

: In a Phase 2 4TM, we would be modeling h & h' (194.30 : pp 16-19 of my ID's IA Report)
often using tables found by PPM & its modulus, & 198.30 (66.11.90)
Actually, in phase 1 we would be doing 100 now as well.

o : 194.17 : T. Mont-Carlo. So even does not at all work well for inv prob w. only 150m.

Here, how it works for normal OZ prob is better! It is "sort of" used in GA, & it clearly is much better than pure Monte Carlo!

How GA works & Use MC to get a subset of cards of \geq average G. Using plus/cross, choose a new PD that fits that subset of cards & loop to do.

Actually, + only difference (with respect to my method) of my method v.s. conventional GA, is Part I use $\frac{1}{2} \leq S \leq 2$ & priority & uses ^{much} better models of GPD.

T. estimated Magnitude (+ other effects) of Ls which is relative to McCarty, is not better!

MC also has more variance, so it would soon more able to find "crazy parent cards" — but using better GPD models may be better. In any case, the "clipping" effect of Ls which is not clear.

o : On Hyper level lang: in TM₂! Say we are in Phase 1 the year just TSC:

The lang needed is not findable by PPM. What does it go to hyper level: We use TM₁ to use a complete (in w.) lang to find lang needed & incl. TSQ. Rez hyper level can have 2 choices betw. several update methods. One is PPM, another improved ~~PPM~~ PAPM ...

~~use of various PSGd~~ or others! Go over the More carefully: more exact statement of what to do — A picture (in "English") of what I expect Phase 1 ... (4) to do.

(1) Simple case: TSQ of QA problems: TSQ is "short" in t. sense of not many new ones, introduced. Also ~~comes~~ from short solns in ref. lang. GPD = ref.p.d. Ordering problems in TSQ is irrelevant to speed of soln. Essentially, we have this list of tests & their p.c's & we do an Ls which solves all problems in TSQ. There is no modification of GPD! no "hyper level lang". Static GPD: perhaps based on simple tokens only,

(2) As above but GPD is updated, say using PPM. PPM may need large ssz's — so currently $\rightarrow 20500$ at something like 10 to report problems. In each QA problem we can give TM ~~with~~ a number that tells how many times it was reported. This gives significant reduction of PPM updates. We are still limited in pass). TSQ's fact-f. system could learn to understand/predict.

Then it may be that very many regys are expressible as simple concepts of terms.

That once a v.g. set of terms is discovered, it can have prob's for various concepts of terms. (20000)

70 : 197.40 : On OOPS log: OOPS! p33! looked value of FAC
 (on p33)
 (3) deal(1, 1, FAC, up, c1, ex, rto, p31(2), d1, vp, p34(2), doc, FAC)

- Q: It would seem that OOPS' main memory of ~~the~~ useful sequences of T. Past would be via Definitions—
def: GPD T-definitions being made while program created (~~not~~ during update of "Guiding P.D." (= GPD))

AZ would operate in similar way. The enforcement is to force states to convert to SFDP update—or

~ around Bay IRONMAN USAR # PPM in GPD update. We could, of course, have BOTH.

The moderation of TFM in the last few years, and a new bus, would

Usually, M^{+} is added to water before Cu^{+2} trial. Concentration of M^{+} is usually 10 times greater than that of Cu^{+2} .

Usually defining a sequence is a waste of space.

Hence, the "normal" way of defining recursive functions in LISP, OOPS (perhaps A2) does involve ability to define non-recursive functions. On the other hand, we'd like recursion to be hierarchically enabled.

by a mechanism like $197.09 - 15$, ← which would seem to be in GPD update.

→ [Cost of Tower of Hanoi :] Say we have n problems,

If φ_1 solves prob₁ & φ_2 solves prob₂, then If $\varphi_2 = f(\varphi_1, z)$ is F_{1,2}"simple";

Recall $f(q_2, 3)$ is good ~~but~~ and from problem 3 .

Hence, it is ~~not~~ ^{perhaps} ~~possible~~ ^{some} to handle each prob. Solving w.r.o. f. usual heuristics: i.e., all of others

So what are the problems? ① Why would TM define subfunctions in C and return them under PCW?

2) ~~def~~ A characterization for Recursively defined functions (recursion)

3) PPM seems to claim need of clauses (to secure ex ante) — But not completely, it does not
protect ex post.

Two

Diseases of the Respiratory Tract: Reptiles may contract diseases of the respiratory tract, which causes all sorts of trouble internally.

T. disadvantages of PPM (Gardens), it does not fit by saying. To ~~say~~ consist of 2 defined ways.

Some time back, I worked out a method to detect nugs. in PPM → It had to do w.r.t Σ ~~and appeared~~
 of the composite. Some may like $\Sigma(z_{ij}) = \text{Case count for nuggets contents and size } i \text{ of length } j$.

It ~~is~~ ~~very~~ ~~possible~~ to detect concents of pairs P_2O_5 way : by $\text{K}_2\text{Cr}_2\text{O}_7$; triplets also between more CO .

