of my papers 78/81 or Sol 86, I had a way of (my Alg and other …) very small CJS … : I may have used "Logical reasoning" — look at it!

.26 Will the model of 363.14-21 work if I make next cand an extension of the previous cand?
Say I insert O^i, then Q_j. It asks for input; we add one & and it gives A_j, the right answer.
~~Now we put in Q_{j+1}~~ Starting w. O^i, we put in Q_{j+1}. No subseq. insts give A_{j+1}; so we backtrack; In backtracking, we try extensions of O^{i-1}

30 I think the trouble is, If we try any extension of O^{i-1} to work new problems, then If Q_r is the input O^{i-1} was designed for, so w. O_r as input to O^{i-1}, A_r was produced (after a single insts), then any trial that is an extension of O^{i-1} will tend to produce output w.o. asking for input — which means that output is of probability 1 (usually untrue (?)). —> (370.00 Spec) ⟶

.35

[SN] Remember (Lsrch) AZ has 2 kinds of inputs, also: [redacted] the initial input & the regular inputs. The regular inputs can contain pgm material. Presumably, all inputs are "universal".

370.00

00: 367.40 ; [ASN] It would seem that (except for use in making Q_i's) "oversearching" is counter productive: i.e. one is more economical by doing Backtracking: This assumes that one remembers all of the Tree search info necy to go back to do the backtrack. — Otherwise, w.o. that info, backtracking becomes More expensive, & "overscarch" O^i's is more economical.

Is this true? : That if one has a known (say Tremor-given) pc threshold for acceptance of a O^i, then backtrack v.i. Lsrch is completely well-defined.

Well, for each value of i, one has to have a pc threshold.

Remember: we want a O^n w. $\frac{pc}{cc}$ = max. (actually, we want pc = max, but....).

.10 As soon as we find Q_{n+1} doesn't fit O^n, we go back and continue searching for new O^n's, looking for one that works for $Q_1 \cdots Q_n$ and Q_{n+1}. We do this srch in a certain CB_1.

If that is not successful, we go back and look for new O^{n-1}'s that also work for Q_n & Q_{n+1}. The CB_2 for this Backtrace is unclear. If not successful we backtrack to find a new O^{n-2} that fits: $Q_{n-2} \cdots Q_{n+1}$, using CB_3.

So: what are $CB_{1,2,3}\ldots$? Each time we go back, we have a larger set of cands to search; for a more restrictive (i.e. larger) corpus than that set had been originally srchd for. The size of this corpus, is always the same: i.e. $Q_1 \cdots Q_{n+1}$. (for fits $Q_{1 \cdots n}$.)

An alternative BackTrace method: → .10 Q_{n+1} doesn't fit O^n goback, continue search for new O^n, w. $CB = CB_0$ w. same CB_n.

20 as soon as one is found, try Q_{n+1} on it. If it doesn't fit goback to

If CB_n is "timed out"; look for a new O^{n-1} that fits $Q_1 \cdots Q_{n-1}$ using CB_0.

If found, search for

→ an integer from 1 to n.

.23 At each pt. in the such, we have this tree w. nodes. The nodes we are [illegible] in tree those in which over [illegible] of the Q_i's have "failed" (i.e. the pc backtrack threshold for $Q_1 \cdots Q_i$ has been exceeded). All other nodes are labled as to 1) how far in TSQ they will go, & how much time has been spent [illegible] for the next Q. — also "failure": what level of failure? How low are the corpus & values?

Thresholds — for time being, assume pc_i Backtrack Thresholds are O.K. (inviolable)

↑ later, they are not so! (369.20-.26)

.27 A possi. search strategy: Given the pc_i Backtrack thresholds (this tells TM when a O^n is "acceptable" for its corpus). Given a $CB = CB_0$; we test O^n on Q_{n+1}; if it doesn't "work" (in this context) we expand all nodes that got to Q_{n+1} & had timed out for Q_n, and expand them w. new time-out CB_0.

30 — If we use up all Q_{n+1} nodes w.o. timeout, go to Q_{n-2} nodes (w. new CB_0). Search the entire tree w. $CB = CB_0$ by first doing Q_{n-1} nodes, then Q_{n-2}, ect. Do this for the whole tree.

If no soln. is found $CB_0 \leftarrow 2CB_0$ & do it again, ect. Double & redouble until soln. is found.

[Note: $CB = CB_0$ means time out is $\frac{cc_j}{pc_j} > CB_0$.] ← pc_j means total pc for that trial; cc_j " " " " "

We do end up w. a kind of "locally maximal" $\frac{cc_j}{pc_j}$ (if we ever find one).

If we don't find one after a certain CB_0, we relax the pc_i backtrack thresholds (i.e. decrease them), .37 and go thru most of entire srch again (since any failure is w.r.t. a higher threshold than we have now.

Well, keep .27-.37 in mind! It may be possi. to do it w.o. the Time-out pc_i's of .27. We just hunt for a O^n that will give a soln — and we end up w. a soln of max $\frac{pc_j}{cc_j}$.

— But then, how do we decide when to BackTrack?

"Backtrack Threshold" ≡ Criterion for Deciding to Revise Theory

(see 00; 366.40) : 366.29–.40 seems to resolve t. "2 aprigs problem" of (363.21 R)

On t. other hand: look at (363.14–.21L) — T. thing that revealed t. trouble. T. Grammar can be used to order t. cand trials, (Anything can be used to order t. trials!) — But t. impt thing is t. final legit aprig evaln (via AZ, say). T. (estimated) cc of soln. & t. CJS estimate will be wrong if Gramm ≠ AZ; but t. result will be O.K. for induction if we use AZ for t. final acceptance criterion for a cand, & we use some Backtrack threshold for pc — Given by trainer or some other criterion TM devises, perhaps in attempt to simulate Trainer-given [redacted] "Backtrack thresholds." → (See 369.04–.13, .19–.21 for what may be V.G. Backtrack Algm)

Using a non aprigd for search: we end up w. a soln that's not necly t. best $\frac{pc}{cc}$;

We still have our external Backtrack threshold from trainer on (.08–.09)

It should be easy to compare t. "GA" pd. on t. O^2 with the AZ p.d. on O^2, since we have to compute both for each O^2. Presumably t. "GA" pc product is larger — or else we would not use it (?) ← (A possible reason: Maybe this is that "GA" could contain info good for srch, but not exactly t. same as AZ.)

18: (363.21 R) Th. Technique of (363.14–.21R) for Phase I srch, seems OK.

The initial "Ordering of t. O^2" can be done by a Grammar w. Corpus $Q_1 \ldots Q_n$ or using AZ. (366.29–367.17 discusses this; (367.00–.17) is particularly relevant).

~~Both to Grammar~~ The AZ final evaln. functs should use context, & t. Search Grammar would have to use "context" or equivlt, if it is to deal w. "Scaling". → .22R

OK, So Back to t. Road Map of 361.00

Some Bottleneck areas are 361.35–.40, and 367.22R

T. desirability of something like OOPS, i.e. able to modify O^2 in various ways that retain its ability to solve $Q_1 \ldots Q_n$, yet give different trial types for Q_{n+1}.

I will have to study t. R Recogn funct method of §1 again — also work on ways to make t. R's "soft", S-functs (rather than D functs). Note that t. "R" system really does deal w. t. problem. .... Is it t. "Best" way? (Remember Phase I doesn't have to be "perfect" — But it does have to be good enuf to get to "Phase 2"

Note:
361.35 : This is an impt Q:
T. discussion gave 1 possl soln. (t. "R" recogn. functs of §1) — But t. continuation of t. Discussion did not get any thing that helped; It wasn't clear how OOPS' continuation property would be obtained.

9.25.03 **SN** Examine this process of Generating O^2 solns. Viz. t. distribution on O^2 obtained via AZ.

Start out by considering (CB=0) for AZ (perfect induction). For each new i (& $(Q_1, \ldots Q_i)$), we get a progressively smaller set of $[O^2]$ that are consist w. that (augmented) corpus.

The actual set of O^2's has property that w. small i's, cc of O^2 solns are small, & Incr ↑ w. i (say ≥ linearly?). So, while for small i, t. set of O^2 is very broad i.e. many O^2 w. hy pc that fit corpus, — T. Distribution over t. O^2 gets narrower as i ↑.

3TM

.00 : 365.40 : In t. first case (which usually defines "Context"), we look at $O^1, O^2 \cdots O^n$ & try to predict O^{n+1}. This is a seq. concept predn.

.02 In t. second case, we try to extrapolate A as a function of Q for the QA corpus: In constructing a Cand. O^{n+1},

.03 The frequency (pc) of a defined concept will depend on how many occurrences of it in O^{n+1} only

In t. first case, I think t. frequency of a defn. is over t. entire O^i seq.

Also " " O^{n+1} will usually (but not always) be a relatively simple mod. of O^n.

→ I have worked on this problem many times: T. most recent one involved t. QA idea.... and t. corpus $O^1 \cdots O^n$, but I don't think I ever realized that there were 2 Pd's involved & just how to justify or Understand that!

.10 N.B. Context has to actual modify t. final pc's; otherwise we get the "Scaling effect", so concs cost more & more & problem solns cost more & more.

Re .00–.03: In t. first case, we have to predict t. whole O^{n+1}. T. parts that (usually) stay t. same have hy pc in O^{n+1}. So a corresponding instl'n of $O^1 \cdots O^n$ will be very likely in O^{n+1}.

In t. second case, t. fact that token Δ has been useful in many QA's is of import. If it was used in 8 out of 10 cases; maybe give it a pc of $\frac{8+1}{10+2}$? (or more exact Lap's rule).

In t. second case, t. fact that token Δ, has been useful for Many Q's, is most important.

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Note: Say we have O^n that has worked ok. for $QA_{1 \ldots n}$.

.20 It doesn't work for Q_{n+1}, A_{n+1}, hvr. We could devise a new function, F(Q) that did give $F(Q_{n+1}) = A_{n+1}$, & why pet ... for i ≤ n, F works occasionally, but not great. So we use a problistic mix of

$O^{n+1} = a\,O^n + (1-a)\,F$.

Perhaps write Road map: listing parts that are unclear &/o Need most work.

But write up est clearly:

Then do Bibl. review of last yr. or so of TM. Go thru, listing impt topics & cross refs,

Make list of ... impt. ideas in a ½ order of importance. (some will be ?),

Reread ~ 365.00 ff: Hvr, first, try to get "soln" to problem at 365.01 ("2 ≠ people")

.29 [9.24.03] Back to "2 kinds of aprx" (363.21R) It seems clear that ("QA") Case 1 (.00) can contain legit aprx components, like "context" — but it can also contain "Quick Alert", which is not legit. " " (≠ case 2) (Case 2 = (.02–.03))

.30 In Phase 1 (≠ case 1), we don't have to use all heuristic possl" ← Phase 2 can do that, just use legit aprx,

like "context". The O^n corpus can be used as a heuristic source of possl. regys, (Case 1 presumably, (.00))

.36 but they have to be tested Viz coding of t. QA corpus (Or some way of conversion so that regy is known to be legit)

.37 ☺ On t. other hand, in Phase 1, we don't need "perfect induction" so we might use case 1 "regys": Just how bad these illegit regys can be & still not screw up TM, is unclear.

~~Up TM, ...~~

It would be well to make list of t. similarities & contrasts betw. regys. containing t. 2 kinds of Pd → (spec) → 367.00

At this time, I thought I solved t. problem! — Later, I discovered how not to solve it — See 391.05–.45 for impl. — also in later approach

9.23.03

3TM

.00: 364.40 to be discovered via which (and) trials.

.01 (363.38 space) → the [QA] corpus & the [O²] corpus are defining goals. [O²] involves how to obtain more or less acceptable codes for [QA]. These codes are not (normally) optimum either in pc or in cjs.
363.38

But I think the [O²] corpus also contains Lots of reps. of the [QA] corpus.

The O² corpus is [redacted] obtainable from [QA] corpus if the order of QA corpus is given.

"Obtainable" if one is given the heuristics for finding the O² from the [QA] sequence, & — and its ordering.

To what extent is the [O²] corpus a code for the [QA] corpus? Well O^n, the final O², is a code for the entire corpus. — Anything that the pc of that O^n does ↑ pc of coding the corpus — But we are using info in ordering of the QA's. Hvr, is there any info in the O² corpus that is not available by looking

.10 at "useful subfunctions" in O^n (the latest O² only)? .... There is the sequential info of [O²] corpus.

.11 Note that this "Grammar" method of using reps in the O² corpus to find fast, good reps in the

.12 QA corpus does seem to be what I (& probably other people do).

So it's clear that I really have to understand .11–.12 before I can use it w. confidence — & before I can really optimize it or even set its params. in a useful way!

Note that the O² corpus is being used to find good O², at once. "Good" is wrt. the original a prg (?).

.17 I'd guess that the Core of the "Grammar" is to set as high a ln(pc) (so possible) for each QA corpus per cc expanded.

(IS ≈ the Core for WON) —— But it's narrower in its methods than WON is. The Grammar only [redacted] modifies pc's of Tokens. As Won can create any PST to solve

.20 the induction problems (I'm not sure this is more powerful than Modifying pc's of tokens, hvr!).

I'm not making any headway on this! Try defining the problem clearly:

Top goal is maxim of $\prod_{j=1}^{n} O^2(A_j|Q_j)$: "Best code for Corpus"

We have, in the past many (would help here!) examples of [redacted] (Pairs) ⟨O²'s & associated corpi, ([Aj|Qj]j)⟩

Could we, by studying that set of pairs, induce a (good) QA corpus → O² function — say an S-function ? ← [This was a "Top Goal" in some earlier work on QATM ← It still may be a v.g. Top Goal. A criticism of it is that it is "a plase (?) methodology" i.e. Try things that are close to what worked before ... it has no Concept of optimization, or even improvement!] ←

→ A simple example is a simple "Context". We observe from past codings that the [redacted] token

.30 ⊲, say becomes more likely in a clearing problem (or if the previous token was ✱),

[~SN] On sample Size for various cones: The TSQ could encourage TM to give more high pcs to certain Cones by repeating their appearance in the corpus. Repeating the same (QA) Ktimes would have no effect in MTM ... Maybe effect in NMTM? — probably but think it would be best to vary the A's for that Q : in line w. what I feel the true proby distrbn. is.

I think the difference betw. a context & normal modifications of pc's by dupln. & repetition, is that context uses the O¹, O² ... O^n corpus. This does not. (The "corpus" is the [QA] (Raw set)).

Infinity Unbound!

00 : 363.40 : For me, writing this up in a very clear way, so, reading it later, I can quickly get "up to speed" on the main problems/diffs/bottlenecks.

Also do some biblio review of recent ideas on TSQ's. I think TSQ's shouldn't be such a diff'lt problem!

[SN] A real possy: That Designing TSQ's is not such a big problem (except perhaps, at highest level, to get TM to acquire very "creative" heurs) — e.g. one idea: write a TSQ for Humans, that doesn't use concs that Humans have special access to. It should be possible to find suitable heurs that TM can lrn, perhaps by broad "hmk" of my "wiring in". I'm not sure of the importance of the problem of "2 apples" (363.21–.40): It may be that I've more or less solved it, but can't remember soln (like the celebrated footnote in S89!).

.10 → [If an idea is "fairly obvious but diff'lt to explain", so "no need to write it up", then it is Not Obvious and should be written up clearly]

.12 [SN] on the S89 footnote: #2 That Blind srch can simulate non-blind heurs.

I guess "Blind" meant one didn't look at "why" the trials were successful or failed. Also (perhaps) that one didn't remember anything about past trials (???). ← I guess this is implied by — If one didn't know "why" past trials failed, ~~no reason to rem~~ nothing gained by remembering them.

Hvr. by allowing "Concs" that TM can acquire, to be able (as arguements) to include info about previous trials (or any other of TM's activities), the trials are no longer "Blind" tho in some sense, they may "look" like a Blind srch. I posit because choice is

.20 only guided by Pc assigned to Conds (& as secondary factor, the cc of each cond).

This may be what I was thinking about when I wrote that foot note. So the FN "may actually be correct", but the meaning of "Blind srch" is "distorted" "mangled" a bit! ☺.

The conditional "Suff't powerful set of Concs" means that they can look at previous trials ... why they failed, why they almost succeeded, & trials for other problems that did succeed.

Perhaps it is not "diff'lt to show" that any legit heur is of this form. — it includes

.30 any info that could have been obtaind by looking at past trials ... successes or failures. Legit heurs are obtaind in only 2 ways ① statistical study of past successes, failures of trial ② Logical reasoning.

I may not have been ~~[illegible]~~ considering "Logical Reasoning" when I wrote that FN, but it certainly is a powerful source of Legit. heurs.

So, if we allow pc's of Conds to depend on entire past history of testing + "a prio" + logical reasoning, then we can include all heurs (I guess ... maybe even "Quick Abort"!). However a search based on such a P.D is no longer Lsrch, because the pc of a trial depends on results of previous trials. — So the Optimality thms about Lsrch & CJS ~~bound~~ Bound, do not hold (i.e. we can't compute CJS of a soln in advance of the search! — Tho we mite be able to estimate it if we knew which cases need

3TM

00:362.40 Insert Q_7, then try various pgms & auto-various output A's.

Go back to just for Q_7, insert Q_8.

But if we put in an arby Q_j, how is this handled? We have long S, There is a good chance that TM will ask for no more input & go on output (∴ pc=1). If we put in any of the previous Q's that it works w. it/will ask for no more input & will print out an output (pc=1) Bad!

I really don't see how I could get it to work in any simple way!

Actually, the OOPS system really wasn't designed w. anything like this in mind! The "additional code" was meant to bring it to a new state which it would, for several Q's, have outputs w. no new needed code. It was a MTM system.

How to modify it for NMTM is certainly not clear!

.10 Perhaps it would do no harm to restrict our system to one which it reads S first, but as soon as the part of Q is read, then we can't request more code for S: Any subsequent need for code is R. We put R input in PC order, so we will be able to guess a pc for the output & find it.

→ 367.18 spec

.14 So say we have S strings listed in PC order (via our Grammar, a priori, GA input/codes

.15 Scheme, or whatever.

We put S into the machine, along with a Q_j. It may or may not ask for more instructions, but anything it asks for before it finishes output A is regarded as R.

→ 366.29–.40 Access to ResoWs Risk

.20 We can use J's OOPS/stack machine. The pc's assoc. w. the trials are obtained via Lsp's rule,

.21 but the ordering of the trials is via .14–.15 → So this seems to be assoc. w. 2 pc's in each cand. ("21R") One is a priori, the other is a pc for Lsrch based on history of past trials! Sounds very weird!

$\overline{P}$ $\overline{\overline{P}}$ new grammar pc.

Hvr, the Basic Idea of Using Lsrch for induction, is the use a natural way, one tries cands in a priori order, so we tend to find codes of highest pc. If we use a grammar to order the trials, we [redacted] have no assurance of obtaining very good codes.

A poss'l justifn of using "Grammar" is that it gives a kind of "a priori" that perhaps it's OK to try to make it for our corpus.

.14–.21 L is "soln" I'm using for the S function QATM (NMTM) the Grammar may include "Context" ideas. The Backlook (Context) is a Sequential of a problem.

In my early work on "Context", I think I started around this area: thinking about things like (.21R), but maybe not exactly.

.30 Hmm! Is the Sequence of Good O's a form of a kind of regy in the corpus? It does include Sequential info, hvr. I may want to allow some Sequential info: the TSQ idea exploits Sequential regys to an impt. extent. The Grammar is a kind of regularity in the regularities!

— So it's a logic regularity! I have to clarify this!

The [O's] seq (or set) that is the corpus for the Grammar, certainly doesn't include lots

.33 of impt. regularities! → (365.01 spec)

→ Try to write a summary of the problem! Defaults soln(s).

Then make a more detailed dscn. of the road map w. indications of "Major bottlenecks" (if any) → 364.00

00: (Spec 361.40) : J's "OOPS" formalism of "trying to get [illegible] O^{i+1} by "continuing" O^i" is an attempt to deal with this. Is it a good "way"? is it the most "Convincing"?? What is the most convincing way?

⊙ one way that seems a bit Gross: The QA's are "Sequential" in a certain sense; So the O^i for each new QA is "different" because "i" (the "time" index) is different.

Certain problem Types ~~[illegible]~~ solns are time dependent — others time invariant

But (anyway) I drop this (softly) for awhile: But do consider the idea of 361.35–.40 again.

We do seem to have "R" functs that put problems in a particular "Area" w. a common function that solves all of the probs in that Area (Reeqs. equivclass).

In Retrospect I had kind of avoided thinking about that part of QATM — But it is the [illegible] ^first part & a not bad step toward solving 361.35ff.

In the report, I treated logical (Yes/no) R's only, but I think I wrote a bit about "soft" R functions (≈ fuzzy sets?) — Gray (categorization of ∃-categorizers),

One reason to use ~~[illegible]~~ d-R functs was that I was (perhaps) mainly thinking of MTM (d-Prodn) — [illegible] OOPS deals w. R's I Think by having functions that decide themselves, which argument to "accept" (i.e. no output at all for certain inputs).

Hvr, I'd like the R's to be more "visible", not hidden inside some prodn function.

The Unhiddenness means that the ~~[illegible]~~ assoc. Prodn functions P, can be updated on a ~~[illegible]~~ small subcorpus.

I vaguely remember this use of functions that determine their own range, as being good for ~~[illegible]~~ MTM only. (see 349.29 – 350.15)

Hvr, in §1 on QATM I was using logical "d-funct" R's to select set of ~~[illegible]~~ Stfunctions, [P^i].

In the case of OOPS, the situation seems a bit different! The funct it implements can do 3 things: 1) present no output to an input: ~~[illegible]~~ i.e., stop or go on loop w.o. printing.

.27 2) ask for more pgm input — after which it may or may not print.

3) print output (w.o. asking for more pgm input) & then stop (well, stopping is unnecessary in certain kinds of problems. — But we may want output to be unerasable by TM.

OOPS uses .27 (2) to "extend" S: I might use it to get a R.

Ah! try this! ≈ normal OOPS! we give a new Q, it asks for more input: whatever extra input it needs to get correct (or any other) A_i ~~[illegible]~~ e.g. of that A_i. We insert a new Q, but only after, we have inserted augmentations S (≡ R) that give the correct A_i for previous problems (In general, there will be several such augmentations — we start by picking the shortest one. Any others augmts can be used (if needed) for Backtracking.

Say we do $Q_{7,8,9}$ & they all give into outputs w.o. asking for more msts.

Then to get the P.D. of various outputs for each $Q_{7,8,9}$: Go back to ~~be~~ end of Q_6 ~~[illegible]~~ pgm input.

61
245
37

.00 : The Road Map: Its principle Milestones — Markers of Progress.

[Maybe all Much of this will be a section of the report. But I also want it for my own use: A clear statement of what's been done and what needs to be done.

An outline of this: **Phase 1:** This consists of first QATM (MTM d-funct solns) and then (NMTM s-funct solns). ~~[illegible]~~ Adaptive Lsrch

.09 is used to find solns. Discuss creation of s-Grammar for $O^1 \ldots O^{i-1}$ to find cands for O^i. [Various forms of PD or "s-Grammar".

.10 ⟶ Next part of Phase 1: INV & OZ problems: Given a set of PST's

.11 by humans: to use them to solve Regr probs by Lsrch. Note to expand: is this part of Phase 2?

~~We search PST's by making a Grammar for them.~~

~~Next Phase 2~~ In INV & OZ probs. I 7.10 2.11 we start out by using the universal ~~[illegible]~~ d.f. on functions to put a d.f. ~~[illegible]~~ (Grammar) on PST's.

We have separate Grammars ~~[illegible]~~ (PD's) for OZ & INV problems,

~~[illegible]~~ The ~~[illegible]~~ Grammar becomes "Adaptive" ~~[illegible]~~ in a way same as .09:

.20 We use the previously successful set of PST's as a corpus to define a Grammar.

This can be done by usual formal Grammar methods a/o Generalized Mutation (crossover ideas

(or other methods). The idea of the "Grammar": to list cands in pc order! [Also give pc's! to enable Lsrch.

In QATM the cands were O's; In INV & OZ, the cands are PST's.

I Guess we're then ready for phase 2. We have a set of PST's & problems they have solved — & ~~[illegible]~~ cc of each soln.

From this we can get h c J functions. & Run WON srch & update during Won srch,

Maybe do it this way ⟶ (It's possible to start out w. WON & GHTI search & no update during srch; then graduate to "update during srch".

.30 Also modify sections 3.1 & 3.1 so GHTI search done first.

Perhaps discuss details of Lsrch for ZIU v.s. ZSU problems.

" " ~~[illegible]~~ randomish choice of Q's for O^2 evaln. (standard Cross evaln)

also finding hardest Q's in corpus for O^2 evaln (for Quicksort).

.35 [3.21.03] ⟶ On the other hand, there seems to be a characteristic of usual "normal" Human problem solving, that when one searches for a soln. to a new problem, one usually doesn't have to worry about the soln. still fitting old problems! How does this work? ⟶ Note Bond (367.22R)

The Recognition algs (R) in §1. seemed to help with ~~[illegible]~~ in this. ⟶ (see 362.00)

That R system was designed to be like the way humans often deal w. this problem.

00.359.40 : On t. mechanics of L srch for ZIU: OOPs does it one way.

As always, t. pc assigned to a pgm, S, ~~[redacted]~~ depends on t. ~~[redacted]~~ amount of pgm ~~[redacted]~~ that was used, when/if output A is finished. We want max (over all) needed for ~~[redacted]~~ of t. Q_i.

Actually, t. way OOPS doesn't ~~[redacted]~~ seems rig. Q_i is already in t. machine; we put in tokens (Execution always asks for them) until it prints an output and stops or until it prints t. desired A_i (Then A_i ~~[redacted]~~ may or may not request more tokens & stop.) — it need not stop but we have a ~~[redacted]~~ semi infinite ~~[redacted]~~ A_i string (like a sep. to be predefined) with a new input, Q_i it runs until it asks for ~~[redacted]~~ S input or until it prints a/o stops or if it prints an output. Next ~~[redacted]~~ cannot be correct (i.e. it disagrees with a symbol, w. t. desired output.

10

How do we modify this for ZIU?

Well, we could have 3 distinct processes to get instructions: $\underline{S} \to \underline{R}$. In this case, it would be possible for TM to try "continuing" an old S to get a 4th pc "A" output — so it could minimize t. complexity of R for ~~[redacted]~~ t. existent Q.

The ~~[redacted]~~ IPs for Instruction pointers $S \to R$ ~~[redacted]~~ are individually (settable) retrievable. At each time we have S_{mx}, R_{my} which tell how many instructions in $S \to R$ thus far. The 2 instr. pointers can take on values from 0 to S_{mx+1} & 0 to R_{mx+1}, respectively.

20 We may want to ~~[redacted]~~ have distinct ~~[redacted]~~ instructions for $S \to R$ (?) — certainly possible to do — but I don't see any advantage Going; We also need instructions to tell TM whether to go to S or to R for next inst!

EMPT point → It may be that I'll want to wait until I have a TSQ & I versus have ideas on just how I expect TM to compute pc's!

Another possl formalism for ZIU: It reads S until it gets to "stops S" & "Go to R" state. Then it switches to Instr. pointer to t. first inst of R.

27 & then t. "spirit of it" is that S sets up, then R goes on to tell exactly how to construct A_i.

My ~~[redacted]~~ own intellectual Soln. to t. problem presented to TM should be expressable in (.27) form.

30 A Q that I'm Still uncertain about: whether t. OOPS idea of "continuation" is a good idea. Superficially, it would seem that t. continuation method of Medlin of a ~~[redacted]~~ O^2 could would work in only certain carefully constructed TSQs. that in general ~~[redacted]~~ t. $O^k \to O^{k+1}$ would be a very general Mutation process, "Grammar (~~[redacted]~~ of R) construction process.

9.19.03

3TM

Also Note 357.32–.40 is yeat routine for [Adaptive] 3 IU "Lsrch"

(See 358.23) .00: 358.40 → So [in view of 358.31] 358.25–.26 may be good Grmr for phase 1. T. trainer would perhaps have to give the average (upper) Threshold for backtracking — But this "average" should only be used when t. corpus to be coded is fairly long.

[9.20.03] [SN] Re: [OOPS]: How much memory of token frequencies is carried over from previously successful trials? My (strong impressions) ↓

.06 1) when working on T.O.H, say for n = 3; It will do 2 modes of srch: One will have no memory of n = 1,2 solns & will start ab initio to try to get solns for 1, 2, 3. The other will use the successful pgm for n = 1,2 & its token frequencies & try to "Extend" it — i.e. add on bits if & when required.

2) when working on T.O.H. it will not remember token frequencies from Grammar problem (other than via "frozen" data bank ... thru (usually) "boosts")

Remark! In .06, it would seem very wasteful to start ab initio, since a great no. of conds are known not to work w. T.O.H. n = 1,2. It would be best if t. tree structure for t. soln. n = 1,2, were retained, so (w. suits) info on which branches faild, which had "time outs" at what time levels). There is possibly some mention in t. paper about retaining "traces" of trials (i.e. srch trees) — I think they mite be usable for parallel Lsrch — But I'm not sure of whether OOPS did, indeed, (1) ever have (2) retain; that info.

So I'm still not sure I understand t. details of how OOPS works! (see (.29) for a clue!)

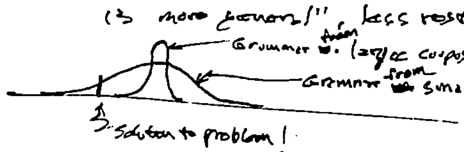
However the presently successful Tower of Hanoi T.O.H 1,2 pgm is a very special pgm on t. tree: it's usually a soln to 1, that was extended to get a soln. to 2 ⇒ So perhaps t. failures in t. srch for it wouldn't cover much of t. srch tree, [this is True] I.e., t. srch for t. (1,2,3 solns) would have to take much longer say a (factor of several, longer) than t. srch for (1,2 soln.)!

On t. other hand, I tend to be dismissive of a factor of 2 or of 10, for that Matter!

.29 Its possl. (Maybe even likely?), That when OOPS trys to find soln to TOH 3 [in "Ab initio" Mode,] it doesn't even bother w. trying to find a pgm that solves 1,2 as well! — It trys to solve 3 only.

.31 : 357.40! T. method of doing 3IU that I had in mind, was 357.32–.40 when we look for soln to $(QA)_{1,n+1}$ we use as corpus for t. lang. of which O^{n+1} is [to be] part [i.e. extrapolation] $O^{i}|_{1/n}$. Presumably, OOPS is a "special case" — a particular kind of Grammar for this corpus.

Presumably, when we backtrack, we go to a [O^{i} extrapolation] grammar based on a smaller corpus, so it is more "general," less restrictive — More likely to have t. answer — but perhaps, still of low pc!



NB: If large corpus Grammar is "very weak" pc's are not very "sharply peaked" then Backtracking will not be as effective. (But unbacktracked Grammar ("very weak") will not be v.g. ("sharp").)

00: (Spec) 357.40 : For each search technique, we will have to devise a TSQ that will allow that technique to be successful!

Some more elegant ways to "slowly zero in on the final soln": We have 1. confluence compare $[Q_iA_i]_{1/n}$ We try to find a function of Q's that/ divides for each Q_i A_i space into 2 (or maybe more) parts — a "good" part & a "bad" part. We try to get it so that the no. of "true" A_i in that area is the Good part & More. (This is a categorization problem to 3 ID maybe a very likely SVM can be used.) However, as (described stated) this will not work! A categorization that accounts all A_i would get every score! The campus has no "negative cases".

.10 ---

However I did have a related idea! That in many QA situations, there are many A's that are equally good (say variations in phrasing, grammar, etc to answer a Q in English). This results in any one of them getting a very low pc — But if one doesn't realize what's going on, one will think that a low pc for: tries answer means "failure" & need to Backtrack (= Theory revision)

.15 .15 sounds serious! One wouldn't know when to (revise theory / backtrack / decide present model is inadequate). When I last thot about criterion for Backtrack, I thot scientists developed learned how to decide: — But often the sci. community as a whole was very uncertain.

However, this seems different: it seems that Humans get feedback on the (goodness or badness of a degree of)

.20 reply (as in RTM.... which I'd like to avoid!).

Well say TM spent an "equal amount of cc" on each Q_iA_i : — But it's not clear as to when this is Being Done! TM normally optimizes a set of the QA pc's. So perhaps that's it! TM optimizes a "O" for $QA]_{1-5}$, say Then proceeds on to $QA]_{1-6}$.

.25 → T. "backtrack" Q is: "When is O^1_{1-5} (so bad that not good enough) so O^2_{1-4} has to be revised?"

.25 26 Since the Q of .25 covers several QA's we might expect a certain "average Impc"

.26 .27 However for a not very advanced TM, .25 may be as good as we can do. — Not $1 → 359.00

On a higher level, perhaps TM might want a search method that over the

.30 "long haul" gives the least mean Impc per cc.

.31 Remember the "Phase I QATM" (Doesn't Have isn't supposed) to be terribly smart! — it only has to be good enough to get Phase 2 up & working. It's really not expected to approach Phase 2 ... it just has to be "Good enough to get off the ground".

Full English could be bad wrt. .10–.15 (many alternative Solns). However, at first, the English being used will not be too complex for that. Also, TM will assign greater pc to the "shortest" version of an answer. I.A. Richards 400 words?

SN How complex is "BASIC ENGLISH"? It has a small vocabulary — but is the grammar simple & unambiguous? "Logan" may be ambiguous, but vocabs is large.

9.19.03
3TM

00:356.40: See if I can use other existing induction systems for parts of [illegible] X.M project. (for categorization.)

E.g. Bayesian Belief nets (BBN), GA, ANN, Decision Trees, SVM's
SVM's, Decision trees are used for categorization Probs — which is a kind of [illegible] QA problem.

Can I Gen'z them to work more General QA problems?

Re BBN's: Recently, I came to a good, simple understanding of them: — which I've forgotten! See if I can remember, & Do write it down.

Similarly w. Max Entropy / Max cross Entropy ← (This maybe from Chris' stuff)

For Max Entropy: via ALP: If there are n, unknown pcs, $[P_i]$ $i = 1/n$: known constraints bounds on p_i:
then for $ssz \to \infty$ ($L = ssz$) The best code (= assignment of pcs to the $[P_i]$)
is when $\prod p_i^{P_i L}$ = max (L is model ssz) i.e. $(\prod p_i^{p_i})^L$ = max.

so $\sum p_i \ln p_i$ = max, subject to constraints

I think that I found a bogus in this arg! What was it?

Now: what was the min crossentropy idea? $\sum p_i \ln(\frac{p_i}{q_i})$ = max, w. q_i known?

I don't know what q_i are. w/ known constraints on p_i?

BBN's: Discrete vector input : probabilistic discrete vector output ∃ Vector s-operator.

If input vector has n_i possible values for ith component there are $\prod n_i$ input configs.

each can give a different D.F. on each component of the output vector. These are very hyd[illegible].

Sizes !. can't be learned with any reasonable ssz.

they simplify problem by assuming T. vector s-operator is composed of a net of smaller vector s-ops. The internal values of vectors may or may not be "hidden."

In not hidden, they can be "lrn'd" rapidly.

Anyway, I'll have to read about these.

That Patt. recog. book (Duda, Hart, Stork) will have suggestions on what kinds of models to use for induction in various parts of "Alpha" (≡ TM).

T. idea of t. set of "Milestones": They are (I think) achievable sub-goals — That they can be achieved w.o. any (or very little) Backtracking (≡ modern-day-common Goals)

So, if true, this set of Milestones is a achievement!

[3 AS] Thinking about solving 2 IU then 3 IU: Perhaps not so easy! I think t. idea of 3 IU search was to first find a reasonable soln for [illegible] $Q_1 A_1$. Then, using t. (updated) modified "grammar" (≡ a priori), Look for solns to both $(QA)_{1,2}$, Then (update) modify grammar. Look for solns to $[QA]_{1,2,3}$ etc. In each case, when we are looking for solns, w. a certain corpus, t. Gen'z is quite clear. A problem is to devise a TSQ so that this search technique will work!

(QA to 358.31 spec) (spec 358.00)

3TM

00:355.40 : Soi wrt 2IU 354.18–.40 is main idea/approach: To fill it in a bit more; → [355.15–.19]

3 General kinds of Criticism of 2IU update schemes:

1) T. technique is slower (in real Time) ≡ cc than it could be.

2) For reasonable CB, it isn't able to discover certain impt. regys.

3) T. technique is "slow" in sense of needing much SSZ for imp. regy discovery

(For CB=∞, 78T3 tells necy limitation on 3) – if we apriori, think a regy is unlikely, it will need more SSZ to discover it.

.09 (1)(2) are somewhat related. For finite CB, Prove must be regys "invisible" to t. system.

.10 w. the necy limitation of .09, an induction technique may be simply inefficient of cc;

Neural nets & most GA mite possibly have this deficiency.

[N.B. when I speak of cc, parallel processing usually doesn't help. cc is computing cost & time if we use many parallel processors]

.16 From a practical stand-point, when I write TSQ's I will (presumably) have good idea (or actually know) what t. impt. regys are. In this case I will see what kinds of Grammars (≡ PD's on unordered set of finite objects) are how good, & how th. Grammars need to be revised to catch "t. kinds of regys that are present.

.19

.20 For [T. Report]: Either just my own version, or for t. actual report:

Write t. kind of detailed "road map", sort of "mile/tones" that I now envision for t. entire TM project. Phase ①(a) 2IU; Phase ①(b) 3SU; Phase 1(c) ≡ Use of Lsrch for OZ, ENV probs: Building up of a good set of PST's; (2IU: AZ does ok, but maybe recovery fund not so good.)

Phase 2: Use of world rather than Lsrch, Building of Grammar (or equivt p.D.) of PST's — that extrapolate PST's in a "universal" way (limited only by CB). (This mite be done in Phase 1 (c) as well.)

Where English lrng fits in, is unclear: It requires at least 3SU, hvr (S-functs), So it can be tried any time after S-functs are enabled, and it has a lrnd enuff for us to

.30 be able to "discuss" what it has lrnd.

In conclusion, it seems that t. (early) part that is in worst shape is "O² search", for orbit 2IU or (t. problem for 3SU is solved similarly but it has additional complexity; (See 355.20–.30 on this last.) "O² srch" need a way to probability order cands O²'s.

(Also "Contents" is in Bad Shape — Not so BAD, But "Weak": Not much done on That problem. 354.18–.40 + 355.15–.19 are very; So also is work done while TSQ's are designed.)

A "Grammar" is one way (by defn. a grammar is a P.D. on unordered BAG of data) (Important case there is no repetitions is a "SET".)

.38 (355.15–355.19) This Grammar (or eqvnt) should be designed along w. the TSQ design, (.16–.19).

[SN] I was considering a Grammar w. t. O² corpus being an unordered set. It mite be better to assume the [O² are an ordered Sequence], & use Sequential predn.! Sequential predn may be easier (partly because Error Correction is easier (?)) — But seqt. predn may be more appropriate!

3TM

00.354.40 : But t. essential Q's about backtracking & updating seem pretty much same for 2IU & 3IU. (Note 352.09 on 138.20: This does suggest a way to go from a soln. to 2IU to a soln. for 3IU. It gives a kind of such strategy — I think part of it may be ok.)

So 353.16 is right: work on 2IU for now. Mainly I'm considering 354.18 → .40

354.18 → .40 covers pretty much what I've been thinking about. Is there any way I could mix in some ideas from t. OOPS model? His idea that t. pc of each to have was to be computed by t. system itself: sounds like context, but (more specific) (more detail?) possibly more recursive.

As is, t. system (vaguely) derived in 354.18 → .40 might be workable, but it certainly needs more work: particularly t. "Context" part ← (This I expected to put this in when I analyze my own problems solving.)

Perhaps try to write up 354.18 → .40 in as much detail as possl. I think t. "grammar" idea is applicable to generation & lrng. of PD's on PST's.

.18 (spec 354.40) 3.18.03 So essentially, I've divided t. 3IU TM into 2 phases: Phase ① is 2IU TM, Phase ② is 3IU TM! In phase ② we get O^i's in pc order. One definition of this is:

$$pc(O^{ix}) = pc[O^i]_{1,x} / pc[IO^i]_{1,x-1}$$

These pc's involve inventing Grammars

.19 for unordered sets of finite strings (objects). : Can we use same Ordering formalism in Phase ②? (3IU)? I would think so.

(This is on using O^i as a sequential prediction problem! → 356.38)

20 After we're able to do .18 → .19 w. some facility, we go to 3IU TM! We get O^i's listed in ≈ pc order of appr., Then we have to do tests on t. Corpus. This can be done statistically. We will try to find Q_j's that are particularly diffly so we can quickly abort trials. Also some kind of strategy for jumping from one O^i, Q_j trial to another $O^p Q_m$ trial, on basis of "pc thus far" ← includes "pc's thus far" of corpus (in 2IU, pc of corpus is always 0 or 1 only) [138.20: ... evidence has what look like useful ideas on this.]

In 3IU, in doing Lsearch for R for particular QA, we will always have a ≈ lower bnd on t. "length" of the R needed: it's (≈) t. longest R tried thus far — we try them in (≈) order of R length (actually R + log pc order)

30 Anyway, Given t. PD on t. space of t. O^i in 3IU ← "3 2IU "Grammar"", t. problem of finding t. answer a good "2IU Gore" is somewhat "well defined"! Seems "solvable" or "not bad approximationable" — can be pretty solved w.o. any

.32 extra epistemological analysis.

So, at present, t. main problems in TM seem to be 2IU {i.e. search for O^i for 2IU} & TSQ design.

I want to do 2IU for a variety of TSQ types, so more likely to be relevant to 3IU problem! Maybe work on 2IU TSQs a little, then look at 3IU TSQ's to get idea of what 2IU TSQ's might help. TSQ's

3TM

.00: 353.40: e.g. doing $Q = n \rightarrow A = 0^{(n)} 1^{(n)}$. ($0^{(n)} 1^{(n)}$)

or $Q = n$, for n ring Tower of Hanoi as output.

for n = 1, 2, 3 .... He could find an extension of S that would fit!

The this did not (in either case) lead to recursive solns.

That O^{k+1} should be a "small" modifn of O^k is reasonable, but that t. modifn. should always be in t. form of an extension seems unlikely. Hvr, sometimes an extension is a reasonable trial.

My impressn. is that t. general idea of Mutation or "General crossover" is more reasonable.

I had t. idea that Something like this might be possible in "Sumacs", because it did work exactly rite for CB = 0°.

Hvr, this idea that t. Q itself would help decide how much of S it needed .... Seemed like a very Attractive idea! .... May be Too attractive! ☺.

In Sumacs, backtracking was essential, i.e. t. Q was, could we do o.k. w. a limited amt. of Backtracking? Say almost always < "3" levels, arguing ....

.18 In a corpus presented Sequentially (i.e. a TSQ), A Q. is: "How much" & in what form, is info carried from O^k to O^{k+1}? T. GA "mutation" idea (w. perhaps also "Context") seems fairly General. T. idea of a "Grammar" summarizing t. past — softly limiting t. srch for O^{k+1} by t. stochastic (soft) rules of t. Grammar. T. "Grammar" could just be t. set of primitives & sub-functs (Macros) i.e. "AZ" that have been found useful in t. past; Then a Bern d.f. on them, conditioned (necessarily) by General "Context". (I really don't yet know if "Context" is good enuf to keep t. CJS bounded to usable level) = Augmented Z141.

The one can (& usually does) retain previous entire O^k's as "tokens" in AZ, I'm not sure this has enuf of t. idea of producing "small Modifns" of t. previous working O^{k+1}.

It may be possl. to express small changes in O^{k+1} as a kind of "OSL" — i.e. by defining things that have been (thus far) used only once. This could give a Conditional pc of O^i trials in terms of O^{k-1} (info distance, implication complexity ....) → see 355.15-.18 for definition.

This seems closer to "mutation". Perhaps in Making a "Grammar", t. most recent O^is, should be given more wt. as part of t. "Corpus" that this grammar is trying to descb. The decay of wt. w. distance .... this λ can be initially selected by Trainer's spec. & slowly optimized over t. life of TM. → 355.15-.19 is a good continuation of this Thread. This is = t. "recency" Context. "recency"

(spec 355.15) 355.00

3TM

00:352.40 : I want a picture of how NMTM (QA) works w. 3IU — How it normally updates (w.o. Backtrack) — (& how it updates w. Backtrack) ← 352.00 top; .02ff is about [redacted] backtracking)

Say we have a O^z & we put Q_n in (O^z works ok. w. $Q_1 \cdots Q_{n-1}$), TM asks for input: we put in R [redacted] before there is any output. If no update is needed, The [R_i] prefix sort gives a def. on A_n. If its an acceptable d.f., we leave it alone — i.e. we leave [redacted] O^z as "Pre-R" ~~[redacted]~~ program.

Perhaps I'm doing this wrong! OOPS as is: is a 2IU! It can't do S-induction properly!

But ~~OOPS~~ OOPS Real machine can act like a 3IU. S_1 (input #1 that defines the O^z) Is any input that occurs before TM looks at Q_z.