T. we can ignore n^2 for pairs & n^3 for triplets, because we will only consider relatively short spans (cont'd)

In spite of the disadvantages of -27, dolomites enable compression of the corpus, so higher order fossils are more easily seen. They are made of SUMAC, so regression has to occasionally back track by High
dolomite

undulating carbon sequences (wavy lines)

SO: Probably a good strat. (Ognevskiy himself), is to tentatively make deductions — use (area where it's regular)

clear that they are appropriated to the corpus or to the dodecas. How to assign pc's to 12-dodecas is unclear, due to presence of many 11-pieces.

4TM

10:196.40 : On defns of Recursive functs: If + lang has Do loops (I don't know if "while" or until" are necessary) it can do all recur. recurrences - which is probably what we want.

Hence, recursive functs as such (viz recursive defn) ~~are~~ (probably) enough to get the PC for certain functs.
 - So I'd like a way to declare Recd, — Picard has ~~the compiler creates a Do loop for implementation,~~
 i.e., $\text{f}(x) = \text{g}$ \Rightarrow $\text{f}(x) = \text{g}(\text{y})$ where $\text{y} = \text{x}(\text{y})$ $\therefore \text{f}(\text{x}) = \text{g}(\text{x}(\text{y}))$
 is a simple way to define most recursive functs.
 { I have $\text{f}(\text{x}) = \text{g}$ $\quad \text{f}(\text{x}) = \text{x}(\text{y}, \text{f}(\text{y}))$ recursive case $\text{f}(\text{y}) = \text{y} + 1$.

10:196.40 : One (common) practical way to get recursions:

acceptable objects: Picd to know ~~if~~ simple relation r, to a (i.e. $b = r(a)$) we then hypothesize
~~set~~ $b = t$, $\text{seq} \ L \text{ s.t. } r^M(a)$ will be "acceptable".

Unfort., recognizing $R^M(b = r(a))$ may be unlikely, since b is a may not be in proper form —
 for Picd reason it is best to keep ~~as~~ several solns. to each problem in memory. for both
 0 = In v. prob., one should "over search" for solns, it's still poss!. This makes it easier to
 find a soln if $b = r(a)$ could be found.

Whatever (means) are used to define recursive functions, I suspect that they will usually be of very
 low pc &/o by CJS (Unless found by 0:196.13 — which is a brittle kind of heuristic situation)
 I'm thinking now of simply generative. terms. Evids in "Guiding Pd" order — Recursively
 defined terms will usually have much longer derivs than non-recursively defined ones. In
 this may also be true of "Do loop" defined functions. So it may well be that recursive "Do loop"
 derived functions will not be found until we get around to larger CJS problems. — Referring
 however, smaller solutions of this sort of very large CJS.

Probably best way of dealing w. recursion is via "English" { 194.24-27; 196.10-13, 20ff. }
 If I think that recursion is a good solution, then I can do it in English.
 Whatever way we decide to implement recursion, T. English statement of it should guide us
 in evaluating it's pc.

Re: Recursion in OOPS! OOPS took numerous sets of time bds. T. of Han w. n = 10 or 20 or 30 —
 In Lsach, it must have tried over many more improbable forms for shorter times See R. Bres
 "Scans" — Did T. really do "Lsach"?

30. However, even if we stick to English, we do have to have at least 2 languages: One for ^{problem} lang is part of the
 design & problem (which can be closer to English), One for design & solution. — "problem dom"
 T. choice of Picd's second can be imp. We can try out various langs to see which
 seems to work best. Take a look at the OOPS language. Just how recursive does
 it work best? (i.e. 1. Tower of Han w. Bds — (Not Bds for scanning, but...).
 implemented. What is all efficient? It may have become a bad problem! Even w. correct soln., it
 too enormous amt of time to solve. (for large n ... for small, not large).

amine this in more detail, let us write the pair of equations

$$\begin{cases} \varphi(0) = q, \\ \varphi(y') = \chi(y, \varphi(y)), \end{cases}$$

ss the definition of a function $\varphi(y)$ by induction on y , where q is a natural number, and $\chi(y, z)$ is a given number-theoretic function of variables.

for example, the value $\varphi(4)$ is determined thus. To generate 4, start successively 0, 1, 2, 3, 4. By the first equation, the value 1 be the given number q ; then by the second equation, the value 11 be $\chi(0, \varphi(0))$, i.e. (using the value $\varphi(0)$ already found) $\chi(0, q)$, since $\chi(y, z)$ is a given function is a given number; again the value 1 be $\chi(1, \varphi(1))$, i.e. $\chi(1, \chi(0, q))$; the value $\varphi(3)$ shall be $\chi(2, \varphi(2))$, $\chi(1, \chi(0, q))$; and finally the value $\varphi(4)$ shall be $\chi(3, \varphi(3))$, i.e. $\chi(1, \chi(0, q)))$.