.10 One way to change S_1: ~~[illegible]~~ S_1 was the result of a tree search, over pgms that did not look at Q when initially (more inst was added, it may or may not look at Q.

Actually, O's OOPS is a 2IU, & it isn't much different from a 3IU: The only difference is!
In a 2IU, after we put in Q_i, A_i comes out.
" " 3IU " " " Q_i we have to put in R_i's before A_i's come out.

It would seem that the update process would be the same, — except for the conditions of acceptance of a O^z trial

.46 So let's work out the ~~2IU~~ 2IU case: A possible trick; Don't put Q in until it's decided that "S" (the head end of O^z) is "all in." So Q has this "Null" value until S_i has been "processed".

$ Superficially, all this doesn't sound good — The decision when to put in the Q, becomes part of the design of O^z.

.19
.20 Another way would be that Q is in all the time, & we generate S (symbols). As soon as an inst looks at Q, ~~[illegible]~~ That inst is regarded as the last inst of S.
If O^z loads part or all of Q into a register, O^z doesn't end until that register is used in some way (?).
This is a "picky" point — The criterion of when S "ends" .... we can decide later,
For the present, let the first inst. that accesses Q (so the system state henceforth is a function of Q) be the last inst of "S".

Anyway, in 2IU, once S is in, (& Q is already in), we add no more input. The output (of Λ or an actual string) will be regarded as the & may be [redacted] right or wrong.

This (2IU) Seems quite different from OOPS: In OOPS, the machine reads part of S, then reads

.30 Q: On this basis, it may give output or it may read some more of S, then perhaps have output which may be final, or it may read more of S before final output. By reading Q OOPS decides how much of S it has to read. So: Is that a good idea? — i.e. it a reasonable way to "Run a Ship"?

I think the motivation of that formalism is that it enabled one to "add on" [redacted] code to deal w. the (expansion) of the corpus. It did not of course, always work, in which case "Backtracking" was needed.

How, the problems in which this sequential expansion of S, worked, were natural

3·16·03
3 PM

00:351.40: One way would be to do meditns in conditional complexity order, which is ≡ conditional pc order. Given present O^7, what are O^k's that are (conditionally) implied by O^7 — in ≡ pc order.

This seems to Not use the "Grammar" ideas of 350.00 ff!

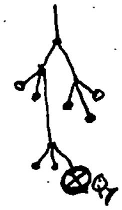
.05 [SN] To a large extent we Have searched the space of O^7's. We know many O^7's that will use the part of the current corpus: Is there any way we can search that takes
.07 advantage of this past work done? (.12) Also Can we somehow combine this with Grammar (Genetic Alg) ideas of 350.00 ff?

.09 [SN] In ~ 138.20 (which I decided wouldn't work!) I did a search on O^7's and R's together
10 so that the sum of their dcon lengths (≡ product of pc's) was the L search "length" parameter.

Try to describe the present problem exactly.

.12 (07) → [3·17·03] Consider OOPS's ref. machine: Any machine that works thru Q_n has done an exhaustive
.13 Search of all pgms "simpler" than itself, so no simpler pgm will satisfy $\left(\begin{matrix}A_1 \\ Q_1\end{matrix} \cdots \begin{matrix}A_n \\ Q_n\end{matrix}\right)$.
→ [Except if a larger CB is used]. Also, as soon as a new Definition is made,
(.12–.13) is no longer true. (?). ← Check this statement! Not so sure it's true!

At any time, the state of the system is representable by a tree, that of (?) the various token trials that were made. Also, the "success points" & what level of Q was obtained
20 at each pt. Also Failures and "Time outs" must be distinguished (shown separately).
also total pc at each pt.



o indicates timeout.
• indicates failure
⊗ is success to all Q.

So if finding an acceptable Q_8 seems to be taking too much time (by CB but no soln) we drop back to Q_7 & spend more time on its "timeout" nodes.
If they give a new Q_7 in "reasonable time" we go on to try to get Q_8 by continuing it.
(the previous Q_8 trial was as a continuation of an earlier Q_7).

[A problem may be if the successful of the Q_7's are almost the same, so failure to do Q_8 by continuing one of them, would make it very likely that another of those Q_7's would not be any good as a basis
30 for soln. of Q_8.]

[SN] One trick to (perhaps) save much time: take "Q_8" the latest problem, try it as an input to O^7. If O^7 prints out wrong A w.o. asking for more inputs Then we must backtrack to O6: we put Q_8 into O6 & see if it gives wrong outputs w. no more input, if so, we backtrack to O^5, etc.
The foregoing are "fast aborts" — they say that the O^7 isn't recognizing Q_8 as an essentially new input — and it gives wrong reply to Q_8.
The existence of this "fast trick" makes it clear that the system will normally try to find a way to identify new kinds of Q's that need extra R inputs

353.00 →

3TM

00:35090: Consider QATM doing MTM probs: I first Lsrchs for soln for $Q_1 A_1$. Next it Lsrchs for soln to Q_2, A_2, using possl. "mutations" of first soln ($\equiv O^1$). For soln to all QAs up thru Q_n, we look for O^n.. T. search will be over a space in which $O^1, O^2 \cdots O^m$ are "examples" to be extrapolated.

We want some kind of "Grammar" w. $[O^i]_{i,n}$ as data.

To start let us assume OOP's, Forth type reference lang, So to work problem$_k$ we can try O^{k-1} & it can (sometimes) recognize that this is a new problem — & either give a soln or ask for more code. If this does not result in a soln (we try all possl/codes in Lsrch order), Then make S-Grammar from $O^1 \cdots O^{k-1}$ and use it to generate cands.

this "grammar" may be something that "Grows" i.e. we have a new Grammar for each new Q. t. Grammar for Q_k is obtained by modifying t. Grammar for Q_{k-1}

Examples of Grammars: The AZ system w. defns & Lapl rule: Since it assigns pc's to O^i cands, it is a P.D. ≡ "S-Grammar" Any methods of finding regularities can potentially ↑ pc of "Corpus of O^is" & ∴ make a better Grammar.

→ [[Context can also ↑ pc of "O^i corpus", but it seems diffrnt from what AZ normally does. Perhaps our corpus is regarded as part of a more general "Macro Corpus"?]] Needs Clarifn.

Conceivably one could try a CFG or CSG

OOP's ref lang also Gives a P.D. = S-Grammar.

[SN] on Universal D.F.'s on S-funcs: Take the Universal Discrete D.f. on finite strings. Since any P.D. on strings can be represented by a pgm (≡ string) then this d.f. can induce a P.D. on strings ≡ representations of PD's on strings ∴ a P.d. on P.D's.

I think .20 ff is what 3IU does: If we use a 2IU to represent the final output pd's.

Hrr, .20 can use arby methods to descb t. final output ed's — they can be Monte Carlo, continuously parameterized function, ···· etc.

Re: NMTM problems: T. Discussn. of .00 ff would seem to hold as well In hunting for 3IU functions, rather than 2IU functions — so not much change in Methodology when we go from MTM to NMTM.

I'm not so sure! In 3IU, we have the "R" input to try to create the A_i.. In OOPS, we always have some thing — how much cc to use on this Z, before deciding to try a new O^i? Is this t same as "When to Backtrack"? If so, its t. Q of how low a pc does t. current Model have to go before we revise our theory ($\equiv O^i$) current O^i. conceptual & CJS?

Also, how much revision to try. How Big leaps to consider?

Well, maybe this last is "No problem" — i.e. just continue search in Lsrch order. This will, to some extent, involve going back to short codes that did not yet converge. ← This means undoing recent Definitions

Say Trainer give pc threshold for new A_j — so a O^i & R have to be found so $O^i(A_j|Q_j,(R)) >$ a certain pc_0. (actually Trainer we may want total pc to be > a certain Threshold.)

I'm temporarily saying this so we can get on to t. rest of t. "Backtrack" problem.

3.16.03

3TM

RESOLN of [3IU] vs [2 IU] Universal Difs ;

3 IU

349.29 starts it but
349.40 has main idea.
350.00 — .15 is Main Argument — explann.

00: 349.40 ! For 2 IU, we want a funct that gives "right answers" for all Q_i. In a stochastic world, this is often impossl, because for the same Q_i we can have several difrnt answers in the corpus.

So it seems clear, that in general, 3IU & 2IU can't be identical (or even ≈!).

(3) 2IU are universal, but in difrnt ways (Just as the Discrete & Continuous Universal distributions are continuous, but in different ways).

2IU is for MTM: if $Q_1 \to A_1$ & $Q_2 \to A_2$ & $A_1 \neq A_2$ Then there is no MTM soln, & no 2IU soln for 3IU of course, " " Then This is false.

For TSQ, also PST ideas — See Polya!

The 2IU soln gives a δ-funct for all old-(corpus) inputs, but it can give a S-funct for new inputs.

.08 I imagine that its usually a very narrow (S-funct, or almost δ-funct), & Never!

(No) for any new input (not in corpus), there exist pgms that do the corpus exactly, but do arbitrary for the new input. Not No! Eg. say S_1 is a pgm that does entire corpus correctly, then if Q' is the

10 new input, consider the pgm: [If input is Q' then outputs A' else invoke S_1.]

A' can be any string we wish. This pgm is clearly much longer than S_1 alone! ☹, but it is of "limited length", so

.15 all strings A' can be output. → so this might doesn't really contradict .08

+07 →→ So, by starting QATM w. MTM problems only, we are getting a machine rather difrnt from one that will do NMTM. While this may be a good way to start studying TSQ's (30.)

[SN] A way to get a kind of Universal S funct distribn: To derive S-funct, we simply list the primitives in the AZ language, The result will be a PD on Functions (as AZ always gives)

20 To get the P.D. on output strings, for a given input, we include that input as a primitive and generate outputs of the system in pc order, by choosing Tokens in usual "Laplace rule" way. Since the pgms will not be long, the changes in pc's of tokens given by Lap's rule, will usually be not very impt. — We can usually get p.c. of an output by putting in inputs w. their constant Bernoulli pc's. This may be a faster way to do trials than Lap's rule . . . .

Except that when we make a definition, all of the token pc's must be renormed.

— This renormzn is done automatically in Juergen's "OOPS".

| ≥ 10^{8000} possl. relations in Human Brain; ⟨10^{3000} bits each⟩ ?

30: (17) It is signitly difernt from a NMTM TSQ. Say we started w. MTM & got a fair distance into Algebra. To start trng English would be a NMTM problem!

So its desirable that TM have fair amt. of experience w. NMTM before trng. English!

Or: Could we use English as its first NMTM corpus?

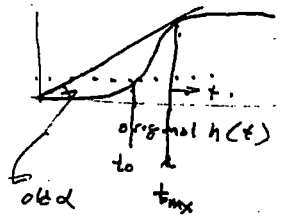
We could start out QATM as a NMTM, but w. Algebra Probs to start out.

It would always get one code much shorter than any other, but when it didn't, the codes would all tend to extrapolate exactly the same w. new problems. (This is using 3IU)

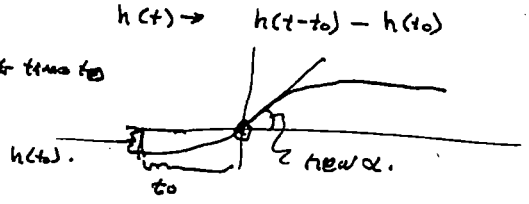
(By MTM I imply 2IU distribn.)

00:348.40 : no more decisions into O' during an entire problem soln. Presumably, before (or after) each problem, we will do a lot of serious updating of O' ... often involving serious "definitions" of rags/s/cancs. This last (348.31 ff) seems to make Phase 2 much more practical!

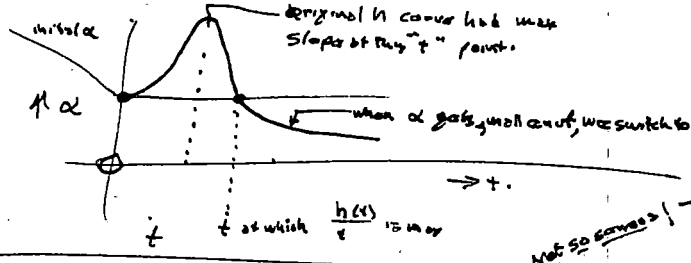
.03 Indeed, it is (possible/likely) that when we are working on a problem & have not succeeded by time t, that there is a (relatively standard way) to modify the α of the current PST/problem par. One possible way:



other being would end the time to w.o. success



10 In Mug case, α increases (so no chance of frustration) until t = tmax. At which time it becomes the original α. For larger values of t, α ↓.



Maybe not so serious! After we reject this PST because of no soln up to Time Tmax (or even > Tmax), If we do ll updating, then the PST's that are "very similar" to it once just discarded will also be discarded.

ABCDabcde 1234567890

20 The discussion of .03 ff. does not consider modification of α of PST's that are similar "to the one being worked on. This is a serious Criticism of it. Does this criticism apply to 348.31 ff as well? I would guess not, since the α's of all PST's would change continuously with the new date, t.

On the 348.20 corpus: how to deal with it: how to get "good O's"! To start off, use Phase 1 induction — which isn't so Bad! (It's just not "T. Bear"). Phase 2 induction looks for past regularities in solns of "similar problems" since all of the O' discovery problems are, indeed, similar in simple ways, this could be a "not bad" (i.e., acceptable) preliminary soln, to get to Phase 2.

.29 SN I had the idea that the soln to MTM (d-functs) was formally identical to soln of NMTM (s-functs)
30 Now, it seems that s-functs are a lot more complex! — Is this true? It may be that the reason I expected much difference in solns was that the [O'] were a set of s-functions, rather than d-functs ← (which is what I was thinking about when I wrote about identical solns of MTM & NMTM). — But, superficially, that shouldn't make any difference! Any d-funct is a typed s-funct. Is it dangerous for that d-funct to be partial recursive? i.e. have no output for certain inputs)? Look back on my recent work on this; I got the idea that somehow, the 2 methods were not equiv! See 317.29

.40 (317.31R) HH! I think I understand how ZTU differs from STU: Both are universal D.F.S but

See 349.00

WON in Phase 2 need not be a one-time shot! (.31)

00 : 347.40 : "Good cases for Phase 2" includes many "basic", "connecting" cases — so that the kind of cases is not only "universal", but it is "usefully universal" ← (whatever that means!) (Maybe that's a complete sub-set of cases w. reasonably hy pc.)

I can't get Phase 1 to solve induction probs over a great variety of domains, but the domains of Phase 2 update seems "special", different from (Most?) all other (similar?) domains.

→ It has to do w. guessing the appropriateness of PSTs for solving probs.

.07 [Well, so I got this set of psts and experience using them for Env & 02 probs.
.05 I/O Simply blurted Lsrch to find PST's for 02 & INV probs
? → Unfortunately, solving QA probs in Phase 1 doesn't seem to give a useful response for
10 Phase 2 updates!] ? ← This (is) seems to be only one PST.

Well, I could try solving QA using a set of 02 solvers — As it it were a normal 02 problem! [superficially, the usual Phase 1 method of induction would not be included, since it takes advantage of special properties of the search for induction Models.] Anyway, Looking for regs in a corpus is a PST that seems much different from the usual Lsrch in Phase 1 (the in "usual Lsrch for QA, we do (as part of Adaptive Lsrch) look for regs in the corpus: but is not sure it's the same "corpus".

ABCD12345678910 "

Perhaps it would be best to get to phase 2, in which pure Lsrch is used for 02 & INV problems. Getting lots of PST's for various kinds of 02 probs would be helpful in getting to Phase 2 update (Eliza)

20 → Note that Lsrch for O^2 w. $[PST_k, Prob_\ell, t_{end,k,\ell}]$ corpus would be of little value unless the reference Universal d.f. had been updated w. suitable cases!

Even if Phase 1 were v.g. at 02 in general, it's not clear that it would be any good at finding regs such as are needed for .20! Perhaps if .20 was a "V.G. corpus", the regs would be more clearly visible!

→ Certainly a First, most difficult part, would be to get a good corpus for .20 : this involves many PST's, many problems, many PST's solving many of the problems (& presumably not doing so well on others).

Next (perhaps) would be corrections of various features of the PST's & Probs & of "t"'s
30 The PST's will, presumably, be in factored form. The problems may not be in factored form.
.31 SN Ideally, "Hopefully"; when we got a good O^2 for a corpus, there are continuous parameters of O^2 that are a function of continuous params (among other things) of the $[PST_j, Prob_j, t_{ij}]$ corpus. In particular, if we have a O^2 for a corpus, and we add a new triplet of data for the corpus, & usually, to reoptimize O^2, we will not make a new determination, but will simply modify continuous parameters of O^2. This would make Parallel updating during "WON search" not very time consuming at all. In fact, it may be possible to not put =

=page 349.00

9.14.03
for
3TM
SPEC

.00: 346.40 : perhaps t. kind of reasoning used in probs like Miss & Cannibals, would be useful:

Also, The Logical reasoning in Th. Robot Program Prover of Simon's Newell's Logical Theorist (LT)

T. pgm. GPS has been Generalized somewhat; so I could see just what useful things it could do. One Generaln of GPS used Macros, Rather would use a combination to achieve "Subgoals" — See KORF "Learning to solve Probs by searching for Macros".

Devising "Subgoals" is easier for TM in one way than for a Human, because in many areas of Math, a subgoal (critical lemmas) can be rapidly tested by TM w. random (trials, examples), rather quickly.

The first problem is first: Is it INV or OZ? If INV, we work it By GPS (Vector Gen), How to devise t. Gen is a subgoal, but criteria for it are unclear).

.10 If it is OZ, there is only 1 goal. I think I'd want to further categorize t. problem:

Discrete or continuous: Pure continuous or Discrete + continuous (i.e. find functional form, then optz. continuous params).

I think t. main problem is discrete params. So study how I solve such problems.

Anyway: From pure statistics (no "reasoning") we look at success/failures of various PST's w. various problems. We look for features of PST's & Probs that are useful to best make HCJ curves.

When TM can "reason" statistical methods are mixed w. reasoning" — but I don't know just how.

9.15.03 Basicly, t. way I expected TM to work: It would start out in phase 1 w. QATM,

.19 t. learn enuf of t. right Concs, so it could do $[PST_k][prob_Q]^{t_{kQ}} \rightarrow O^i$; $O^i(PST_r, Prob_s) \rightarrow \hat{h}_{rs}(t)$

.20 In order to do use "Parallel" updating, TM must be able to find O^i's rapidly modify O^i's rapidly when a single (single) (PST_k, $Prob_Q$, t_{kQ}) changes, otherwise, TM will have tried all th. "similar" cands (that it should have rejected) before t. O^i changes enuf to reject them.

Would it be possl. to use GA rather early, to find O^i's for QA, ... but more important, for Update (like .19R)? Actually, what I had in mind originally wasn't much difnt from GA. I had all the old cands (t. "population") of O^i's & their assoc. Concs (= "fitness function")s. From this set I would produce new trial O^i's. — Thus, I expected to use this General form for updating QATM (Phase 1)

.30 It would seem like a good idea to have TM start working on t. update problem using update data, as soon as possl. (presumably update data is more relevant to update, than QA data & QA solns is). — But we need to have a good set of Concs to start out with — before Update induction can "Get off t. Gnd."

It would be good if I had some ideas on what update induction consisted of — What Concs it could use/need, so I could properly orient t. Phase 1 training.

Two purposes for Phase 1: ① Get good Concs for Phase 2 ② Trainer has to learn how to write TSQ's.

349.00

03TM

00: : Perhaps study properties of integers: sum of products of ints. — quotient sometimes.
3÷0 is meaningless — No "value" is assignable

So teach ability solve problems/eqns in which solns are integers, ($\frac{8}{3}$ is meaning less)
Introduce fractions, Then / More kinds of eqns / are solvable
So teach how to solve them.
Maybe start w pos. integers, Then to integers Then fractions:
Or fractions before non integers. (Can maybe do both ways!)
.07 In each case, give eqns to solve.

SN Consider H. Freudenthal's "Lincos": How to teach extra terrestrials about Earth, about our language
Would it be useful to read This Before trying to teach STUFF to TM? — Presumed by ET's
10 know a lot more than TM (to start). I do have a copy: but can't find it.

Re: .00 - .07: At the end of this TSQ I would I be able to start English lang? There are various "facts" TM could know: Say "inequalities". Is $3 > 0$? This English "could be concerned w "present tense" only.

Is "$3x+7=3$ an equation"? ← Is this a useful Q? Would the concept "equation" be useful to TM? It might be useful for analogy. It has several properties: (1) possible literals. Possible solvability of some literals in terms of others or in terms of constants.

.20 It seems quite possl. to continue .00 - .07 easily, by introducing new operations, functions. e.g. After all linear eqns are solvable, introduce $\sqrt{\ }$ operator. Next, perhaps, complex nos. From this, it would seem that fairly complex problems could be solvable. Introducing $\sqrt[3]{\ }$ could give solns to cubic eqns using the "invertable substitution" heuristic

From linear eqns, instead of quadratic eqns, one could solve simult. linear eqns,
I could, perhaps, draw a tree graph, showing various alternative paths of cons, & problem solns. Find.

I could avoid the difficulties of intract. comp., by restricting TM to literal eq. solns.

9.14.03 2 Impt Goals (1) English (2) Phase 2:

30 For phase 2, Fitting Pgm a_2, a_1, a_0 params to hC) — or rather optimizing in a continuous space, is probly not hard. The problem is for TM to be able to look at a [PST, prob] set and have a good deal of "understanding" of the relation of pst, prob features to be able to devise a good OS for that kind of corpus. — to get access $h_{a_2}(t)$ (for invs probs) kinds of Reasoning useful for this induction problem! Categorizations of PST's, i.e. probs. Some can correlate "types" of PST's w. Types of probs w.r.t. expected Soln. times. ("a" vs a_2).
If all TM knew is these categories, then if one pst in a class, fails to solve a problem, we may want to discard all of the psts in that class.

Space 3 47.00 →

03 TH

5:48 32 hours on DVD. 5:24: "Hyper" is slowing down.

5:59 1172 steps

.00 (Space 3:44:40): Perhaps it would not need "logical reasoning": But statistical reasoning would be good enough" — Maybe more than adequate! Is logical reasoning (d-functs) really a subclass of statistical reasoning (S-functs)? If maybe that d-functs can count "does to ∞ more easily! I usual S-functs that TM uses do not ever get p=0 or p=1, because of "universality" The result is that $\varepsilon(1)^{\infty}=1$ but $(1+\varepsilon)^{\infty}=0$. So Reasons about ∞ ("All") could be quite different btwn d-functs & (universal) S-functs.

As I said it, present systems to do integration by "know plug" and just learn a set of heuristics & set loose on problems. Any difficulties fixed up by A.H. adjustments.

How to work this into a TSA is not Clear!

.09 — Maybe try "ordering" the heuristics in the sense of which heuristics need what other heuristics — so a "partial ordering".

10 This would help ~~enhance~~ in writing a TSA.

The ordering of .09 is distant from the partial ordering obtained by having common concepts (or actually using a pronoun, heuristic as part of the code for a new heuristic ←?).

Actually, I think that ~~what I had~~ what I had in mind was to give TM 6 heuristics needed to do much of symbolic integration problems. Then I help "factor" the heuristics, so TM can "make a Grammar, ~~[illegible]~~ → a P.S. over them. Actually, what are in effect "integration" pgms are not ready heuristics, but rather PST's.

ABCDE
Aabcdefg
hijklmnop
DABCDEF
Gabcdef

20 What's really needed: to graph & a set of PST's for integration: To factor them (by hand). Try to figure out a way that the PST's & their component concepts/heuristics could be learned, or "cobbled in". We want to end up w. a system that will not only be able to integrate, but able to discover/learn new/better ways to integrate! (possibly including the invention/definition of new functions that would permit the "closed form" integration of many new functions.)

Is there a Book on how to do integration? Normally a Calculus book will have only a few tricks: like integration by parts. I do have a book w ~ 30 pp on integration. Substitution of vars, & int by parts are ~~one~~ main tricks. Some special tricks:

30 all rational functions are integrable by expressing them in certain simple forms.

The Olde alternate problem: Elementary Algebra because "texts" for humans have been written. Instead of spending much time on as elementary a problem of function evaluation, Assume that this is "primitive knowledge"

In elementary algebra, the test Q's (like "is x the no. even or odd? Is it an integer, is it rational? Is it algebraic? These concepts are sometimes useful, but infrequently.

Suppose we want TM to learn to find: $x \Rightarrow x+1=7$.

If he has some experience w. integers, he knows x must be an integer, so try 0, ±1, ±2, ...

3.11.03

3TM

: While the meanings of Numerically Solve ($x^3+3x-15$, x)
and Symbolicly Integrate ($7x^2+\sin 3x$, x) etc. are clear,
It's not clear how to teach TM what a "vector" is - or an "equation" : These meanings
→ should depend on how I want to use them, & how I expect TM to use those concepts.
So I'll have this seq. of "Milestone" problems, that I have my own codes. (used to solve
them. One Gnc. I use is "value" (341.37), Also this I Ginsburg hour: (342.00)

I may be able to write TSQs to do symbolic integration as well as Numerical &
literal solns of eqns; & dif. eqns. (ordinary & partial)
To trn to do these things (even very well ") I'm not sure it would understand much about algebra, or
what numbers were. Would I be able to teach it much english based on its knowledge of
these Domains?

So in Phase I I will have 2 kinds of trngs: ① definitions of strings, macros,
or whatever a/o functional subtrees. ② Contexts.
Context seems very general. I.e. pc of a Token can be any ... c. tract. of the stated
System & any "Environmental" info (like "This is a Geometry problem"; "This problem
was given to me by Joe"; "The CB is rather small for a problem of this type" : The previous
sequence of problems were mainly in linear Algebra (recency context)).

[Very often, context data like the above, would have too small SSZ to be defined.
Only by using "logical reasoning", one mite be able to pool info from disparate contexts.

BIG Q! Say I was able to write a TSQ for TM that trnd to do symbolic Integration:
as well as & Better, than current pgms (Macsyma, Maple, Mathematica).
AND, it was able to go beyond & Learn to do new integrals ty ... defining (and suitably Naming)
new interesting functions. Could I get it to do other areas of Math:
e.g. could it trn to solve eqns easily? Could it trn to work on Riemann Hyp.?
Or would it be necy to give an any TSQ to teach it elementary Algebra?
Could I teach it enuf Physics for it to usefully look for a model for "Cold fusion"
(or any other anomalous (or useful) phenomena? Could I get it to
recognize when it had found something Useful?

.31 : 342.03 SR Re: Ginsburg Hours (342.00) : ~ Hours: Define idea of "vector" then treat sets of
objects like single objects (x-ing them etc.) to solve eqns & to solve other kinds of problems.
Other ~ hours: "Duality" (Gauss) if a set of objects, satisfys the axioms of a diff't
set of objects₂, then all theorems above (1) have corresponding theorems about (2).
Would a useful "Integrator" be possl. w.o. any understanding of Elementary Algebra? ?
Probably it would be able to do "Logical Reasoning" (343.23), → (345.00 spec)

3 TM

00 : After our more several "successful" functions that solve mistakes, Parent "context" discovery, becomes well defined: We just look at each of the tokens in each of the functions
is easy to find contexts of tokens; (sequences of tokens) that make certain
.03 tokens (reserved words) likely. There are, however, many other kinds of contexts. By watching myself
work problems & problems in the TSQ, I should be able to propose various kinds
of context.

"boosts" in OOP's (& its genius) is an important kind of Context.
Also the Recognition functions "R" in §1 of "TS Report" is another
10 class of Contexts.

The context of .00 now is a "looking Backward" model. It tries to get a
P.D. for each token based on the tokens "preceding" it in the function tree that it is the "root of".
I'm thinking of a "functional language" like Lisp ..... For the function language in OOPS,
Context this kind of context is different! It is the state of the entire system when
the Token in Question was introduced.

Actually, this is true in Lisp also: Since instructions often have "side effects"
that modify meanings of functions. Tho all system states must be built about by previous
tokens (= "code"), it may be better to regard "context" as system states:
20 code can cancel system states.

FOR The Ruff Outline of TS Construction of 342.26 ff, considerations of "kind of
Reference in a chain" should be irrelevant! (?).

.23 A possible trouble: In my thinking about my own problem solving, I often (may be
almost always) use some "logical reasoning". I have to either teach that to TM or put
some of it in as "primatives".

I may want to use something like the notation of Maple (or Mathematica or MathCad)
— But users vary specific & almost always unambiguous
30 The language history Macsyma → Maple → Mathematica This last may be a more integrated system,
since it was directed by one person for its early history & it had some benefit of
the earlier systems. I do have a Big Macintosh Mathematica.

On the other hand, Franz Lisp (or "Scheme") & perhaps not many built-in concepts
of the kind I want to TM to "learn" the meanings of.
The short "book" "A Tour of Mathematica" lists various things it does. Some of them, it would
be useful for TM to learn & how to use to explore; like solving Eqns. & integrating.

3.10.03

3TM

Fix Bathroom Clock 6 volts?

00:341.40 : (2) T. Einstein heuristic: To solve equs (& perhaps other problems) write t. expression to be solved for w. "x" as t. unknown object. Transfer t. equ in ways that would be legal if you knew what x was. Do this until it's clear that what t. soln. is, or that there is no soln, or

.03 many solns. → (344.31)

Consider Classic A.I. probs & solns written for them. They are usually search procedures, Heuristics are ways to narrow down t. srch.

One kind of TSQ: use a popular text book and see what t student has to know in order to work each problem. Quantify just how much additional "know how" t. student needs

10 for each problem. If that knowledge is learnable, find ways to "teach" by examples, by Minimal "hints". Compute CJS for each knowledge increment. — (w.o. training/Img) See if the CJS seems to ↑ as we move along t. (Macro) TSQ. Even if its largest, if it doesn't ↑, then it may be usable! — Humans may have very large IPC. Info proc capacity.

.15 Say for Elementary Algebra: draw up sequence of human-type problems & see how it deviates from a decent TSQ. Then see if I can find stuff to

.18 augment it so it is an acceptable TSQ

At a very elementary level, there are problems in foundations of

20 Math. Analysis via LISP may help here.

We might use LISP to tell the machine "what t. problem is". T. machine could have an understanding of Lisp; enough so that any problem could be presented to t. machine.

.26 For .16–.18 Get the Milestones. Estimate CJS Distances (but in Bits or powers of 2 or 10 since its logarithmic) Then fill in before t. Big Milestones to get smaller CJS's .... Moores law is ~ 1 bit/yr. (BJS) (binary ... log₂ (CJS))

BCJ Def: on BCJ [Binary Conceptual Jump]

30 First run: writing each "Milestone" soln. indep. simply: Get / BCJ's (very large). Get BCJ's when Milestone solns are to use common Cores w. previous Milestones, At this point the BCJ's of t. milestones should be ≈ (comparable) but probably well beyond achievability, — Also maybe BCJ's may ↑ w. each milestone because of "Scaling" effect.

To Get t. BCJ's to be comparable, we probably need [Contexts] to ↑ pc's of insts

3TM

.00 : An ~~impt~~ Very impt idea in reasoning is GPS: The "Vector Gore". To lrn to solve a DVV problem, first lrn to design Vector Gores; ~~....~~ Seems related to "Multi-Objective Optzn" — but I'm not so sure it is. In GPS, we have to get all vector components to zero. In Multi Obj Optzn, it seems quite diffnt. Tho, at a given point in GPS, we may have to decide if one trial is Better than ~~....~~ another in a scalar sense.

Consider classical heuristic ~~....~~ probsolving: (Maybe look at old AI Encyc). With a given set of heurs, one can solve a certain set (sometimes a limited set) of problems. Can one make a Grammar, a p.d. over most of the heurs & see if we can find a way (a TSQ) to teach those heurs? Better, would be to find a set of problems initially not oriented toward the heurs, but for which the heurs were appropriate } Meaning What?

.10

Re: [PST_i] set of PST's: I could use a Grammar for a set of human PST's in sorted by User! Each PST could be wtd by ssz! — to give val/importance "apriori" (casecount = no. of times it's been used)

~~Later they could be~~ Maybe wts could be modified by empirical success/failure of the PSTs. The ~~....~~ Unconditional pc of [PST_i] are used when we have little experience mapping problems to appropriate PST's. Later TM will learn to find "h( )" functs for each problem, pst pair.

Given a c(S) Grammar (or any constructive Grammar w. definable PC parameter)

~~....~~ To (stretch / adjust / optimize) the PC params to the corpus: Parse the corpus with an unprobablized Grammar, (Like rules, say) Use the freq. of use of each choice to get values of pcs.

Parsing can be done via Matrix or a possibly simpler way.

Parsing for General ~~....~~ (Generative) Grammar using UMC, & ~~....~~ pcs for umc "table" ~~....~~ may be diff to parse!

[SN] In Many Domains (Maybe MOST) parsing the corpus is not a problem / The Corpus has already been parsed & the problem is to define new combinations of Old concepts

A few TSQ ~~....~~ Writing Methods:

1) Forward 2) Backward 3) Known AI projects w. heurs: Feed the heurs & get TM to build grammar. This is perhaps very ≈ to (2): Also ≈ to idea of Trainer factoring set of PSTs & having TM make Grammar.

.30 [3.10.03] 4) Mix of 1) & 2): Write TSQ from one "state of knowledge" (SOK) to another "SOK".

→ My impression is that normally TSQ writing employs all of the techniques used in 1) thru 4)
That there are a small no. of operations that are used in all TSQ design.

In General (writing TSQ's) & (Problems Solving by the trainer) are very similar:

Hvr, writing TSQ's is perhaps ~~....~~ best regarded as a "Not well defined problem".

.37:340.34 Consider writing TSQ's w. 2 (at least!) primatives: (1) Some expressions have "values" assoc w. them. In an expression that has a value, that value is invariant if any subexpression in it is replaced by its assoc. ~~....~~ value. [Is this discoverable? — I think it's always true]

9.6.03

03 TM Bipstc.tex) on world

/ Sent ~ 605

00 : ~~Dap~~ [illegible] Some features of Revision. 2.0

1) Better way of improving Update Process. ~~[illegible]~~ A technique is used that appears to be much superior to ~~[illegible]~~ Lsearch. pp ~~[illegible]~~ 14-18

2) ~~The method of using the~~ A ~~[illegible]~~ How to use information on failed trials for improving updating, pp. 15

~~3)~~ Two methods of realizing ~~[illegible]~~ probabilistic functions for optimization pp 18, 19

~~4)~~ 5) More ~~[illegible]~~ comparisons of Phase 1 with OOPS. ~~pp 22-24~~ (18, 19; 22-24) → also Section on state of Rsch.

~~5)~~ ⑥ The summary of ~~state of~~ ~~[illegible]~~ Rsch" is not v.g.

10 ~~4) Two forms of Probabilistic functions to enable [illegible] Induction stochastic [illegible]~~

Dear Jack!

Here is ~~[illegible]~~ Revision 2 of report. Main ~~[illegible]~~ new features.

1) Various corrections of Typos and some ~~[illegible]~~ expansions of explanations

2) Better way

20 : On writing TSQ's! One of early diffys seemed to be related to very ~~[illegible]~~ fundamental Q's about basis of Mathematics: ~~[illegible]~~ Position of symbols on input register! ⓑ Just what I wanted TM to learn/to do. It may be that ti present QA formalism can clarify this. ⓒ This diffy might have been repaired by using Lisp ~~[illegible]~~ "Quote" notation.

.24 Some random ideas on this! Write TSQ ~~[illegible]~~ w. rather large Milestones, using "large"

.25 Concs. & Contexts. Try to get idea of size of pc's of needed Concs, Contexts.

I had some diffy explaining the idea of "Value" of an express. Is this still a problem. "Value" seemed to be an impt. idea — That it could (partly) be defined recursively. Re: .24-.25: Would that work on solving eqns; discovering ~~[illegible]~~ laws of Alg; solving (many quad, cubic eqns, be useful)

.30 A TSQ to solve linear, then non-linear eqns without too bad; i. have to go ~~from~~ to Quadratic to Cubic could be just again. How that it uses ~~[illegible]~~ to other problems as well.

.34 → "Value" is assoc w. some strings, but not all strings. (See 341.37)

I think that I felt the idea of "Value" was essential in understanding Algebra — But ~~[illegible]~~ actually, TM could solve eqns w.o. having that aspect of understanding Algebra. Perhaps it would be easier for TM to pick up the ~~[illegible]~~ "Value" idea later from maybe Analogic Reasoning.

Recogn

: Contexts are of 2 kinds (at least (2)) : OR functs : which are d-funcs :

(1) Most contexts are S functs. So in working on d-induction, we will want to use S-functs for Context Cat (least).

It is of interest that these contexts will, as "S-functs" have a certain "Bernoulli" flavor..... i.e. We will notice a certain context (which is a d-categorization), & then we will correlate that context w. various Token uses — & "correln" is ≈ Bernoullish.

At first the no. of tokens will be small, but eventually, there will become enormous no. of them.

A General S-funct, which would be able to take as input, & determine "The Current Context" (which can be any poss/. context) & has as output a p.d. on current (& possibly newly invented) tokens, or it could have an array sequence of tokens as output — & assign pc's to all poss/. sequences of output tokens

SN Note my rather General approach to "Phase I" ; related to my ideas about General "G/A". Main idea was how to get from one "systems state" to a better "System State".

Perhaps: For each type of problem (category, context) the "no." (or entropy) of poss/. solns must be kept down to certain level, or those probs can't be solved.

Review the 2 main ideas on Phase I : (a) TSP w. context (a la Gruenberger)

(b) The "GA" idea of modifying the "gene" pool successful "Macrostates".

... context ideas of .01 - .10 need clarifn!

Footnote for § 3.1 : Page ref??

\footnote{The sophisticated statistician will note that while the solution to any optimization problem is invariant if the utility function G is modified by a monotonic, possibly non-linear, transformation — that the value of X in maximizing (11) will not always be invariant under such a transformation.

Equation (11) is correct only if the utility function, G^*, is "linear", i.e. the utility of $G^*G(x)^P$ with probability 1, is the same as the utility of $G(x)/p$ with probability p.

If G^* is not linear, and no equivalent information is available, then, while the solution to the optimization problem is "well defined", the solution to the "strategy optimization" problem is not well defined.

Fortunately, several important utility functions, such as time, and money are linear or linearizable.}

9.4.03
3PM

Work on Res later.

00:337 : → Models of Abstract: the system does not start w. Series prob — it starts w. QA induction.

To start off, the machine learns a particularly general kind of induction: — Given a sequence of question answer pairs, it must extrapolate an answer to a new question. The questions and answers can be strings and/or numbers, so this particular model covers very many kinds of learning problems.

---

in section 1.1 (early + Nov) I do d-induction! In this case getting pc's of models — ~~of the~~ — the non shortest codes will usually be much longer than the shortest code.

The use of alternate codes for backtracking is impt, here.

The section 1.2 on updating w. R functions has to be proofread.

Re: The footnote on p8 about "that is "large enough" — Possibly augment F.N. w. part of letter to D of [27 Nov 02.]

So: done thru § 2.1. Start § 2.2

Rect. distribn.
(SN) Rect distribu, w $\sigma^2=0$ are N.G. They give zero prob for cases when $t < \mu - 6$. also failure for $t > \mu + 6$ are given prob of ϕ.
Also the other 2 d.f.'s may not be good — The tails on them are very narrow
So very small pc's assoc w. data for them! — worry!

[SN] Would I now be able to read Lewis's "All" properly? — also be able to read his Book w. its interpolating reinterpret, properly? — Mainly uses his listed hours.
Also, it probably does record facility than no. of hours.

An Immediate Approach!

1) Write/Bibl./review of recent impt. ideas.

2) Draw up tsq for [Phase 1] a) First, do it w.o. contexts .... CJS's can be quite large, but only due to spurious large costs of concs used. Perhaps Peter Bungener already did that!
Actually it's not clear as to how feasible it is to do tsq (w.o. context) gives them each context.
It's more reasonable to do them simultly (concurrently), so I'm sure an adequate context is possbl, before I continue the tsq development in "that direction".

3) One (perhaps reasonable) way! Write up a TSQ for Humans, that seems "Humanly reasonable". This "TSQ" will be BIG concs: I then must find ways to factor a/o "contextify" them adequately.

4) Note that the R functions (Recognition functions) of § 1 of the report, are a variety of Context. Some functions automatically choose their contexts by only accepting a certain "domain" of input values. A may want to integrate these kinds of "Context".

Re Burna: Anth. Prin
SU 2003
S Symposium

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~~338~~
337 2/3

4 Probability distributions on Probability Distributions: How to realize Universal Distributions on probability distributions.

5 ~~4~~ Training Sequences: How to design a sequence of problems to train the system. ~~The input information for training the system: How to~~

6 ~~5~~ Efficiency of the system

6.1 ~~5.1~~ Updating: How much time to spend on ~~updating~~ updating.

6.2 ~~5.2~~ Ultimate limits of the system: An argument ~~An argument that the system can become~~ that there maybe no upper limit on performance of the system.

~~6.3 5.3~~ Genetic Programming: ~~How Genetic Programming and the present system~~ ~~Compare~~ Relation of Genetic Programming to present System

7 ~~6.~~ Related work ———— (perhaps Genetic Prog. Should be in here!)

7.1 ~~6.1~~ Relation to Lenat's CYC

7.2 ~~6.2~~ Relation to Schmidhuber's OOPS

~~7.3 Would cause to many long problem (But still want to find section 6.3) (E1 ... After eq. 2.1 This is only way to that section)~~

8 ~~7.~~ Summary: What has been done, what needs to be done.

I can have more extended titles in the sections themselves! — so no difficulty in T.O.C. pgm.

How to design a sequence of problems to train the system

"Contexts"

.00:336.401 difficulty can be dealt with by discovery of "contexts" (Section 1.3). The discovery of contexts must be integrated with training sequence design.

(#6 (cont.))

[SN] 1) The new section is all on TSQ's! Perhaps the whole discussion should be in the section on TSQ's!

2) Discuss the normal of root par problem because of ↑ in no. of concs. As no. of probs ↑ → ∞, the need not converge to a constant! — "Context" considerations prevent divergence. Give Generalized defn. of Context, as anything that modifies the pc of introduction of a "token" at a particular pt. in Generating a cond. A context defn is legit iff it is root of corpus (maybe see OSL "exception")

337 (3) Sunday

[SN] Write to Marcus re: Dynamic MDL: I would think that anyone smart enough to discover Dynamic MDL would immediately translate to the Univl. Dist., which takes care of this in a very natural way. Hvr., the idea of 2 part codes (= scientific laws + prodn using those laws) is very deeply ingrained in the sci community. Even normally very intelligent people like Wallace & Gell-Mann are unable to transcend this bias. Perhaps only younger scientists like yourself will be able to deal w. this.

Contents:

9.3.03

3TM

337 1/3 } 337 2/3 } exist

"Contexts"

.00:336.401| difficulty can be dealt with by discovery of "contexts" (Section 1.3). The discovery of contexts must be ~~...~~ integrated ~~...~~ with training sequence design.

(SN) 1) ~~Perhaps~~ This new section is all on TSQ's! Perhaps this whole discussion should be in the section on TSQ's!

2) Discuss the survival of recent ~~pa~~ problem because of ↑ in no. of concs. As no. of probs ↑ ~~...~~ → ∞, this need not converge to a constant! — "Context considerations" prevent divergence. ~~...~~ Give Generalized def. of context, as anything that modifies the ~~...~~ pc of introduction of a "token" ~~at particular~~ PS. in Generating a conc. A context defining logic ~~as~~ is the root of corpus (maybe see OSL "exception")

[SN] Write to Marcus: Re: "Dynamic MDL" I would think that anyone smart enough to discover Dynamic MDL would immediately transition to the Univ. Dist., which ~~...~~ takes care of this in a very natural way. Hvr. the idea of 2 part codes (= scientific laws + predn using those laws) is very deeply ingrained in the sci. community. Even normally very intelligent people like Wallace & Gell-Mann are unable to ~~...~~ transcend this bias. Perhaps only younger scientists like yourself ~~would~~ will be able to deal w. this.

is relatively easy. Writing long training sequences that give the system great capabilities in many domains is more difficult

Comments on rereading, Abstract: "starts off by learning to solve Inv & OZ probs," — False! it starts w. QA probs.

I may say that I'll deal w. the "steady state" behavior of the system.

It says in Abst. that ~~a~~ Beginning TSQ's for L system are easy to write because of ~~CJS~~ availability of COS. — Not so easy!

Intro ~~...~~ QA Predn: "Functions that define classes of problems." This is done in §1, but it is actually a type of "Context"

" At first we will use simple Bern. prediction" — I don't see this being true! Lsearch is mentioned in Intro w.o. explaining what it is! (It is described in ~~...~~ Abstract)

3TM

The general theoretical framework of the system seems to be sound. The main unsolved problem is the design of a suitable training sequence [redacted] (Section 4.1.5).

.04 We expect that the training sequence and the set of concepts needed to deal with scaling

.05 will have to be developed concurrently.

In OOPS, we have a system that has solved a set of problems using Lsearch. Can we consider those problems to be the first steps in a training sequence?

.10 In early training we expect the conceptual jump sizes to be much smaller than the 10^{10} needed for the Tower of Hanoi. We regard the Tower of Hanoi problem solved by OOPS to be a very difficult problem — to be solved much later in the training sequence.