We have a process by which, to each natural number y , on the generation of y in the natural number sequence, a corresponding number $\varphi(y)$ is determined. Since a number $\varphi(y)$ is thus associated, for each y , a particular number-theoretic function φ is defined by numbers $\varphi(y)$ as its respective values.

unction φ satisfies the equations (1), when (1) are considered as equations in an unknown function φ , since every particular comprised in (1) (namely, $\varphi(0)=q$, $\varphi(0')=\chi(0, \varphi(0))$, $\varphi(1')=$, ...) is satisfied in the course of selecting the successive numbers, $\varphi(1)$, $\varphi(2)$, Also this φ is the only function satisfying the equations, since the process by which we determined the numbers $\varphi(0)$, $\varphi(1)$, $\varphi(2)$, ... from the equations (1) can be seen as showing that any function φ satisfying the equations must have the values selected.

er definitions by induction, the function φ defined depends on variables x_2, \dots, x_n , called *parameters*, which have fixed values at the induction on y .

LE 1. Consider intuitively the equations

$$\begin{cases} a+0 = a, \\ a+b' = (a+b)', \end{cases}$$

encountered in the formal symbolism as Axioms 18 and 19. Define the function $a+b$ by induction on b , with a as parameter, a previously known function. Then the equations

$$\begin{cases} a\cdot 0 = 0, \\ a\cdot b' = (a\cdot b) + a \end{cases}$$

KLEENE : Metamathematics

define $a\cdot b$ by induction on b , with $a+b$ as a known function; and

$$\begin{cases} a^0 = 1, \\ a^{b'} = a^b \cdot a \end{cases}$$

define a^b by induction on b , with $a\cdot b$ as a known function.

An example of a definition of a predicate by induction will be given later (Example 2 § 45).

What number-theoretic functions are definable by induction? To make this question precise, we must specify what functions are to be taken as known initially, and what operations, including what forms of definition by induction, are to be allowed in defining further functions.

We shall now select the specifications with a view to obtaining functions definable by induction in an elementary manner. These functions will be called 'primitive recursive'.

Each of the following equations and systems of equations (I)—(V) defines a number-theoretic function φ , when n and m are positive integers, i is an integer such that $1 \leq i \leq n$, q is a natural number, and $\psi, \chi_1, \dots, \chi_m, \chi$ are given number-theoretic functions of the indicated numbers of variables.

(I) $\varphi(x) = x'$

(II) $\varphi(x_1, \dots, x_n) = q$

(III) $\varphi(x_1, \dots, x_n) = x_i$. (isn't III a special case of IV?)

(IV) $\varphi(x_1, \dots, x_n) = \psi(\chi_1(x_1, \dots, x_n), \dots, \chi_m(x_1, \dots, x_n))$. ← composition

(Va) $\begin{cases} \varphi(0) = q, \\ \varphi(y') = \chi(y, \varphi(y)). \end{cases}$

(Vb) $\begin{cases} \varphi(0, x_2, \dots, x_n) = \psi(x_2, \dots, x_n), \\ \varphi(y', x_2, \dots, x_n) = \chi(y, \varphi(y, x_2, \dots, x_n), x_2, \dots, x_n). \end{cases}$

(Va) constitutes the case of (V) for $n = 1$, and (Vb) for $n > 1$. ← This defines φ for $\varphi(y, x_2, \dots, x_n)$ if y is defined for $y < \infty$

A function is primitive recursive, if it is definable by a series of applications of these five operations of definition.

This definition can be given in more detail, analogously to the definition of provable formula for the formal system (§ 19), say using the second version, as follows.

We refer to the above equations and equation pairs (I)—(V) as schemata. They are analogous to the postulates, with (I)—(III) in the role of axiom schemata (or more strictly, (I) to a particular axiom), and (IV) and (V) in the role of rules of inference.

A function φ is called an *initial function*, if φ satisfies Equation (I),

ATM

> Here it may be possl. to continue recursive defn to prim. recr. functs & avoid that recursive defn problem!

— See 193.10 on Partos (in Klone)

I vaguely remember McCloskey defining 3 Fact(x) = 1 : $x=1$ else
 $\quad\quad\quad$ Fact(x) = x Fact($x-1$) INDEFINITE?

Use \exists IF statements. Def Part(x): \exists y $x=1$ Then y else $x \cdot \text{Fact}(x-1)$.

This would do two simple recr. functs — more complex functions like Ackermann — maybe more diff'.

In particular ... would one be able to "unroll them" (e.g. not use \exists statement?).

D: 194.27 : This seems like a very impf. idea! I should keep it on bkg. in "English" as long as

possible, because it will enable me to get easier samples of kinds of abs. But it will need to
 (Non-English)

in order to t. Reducence (easy/univ.) • Also use Several English Descriptions Solns in it, since I want

B to be able to get as much "Mileage" from t. Corpus as poss. (Unclarity as how to get what I want from these). → (20)

SN On NATM: For tabl output, a distribution can be characterized by $\mu \pm \sigma^2$. for more
 extensiveness give more "Moments" or other params of D.P. Or, for Multimodal dist. — have several $\mu_i \pm \sigma_i^2$.

For discrete d.f.'s — One common approach: ABOVE A "Center of cluster" w. and/or
 telling how far other choices are from the center. For more complete d.f.'s —

↳ μ cluster, possibly different ways to express distance from center —

D: 194.27 **ONE** When we have a "not-so-happy pc" soln. — one retains it because it might be useful for
 "backtracking" later.

193.11: **On Prim. Recr. Funct.** : P119 of Klone pretty well classifies Prim. recr. functs. — They are definable by simple
 functional operations. T. most complex involves a Do loop in which its upper limit is defined by p.r. funct.

I don't know if Do "until" loops can possibly be used to define recr. p.r. funct. I suspect that
 they can but I haven't yet proved it.

We can define rational nos. as integer pairs. ↳

P119 of Klone numbers uses defn's func for all integers ≥ 0 ("natural nos").

D: 193.103 → Then Def → α BR β just defines completed branches, not "functions" (ordinarily).

In branch generator BR is NT in PSD-generated terms. In explanation of t. branch in α BR β , if any Branch occurs, we can write " X_i " for it —

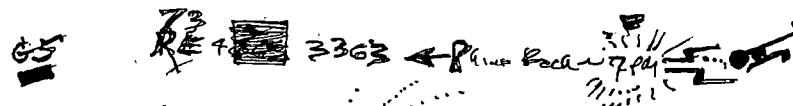
T. compiler regards X_i as an expt. & it keeps track of t. "strip" of t. branch being generated. If $i=3$, say, t. next best will have $w = p_3, f$. subscripts 1 through

We may want to modify t.'s d.f., here say $i=4$, $w = p_4, f$. subscripts 1 through $\frac{1}{6}$.

This looks pretty much like t. AZ language described in IDE, t. Report.

8/19/89

ATM



On Minsky's "Chapter 6"

Progression Statistical learning: Theoretical, practical.

1) PPM & its improvements: ~ 2.25 bits/symbol \rightarrow 2 for improvements \rightarrow 1.3 bits/symbol given

(also some techniques seem promising for getting much closer.)

2) Fogel's checker players: Feedback from win or loss or only using ANN and hill climbing. Feedback from win/loss only: A hard way to deal w. "credit assignment problem".

3) Koza's GP using Lisp: Design of ODEs, Evolution of Patterns

→ filters Spectral filters: Now common types of filters, — Also new filters

4) Mech. Translation - Statistical { Large vocabulary is a kind of MT problem ...
Common nouns have a broad range.

Recent improvements in GA so it works regular statistics - No population { Bugged Modern
— Passes of Leach ... not yet used. "Cracking" of PSG-discovery problem? GA!



7) That good statistical lang is an adequate soln to General A.I. problem:

If enables all OZ & INR prob. Perhaps fuzzy methods over

sufficient for TM to begin lang early.

100 possi moves for Checkers. fairly good game playable over "look-ahead" — i.e. a best move for each position.
(Theoretically, "Look-ahead" is not necessary.)

Many feels that The statistical lang has been able to go to higher order abstractions ...

Also, But there has been much news about what they can do: Much less about what they cannot do.

[SN] Another vital point: Best & efficient update algm need not be fully complete ... it can be relatively rudimentary ... like PPM (or even Leap-Zap!). That it is important that the Ref lang be universal. Perhaps this is equiv. to $TM_1 = TM_2$ — i.e. we get t. update problem to be worked on as a regular "TM problem" ... having as co-routine, & rest of TSG.

[SN] In LISP, one can do partial evals as soon as partially completed "expressions".

e.g. sum $\# \text{Mul G3}$ doesn't have a second arg. for "sum", but

we can evaluate Mul G3 & perhaps put it on E-stack. We then have times

feature of LISP ability to "moreover input" so we can use it as a "314", to assign

pc's!

Recursive functions LISP have shortcomings, but take long time to evaluate if stack is used. — We will always try to complete such expressions, so they take up less time (e.g., express fact) as far, next "loops". As for t. mechanism in implementing the ("constant")¹, i.e. definition

[In Factorial(k)=Factorial(k-1)*k; Factorial(0)=1 — i.e. "constant part" "true Boundary cond" is a better way of looking at it.]

perhaps we can arrange to have after giving t. m important recursive defns, t. boundary cond.

depends very highly. e.g. after writing $\text{fact}(x) = \text{fact}(x-1)*x$, we determine
whether $\text{fact}(0)$ is zero to complete the process as t. pc of "fact" →
Set to zero.

47M

TSQ

(Rat-wc. design) : 24

(Rat-wc. design) : 24 VERY GOOD: Very General
Rat long

(Real use, design) : 24 } VERY GOOD: Very General!
 This should be my main Approach to TSO Design.

[SN] Re: Barro's ~ 1991 Paper on ANN and the closed of dimension: I was thinking of carrying
 efforts to show that if no. of functions poss., would be exponential in d dimension — But it may
 not be true, if one has uniform spectral shape (Barro) or uniform size of derivatives
 or Lipschitz condition (or just $|f(x+\Delta) - f(x)| \leq k|\Delta|$).
 If second derivative is bounded (or more $|f(x+\Delta) - f(x)| \leq k|\Delta|^2$)
 but how much more stringent constraint on poss. of functions.