While OOPS did show useful transfer of learning from an earlier problem, the training sequence was much too short to exhibit the scaling difficulties of section 1.3, and in its present form, it has no means to deal with scaling of this sort.

.60 [redacted] insert .04-.5"

.22 \Section{ State of Research: what has been done and what needs to be done } ← Also the last Section.

This report outlines the workings of the Alpha system and gives some mathematical details of its operation. At present, it appears that the Theoretic foundation of the system Alpha is sound. The main immediate problem is the design of a suitable training sequence for it.

OOPS is a program that has solved a set of problems using Lsearch.

.80 Could we not use those problems as the first steps of a training sequence?

.90 The main value of OOPS has been in showing how Lsearch could be used to solve difficult problems, and that it could use information from earlier problems to try increasingly difficult problems. It is relatively easy to write short training sequences that don't go any more.

It is not clear how the two sets of problems solved by OOPS could be continued to solve problems of increasing difficulty. We expect to start our training sequence with very easy problems: the C.J.S. will not exceed 10^6 — much smaller than the 10^{10} needed for OOPS to solve the Tower of Hanoi.

A key scaling problem that dealt with in OOPS, is the problem of "scaling", in which the time needed to solve a problem is multiplied by a sizable factor for each new problem. We expect that this problem

→337.00

.00 The general theoretical framework of the system seems to be sound. The main unsolved problem is the design of a suitable training sequence [redacted] (Section 4.4.3.5).

.04 We expect that the training sequence and the set of concepts needed to deal with scaling

.05 will have to be developed concurrently.

In OOPS, we have a system that has solved a set of problems using Lsearch. Can we consider those problems to be the first steps in a training sequence?

10 In any training we expect the conceptual jump sizes to be much smaller than the 10^{10} needed for the Tower of Hanoi. We could consider the Tower of Hanoi problem solved by OOPS to be a very difficult problem — to be solved much later in the training sequence.

While OOPS did show useful transfer of learning from an earlier problem, the training sequence was much too short to exhibit the scaling difficulties of section 1.3, and in its present form, it has no means to deal with scaling of this sort.

20 → to start .04-.05

.22 \Section 5 State of Research: What has been done and what needs to be done\ ← Make this a new section.

#6 This report outlines the workings of the Alpha system and gives some mathematical details of its operation. At present, it appears that the theoretical foundation of the system Alpha is sound. The main immediate problem is the design of a suitable training sequence for it.

OOPS is a program that has solved a set of problems using Lsearch.

Could we not use those problems as the first steps of a training sequence?

30 The main value of OOPS has been in showing how Lsearch could be used to solve difficult problems, and that it could use information from earlier problems to try to solve difficult problems, and that it could use information from earlier problems to improve solutions of later problems.

It is not clear how the two sets of problems solved could be continued to solve problems of increasing difficulty. We expect to start our training sequence with very easy problems: the C.T.S should not exceed 10^6 — much smaller than the 10^{10} needed for OOPS to solve the Tower of Hanoi.

It is relatively easy to write short training sequences that don't go any more by OOPS

A very serious problem that must be dealt with in OOPS, is the problem of "scaling", in which the time needed to solve a problem is multiplied by a sizable factor for each new problem. We expect that this problem

→337.00

9.3.03

3TM

00 "Roadmap" 324.01–.30 first attempt at expo
327.10 second attempt at expo

One Approach: To write what I actually have to do: for my own use: Then simplify it so that others can follow it:

.04 So: First thing is QATM: d: induction: devise t.s.Q: Assoc. w. this are: design of Reference Computer & primitive set of insts. First design comes in Conc. rich — then find contexts to make [illegible] cjs's accessable. This involves designing a language to deal. contexts.

Next s-induction, again design TSQ: A good representation of s-functs is needed: 3IO is o.k., but other methods are heuristically useful (i.e. impt.) [illegible] List various s funct representations, & situations in which they are best used. [illegible] All of these should be available for OOPS option.

After many problems have been solved, we have a set of PSTs & empirical data on how good they were for various problems. We are able to using improved updating methods of § 2.1 & § 2.1.

The set of PST's can be regarded as a language & our system has to extrapolate this language by [illegible] devising a s.grammar for it. Ideally, we would give the machine TSQ's to train it to do this.

Another way to speed up the system's acquisition of a good Grammar for PST's, is give it a set of PST's that the trainer feels are very good. To more easily facilitate the systems' making a s-grammar for this set of PSTs — The trainer "factors" the set of PST's ~~to some extent. The factory [illegible]~~ into a set of concepts that can be combined. The system can be "given" the factors, in the form of augmentation of the existing set of instructions, by functions or operators or subroutines that correspond to these "factor" concepts. Another way (perhaps resulting in a more intelligent system) devises a TSQ leading to the acquisition of each of the factors.

If the system acquires the factors this way, it is better [illegible] able to understand how to use them — how to combine them.

To do .04, it's usually best to design the TSQ, then choose a set of primitive instructions that best facilitate that TSQ.

OOPS has shown that Lsch can be used to solve problems, but the set of problems it solved are quite different from what I'd consider to be a TSQ. The CJS's in OOPS were much larger than those that I'd normally consider. I expect the problems to be relatively close to one another

DO : 331.40 (Spec) : In 331.30ff: It would seem that in the norm course of doing a TSQ (TM's), it would consolidate its info, by expressing all of its PST's as a stochastic ... i.e. "Grammar". (IS 331.40 — ?? Relevant? — it would seem not to be). To "first order" we make a grammar of useful PST's only. The Grammar does not tell how useful or for what problems we should use what PST. So just a PST Grammar ... No "G" assignment. Tho, because it is a Grammar based on positive instances only, it must be a stochastic Grammar. Good!

10 SN Nobes new report: (1) Maybe expand, 331.30-40, 334.00ff to "Roadmap" section.

(2) Expand comments on OOPS: (3) maximum $(\frac{n}{\ln n})^n$ factor: (there were ~11 iterations to Towers of Hanoi soln.)

.12 (3) A critical aspect of the system [illegible] is its ability to "edit" old programs — break them up and reassemble the parts to make new promising trials. In the present system there are only a few such "editing" instructions, and only one, bcopy, has been shown to be useful. The editing facility of the system will have to be significantly expanded (#5 insertion 1.2) Certainly many more editing instructions will have to be added. Ideally, the system will learn how to use them. While OOPS does have facilities for "noticing" that certain instructions have been more useful than others, and has facilities for doing macros, it is not yet clear as to how the system would be able to use those facilities to learn to do useful editing.

.20

.22

Perhaps ~~quote~~ J on use of "copy editing". That this is critical, yet the present system has to be much augmented before it could do that.

(4) The OOPS maximum that it only solves INV probs. It can solve OZ probs to some extent by a simple trick, but any INV prob. solver can use that trick — (it's not a v.g. trick!). OOPS can be formally modified to more inductive problems. More emphasis needed for OZ probs.

30 The .12 — .22 isn't terribly relevant to Alpha, insofar as anyway — Criticism of other work is an important part of papers.

9.2.03
3 TM

Rav

.00 : This will be a Biblio listing of impt. ideas:

1) S-functs. (324.33-.40 - kinds of) : (333.00ff Expo on S funcs for Report)

2) List i refs to impt. ideas that "needed more work" 511 or 513?

.05 3) 2 impt "Breakthrus" ⓐ A way of understanding just what is being looked for in the O^z of QATM.
— specifically, what info is being used to order the O^z trials. (see 327.21 for Biblio ref) ≈ (322.31 – 323.18)
ⓑ That Generating the set of useful PST's is an induction problem about (denotes) to the kinds of probs one solves w. TSQ's. (325.06 – .40)

.09 3a) is impt. partly because it clarifys role of (Context) so we can quantify it. → Also note 325.28 on General Context.

10

00 Section: Probability Distributions on Probability distributions

In the QA induction of section 1, we look for probability distributions, $O^i(A|Q)$ such that eq(2.1) is maximum.

If the induction problem is deterministic (only one possible A for each Q), then we need a probability distribution on deterministic functions, $O^i(Q) = A$. The language AZ (appendix A) describes a universal distribution of this sort, as does the FORTH-like language used by OOPS ( ). Equivalent to Juergen's Speed.

It is often possible to use languages of this kind for probabilistic induction as well. In sections 2.1 and 3.1 we use the probability distributions $h'(t)$ and $h'(G)$ for updating Inversion and Optimization problems. In both kinds of problems it is often reasonable to assume that $h'(\ )$ is a monomodal distribution.

For Inversion problems, $0 < t < \infty$, so the Gamma distribution,

$h'(t) = a x^r e^{-bt}$ is a reasonable domain approximation.

For Optimization problems, $-\infty < t < \infty$, so the Gaussian distribution,

$h'(G) = a e^{-\frac{(t-\mu)^2}{2\sigma^2}}$ is reasonable.

~~An even simpler approximation is the rectangular dist~~

20 The rectangular distribution is very simple and can be used for both Inversion and Optimization problems. It is defined by

$h'(x) = a$ if $\mu - \sigma \le x \le \mu + \sigma$.

otherwise, $h'(x) = 0$.

x may be t or G.

For Inversion problems, the figure of merit is α = max value of $h(t)/t$. In which case $\alpha = a\sigma/(\mu+\sigma)$

For Optimization problems the figure of merit is γ, (eq 9): and $\gamma = 2a\sigma$

30

330.20 — .22

329.02 — 329.25

9.2.03
3TM

331

333.15
REV/Index

00 : [SN] In the WON problem, we look for suitable h(t) ; h(G) functions, 9:45P 9:49P

As of now, I've been looking for h functions that most accurately describe the time t or G range of the (TSQ, problem). ~~The criterion is~~

This is not exactly the right criterion. All I want is to know which PST has the "best" h.

Perhaps all I want is a function that looks at a PST, prob. pair & gives a γ (for Inv.) or α value (Σ for OZ). ~~Gof~~ Gof for such a function? No. of errors in category in past? Minimum Mean sq. error in γ or α predn? Here we are mainly interested in finding PST's of [illegible] (near) best γ/α . .

0 The (possl.) advantage of looking for good h( ) functions, is that devising h( ) functions is a normal activity for the GCPD.

This (.00 ff) problem needs More Thot! : No time available just now!

T. Basic idea is that discovering/inventing PST's (Fi's) of hy α, γ, could be a more directly Solvable Optzn. problem. Finding the h(t)'s as intermediate step, maybe

.17 unnecessary, wasteful. Is 334.00 - 07 relevant?

The new section (332.00) on PD's on PD's :
Make the follow section 3 a (on OZ probs).

.20 [illegible] We add a new eq. after eq. 2, so eq 3→4, 4→5 etc.
I have to proof the whole thing, looking for eq. nos. to be changed, relabeled,

The next Big topic is the "Road Map" 327.10 "state of the system: what has been done, what needs to be done.

Refs: 327.10 — on how to do expo (Also note 324.00
324.00 - .18 ← intro.
324.19 - .30

322.31 : That the problem of ordering O^2 for search is ≡ GA problem of finding good Conds.

30 : : On long: extrapolating the set of PST's : We can start w. solns to probs that TM ~~[illegible]~~ has obtained thru normal Lsch, — using a lang. not particularly designed for general prob solving. We then could try to teach various PST's by suitable TSQs. The set of PST's obtained & the (unconditional) P.D. on them could be subject to Extrapoln (Genzn) & ~~[illegible]~~ ultimately could be used in the improved updating & search methods (prob solving) of WON.

This assumes we get a good set of PSTs by having TM (& the TSQ & the Trainer) work forward. An equally good way would be to design a PST grammar by "Working Backward", from known Good PST's — to ~~[illegible]~~ the factorization, & to continued/re-factorizations until a reasonable set of primitives is obtained.

→ 334.00

9.1.03
3PM

00 : 282.40 : ~~F~~ from 282.40: ~~γ or ... α~~ for Gaussian is natural, γ is for Gaussian, α is for Gamma

T. calcs at ~~20~~ 282.30–.40 for the α slope are wrong

we want $\frac{\int_0^t h'(t)\,dt}{t}$ to be max $\boxed{\frac{h(t)}{t} = \max}$

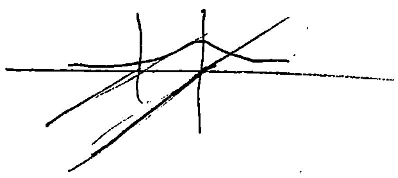
$\frac{h(t)}{t} = h'(t)$ If h' is Gaussian dist., it's not so simple. — Gamma distribution. $h(t)$ is inc. γ funct.

T. α value, which is max of $\frac{h(t)}{t}$; at which pt. $\frac{h(t)}{t} = h'(t)$

doesn't seem to be easy to calculate for $\boxed{h'(t) = a\,t^k e^{-bt}}$ $\boxed{a\,t^k e^{-bt}}$

$h(t)$ = inc. Gamma funct. See Bureau of standards for functions (eqns, etc.

10 for opt[?] problems, we want first moment of h'



$\int_{-\infty}^{+\infty} x\, e^{-\frac{(x-\mu)}{\sigma^2}}\,dx$ is easy,

$= \underbrace{\int (x-\mu)\, e^{\cdots}}_{0} + \int \mu\, e^{\cdots} = \mu \int e$

so it's $\sigma\mu^2$ [?] so it's $\boxed{\mu \text{ times the mean value of } G.}$

---

20 : ~~28~~ 328.40 In eq (. 8) we may set

$$O^2(G^{j,\ell}) = a\, e^{-\frac{(G^{j,\ell}-\mu)^2}{-\sigma^2}}$$

.22 in which a, μ and σ are all functions of $\tilde{G}_j$, t_j and F_ℓ. → 329.02) in text.

.24 : 328.28 In both kinds of problems, it is not unreasonable to assume both $h(t)$ and $h(G)$

.27 are monomodal distributions.

30

.00 ~~To capture~~ For eq( ) we want to find ~~a~~ three scalar functions of ( )

.01 such that ~~the~~ eq( ) is maximized

.02 ; 330.22 → The universal functions of A Z on of OOPS would be adequate for ~~RAM~~ finding suitable forms for these functions.

In many cases ~~we~~ we can assume $\sigma^2 = 0$, ~~and~~ which makes h^* ~~and~~ a ~~delta~~ δ function and simplifies our search for optimum μ and ~~delta~~.

delta

For more general inductive problems, we need a universal distribution on ~~probabilistic~~ distributions. One way to ~~describe~~ obtain such a distribution uses

10 a ~~three~~ three input universal machines. All three inputs are prefix sets.

The first input is a finite string that describes the function.

The second is a finite string, Q, the "question".

The third input is a random binary sequence.

For fixed S and Q, we have a machine with random input — inducing a probability distribution on the output, A — just as in the usual universal probability distribution.

In the present case however, the S and Q inputs may not define a universal distribution on the output.

The foregoing formalism describes a universal distribution over all possible probabilistic relations between Q and A. For every possible describable probability

20 distribution between Q and A, there exists at least one value of S that ~~describes~~ implements that distribution.

Tho it is possible to realize a ~~simple~~ simple device of the sort using ~~FORTH~~ AZ language, it is easier to implement using the FORTH like languages used in OOPS.

30 Line .00 - .01 need clarification.

In eq(8) we may say $G^{s,l}_{\tilde{c}_j, t_j, F_k}(a) = \frac{1}{\sqrt{2\pi}\sigma} e^{-\frac{(a-\mu)^2}{2\sigma^2}}$

in which a, μ and σ are all scalar functions of $\tilde{c}_j$, t_j and F_k.

We want these functions to be such that eq (8) is maximized

5.1.03

3TM

Thru

0 : 329.40 : 2 items: ① Grand plan: ② s funcs / d funcs.

②: AZ ~~major~~ gives universal PD on d funcs.

OOPS gives " " " " "

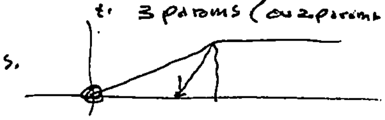
In theory a pd on funcs (like $O^2(A|Q)$) ≡ s funcs can be regarded as a d-function A, Q.

So AZ / OOPS could give a univl. pd on s funcs of this sort.

Hvr, many funcs are not 1) ≥ 0 2) $\int_{\text{range}} < \infty$. (i.e. normalizable).

For h funcs, we ~~m~~ may confine ourselves to mono modal distributions ~~E~~ such as ~~the~~ Gaussn or Gamma or ~~box car funct~~ box car functions. We then have to simply optimize the 3 params (or 2 params if $\sigma^2 = 0$)

0 Discuss 3IU. Advantages: Universal; always normalizable; easy approxns. Since it's univl. it is incomputable exactly, but



Probability distributions on Probability distributions (See 224.33 on "s-funcs")

In ~~the~~ QA induction, ~~we~~ ~~looks for~~ we look for ~~a~~ ~~distribution~~ probability distributions, $O^2(A|Q)$ such that eq (2.1) is maximum.

If the QA problem is Deterministic (only one possl. A for each Q), then we need a probability distribution on functions, $O^2(\cdot|\cdot)$. The language AZ (Appendix...) describes a universal language of this sort, as does the ~~language~~ Forth-like language used in OOPS ( ). ~~as also of this sort.~~ (unclear)

~~For probabilistic QA problems the Rosen languages usually taken~~ it is ~~Sometimes possible to use Rosen lan~~

It is sometimes possible to use languages of this type for probabilistic induction as well. In Sections 2.1 and 3.1 we ~~looked for~~ use probabilistic functions, h(t) and h(G) ~~that are used~~ ~~ex~~ in updating ~~the~~ Inversion ~~probs~~ and Optimization problems. } sections 2.1 & 3.1 are not directly about QA, But updating INV & OZ does use funcs of this type.

28. Insert 330.24 - .25 not 40. → (~~Since we are only interested in the relations between center of the~~ ~~Moments of These functions, we may assume them to be mono modal distributions.~~ For Inversion problems, In Optimz, the t, or h(G) ~~distribution~~ must be ≥ 0.

30 ~~In the~~ use ~~h(t)~~ ~~we have~~ so the ~~a~~ Gamma distribution, a reasonable approximation.

$h'(t) = a\,x^n e^{-bt}$ is ~~[illegible]~~ our ~~[illegible]~~ h(G) is ~~[illegible]~~

In optimization problems ~~for h'(G)~~, the ~~[illegible]~~ $-\infty < G < +\infty$ so the normal distribution, a reasonable approximation.

$h'(G) = a\,e^{-\frac{(G-\mu)^2}{2\sigma^2}}$ ~~≠~~ is ~~[illegible]~~ ~~[illegible]~~

See 282.30 for calcn. of γ for Gaussn & Gamma.

2 u. 6.2

~~we might~~ In ~~[illegible]~~ either Inversion or Optimization we might use the vectorfor ~~[illegible]~~ distribution!

$h'(x) =$ ~~[illegible]~~ a if $x > \mu - \sigma$ and $x < \mu + \sigma$ ~~[illegible]~~

otherwise, $h'(x) = 0$ ~~[illegible]~~ $\alpha \approx$ ~~[illegible]~~ $\approx 0(\mu + \sigma)$

give eq no. x can be t or G. Give eq. no.

330.20

For the ~~[illegible]~~ of Mean, σx, of inv probs

8.30.03

3TM

REV.20

Itinerary
State of t. System : What Has Been Done; What Needs to be Done
Master Plan
Road Map.

2 IMPT Breakthru ideas in TS Quality.

.00 : 326.40 : Various methods of "correlating" these patts w. problems, & problem Classes.

In t. Case of OOPs! Looking at Tower of Hanoi & that 1 param. can have any integer values could suggest that a recursive soln. might be looked for. One might Analyse it logically; "If I had soln for n (or n & n-1) could I get a soln for n+1 from them?

.0 : 324.32 (Roadmap) 324.19 322.31 ff — this is about how O² srch is very = to GA & clarifies GA as well as O² srch! — is about t. Road map (not such a good term!): "Master Plan"? State of t. System (Reasons) What's been Done, what needs to be done.

Perhaps start out by deriving TSQ construction (as a thing that needs be done). Refer to sections in S.O. 89. Discuss Making of Conc. nodes, Also finding suitable contexts: How a context lang must be designed: How it leads to short derns of t. sequence of prob solns. (T. things that cues are functions of are not "free" — they have to be ordered to & that has pc cost.) ~~Discov~~ That PST's have to be found, listed. — That TSQ writing frams trainers as well as TM.

.10 (325.40 5 pac) : So 2 "General Breakthrus": 1) T. similarity of T PST induction problem & t. General probsolving routine of TM. (325.06-.40) 2) 322.31-323.18 A very General discussn. of How to Get Good O²'s for QATM. T. General idea is ~ that of GA! Use of Past set of O², their corpus G's, to extrapolate to t. new O² & its corpus. Ideas of Mut/cross (suitably Genzd) & mut/Xov as examples of induction w. SSZ of 1/2 ... then idea is to use SSZ = total corpus. Note that this is weak form of Optzn! Its trials try to be "~" to previous trials! No attempt at true "optzn". But this Discussn seems to make O² updating & a "well defined Problem".

.21

Just what Do I need for report | see 292.33 for list. | Claims

.0 → 1) Road Map

2) Table of Contents

3) Insert 321.10 -.17 ← Not obsng? This is to be $\frac{pc}{cc}$ srch = GHT srch. If could be inserted, then explain why updating during srch is better. ($\frac{pc}{cc}$ srch = GHT srch.)

4) More Comments on OOPs & how it differs from α. Mention: it only works on ENV. probs: It can work Induction probs by Lsrch, or problems — sort of,

5) I have several lists of Desired modifns of t. Report (292.33 Done)

6) Infra: Claim list. : Why This is Good approach: Mention other General induction methods

o.k. — 7) How Syllog works 3.14 ~~.xx~~ 324.33.

8) Fix equation nos. ... omit Original eqn nos!

P.18 : 35.1 line 3
eqns 6 & 7 !
printing 6 & 8.

(2 pac) 325.05) TSQ writing: start w defincs (MoR): Write solns to several mildly diff problems (related problems) factor down solns to primatives. Also, in addition to lisding impt functs to lrn (some functs identify types of MoR object) — Do much on Context of each funct that tells when it's used.

This is pretty t. main problem: It tells us what primatives to use & how to combine.

Unfortly, much "Context" info maybe created by "logical reasoning", which is only available "Later" (I really don't know how much Logic TM has to know before it can do t. kinds of reasoning needed for "Context" determination — or for other kinds of use of "Logical reasoning" in TM.

→ I think [illegible] .00 ff should be t. main approach to writing TSQ's. T. reason is, that various aspects of it relate to much of t. rest of TM's design.

Not only t. conc's & their Contexts, but perhaps methods of search & any other aspects of prob. solving. E.g. writing t. TSQ this way should alert me to **Non-Lsrch methods of solving problems**

So 2 BIG PROBLEMS:

1. **TSQ** writing { conc net + contexts of concs. }
2. **PST** finding/discovery/implementation : Designing PST Grammars; finding set of PST's

→ Q: A conc net seems Great for Lsrch: But is it also useful for other prob. solving techniques (PST's). ? It may be that Lsrch is t. general "glue" that holds the System together — t. "recetatif." "recetatif" t Betw. opera Songs.

In general; Lsrch searches over PST's for INV & OZ probs. Normally, its ordering of PSTs isn't very good — it just uses a pd of all functions (say via AZ). But

→ One simple class of PSTs is just a **pd on Tokens**: This may include arbly complex tokens. This "pattern" can be like Boost Q: One merely shows just t. increments in tokens (+ new defns) that were used in a prob. soln. (A numerator, A denominator) These patterns could be combined linearly, w. perhaps an additional "Backgnd" set of all of t. consts, — or equal to whole set: Universal. ← WE MAY ALS VIEW THINGS a kind of CONTEXT

To use this PST, we just use this pd on tokens for Lsrch. (Perhaps we should be allowed to make new defns, in t Lsrch. A pd of 1 on a single token can be regarded as a "pattern" — 2.27.00

3TM TSQ writing.

.01 : 324.40 : (SN) In "Comp Sci" there are various "Algos" like FFT, b trees, various sorting methods. TM should be able to "discover" any/all of these.

A Good source is Knuth's 3 volumes: He also has problems that give "degree of Dif'ty" — One mite use these params to help make a TSQ.

.04 : (Spec 324.40) We have 2 kinds of Grammars: ① — ("derived" Grammar/language) One in which every ~~production~~ step

.05 of a derivation gives a ~~[illegible]~~ as ; ② one in which only terminal leaves "are a's. → Spec. 326.00 →

.06 : 326.00–.09 : Verbs initial TSQ construction: Starting w. several ~~[illegible]~~ related, somewhat dif'lt probs & ~~[illegible]~~ find sub-concs. (hopefully, many common subconcs a/o sub$^{(k)}$ concs. & assoc contexts.

0 The problem of lrng & Extrapolating a set of ~~[illegible]~~ PST's is identical to .06ff.) I thot of it in terms of factoring t. PST's into common Concs & ~~common sub$^{(k)}$ concs & find~~ — but instead .06 ff is just relevant to

PST lrng as to learning to solve any set of dif't probs.

By Regarding "PST's" & "Probs" as similar, we can perhaps get cross-fertilizn. ~~[illegible]~~ w. regard to ideas on how to work them. In case of PST's, I was thinking of having trainer "factors" an initial good set of PST's. ← Going Backward An alternative way would be to have TM learn all of t. PST's as "terminal probs" in a TSQ. — (But to write this TSQ, usually one has to start out by t. Trainer "Working Backward". ↑ Going forward.

Alternatively, I mite take a set of "2d" Terminal probs" of some dif'ty, then have trainer factor them, & factor more of the factors, etc. } A normal way of writing TSQ's.

In either Backward or forward implementation, TM could help t. trainer, i.e. TM has large capacity Search capabilities — so that t. "factors" could be "large grained" (fewer factors$^{(k)}$)

N.B. Geographic.com.

.28 Generalize "Context" .29 "Context" → "Context" Re: "Context" (≡ "which/how to combine 1 or more Concs) : Context can be generalized to be any d. or s. rule that tells one how to do this.

0

31 For both TSQ lrng & PST discovery/lrng, it's not really necy to have TM work any problem or devise any PST's: It would only be necy to compute t pc's of such solns (≈ CJS; but with contexts included). However, after those TSQ Concs & PST factors & contexts have been put into TM, we expect that it should be able to solve new problems & create new PST's out of order of & more dif'lt than t. ones "programmed in".

Spec 327.20

8.28.03

324

3TM

00:323.40 : Summary of "STATE of TM"

.01 T. way it works: ST arts out w. QATM: Uses ideas summarized (in 323.40 – .18) to get good O' functions. Eventually, TSQ gets to point where it can find good h( ) functions for WON search — Then it eventually switches to WON search.

There is a Part Missing:

For WON we need a set of PST's. At first, a small(ish) set is presented to TM. Next, it is factored (Mainly by trainer), & TM/trainer w/o Trainer makes a grammar for the set & is able to generate set of PST's. The Grammar is, ideally, Universal, & all Conceivable PST's are derivable by the Grammar. The entire process of Generating the Grammar starting from the Initial Set of PST's & Resulting partial factoring, to generating more examples PST's : to deciding which ones to try on new (& old) problems, to finding way(s) to generate new PST's (relatively) likely to have hy "slope" (= max $\frac{h'}{\quad}$), & finding PST w. max or (near max) slope, must be investigated.

325.06 – .46 Is a V.G. Approach to Generation of appropriate PST's !!

I could start w. optimal methods, since this is the communicated PST, i.e. devise a Grammar w/o factoring of PST's.

.18

.19 I really need a more detailed itinerary/roadmap ;

.01 is O.K., but we can't apply QATM to the WON problem until we have a Set of PST's. We could instead a reasonable set of PST's for 02 problems. Then have TM do search on them for solving optimization problems. From the data generated on PST2, Prob_j (failure time, soln time_j), QATM could, in principal, obtain "h" functions for any new (or old) PST working any new (or old) problem. To do an effective job on this QATM would have to be pretty smart in the relevant domain — & have to have a suitable TSQ to part those "smarts"

Next, we can expand the set of PST's & via the trainer — who would also partially factor the PST's: TM's being able to use this into in an effective way ... ? Could it?

For Expo: the detailed roadmap would be a good thing to put in the report.

32

33 Kinds of S functs: 1) $\exists$ I ∪ (2) P(A) = ∃ d-funct of params of A : eg. $P(A) = a\, t^r e^{-bt}$

a, r, b are functs of other params of A; Note that "t" is a param of A, also.

3) S-(ranges) Boolean Seq. $S = \begin{matrix} P_1 = N \vee \\ P_2 = N \vee N \end{matrix}$: $N = \begin{matrix} r_3 \to \\ P_4 \to \end{matrix}$ $V = \begin{matrix} \\ r_4 \\ r_5 \end{matrix}$ This is a way of

Applying P's to A's : Is it a case of (2)? In 3) "N ∨ N" & "N, V" are partial den. What does this correspond to in anything in (2)?

4) Monte Carlo representations : (3) is easy to express as MC sim, (2) is "not" : why not? (1) is easy Monte Carlo. → 325.04 space

(P)SMP : (Potentially) Smart Machine on the Planet

PSME
↑ Earth

.00 : Basicly, t. GA model of 322.31 –.40 captures t. idea of how this initial QA induction is done! We used t. known (Oʲ, G) pairs to create a "Grammar" that assigns a G distribn. to potential Cands.
T. System also includes a Method for finding promising cands (hy expected G).

(SN) We have a G funct. based on pr of corpus: Is it linear? [Has it been "Linearized"?] (we would need to know this for optimum Optzn.)

So that's it, & t. Q is, to devise Good Grammars & Evaluate Grammars that are now being used in GA & ~ problems.

.10 [322.31 – 323.10] This Seems to make t. listing of Oʲ cands in pc order, a "Well defined Problem"

.11 The use of "Context" of various kinds has to be integrated into this as aux. source of Info. → See 325.28–29 for very General defn. of "Context".

T. stuff starting w. 321.00–.09 is V.G., then T. Discn of 322.00–.30 has some good ideas, esp. t. discn about GA Grammar at 322.31 and → 323.20 makes easy QA induction a "well defined problem".

.18

.17 In early form QATM is able to induce h functions that are used in INV & OZ problems by getting a & μ (& perhaps σ²) of $h(x) = e^{-\frac{x^2}{2\sigma^2}}$ & $h(x)\, x^r e^{-bx}$

$h'(x) \sim a e^{-\frac{(x-\mu)^2}{2\sigma^2}}$; $h'(x) \sim a x^r e^{-bx}$.

.20 for OZ probs | for INV probs.

.21 In this (.17–.20) case TM just finds μ, a, σ² values ∋ $\prod_{j=1} A_j(x_j)$

∋ $a_0^j \prod O^j(t^{j,e} \mid G_j, s_j, F_e(\cdot|\cdot))$ is max. (max likelyhood) } § 21 of report – p13.

$h'_e(t) \equiv O^j(t \mid G_n, s_n, f_e(\cdot|\cdot)) = a t^r e^{-bt}$

a, r, b are related to a, μ, σ² in a simple way. See 282.30 –.40 for this

Claims! 219.28R
T. (potentially) Smartest Machine on the planet
(P)SMP
PSMP

(211) $\sum_\mu \leq p(U_i) < -2\ln p_\mu$ for Marcus

207 why my normeners [illegible]

192–252 [illegible]

.30 : [8.28.03] T. problem of .11 would seem to be a "fairly" well defined induction problem. ("fairly" because "Context" is a fairly "open" term) — Hvr. I assume that TM is not nearly smart enuf to work on this problem as such. (.11) asks for ad hoc heurs to do this — ideas usually derived from my observations on Human prob. solving & induction.

(SN) Re: Normed Approach to Unrl. Df! In any approach, one can't know t. normalized form. We haven't gotten all codes for all continuations, so our approximate normzn will ~~always be~~ often be too hy, or too low. It still may be a better bet than t. approximate unnormed distribn!

→ 3.24.00

8.27.03

3TM

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: So t. main Bottleneck for the report is just how t. struct (& perhaps d-struct) search is done.

One way = Using Lap's rule! After we discover O' for Q_1; then, looking for a O^2 that works for both Q_1 & Q_2: Th. p.c.'s of t. tokens used in O' are all (at least) doubled: so if there are n tokens in O' this is a pc of 2^n for trials using all n tokens: and often more if O' uses a token > 1 time. We also have t. "definition" of O' as a token (perhaps).

3.1.00-09 is a good way to make new trials "n" to older successful trials.

Another Good trick is J's "patterns" (Jargon): These can be subsets of instructions. One way to Use them is to "boost" w.r.t. them. A subset of insts is a usefully defined object, if we can use it to ↑ pc of previous corpus (including, of course, t. proof defining it).

"Context" is another Heuristic that modifies pc of a Token at a particular point in t. Code of an O' trial. — "Context" can be of various kinds, of various generality, connecting the area as well as more distant areas of t. past codes & corpus, to ↑ pc of t. current Token trial.

So: I know how to start out w. 1 or 2 Q's & build a O' from Scratch".

The next trials for Q_3, Q_4 ..., will be (heuristic/crossover) of past O''s. For para mutation, (SSZ=1) we want trials in "info distance" from a single known soln.

For 1 or 2 Q's, We may want to oversearch, to get a larger population to start with.

1) problem of getting ↑ mutations in ruff pc order. Breaking up functionals, ect.

Simply substituting one token for another is unlikely to give a mutation that works both (with old problems & with a new problem. This is because t. programs are "Minimal") No! not true

(well maybe substitution could still work. It may have about = pc; so it was selected, but mutations could give pc's not much lower or even same)

So first order mut is subs of any token k-input function by another k-input function.

Second order: Substitution of branches by newly grown branches (Growing a branch is normally expensive, but "in sampling" branches are very small, ∴ "possible").

Third order: Substitution of subtrees by externally generated subtrees of same I/O capacities.

When we have several models: for 1 Q or for several Q's! We may be able to express a certain subset of t. models as having a common part (or maybe a few common parts) and various subtrees stuck on the common parts.

The problem is identical to that of GA: We have a population of known G's: to extrapolate — to get a pd. of G for each describable case.

In t. case of O's we have a lower bnd on G for each: if we search more, we might find more codes.

§ 5.3 (p18) of report is a reasonable discussion of this as a way to start off t. system.

Perhaps use GA for this bootstrap off! system. The GA could be made to bootstrap its power itself by Varying its own params & by improving t. mut/cross functions. — The last is essentially induction on t. set of cases that have been evaluated.

8-27-03
3TM

0: 320.40 : One way to make the new O^j trials ~ to previously successful O^i trials!
The new trial can use O^j or parts of O^j (sub-trees) as part of itself. This, to some extent, can implement OSL. Also, if certain "parts" have been successfully used in several previous O^i's, this is a "Big Plus" (Common previous successful subnets (Trees))
Boosting is a vy. similarity type: "use insts of previously successful trial, + subsets of insts + perhaps other insts. However if a pgm is in the more distant past, boosting should be much less likely to think of it as "close". The "attenuation rate" wrt. past distance into past — at first inserted by trainer; later it's adjusted by TM to reflect its experience.
.09
0 SN Rewrite section of report on WON search! — This way: When max slope order is obtained — one search method is Grub. House search — just searching that (max slope) order. Then introduce || updating as significant improvement — etc — At least 2 reasons why it's better: ① uses recent info on records ② Avoids correlated (and identical) trials.
Disadvantages; The improved method(s) are not exhaustive & therefore probably do not have property of "constant factor worse than best". (The "constant factor" can be 2^{100}.) → except for availability of "frozen" pgms via "boosting" — or other "patterns" can be available.
17 One BIG Difference betw OOPS & α: α looks for O^j to solve all probs up to now. OOPS starts anew for each problem. (I think this is related to its solving INV probs only) α can simulate this by using "indices" for each problem type — which it later learns to do without.
0 In OOPS: After it has worked a problem, it tries to work subseqt. probs by "continuing" of the earlier soln(s). To do this, it has to look at the problem & decide whether continuing is needed. In my latest 3IU model (319.32 – 320.16, 320.01 – .08 in particular) (Also 320.17 – .19), any "continuation" of the old soln. would be categorized as R_i-type inpt. Note however OOPS is not a S function discoverer — only $\mathcal{I}$ functions — so "R_j" is always part of O^j. → Also because it solved "T. Identifn. problem".
28 SN (E.M.?) Gold's "induction": I had previously discarded it because it didn't consider ssz ☺ — But it can be regarded as a mechanism for d-induction, in which it gives preds based on any particular corpus: It has models in some enumerable order — for any finite corpus, it picks the first consistent model in the enumeration. It does not consider $\underline{\underline{ss}}$, hvr. I was put off by his claim of "Identifn in the limit" — which looks like larger (possibly ∞) ssz ⌈Also "T. Identifn. problem" (so a kind of success)⌉ (Tho for any finitary durable μ, there will be a finite length of corpus that is "adequate")
0

8.26.03

3TM

.0 : 319.40 . be part is "acceptable"

01 I had thot about t. Q of "What should trigger backtrack?" In R.W. we usually have some idea as to how much accuracy to expect from "t. current Model". When This is significantly violated, we start hunting for a new Model/theory. (In Physics, t. Theories seem to form so that only "expt error" can give results not exactly same as Theory. But "Expt. error" can be arbitrarily large.)

This trigger threshold for backtrack (also how much time we spend on it — how seriously we take it) may be part of "Metaling". Our "experience" in similar situations in t. past. (Mind full of t. Gruo soln of t. problem of Green proby & "Flowmey coils" problem).

08

For "Backtracking": Just how is this done? One way is to search exhaustively over O^j models in pc order, using a kind of AZ model for trie apps.

Another way is by Mutation or/ (paired) crossover (w possibly >2 parents). T. idea here is that after trial O^j's have worked on part of t. corpus w. some success, one wants to use this info to essentially modify appropriately our O^j. Mut/cross is

16 One (rather large) set of ways.

17 (319.32 — 320.16 / 320.01 – .08 in particular) is o.k. "in spirit", but I still need more detail. We start by writing "O^j": I guess O^j is "over" as soon as it looks at Q_i. Any subsequent

19 code inputs is part of R_i ("by definition"): R_i is done when output stops ("normally") but

0 Sometimes we can have alternate printing of part of A_i & asking for more R_i — so sequentially we have a pc assoc w. each prefix of A_i. (This is always true for t. complete Universal QA distribn)

Since, initially, we are only interested in R_i codes for a specific A_i, we will quickly reject any R_i that produces any bit that deviates from that A_i.

"Normally" we could have code reading from O^j & from Q_i, but we are devising this formalism so that this is by definition, impossl. It makes it possl. to divide up t. code input uniquely into a O^j part & a R_i part.

I'm not yet sure t. form does this, — but say it did! We would have to find a O^j that ab initio, was able to do all Q_1 to Q_n correctly. Rather Unlikely! — and not much in t.

0 Spirit of TSQ's. What we want is a O^j that will work Q_1, then a "small modifn" of this O^j that will work both Q_1 & Q_2, then another "small modifn" that will work Q_1, Q_2, & Q_3 etc. If I want to do "small Modifns" (mutation/cross) then Lsrp → AZ would expect, since such trees can be used to make small modifns that are always meaningful.

Jurgen arranges so that if O^j works Q_1, then O^j must work Q_2 or an extension $O^{j'}$ will work Q_2.

I was doing INV problems only (I think — but I'll have to go thru just what OOPS does to see if that's true!).

30 : So t Q13 : How to efficiently search $(O^j| + \sum_i |R_i|$ space.

One approach : Start w. O^j & R_1 search. : we want to find a O^j s.t. $|R_1|$ is not very large. — When we find such a O^j, we test all subsequent Q_i's on it. For each Q_i we find one or more of its shortest R_i's. Say we test on O^j an $O(|R_j|$. Then we see how large R_2 is. If $(R_1|R_2|$ seems too large, we change to O^2 & try $\forall Q_1$, & then (if R_1 is ok.) we try Q_2. If we do worse than O^1 we try a O^3 (or possibly go back to O^1).

0 : NIPS 138.29 : 8.26.03 continuation of NIPS 138.23 -.29 This turned out to be N.G. : finally, what looks like a reasonable soln is $\approx$ 322.31 bits ($\approx$ GA). Induction w. $s=1, 2, 3 \ldots n$.

$\approx$ "$|O^j| + |R_1|$": By working on O^j s/o R_1 we get all codes that $\downarrow$ "$|O^j|+|R_1|$". The only way to ↑ this sum is to bump short codes to try finding codes for R_2. So with just O^j & A_1 to code we can only ↓ equivt. code length. When we think we've spent "enough time" on O^j & A_1 (i.e. T. amt. of ↓ in equivt code length per unit cc is small), it's time to start coding A_2!

17 T. "Top goal" is ≈ "Min code for $O^j + [A_i]_1^n$"

A way to do "top goal" (.17): Do a "full code" (first code found for each A_i) for O^j and $[A_i]$, then go back & try to reduce code lengths by working on O^j or the individual R_i's. Getting any O^j code that compresses is a Big Job!

Perhaps we start w. O^j : try to code as many A_i as possible until total code length "per A_i" is too large! Then we backtrack & switch O^j trials. What is level of "max code length" per A_i" to ("expect"/use as threshold): Maybe find it from "Previous Experience". (see .24-.27)

24 We could start out by searching for min $|O^j| + |R_1|$. When we get to pt. of diminishing returns", we estimate cc per -Δ code length that was obtained. This gives a run rate for it. "Previous Experience" of .23 In case of $|O^j| + |R_1|$, unclear as to what "max code length" should include code for O^j. $|R_1|$'s code is probably short because O^j was somewhat A.H. - designed for it. But if we did search for min $|O^j| + |R_1|$ then presumably R_1's code length for $|R_1|$ is "reasonable"

32 When we code a new A_K, we find our first code by search. If it is poor or we find no code w. existing CB's, we backtrack to a new O^j (perhaps better to use main break for A as backtrack trigger rather than just "excessive" bcost for latest A (lack of a code for latest A will be main "bc per A" trigger Backtrack to change O^j).

If a new O^j trial gives more mean "bc per A" we either try a different O^j or go back to first O^j & continue working out "unsuccessful so far" last A problem.

In fancy training (Q_1, Q_2, ect) the trainer will have ideas on how large

00: 317.40 A possible way! Have 2IU ~~sim~~ "simulate" 3IU.

Use prefix code methods of 316.22 ~~ff~~ –.35 : 317.15 ff is probably N.G.

We take all of these codes: for each Q we get a bunch of A's coded w. assoc. wts. We use these wts

03 to get a pd, which we normz. This sums over all codes.

Now, is 00–.03 equiv. to 3IU? In .00–.03 is ~~there~~ there any interaction between diff. QA answers?

05 In 3IU, there seems to be Much "interaction": The wt of O^j .055 or the pc that O^j assigns to the corpus (for a new pred'n).

I don't see how the 316.22–.35 model is doing anything like this (.055)

T. way our one will actually use 3IU is as follows:

09 For each Q, we get the shortest code (or sum of a few codes) for ~~~~ the rite A.
10 We ~~mult the pc of the code by the~~ add the pc of the original code to sum of shortest
codes of each A. We pick ~~~~ original code so this Σ is min. To do pred'n,
we use the "best" original code & use many R's to get many A's & their pc's — &

15 we normz.

In ~~~~ finding shortest code for each A, we may "oversearch" & get
more codes: this could ↑ pc of "Correct" code or ↓ it because of pc's of other
A's & normzn. Actually, we ~~will~~ don't need to oversearch in order to get lots of
pc's of other A's — we may get ~~these after~~ many others before we hit the
"correct" A.

20 There is a reference in Nips 33 (or 133) on just how to do searches on 3IU.

If we do the corpus incrementally & make a set of predns for each Q,
then we will have a lot of A's for each Q & their assoc. pc; & we can normalize them.

We May be able to do .09–.15 using 2IU — in which case it's not much diff. from 3IU

A way to use ~~~~ OOPS model:

We find a O^j (= seq. of instructions). We put in Q_j, there may be some outputs, and the machine
may stop. So this is bad, ~~~~ this is our only output from Q_j — it is ~~~~ given pc = 1.
& we hope it will ask for ~~~~ input before printing, then ask for more, ~~~~, print more, etc. &
30 eventually stop — w. a A_j. Using diff. Q or inputs, we get diff A_j's,
— we sum the "prim. pc's" & normz to get pc's of A_j's.

32 — It may be that NIPS 137.29 ff (but 137.00–138.30 is larger context) is adequate for
3IU & OOPS as well! A search strategy over O^j, R_1, R_2, R_3 … is discussd/dscrbd,
— May be adequate (?). — I don't see it as "Adequate" when seeming to minz $|O^j|+|R_1|+\cdots|R_k|$
it's not clear when we ↑ k (= add a new Q).

I am disappointed in 137.00–138.29: I remember thinking I had a really good search routine; but it's not
at all clear as to how to do it.! Searching over $|O^j|+|R_1|+|R_2|\cdots$ directly looks like an excessively large space!
It would seem excessive to search over ~~~~ $|O^j|$ plus maybe two R_j's in one search. Total code length
would be too long.