22 - 100% - 60% - 40% - 20%

We have much more stringent constraints on α .

SN: Res: Use ~~NP~~ root for optimum Monte Carlo Stoch! Go Programming! Exactly what is p & property of ?? Σ .

is p. t. property of ?? 210

[SN] R =: Update: Update log respects: (1) updating parents of Leaf guiding PD

(2) Obtaining new tools to solve old problems or may be more powerful (No part less & factor) Model of induction

For normal Mt Carlo Lg th w. h exude, time to soln is $\approx n$. (or $2n$ or $\frac{n}{e}$?)

for "Lesch" ~~the~~ ... ~~any~~ " " " " "

My impression is that the VP, I didn't take normen into account, so they can be easily destroyed by Leg. Multi or just written normen constanten opten criteria — & bring it back is to some or other case.

Using L_5 even possibly one would want to do several solns. They would all be based at vector by PC , as opposed to solns obtained by all or 12 (VP).

But do work out exact ~~eqns~~ eqns. → 199.10

۴

Polymer Notes: Using a set of improvements to GP plus Latch should give a very fast, powerful current problem solving device. How far it could go in TSO (or how far into Adequate TSO) \rightarrow

is unclear. [Safedrin processen is "is PPM, (at least terms to PPM), Second order correlating user for GP; ← them on this last! Use of ~~GP~~ GP, user of Larcher for G-P - . . .] → user search for common subtopics; 216.20

SN On Tso's, Longyear, etc: So I write my TSD: Then I write out the hours that would be needed/adequate for the TSD: Then I design Rock (long/unc) in which those hours are ^{.22, .23,} ~~.22~~ easy to express ("easy" technology). W. i. tricks of ~~.22~~, we have a larger class of things that can be "recognizable regularities" — so less limitation on rock (long). → (19610)

One way to transfer long from one Debtors to another : Transfer Definition.

From MacroContext of a problem (Chemistry, Sociology, etc), one finds what destructions

are appropriate.

TM₁ = TM₂ stuff (\approx ~~Phase 2~~ Phase 2). A possey is part in phase 1 we can obtain good for INVPADS

(say) $h(t)$ functions $\overset{th}{\mid}$

survived OZ problems "excellently") ...

See fig 18-19 of DSA Report for discussion. In test plan ~ pp 10, 17, & 1. discussions of EN & pros by species (Mode for failures). This is not very far off pros. Attributed to generate data with some ∞ (unavailable). This is exactly what happened!)

for INUPARTS
 And gives corrected time of soln / or - (maximp E) expected
 G value affects time t. (I've forgotten just how I
 h(t) is resp per density dist. Pos. F₂ will get & it is $t \ln(\alpha/\epsilon)^{1/2}$ for problem

$\hat{G} [\text{pubblicum} = G, \uparrow]$

Anyways: I really, I'd like TAU to work better problems w/ how to work them — whatever I caught TAU to work these or prob properly without "Phases!" required to be some.

4.TM

T5Q's & Searching for Roots : 14

- : However, in this last case, the A.H. hypothesis has to be very A.H. is .. very "visibly" so! — As a result, it is much less dependent on a priori. So this is a good feature of Causal Val.

[SN] In SAARB paper for ANL! Not solved! I could do facilities for Definition!

103 Dat \rightarrow α BR B \leftarrow α is Branch \rightarrow Non-terminal
NL. That represents a complete branch. So defn can be

far constants or functions. After eval, has been made, it is given name automatically as PC is obtained by t. Dirichlet rule (Gauß-Lagrange, update = Cauchy rule ("continuum of inductive Methods"). A (perhaps) way to do recursion. A defn can only refer to past decisions. So we first define $\text{Fact}(1) = 1$ then $\text{Fact}(n) = \text{Fact}(n-1) \leftarrow \text{No!}$

Saw how Juangard did defns, & recursions.

I could do recursive defns from "un rule" from fig & connector to \downarrow cc.

→ Look up Peters work on Prim rec. functs. [I think she had a simple, useful!] \rightarrow 196.25
W₂₄ to characterize name. — (Not so easy to find, however. — Problem K(conce.).)
Would it be (possible) to have BR in .03 be able to refer to a branch that has already been generated?

4 Seems like input ideas!
→ Individing a good "closeness Criterion" \square before funds:

① In writing T5Q's, I will have various hours in mind by which previous experience is best bear on present problem. Use this for "closeness Criterion"

16 ② How can I (file/store/access/recall) relevant "close" instances in past? —
Would work on "Case Based Reasoning". Be useful here? They may have derived from vector filing systems. Perhaps Ask Alice for refs — preferably on web.

Re: ③ (1.16) An idea: First use PPM hyper link order to get cases w. some "near context"

or they take next set & somehow look at next closest contexts. (loop to ② (1.20))

We may or may not have to re-order (re-sort) after each occurrence — but the sizes

after population to be sorted & rapidly

③ I'd like to make it poss. for TM to discover (better indexing methods, better "closeness criterion") — this may have to be done simultaneously.