Nips 137–138 v.g. on training 3IU
137.29 ff is main routine. I think this'd turn out to be vacuous! See 319.10 ff

00 : **IN Report:** Point out that functions that gets 2 SM from PST, problems are a very small

.01 functs" & need lots of suitable try before they can do any thing useful —

Also the often problem of finding good PST for problem (e.g. max h/t slope) can involve (inventing / creating) new PST's, & can be a very difficult problem — also involving much "advanced" training of a suitable sort. So a function to find max h/t for a largish, but "finite" set of "already created" pst's, this may not be such a difficult problem.

When these such problems are difficult, one has to decide how much time to spend on them. — use "SDF soln".

10 Deciding when to switch from normal Lsrch to WON, will be difficult — we may not need V.G. functs (of .01 – .02) to be better than Lsrch — But we can periodically try our functions & compare them w. (such results — when they are clearly getting better than Lsrch — we clearly switch over. In transition period, we may use both in ||.

.15 : 316.35 : T. way to 2IU seems to work (if understood thoroughly!)!

We just try all partial functions on the complete set of Q's ① If a function gets all n A's correct, we retain it & note its wt. (= 2^{-pip}) ② If it gets some right, & says "no reply" for rest, it gets its wt as in ① & is used for predn. ③ If a partial function gets wrong answer for any of the n Q's, it is discarded. ④ To get/predict before ~~predns~~ probable predns for a new Q, we use all functs w. non zero wt, & obtaining the dist. over possible A's, & we normalize to get pc's.

When we find out rite answer, we destroy all functs giving wrong answers. This leaves us w. only a few consistent functions so we have to backtrack to get more of them. → [Hmm, it's theoretical [cB=∞] case, backtracking is unnecy, since we have already tried all possible backtracked functions]

.22 [? Q? — Is .15 – .22 really equivalent to 3IU? → .15 – .22 looks like a real embodiment of a SUMAC — w. all its "backtrack" diffys.

Consider: In 3IU, a given (usable) t_i will sometimes code the (rite) A_i (that occurred) & other times it will code a A_i that did not occur. This seems Quite Different from .15 – .22!

.29 So it looks like I don't have any correspondence betw 2IU & 3IU. [NB This doesn't mean 2IU is wrong: it simply means that the correspondence betw 3IU & 2IU is incorrect. : LATER!]

30 One way to look at 3IU: It's all these || coded objects — each w. its own PC. Many of the coded objects

.31 are incomplete" i.e. they have several of the A_i missing. This is not assigning pc = 0 to them, tho. A "coded object" is a subset of the [A_i] set — with one or none for each i (i=1/n) [3IU & 2IU are significantly Different dfs → 349.40]

A particular corpus is a set of n A_i's one for each # (i = 1 ... n). Do the set of "coded objects" assign a pc to every particular corpus? They do but only via 3ID indirectly.

→ 318.00

8.23.03
3 Tue

00: 315.40 : In general, t. set of R_j's [illegible] that are assoc. w. a given Q_j will ~~not~~ sum to < 1, because of partial recursive fncts, so we will always have to Normalize w.r.t. t. cases that have "come in" thus far (up to current CB).

{ So, for 2IU, for each Q, we use a wtd Σ sum (wts = pc's of codes) of predns for each Q — Then we normalize to get D.F. of Answers. This is / functionally adequate — i.e. its able to give [illegible] predns.
— But how good are t. predns? & We may actually be able to show they are identical! — code for code!

T. way we show this: Any 2IU code for t. entire corpus (w. self-delimiting "exclusions" ∴ "partial functions") can be regarded as part of a 3IU code for t. entire corpus ("). A component of !!

Somehow, we have to take the #1 code of 2IU & break it into 2 parts that correspond to #1 & #2 inputs of 3IU. These are self delimiting

So, as of now, t. 2IU & 2IU models are slightly difft: i.e. 2IU has a single s.D. code & 3IU has 2 S.D. codes (#1 & R (=#3)). (#2 is "Q" in both cases).

Take any (random) 2IU #1 input code! Select a fixed, complete (?) s. Delimiting (prefix) set. — S from x, select t. prefix string ∋ it is a member of S. (This is a unique choice). We have thereby divided t. 2IU input into 2 parts; t. first part is R, t. second is t. #1 input for 3IU.

T. trouble is, t. first part will always be in t. same complete set S. — So this will not map into t. 3IU codes, because they use difft prefix sets for difft Q's & t. prefix sets are usually not complete. T. completeness is not problem, since
.19
t. 3IU can reject any of t. R inputs, but using t. same prefix set for all Q's seems to have trouble of 315.29–.33. The ~~same~~ this is not a problem if t.

.22 [illegible] R_i sets need not be complete.

.23 Say Define Z^3 to be first input of 3IU, Q^3 is second input, R^3 is third input
Z^2 is first input of 2IU, Q^2 is " " .

Z^3 and Q define the prefix set {R}

If Z^3 is self delimiting (It has to be) — then R can be random & we will know how to select a legal R.

~~When we~~ If, in 2IU, we stipulate that Z^2 has to be read first, ~~then any input after a~~
Well, actually Q has to be read first, then Z^2 is read. Anything read after there is any output, is regarded as part of R. I think that would legitimately map to 3IU.
Actually Z^2 & Q can be read any time: but as soon as there is output, any non-Q reading is regarded as part of R. (not 100% sure of this yet, hvr.) → 317.15 →

(≈ SN) How to do this in "OOPS"! Conceivably oops could have a register to contain Q! Then, at a certain pt, it begins reading "random" bits (or sequential interrogations) preparatory to printing out "A".

00 : 314.0 ! I'm uneasy about t. partial functions — since they don't code t. entire corpus, there shouldn't be as much "sharing" of "bcost of #input".

.02 ? { Perhaps if a partial funct has bcost of F, #input pho (Ri), & it only responds to one Q, then it

.03 is still a legit code for that succ with wts ∝ $2^{-(\#)}$ }

.04 —— [.02 – .03 may be a critical Q]! In order to be "partial" a function has to also contain info

.05 about what inputs to "ignore" (≡ give zero output for).

So : is ~~great stuff~~ — is .02 – .03 o.k.? — Note .04 – .05.

A possib. argt v.s. .02 – .03 : say we have a corpus of A, B.

.09 A is dcrbd by D_A — which does not dcrb B

10 B " " " D_B — " " " " A.

It would seem that $D_A + D_B$ would be needed to dcrb A, B.

12 D_A & D_B would not work well.
{ (D_B / D_A) has input Q_A (Q_B) & output (B / A); with input Q_B it has no output } is correct.

13 .09 – .12 are perhaps not exactly correct.

(8.25.03): I had t. idea that 3IU was "covered" by t. "Grammar" and Prod (of sum of all partial d-functs) in which case it would hypothetically dominate t. 3IU

Some Q's! Is this a legit dcrb? Is it a "proper" a priori (i.e. does it sum to < ∞?) .. Is it on enumerable DO [redacted] classes)

(back) So t./ Gramm methods "sum of all 2 inputs" ≡ "2IU" until.

T. univ 3IU is sum over all 3IU's? . Input #1 dcrbs a particular Q. For prediction, we use a

20 density dcrb. over all Q's.

Consider density dists over 2IU's: (Just input #1 & #2 of t. 3IU).

SN In 3IU, in general it is usually impossib. to have t. same set of R_i's for all Q_j's:
This is because ~~the A or minimal pc~~ (: i.e. length of shortest R_i) will vary w. Q's. For all Q's,
say we have a ~~word~~ for each [redacted] Q_i there will be an Δ of max pc ($\equiv S_i$). For all Q_i take t.
[redacted] max that is smallest. Say it is of size Ⓐ, then no R_i can be shorter than $-\log_2 \Delta$,
because if it were then t. R's for Q_j could not add up to 1! The pcs are too small to be
able to use that short.

29 Another Q is whether it is at all likely that all Q's will use t. same R_i set.

30 If t. Q's are solved sequentially, then after t. first prob has been solved, there will be
t. "shortest R_i" that's used in that soln. Subsequent probs would not t. be able to have
a min length that is longer than that "shortest R_i". So t. first problem would determine

33 what ~~set~~ of R_i's to use. ——> 316.19 – .22 seems to get rid of this diffy by not having "complete R_i"
prefix sets — also so they have to be normalized.

So, for 3IU, the set of d-funct (local) will be partial, ... (t. assoc set of local d-functs will be partial).

316.19 – .22 says that we can use same prefix set for all Q's, but in general, we will not use all of the R_i; & will renormalize.

[Consider .13] Essentially, A is dcrbd by D_A & B is dcrbd by D_B. There is no point of
viewing A & B as part of t. same corpus.

.00 313.40 : Perhaps a good general way to approach t. problems of 313.31 : That to each value of an S-function we assign a pc oc $\Sigma 2^{-L(\text{code } i)}$ (0).

.02 New Idea: In OOPS, we mimic it to mimic 3 IU by considering t. "R's" as "Backtracking"

Tho: Superficially, .02 sounds wrong! We normally "Backtrack" to get a code that fits all problems exactly.

Can we use MDL "2 part Codes" to get reasonable S-functs? or "Dynamic MDL"

In 3IU, one part can be the first 2 inputs, & t. second part can be the R input.
It would be ~ MDL if we only used one O^2 function.

.10 AH! In 3 IU : when we make separate codes of t. corpus for each value of R!
Each " R " code consists of the common "first input" (in prefix code form), followed by R (in prefix form)
So t. relative wts of t. codes are always $2^{-|R_i|}$.
This view makes it look much closer to the "Grammar" codes; i.e. many, all partial d-functs in ll with diff wts. So each partial funct codes part of t. corpus.

.18 If t. same prefix code for R was used for all solns., then every R_i in that code
.19 would be used in all problems. and t. d-funcs will be total (not "partial")

.20 : — On t. other hand (as is more likely) different prob. codes are used for different problems, then many d-functs must be "partial" — since certain Ri will be used for some problems, but not for others.
In t. case of .20, it seems not obvious that t. relative wts of t. d-codes should be $\propto 2^{-|R_i|}$, even tho t. R_i code a different no. of problems. → Maybe not so bad!

Consider a single Q,A: T. pc of any single code will be $2^{\wedge}-(\text{lenght of } \#1 \text{ input to 3IU} + |R_i|)$
(#1 input & R_i) (Own prob same for all problems of R_i)
I.e. each problem will have its own #1 input & R_i } — which is t. complete code of any particular soln
Here, we select #1 inputs that are short, because the resultant codes all have higher wt.

.30 In (.19, .18) t. ll. d-funcs are not partial, they are "total" (they have outputs for all inputs) or all "legal" inputs = "meaningful" inputs

So, it looks like a wtd set of d-functs that describe all A's, is ok. T. d-functs can be total, but better partial (i.e. not output for certain inputs). Also, we need partial recursive functs if we are to get universality [An alternative is prim. rec. functs] (→ a new idea from (.30))

So t. set of all (partial) d-functs that describe a QA corpus does give a universal distr., since t. 3 IU codes are a subset of those ll codes.

Re: d-functions used: Would like to have functions ∃ for any Q input, ∃ A output ∃ ∃ a R that will give that A output.

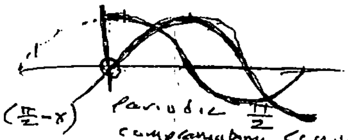
→ 315.00

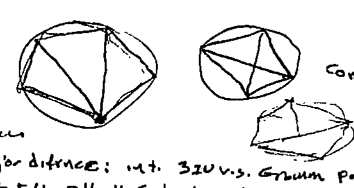
8.21.03
3TM

$\cos(x+\frac{\pi}{2}) = \sin x$

$\cos(x) = \sin(x+\frac{\pi}{2}) = \sin(\frac{\pi}{2}-x)$

$\cos(\frac{\pi}{2}-x) = \sin x$





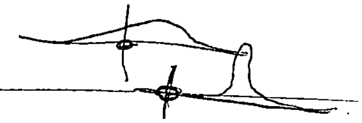
.00 : 312.40 : This seems like it may have answer a/o strong Hint! { A major difference: int. 3IU v.s. Gramm problems in 3IU, all ∥ codes have been paid for.

Another (perhaps Related?) Tack: Each Pem has assoc. w. each problem, a "confidence level" that it computes (by itself) [perhaps This is rel to 312.34–.35.]

.03 In t. model of 312.30, if a pem hasn't had much experience in a Domain, then its codes will all tend to be very long; So many possys of ≈ pc which is perhaps ≈ 312.34

— In t. "Real" domain, it would have a broad rather than a Sharp distribn

.06 A Pem of thing I'm interested in. a. Thinking no output, or has a pc for every possibl. output >0



In t. 3IU, each "R" code has an "extra" factor pc $= 2^{-|R|}$. But each R code has a single predn. for each problem : So perhaps [illegible] 3IU is not so close to

10 t. problem of 312.30

Anyway in t. idea of .03–.06, if we combine a sharp dist. w. a broad dist., giving ≈ wts, I think t. sharp d.f. will dominate. T. amplitude of t. sharp d.f. is ≈ ÷2.

If t. d.f. is over discrete things (an ∞ of them) then we have about same effect.

Real Problem of 312.30: — assume 312.35 occurs; if t. pem is "uncertain" it gives a broad D.F. (.03—.06) — Hvr, how much wt should we give to t. d.f.'s (≡ pems).

If one Pem has a very long dom, it can be very sharp, but very A.H. So I'd like to Somehow bring into t. augt., t. fact that a Pem may have coded a long Corpus "successfully". Its not clear how to do this!

20 271.21–.24 & 274.12,.26 an Gramm ⇒ 3IU equivalence.

The 3IU is a wtd sum of (partial) d-functs.

→ To use J's "Oops" machine to Generate s-functs: Work on first problem : oversearch, so we have several d-functs that work p1 (≡ problem #1) ; Then we try these d functs on p2.

Some can be extended (or not) so they work both p1 & p2. If some simply stop w. no output for p2, that's Ok. If a d-funct gives wrong answer for p2, that, too, may be Ok.

For p3, we use t. same set of d-functs that worked for ....

I don't have an entirely clear picture of how this works. I understand 3IU, but t. wtd set of ∥ partial d-funct model is unclear.

30

.31 So! 2 serious problems! ① Just how t. Grammer is equivt. to 3IU and I4 (See a read carefully 269.23–.40 (.26R s.w ff) reading & correcting this material is good way to familiarize self w. that Domain.

② 312.30 "2 intersecting induction paths". Seems like Generally impt. Q.

Is this Q. same as the very old "Blinking Gambler" problem? k times out of N times, before gambler rolls dice, he blinks. — This results in 7 : what is pc of 7 w. blink & w.o. blink? of interest if k = 0, 1, 2 & N is not large.

Is ② related to "Encyc" problem?

read 269.23–.40! This is why I used t. term "Grammar" for t. "wtd d funct" model

271.to 274

273.22 ff

8.20.03

P2.27
Prosfalo formula
Please do.

3TM

: I really have to find a good way to do predn. w. several (partly ||, partly mut exclusive) s. funcs.
This seems to be a "well defined problem."

Consider corpus A, B: s. funct f_1 accepts A & B ; has apriori prop a_1.
s funct f_2 " B only. " " a_2

f_1 has pc^1_A for A, pc^1_B for B
f_2 " pc^2_B for B.

What is total pc of A, B corpus?

perhaps $pc = a_2 \, pc^1_A \cdot (a_1 \, pc^1_B + pc^2_B \cdot a_2)$ probably wrong

The way we/should use all of a_1 on Problem B is unclear!

$pc = a_1 \cdot a_2 \cdot pc^1_A \, (pc^1_B + pc^2_B)$

~~$(x \| y = \left(\frac{1}{\frac{1}{x}+\frac{1}{y}}\right) = \frac{x \cdot y}{x+y}$~~

Another way: distribute a_1 over probs A & B in a way determined by pc^1_A & pc^1_B.
$\ln a_1$ is distributed in ratio $\ln pc^1_A$ to $\ln pc^1_B$.
$\ln \gamma$ $\ln \alpha$ $\ln \beta$

$$\ln\gamma \cdot \frac{\ln\alpha}{\ln(\alpha\beta)} \quad \Big| \quad \ln\gamma \frac{\ln\beta}{\ln(\alpha\beta)} \quad = \quad \frac{\ln\gamma}{\ln(\alpha\beta)} \cdot \ln\alpha \quad \Big\| \quad \frac{\ln\gamma}{\ln(\alpha\beta)} \cdot \ln\beta.$$

$$e(\;) = \gamma^{\frac{\ln\alpha}{\ln(\alpha\beta)}} \quad \Big| \quad \gamma^{\frac{\ln\beta}{\ln(\alpha\beta)}}$$

P276: old Snark TM

$$A^{\ln\alpha} = e^{\ln A \cdot \ln\alpha}$$

.30

(SN) For Report (or next version of Report or MIT storm):
Describe various PS methods I will use.
1) QA ... Lerch. : 1 soln, then >1 soln. (dedundts, S functs)
2) ENV " "
3) OZ " many || trials.
4) PST's: Advanced methods for 2) & (3), 1)).
5) PST's Grammars for induction.

(20) Another way to think about Rss: We have 2 Pgms f_1, f_2 that have had in the past, 2 different corpi — each has had its own % of success in the past (or degree). We now turn them both loose on a common (problem) Corpus! How to combine their predns? [A not unusual problem!

A Pgm can express its lack of Confidence in its predns in 2 ways (perhaps)!
1) Its predns can deviate minimally from a certain apriori pd (cond). → (313.03)
2) The sum of the probys of its predns can be < 1.

Hint! In showing Equivalence betw. 3IU & "Grammar" (|| codes) method of getting universal seq functs, do I deal w./ solve this problem? → (313.00)

3TM

00 : (309.30 : spec) : On "oversearch" : One justification is that it does give pc's s.t. w.o. it we get any "soln". w.o. oversearch, we really don't know how probable f. simple "found" soln. is wrt other possys.

Mrs, i.e. if we use 3 input enc. for getting S-functs, we don't have to oversearch to get pc's! but we may have to backtrack. Oversearching will, hrs give better pc's.

I was worried about SUMAC's (w.o. backtracking, or w. very little backtracking) — I.e. that I'd come to a "dead-end" when the 100 best codes s.t. had reduced down to zero! — But I don't think this normally occurs. We can find useable extensions of the 100 best codes — But they can be very long. A reasonable strat. would be to spend time on many diffnt branches. — But in actually backtracking — (or just using as previously oversearched soln. from a lower level) we have to solve at least 1 more problem in addition to the prosody problem.

At present Moment, I'm not really sure about best way to do search. Trying to get codes by Extending previously successful codes can work only if we have certain kinds of languages. So maybe make list of some examples of those kinds of languages.

J's OOPS seems good in this respect. For each new input, it may or may not request additions to the function dev. While this stack keeps getting good and general, I'm not very sure about the way he does it. — How various solns to problems are used by the system — how pc's of tokens are updated. (I think he updates wrt present problem or present problem "solved" only. He shouldn't be really TM wrt the subsets are — Other than perhaps by ordering problems as a TSP. Or if they are labeled w. indices

— But his pooling token frequencies from the entire problem (index) set only, seems a bit A.H. — in reduces transfer learning to "boost" only.

If we have 11 S-codes at the corpus, this gives ↓ of the grand code length. On the other hand, a set of codes where each code does not code all problems, but each has its own "acceptance criterion" — This set has to have their best added together.

Actually, the thing is excessively simplified. If certain parts of the corpus are accepted by several S-functs, this should somehow be taken of the parallelism. →312.00

8.17.03 3TM

APRIP of INTEGERS (.26) & REALS

TIME Varying OZ probs! .12-.25

2 Not Bad (but not perfect) soln.

.0: 309.40 : SN In chosing to do WON rather than "Lsrch": I could do it either way. In (optimize lsrch) version,
.01 I got these time (t)'s (for INV problems), then I rapidly
.02 selected a good set of them viz $\approx \frac{a}{n}$ gone, then I calculated an ordering
.03 based on "probly of being best".

In WON, I just selected best $\sim \frac{a}{n}$ & worked on it until (due to ll update) a different PST (& different $h(t)$) looked better.

I could do it. same in .01-.03 — select "Most likely to be best", work on it until ll update says another PST is "probly best".

T. only difference is t. criterion for "Best": T. one used in WON is easier to calculate & does have good theoretical reason for being likely to work well. In fact I was thinking of using it + WON criterion to "Narrow down" t. set of PST's to compare for "likely good at being "Best"".

.12: ~(189.00-.10) **On time Varying OZ problems:**

In t. non-time varying case (say G is "linear" (291.27-.29))

We have $h(G,t)$ but we only need to know $h(G,t_m)$ (the CB = Time of t. problem being worked. So we select $h \ni \int_{-\infty}^{\infty} G(G,t_m)\,dG$ is max.

Again, having $h(G,t)$ [illegible] x G is not a function of x.

Say $\underline{\underline{G}} = G(x)\cdot g(t)$ then consider $h(G,t) \to h(G\cdot g(t),t)$

for each h there will be a $t \ni \gamma = \int_{-\infty}^{+\infty} G\cdot g(t)\cdot h(G\cdot g(t),t)\,dG$ is Max

$$\gamma_t^{max} = g(t)\int_{-\infty}^{+\infty} G\,h(G\cdot g(t),t)\,dG$$

It may be possible to simplify this, parametize $g(t)$ [illegible]

.25 We will then select t. h that has largest value of γ_t^{max}

.26 On t. aprip of t. positive integers or positive reals.) → reproduction 304.10

the $2^{-\lg_2^* x}$ d.f. gives not so bad behavior as $x \to \infty$

$2^{-kcost(x)}$ goes to zero for large values slower than any recursive funct?

Anyway we are interested in (at least) 3 aspects of $2^{-kcost(x)}$

1) Value for $x \approx 1$ (small x) 2) behavior for large x ($x \to \infty$)

3) At what value of x does the transition take place?

} → 304.10 HMC subfile

Proby 1 & 2 are vmc dependent, so "previous Experience" is very imp.

Marcus suggests that (normd) $\frac{1}{x}\cdot\frac{1}{(\log_2 x)^2}$ is good enuf for most cases.

((Perhaps there is mainly 1 problem: 1 params i.e. PC of integer, 1.
behavior for large x is not critical; $2^{-\lg_2^* x}$ is probly good enuf.
For small x $\frac{1}{x}$ is o.k. Value at $x \approx 1$ determines pt. of transition to "large x"

8.16.03

3TM

(They were first proposed, but)

.00 i.e. Those Theories didn't look very good at the time. If they fit the new data they will be reconsidered (unless the a priori probability is still too small). Awareness of many alternative Theories corresponds to remembering the results of "oversearching" — remembering several alternative solutions of lower probability.

A novice scientist does not know about those earlier Theories and for his backtracking he has to invent new Theories that fit both the old data and the new.