• A disturbing posse: That for rather simple tasks (in Algebra or certain non-linear), logical reasoning is needed. That w.o. it, size has to be very large to get any induction at all.

— On univ., etc. (choices) are at \approx pc. Well, so from In certain areas of induction, we will do poorly w.o. deductive reasoning. In General, there will probably always be areas in which a given TM will do poorly. — whatever a priori or search P.D. we have, there are probably regions in function space that are well known, very distinct. — Balances suitable T5Q's are provided to suitable basis a priori & search.

4-TM

: S/N Admin. Note: If I'm in good creative mood. (usually detected by good handwriting (like now) than I work on Service TM problems. If not, definitely Ti loggers: Reviews need to be done, but should require less cleverness. Also, if I'm in a creative mood, I couldn't get very far into a review before being sidetracked!

→ Also for me (Juergen's version)
It has to implement P/D's
via 3 methods = "3U"

S/N An input decision is whether what ref lang. to user: Present choices: Lisp & Fortran.
Lisp seems to have nice tree structures for functions, but Fortran/much faster, & enables one to do partial jumps back switching to another branch of the search tree. (This last gives a factor of "tree depth" in speed over "Lisp" ... I assume Lisp ^{is} to be completely specified before one can begin to run it ... (But this may not be nearly true!)

Juergen's version of Parfit seems v.g. (Per fit is not trying to detect to bottleneck at all (or 1000 machines inst., per function!)

T. Parfit I'm interested in speed, is best enables me to write T/SQ's w. larger CJS's ... which is much easier than writing them w. small CJS's. This may be a dubious economy". Ti main problem seems to be (1) writing T/SQ's (2) defining langs & those
assoc update atoms for T/SQ's

Another (possibly) big problem is update atoms for P/Ds. Different update atoms give various (goodness of update) at various cc's for updates. e.g. (24.33 to 11.64 freq. to use a particular update atom. That e.g. assumes that the operations can be "Mixed" (use one or use another later). Update Hvr, update Atoms can do various things. ① They can find new solns to problem T/SQ. ② They can re-code old solns to problems (so solns are old). Summary -> This changes per' of cones in the Search PD for library, but leaves it.

evaln. P/D invariant

Perhaps a very imp. point: When I get 80 T/SQ's & go into trouble, I want to have a wide of & various options poss. in all different aspects of a TM project, P/D could lead to some diff.

One Poss. would be to start on a T/SQ now & see how it fits in more diff. parts etc.

10 : 165.12 : Why would we ever want to look at v. Data? & use it to control search, by path selection?
One BIG REASON: By looking at data, we can use our Biologically derived system to utilize a per 1940 Red Wh. was not consciously aware of. This Can Be a B/E Deal! i.e. a very important heuristic. Is there a way that we can enable this heuristic & nevertheless still have disadvantages of v. O.D.?

Not so easy! Since we are modifying the reference approach, after we see v. data !

Hvr, this "Modified Approach" need not be v.o. - it can be very bad!

Cross Validation is designed to deal w. this Looking at v. data approach. It may not be a best way, but

Also it is often diff., & not impossible to apply to many kinds of induction.

Also Re: CrossVal: Consider the "Leave one out of our" method. Even it can be made have surprising results if we make a soft A-H. hypothesis / A soft A-H. Hypoth can give us very robust results!

ATM

00

: Gen. Discussion, Approach:

Try to put PPM running for Phase 1. T. main idea here is to see if I can use it to deal w. TSQ's at suff. complexity to get to Phase 2. [The work by "Community" on PSE & D may be very useful in phase 2 — I can certainly augment Stolze's results by revising his results for word discovery in n-gram discovery. He seems to have a nice way to get recursion in CFG's.]

In Phase 1 I'll be interested in how fast it's effective (= by protocorpus) > PPM is —
learn 2
Can I get it to find reasonable sample (by TSQ)?

A BIG IMPRINT Q is: Using Phase 1 tools argues, How do I implement & Universal ^(layer) selection (say I'm using a universal reference machine) ^(size = 30)?

~~There must be some kind of "Trade off" b/w. using Simple Guiding PD (like PPM) & ... having diff. b/w. using universal mts & that hard solve hard problems!~~
~~↳ Using a Smarter Guiding PD, so solving ~~hard~~ hard prob. w. r. t. universal PD is easier. (Also how to handle consideration interact w. cleverness)~~

~~↳ the degree of ~~skewness~~ Skewness of TTSQ.~~

Re: 10-11; For every problem, \exists a soln. ^{expressible} & universal, say I'm using, T. Q is;

how does PPM (say) help ~~deals~~ such solns? How does it bring ~~new~~ n-gram to ~~be~~ ^{use} on new problems?
If I think = past exp. of prob. solns. is relevant to (should \downarrow cost of) a new problem. Then

should be complementable via PPM, or somehow to new & old problems - must be modified

so ~~PPM~~ PPM helps "connect" them.

For a Hard problem: I write a soln in + Reg. lang. If it takes TM too long to find

Soln: I look at soln. Can I decompose problems into smaller parts of the soln. to fit.
↳ E.g. "parts" I mean substrings in solns. This would make PPM an adequate

"Updater".

Looking

partly

In General: When TM is looking for n-grams in a corpus (corrupted Corpus), + n-grams sought ^{accidentally} ~~whichever~~ ^{viz} most haven't been found before. T. TTSQ is designed to make this poss.

All corpos are composed of sub-corpos, so it should be poss., to \uparrow pc of sub-corpos before handling

↳ combine them to solve a more difficult problem. — A Bz Q: Can I \uparrow pc and? — also what about condition

pc's of proto corpos?
↳ This may be a critical Q.!

^{is there backtracking p 190?}

: On meaning of "Merging": ~~2 pos (elements = sublangs)~~ are rd's over + set of all states

To merge 2 of them means to make a single set of rd's on all SMTS: so: 1 for 2) parents to combine them. We can see: \Rightarrow How to now merge it is not poss. / Grammar?

↳ Did we previously to a psp of corpos?

I think ~~the~~ an answer to \Rightarrow is: T. now n-gram is \in NT and we have to find

2 way to diff elements & Grammar around it — Hrr, given the previous \Rightarrow applies in the

Grammar to compound NT's, I think Proto may be a standard way to do this.

I guess Proto Merging will never be \in time in a long. It always "prioritizes" it.

Also, it always $\nabla (?)$ pc of corpos wrt Grammar (?), but pc of Grammar itself must always \uparrow , since it's

single (lower complexity). [I may be using "Merging" to mean States + Chunk?]

4PM

On Merging & Chunking as Useful steps for Hillclimbing in PSLG:

"Chunking" simply looks at the Grammar: tries to find common bigrams in compressed Grammar by decomposing those bigrams. It leaves PC's of derivations intact.

~~Merging~~ - I don't understand how it works exactly! Somehow, 2 NT's are

selected & merged into one NT. The resultant Grammar is supposed to be always able to generate including Grammar cost

f. same corpus (w/ pc's), A some merges will allow ~~allow~~ a psf of corpus

on PSB of Stolcke thesis last line bar for S 4.3.2 Suppose so show that no. more

has to work!

Given targets $S \rightarrow AB$
 $\rightarrow ASB$

$A \rightarrow a$

$B \rightarrow b$

"corpus"
 $S \rightarrow AB$ (1)
 $\rightarrow AAB$ (5)
 $\rightarrow AAA BBB$ (2)
 $\rightarrow AAAA BBBB$ (1)

$A \rightarrow a$
 $B \rightarrow b$

Consider derivation of ~~a~~ ~~b~~ ~~aa~~ ~~bb~~ ~~aaa~~ ~~bbb~~:

$\emptyset \rightarrow A \rightarrow B \rightarrow AASBBB \rightarrow AA(AASBBB)$

so in corpus we do $S \rightarrow AB$
 $\rightarrow AXB$
 \cdots
 $\rightarrow ABB$

$B \rightarrow AB$
 $S \rightarrow ASB$ due to $y \rightarrow ASB$ from $S \rightarrow ABB$
 $S \rightarrow A(ASBB) \leftarrow$ common non-terminal
 $\rightarrow S \rightarrow ASB$
 $S \rightarrow AAASBBB \rightarrow S \rightarrow ASBB \rightarrow ASB$

If we look at the way Stolcke looks at CFG's is strongly conditioned by his earlier work on things like HMM. The concept he uses to derive his approach to PSLG is

perhaps more general than is necessary.

[It looks like Chunking is all that we need!]

SEE (3) for promising Attempt!

So is he saying that (Grammar) if you're going to "unfold" corpus

chunking & merging

into target, by merging & chunking

so you must have both (merge & chunk) operations???

Not always corpus into target

I don't yet see how this must be so.

As now, both, unless you decide, each example in corpus is progressively simplified until you get to final, minimal Grammar.

SEE (3) for promising Attempt!

When one has 2 CFG's, one can look at the production as an overlaid set of rules, to compute their PPL redundancy. We can also use PPM to detect reading ~~redundant~~ input units, i.e. common substrings, of existing Grammar ... even though corpus is small. (The far larger initial corpus,

f. Grammar can be very large, & PSLG could have an uncountable SSZ.

Gatley Backed 07: Say we had n corpus as 12 is true Grammar as 09, is a good pairing of each s into corpus with fresh grammar. One should then be able to convert those pairs into corresponding productions (use Chunking & Merging). Perhaps it could be done "backward" by first gathering all productions that were used in the last stage of completion of Corpus Generation. After this is done, we sort how to go forward, until we have it sorted. It may not have to be done in the exact reverse order.

Proof that $T \leftarrow 3T$ is best for Lsreh - 2.0
(rather than $T \leftarrow 2T$, say)

work GP/GA problems.

What "state of Art" is now, unclear: 188-32 shan (2003 Dec) may be up to date.

Stolcke (188-30) has web site w. ~~less~~ application of his ideas (on PSG-discovery, among others)

to various problems & I would be well to see what progress has made since 1994 (10 yrs!).