He will is less constrained in his search for Theory than the more experienced scientists, and may find a very good, very novel Theory that fits very well, but will take much more time than the experienced scientist

0 much more time to find promising candidates.

• It is commonly believed that the scientific community simply selects the single best Theory and forgets about the rest (the "also rans").

? This is a serious misunderstanding of the mechanics of scientific progress. The more mature scientists are aware of alternative Theories in their sciences and are quick to propose Theories when new experimental data demands revision.

The results will occasionally be superior to most of narrower search of the experienced scientist, but will take much more time.

(↖ some confusion betw. "Prob of the Theory" & a priori prob of a Theory)

20

SN On "oversearching": It can be quite expensive! To find a code w. pc = k bits longer than first code found, means $CB \cdot CBk2^k$.

(assuming cc of generation & test is same for all codes)

On the other hand we may find many ‖ codes of ≈ or shorter length than first code found. To require "Diversity" 60 100 codes would seem to usually be too expensive (?). — [would it cost >> 100 times cost of finding single "Best" code?]

Actually, I have no reasonable idea as to how many codes I get for given amt. of "Over searching": For oversearch factor of S, I get all codes w.

$\Delta cc = cc_0$, $\Delta b = b_0$ } $cc_\Delta \times 2^{b\Delta} < S$ How many I'd get is Unknown. ⟶ 310.00 sec

10

"Backtracking" would seem to be much cheaper than "Oversearching".

In Backtracking, we (seem) to get solns w. minimal searching: we do as little searching as we can & still get acceptable solns. It is tw, Maximal "Greedy" — for new problems & ∴ suspect! Also, essentially no real "probabilities" obtained (for Past ... but probs are available — (automatically since we will often get many answers w. their pc's before we get the "correct" answer.)

8.16.03

3TM (≡ NIPS)

≡ 03TM

: 307.40 : 307.30 – .40 May be an impt. "Breakthru" (if it is, indeed, a new idea (?)).

In Sumac, I was always worried about loss of diversity occurring whenever new probs were solved. Say we store (100 best solns for the entire corpus). When a new problem comes in, say only 10 of them "fit" the new data. (we haven't done any searching yet). This "100 → 10" should trigger a "feeling of Unease" in TM. It means TM either backtracks a bit to find more solns to past as well as present problems &/o in immediate future, does more "ever searching" until we have more solns (say ~100) to each of the "near future" problems.

"Normally" GCPD summarizes all knowl. of TM up to Present. "Backtracking" amounts to "revision" of GCPD based on past info only. "Updating" means revision in terms of new info. So if updating is "difficult": i.e. "too low" pc's are assigned to new data, One trys "Backtracking": ≡ Revision of GCPD on Basis of past data. Usually we want to Go as little into "past" as possl., but often we will have good ideas as to what part of past needs revision. So for new, anomalous Physics results, we don't try to modify theories in Sociology or Linguistics (But we might Chemistry because its "close" to Physics).

So, in certain Domains, we have some idea as to how large PC's of new data should be. If our GCPD gives too low values we try to revise GCPD by "Backtracking".

How Sci Community deals w. anomalous data: 1) Cold fusion 2) flying saucers. (lons/flash radar ... as by journalists ...) Main method is to claim Experimental error! ∴ no need for theory revision.

Other scientists do propose theories, Do Expts (in Cold fusion).

For sub of § 1.1: The forgoing ~~description of~~ treatment of Updating and Backtracking has correspondances in the scientific Community. Suppose a new experimental result is presented that seems to violate current theory — which ~~the usual response is to~~ (~~Current theory~~) gives the new result a probability close to zero. We can much increase this probability by invoking "experimental error". If the result is replicated by many other scientists, experimental error becomes less likely and "theory revision" must be invoked — This amounts to "backtracking": finding a new theory that fits the old data as well as the new experimental results. An experienced scientist will often be aware of several theories that fit the old data, that were rejected — perhaps because of low a priori probability —

SUMAC .30 ff

Ar Sat 16 Aug 13:55
LH 424 — 1800 645 3880 — Marcus ETA 1:45 PM
Lv. Wed 20 Aug afternoon

NIPS = 3TM

Could be ~~Athena~~ Nanoolpam a' fifteen of series of papers.
The "summary" is in GCPD — T. capability of

: SN some topics to promote discussion in report!

(Backtracking is an essential part of system, since we can't always make adequate summary — unless we use full (incomputable) ALP. = Universal D.F.)

1) If INV: OZ are adequate: why do we start w. QATM?

2) How Does QATM ~~a~~ differ from, say Google?

3) (a) How Does α Differ from other Lang Systems in its treatment of NLang? 1498
(b) — particularly NL lang? — (b) How different from Statistical (MT) approach to ktn.?
(2.b) Much less ~~depend~~ (ignores?) ideas of what words mean, of formal Grammar.
(c) QATM "understands" Q's much better than current SET MT — i.e. its Models of lang & of world are more General, "Better" than → the Rules a "Moving Target".

4) Discuss a IMPT ~~big~~ aspect of t. GCPD: That it enables transfer learning betw any problems solved by t. system — if we decide to minz. code of t. entire GCPD, rather than minimize ~~[illegible]~~ independently various parts of t. GCPD.

5) p5, end of § 1.1: on "Backtracking". Explain: / ~~T~~ Backtracking is involved ~~when the system~~ ~~[illegible]~~ upon suspicion that an error has been made in an earlier decision. We ~~[illegible]~~ first go back to modifying the most recent critical decision. ~~[illegible]~~
"Suppose F^n works ..... ~~[illegible]~~ ~~[illegible]~~ ~~only that the decision to use F^n ... why F ... [illegible]~~" If we can't find one,
~~we~~ [It mite be well to give note on previous page (? p.) saying that / Later we will discuss the utility of having several alternative ~~[illegible]~~ solutions w. different assoc pc's gives us a larger set of F's in memory can make backtrack

Oversearching has 3 benefits:
1) It may give us a soln. w. higher pc.
2) It could give several solns. of ~~[illegible]~~ possibly differing pc's — enabling us to get a pd on possl. solns of future problems, rather than a single soln.
3)

(SN) This oversearch / backtrack Business is very impt in Making TM work in "sequential mode" — i.e. SUMAC mode

— In "Oversearching" we (if lucky) get several choices for ~~[illegible]~~ future problem solns. — This makes "Backtracking" less likely to be needed. On t. average, we want Oversearching to compensate for t. loss of diversity (≡ Adequate Variety) that we get, when new data comes in & we thereby ↓ pc's of many possl. cncs.
("Conc. trails" = paths thru t. concept net that give ~~p~~ solution trails).
What we want is as many cdcs for a soln to present problem as possl. This automatically makes ~~[illegible]~~ t. need for Backtracking less likely.) → See 308.00

Has to do w. SUMAC

08.13.03

Nips

306

00:305.90 : 305.30 is a sort of (Lame!) intro : But maybe first make outline of what the section will contain!

General remarks:

1) List types of d-functs, s-functs: Give examples,
In list, perhaps include (.03R) & applicns.
Or maybe have this discussn. separate.

2) In introduction, explain ~~why it's appl. to bar~~ how d-&-s functs are used in [redacted] ~~Alpha~~ Alpha & α & [redacted] why it's impt to have ~~mo~~ Recursive forms.

3) Discuss L/Learning, using various $\binom{S}{D}$ funct ~~ty~~ "targets".

4) $\frac{S}{D}$ functs occur as ~~targets~~ (outputs) & as solns to induction problems.
(Generators of outputs). Give examples

5) Discuss: ~~#1~~ S distribn can be universal 1 input umc., (S distribn 2 input umc.) (S funct 3 input s funct)
Also discuss (Grammar / language) model. Show how differs from 3 1st, yet equivalent.

Also discuss forms of
$h \cdots$
e^{-x^2}
$x^n e^{-x}$ etc.
a, μ, σ^2 as d functions → s functions.

(.03R)

10^{10}:
10^9/sec 10^6/sec.
10^6 sec : $2\frac{1}{2}$ hrs.

(SN) A (perhaps) Nice way to get functs w. several outputs: ~~[crossed out]~~ "Vector".
a) As one of the inputs have the index of the vector component desired. This enables sharing of concepts betw functions.
In the case of the $h'(E)$'s ~~say~~ say, we can optimize a & μ separately —
This "elaborate" usually ~~___~~ simplified (shortens) the task — But it's not a Bad elabn —
— rather Good, in fact!

---

(6) For Expo (perhaps) Start w. General (solns): Say 1 2 or 3 input umcs,
Then discuss alternative means & approxns.

Start with Section 1 on Simple ~~introduction~~ QA induction
Re read this: My recent stuff on s-functs could introduce the "other stuff"
Introduce 3 input umcs. Mention equivalence to other form
~~E~~ Also, discuss a, μ, σ^2 vector output for h' ~~eq models~~ models.
Discuss ~~PP~~ AZ v.s. OOPS methods

---

§6 p 18 on "related work": Discusses ~~[crossed out]~~ Starting w. Algebra & evolving into "English about Algebra"
~~Another~~ ~~P~~ An important source of training sequence material can be obtained from work on "Expert Systems".

30 : 300.29 : Fortunately, the incomputability of the universal distribution is rarely relevant to its practical utility. For practical induction we do not try to use the universal distribution. Instead, we use approximations to it. While it is impossible to have a useful estimate of how close an approximation is to the universal distribution, it is easy to tell which of two approximations is closer — This is the one with the (generalized) "shortest code". ~~[illegible]~~ In view of the superior performance of the universal distribution, we want approximations that are as close ~~as possible to the~~ to it as possible.

For practical purposes, we usually need to know an estimate of the expected error in prediction. For our approximate distributions, this may be obtained in the same way that other induction systems are evaluated — e.g. by cross validation.

0 For approximate distributions that have been obtained completely a priori (without seeing the data), the training set is of size zero, and we are able to use all of the data for testing our system.

---

17 229.312 : The ~~[illegible]~~ system is particularly adept at "transfer learning". It performs induction on data by writing short codes for the data. If all of the problems in a domain are described by a single code, then transfer of learning between problems in that domain occurs through sharing of definitions between problem

20 descriptions. If we use a common code for several domains, the sharing of definitions between those domains facilitates transfer learning between those domains. → 300.1

22

(299.18-.40 ... 300.00-.40, 305.00-.22) This is systematic intro. introduction! Not ~~really~~ necy:
I do want to (eventually) have a good expo on "Motivation" — Why this is such a promising approach. Not necy in this "Revision 2".

I want to ~~[illegible]~~ have good section on "S functions".

Title of Section: Stochastic functions and their Representations

0 or Representation of Stochastic functions

or Representations of Functions.

Both deterministic functions (d-functions) and stochastic functions (s-functions) play critical roles in the present system — both in directly implementing the system and as models of data, for which we try to find short codes.

Because of the great variety of problems we will be solving, it is well to have a great variety of representations of both d-functions and s-functions, so we can tailor our search to the particular kinds of problems we are trying to solve.

8.9.03 (Dip) 302

NIPS.

10: 301.40 ~~"It would seem that we are [redacted] progressing backwards at a tremendous rate!"~~

We ~~have now~~ proposing a ~~[illegible]~~ technique for optimization that ~~[illegible]~~ requires at least two new optimizations! ~~[illegible]~~ Is anything being gained?

~~Consider the two opt.~~ The first new optimization ~~is~~ eq. equation (301.05). Obtaining a good O^{z} ~~[illegible]~~ is useful for ~~all future problems, not~~ not only the present problem, but for all future problems — so it is a burden that is, to some extent, shared by all problems.

~~The other~~ second optimization involves finding the F_R with as large ~~[illegible]~~ $\beta^{z'}_{m,l}$ ~~[illegible]~~ as possible.

Since this is a common problem that is solved many times, we will ~~probably~~ ~~find a very good solution for it~~ try to find a way to solve it that is fast and effective: ~~[illegible]~~ ~~[illegible]~~ In optimizing (eq 301.05) ~~[illegible]~~ and again in optimizing ~~[illegible]~~ eq. equation (301.25), we will usually be making small ~~corrections~~ corrections to a previous optimization — so the process ~~[illegible]~~ need not take much ~~[illegible]~~ time. ~~[illegible]~~

The ~~methods of the~~ ~~[illegible]~~ techniques of the present section and of section 2.7 are meant to follow what seem to be common human methods ~~of~~ for solving ~~[illegible]~~ problems of these kinds.

Nips

Section 3.1

Back to § 3.0.1 : Improved Updating and Research techniques. ← Title (same as § 2.1).

The improved methods of section 2.1 can be applied to optimization problems as well.

Here we want to find O^i's such that

$$\max_{i} \prod_{j,l} O^i(G^{j,l} \mid \tilde{G}_j, t_j, F_l) \quad \text{eq (301.05)}$$

is as large as possible.

$(\tilde{G}_j, t_j)$ describes the j^{th} optimization problem: to find an x within time t_j, such that $G_j(x)$ is as large as possible.

It $O^i(G^{j,l} \mid \tilde{G}_j, t_j, F_l)$ is the probability density (in view of O^i) that F_l will find an x within time t_j, such that $G_j(x) = G^{j,l}$

→ Let us define $h^{i,\prime}_{j,l}(G^{j,l}) = O^i(G^{j,l} \mid \tilde{G}_j, t_j, F_l)$

After we have found a good O^i function via eq (301.05), we can use it to obtain h' functions for an arbitrary problem and arbitrary PST.

Suppose we want to solve a new problem, G_m, t_m (h'_m comes)

Then for every F_l, O^i will give us a probability distribution over $G^{m,l}$.

Since we want $G^{m,l}$ to be as large as possible, we will select, for our first trial, the F_l with a $h^{i,\prime}_{m,l}$ such that its expected $G^{m,l}$ value is:

$$\beta^i_{m,l} = \int_{-\infty}^{+\infty} G^{m,l}\, h^{i,\prime}_{m,l}(G^{m,l})\, dG^{m,l} \quad \text{(eq problem 301.25)}$$

(Beta → $\beta^i_{m,l}$)

i,l as large as possible.

We next apply this F_l to the m^{th} problem for time $t_m/10$. At the end of that time, we recalculate eq (301.05) to see if F_l is still the most promising PST. If it is, we continue applying it to the m^{th} problem. If not, we apply a more promising PST to the problem. We continue this alternation of applying PST's and recalculating them, until all our time, t_m, has been used up.

~~In the language optimization task~~ In working a single optimization problem, we have proposed a technique that includes two new optimizations. Superficially,

8.5.03
NIPS

(301, 302?)

>0: 299.40: domains, ~~we get transfer of learning between those domains~~.

01 : 305.22 Another source of power of the present system is in the very broad classes of problems it can solve. These are Inversion problems — corresponding to the P and NP problems of computational complexity theory. They include solving of equations, symbolic integrations, proving theorems, etc. Another broad class of problem it solves are time limited Optimization problems. Usually, the NP problems we have mentioned are effectively of this form: we cannot solve them exactly in the available time, so we want an approximation that is as good as possible.

All induction problems can be regarded as problems of this type. This includes sequence extrapolation (time series prediction), all classification problems, learning to translate from one language to another, discovery of a Grammar for a corpus of data, and the improvement of a machine learning system. — So the system is able to work on the problem of improving itself.

There are very few problems in science and engineering that are neither Inversion problems or time limited optimization problems, so our system does indeed solve a very broad class of problems.

Do go into this.

We believe that the Universal distribution gives the best predictions possible. While few people contend this view, there is a certain general (misunderstanding / uneasyness) in the scientific community about practical application of the universal distribution to real problems, since this distribution is known to be incomputable. → (305.00)

This kind of discn. could be included — but wait on it.

Otherwise, just say: univl dist. gives best preds. poss. — & show this?

29
10

(SN) In summary, our system is able to solve problems over perhaps the broadest possible set of domains. ~~The method its method learning, the~~. It uses the Universal distribution for learning — perhaps the most general, most accurate possible. It is able to use this distribution for induction ~~learning~~, for learning within a single domain, as well as transfer learning involving several domains, both ~~...~~.

? wrong ?

→ There is a certain class of problems in which we would (like to know how) close our model is to the Universal distribution. Such problems cannot be solved using the Universal distribution or by any other means. — (leave this out of paper.) not exactly clear/correct.

Defines the sub-oz problem is peculiar to the present problem, the methods PSS's that are good useful for such problems are common to all of them. So the Z sub-optimization problems though are always problems whose cost is somewhat "shared" over a large number of o ptzn. problems.

→ 298.34 is perhaps a nice idea, but it is not all expressed clearly / Also, I should mention that as with Inv. problems, the ~~sub-problem~~ sub-oz. problems will at first be solved by Lsrch — and only in more mature machines will they be solved by PSS's that are selected by the techniques of the present section.

Anyway: first write § 3.1 ! (see 288.32 – 289.06)

SN In Naw introduction, where I discuss "What is Mach Lrng problem":
① talk about success of ML in Narrow fields, but General inability to integrate (say, learn from disparate fields — one of most Natural Characteristics of very Creative Minds. [Also, it would be good to have a ¶ or 2 on just how TM does "transfer Lrng".

(Pre) **Introduction**:

What is Machine Learning? ~~[illegible]~~ We will define the aspects of Machine Learning that we have built into our system. We have a machine that is able to solve problems in various domains. After having solved several of the problems the machine becomes more effective in solving new problems. "More effective" can mean "more rapidly", or, ~~in this case~~ it can mean ~~a different~~ effectiveness criteria for problem solutions, it will do better with respect to that criterion.

A system will be considered good if it is able to solve problems in many domains, and if it learns very rapidly to give adequate performance. In particular, it should be able to do "transfer learning" so that solving a problem in one domain will facilitate solutions of problems in other domains. (312) (305.17) The present system is particularly adept at transfer learning. We are using the universal probability distribution for all kinds of learning. This is done by finding short codes (descriptions) of data in each problem. If the codings of all problems in each domain are done separately for each domain, we can have transfer of learning between problems within a domain. If our problem descriptions are allowed to share definitions and other concepts in common. When we allow sharing of concepts between problems in different (300.00)

10 (2.92.5ppc) : Modifn of discussion of §2.1 :

for each $h_i(t)$ there will be a value of t at which $h(t)/t_0$ is maximum.

We want the F_i such that the associated $h(t)/t_0$ is

for each $h_{n,\ell}^{i*}(t)$ there will be a value of t

The expression $h_{n,\ell}^{i*}(t)/t$ gives us the probability of success per unit time expended. For each $h_{n,\ell}^{i*}$ denote by $\alpha_{n,\ell}^{i*}$ the largest value of this ratio. Large values are desirable. We then pick the F_i that has the largest $\alpha_{n,\ell}^{i*}$, and used to try to solve the current problem.

0 → After? Which is the best? Typer by hand. 14.2.22

Consider $h(t)/t$. It gives us the probability of success per unit time expended. and by t_α, the time at which this occurs: $\alpha = h(t_\alpha)/t_\alpha$

For each h, denote by α, the largest value of this ratio. Large values of α are best. minimize

The first Gambling house theorem suggests that we will minimize expected total solution time if we schedule our F_i trials so that

16 those associated $h(t)$'s are in order of largest values first.

Still need to be added : After

1) At end of section 2.1 : Discussion of when to drop Lsrch & start using "WOM" (insert 298.25-.33)

19 2) In § 3 (or 02) : Put in section 3.1 corresponding to § 2.1 !

But difficulty is that "WOM" used 02 prob solver : explain how this works ; that Lsrch continued on the or a U.G. PST that has been

23 found. → see .34

3) Section 3.1 has to be written (carefully).

25 It will not be possible Normally the techniques of the present section can only be used in a somewhat "mature" machine — one that has learned to optimize the equation ←) find very good O^i functions by optimizing eq( ) — also it must have learned to how to find the F_i's of high α value. The decision when to drop Lsearch can be made by the trainer : Answers to this question

30 this decision can be made by working problems both Lsearch and the methods of the present section. If the Lsearch solutions are better than the

33 the machine is clearly not ready to switch.

34 on top of .19 - .23 : in this "improved" 02 soln, we have 2 sub 02 problems — so this looks like we are making extra work for ourselves! — But not necessarily. finding a good O^i is important has value for many more problems than those being worked on now. The other relevant sub 02 problem involves finding a $h(t)$ or F_i yielding maximum E or $P(G)$ for the present problem. while the set of $P(a_i)$'s then

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293-295 area

293 : 1) is ALP the only way?
~~293-295~~ 2) Do HMC problem
294-297

[illegible]

anyway from 291.35 & .40 G and $H(G)\frac{dH}{dG}$ will not be proportional (i.e.

$G = a H(G) \frac{dH}{dG}$ will not be true) so 291.35>0 will not imply 291.40>0 —

so the ordering produced by H(G) will not be the same as that produced by G.

If G has be linearized, then for all α ; having G with probability α has same utility as having αG with ~~certainty~~ probability 1.

Does this work for negative G as well? G → aG + b retains linearization if a > 0.

Time, Memory, Money are usually already linearized ; Bandwidth, Maybe.

The moral is : if the thing to be optimized is linearized, don't ~~modify~~ replace it by a non-linear function of it.

It is notable that the optimization of G (x) is only a well defined problem if G ~~has been linearized~~ is "linear" ; i.e. for all G and true probability, p ; 0<p<1, the utility of G with probability p is the same as the utility of p·G with probability one. ~~If we do not know if G is~~ Normally, there will exist a monotonic increasing function, H(·) such that H(G) is linear. If we ~~are~~ are asked to optimize ~~[illegible]~~ a non linear G and we are not given H, the problem has not be completely specified and has not exact solution. We can pretend that G is linear and ~~solve~~ obtain an optimization based on that assumption, but it will be an uncertain optimization.

A few things done that need to be incorporated into report.

1) The present version of section 2.1 "Improved optim..." has many notes & corrections that I haven't yet inserted in "Report".

2) Insert ~~288.26~~ ; 30 at 14.20

3) Look at Latex book! See if Maple can insert pictures into ~~[illegible]~~ Latex. Ask Greg to look at Maple Books.

4) ~~Insert 291.10-20~~ at 13.16 ← (done)

Done → 5) ~~In~~ §3 : After ¶ "After we solve ... in the present case" (55.¶) We have to rewrite the whole thing: 288.32 ff. is a start; Maybe have §3.1 — some results: 2 "optimizations" used on this "optz" method!

6) Write about when to switch from Lsrch to Wan. (see 289.10)

7) Insert 298.10-16 (Done)

8) On "Creativity & Transfer Lrng": [299.11 : Also introductory demo for Intro] [What is "Machine Lrng" is] O.K.
299.11 o.k. not size
299.18 is not : is a "pro" Introdn.

Important things not yet done:
1) How to make 5 Bunch! Various kinds of : Gramm v.s. ZIU. etc.

Insertions needed to be typed:
288.26-.30 (not obly nec)

Spec → 298.00