Stolcke! Now at SRI & in Comp Sci Inst. Berkeley Calif.

2002 SRI LM: > n contextually balanced underlying Toolkit.

Stolcke 98 ... Company philosophy

98 Entropy Based pruning of "Backoff language Models".

"BOOGIE" was sw. in Lisp/CLOS to experimental Probabilistic Grammars & Prng Algs.

[SN] It may be v.g. to try to Modelize " G " function of a set of strings by a pc-function of the set of strings. I wrote a lot about this, but I think ran into a dead end because of an error in my thinking about large models.
This recent effort PSG-discovery may be related.

Along w. t. G-function it will want to optimize \leq (at least pthm needed) of a $G \Rightarrow pc$ function like $pc \subset G^*$ or $pc = A^G$ (A = Normal const.).
(Now, we are mostly interested in Goodness of fit of G to pc , in t. by G-prongs.)

In $(T \leftarrow \frac{1}{2}T)_{\text{Lsreh}}$; what's optimum value of α ? : There are 2 factors of inefficiency!

$\frac{1}{1-\frac{1}{2}}$ factor $= 1 + \frac{1}{2} + \frac{1}{2^2} + \dots \infty$: its t. vnt. of time wasted in repeating trials.

The Pns
is already
correct!
it is not
"overfull"

T. other factor $\frac{1}{2}$ vnt. of time wasted in trials of final round": If we assume that we start "

t. prob. of success $\frac{1}{2}$ uniform in log domain. Then t. final round will be between α &

— Success can occur at any point. T. expected value will be $\alpha \cdot \sqrt{\alpha}$.

so what value of α gives min for $\frac{1}{1-\frac{1}{2}} \cdot \sqrt{\alpha}$? $= \frac{2^{\frac{1}{2}} \cdot \alpha}{2^{\frac{1}{2}} - 1} = \max\left(\frac{1}{2^{\frac{1}{2}}} - \frac{1}{2^{\frac{1}{2}}}\right)$

$2^{\frac{1}{2}} \cdot \frac{1}{2^{\frac{1}{2}}} + \frac{3}{2} \cdot \frac{1}{2^{\frac{1}{2}}} = 0 \quad \frac{1}{2^{\frac{1}{2}}} = 1 = \frac{3}{2} \quad \boxed{2=3}$

What stopping time should give uniform PC in the domain: Common situation, related to

idea that "1" occurs more often as leading digit in lists of sizes of objects like books or flowers, etc.

? { That t. def. 5 should be uniform in the domain is easy if we expect uniformity w. multiplication?

? { change of scale ("dimensionality")

Actually a Grammar Grammar is a v.g. way to get variants of Grammars.

If it enables us to use statistical info on previously successful grammars.

This is what I did in SG4b... Also J.D. Hornung: But Hornung used a ~~mathematician's~~ definition of a soln. to the Gramm.-discovery problem. He may have used terms such as also, — but not enough!

PSG Discovery ≈ 20 (very specific).

(SN) Gen. requires (1) Does Chow-Liu paper just get better than "Greedy" soln., or does it get an optimum soln. > (2) My impression was they implied Macleod's relevant to "more complex dependencies".

(3) On idea of "Order of Choice": It order of choices is known, one can always just compute to get pc's for each token: perhaps by PPM. (In Normal PPM, order of choice is known: it's simply sequential choice). Anyway in generating functions, what are "reasonable dependencies"? How is that Q related to idea of "Sub-functions"?

Each Arg. of a function must be a complete "Branch". Each branch has (historical) context. This can be (extended) context or generalized context (= ALP).

In fact, Generation, we may know order (partial order) of choices, but we don't have clear idea as to which tokens in fact, our parser chooses most controlled by / function.

HAL In tree generation, a branch occupies "One place", (in terms of distance from ~~parent~~ token to be chosen.) So in $\{\text{add Branch}, x\}^3$: The context of x is "add"; (by commutativity we could rewrite it as add, x , branch ... which would make it more obvious: ... consider sub branch, x .); x is argument of "Sub branch"

: PSGD A nice way to discover/construct negents: say a, b / compatible (negate) α . . .

$a \neq b$ have pc's w.r.t. α — so we have rules for producing α , then we use $P_a \neq P_b$ to derive $a \neq b$ w.r.t. α . Doing this gives a way to derive negents that is clearer than using $a \neq b$ directly & o.i.d.

We can truthfully add (or subtract) β from α if sum of Pcs of β & α over common PC is 0; i.e. if it is odd & even to α . Similarly w. subtraction in new form.

We can see truthfully construct negent by looking at all words

that (per order) we can try drop, word. The easiest is then "forward" (i.e. 25-26, modification types)

Also Note: The "Haus" operation of Generation: T. "Chunk" + PC of model: We can add to our repertoire trial types of this 2 kinds.

About Discovery of CFG's by Stolcke etc. After Stolcke's thesis, in '99 he added a paper (does to much credit) "A.I. typoproblems" (See his website for enormous no. of downloadable papers).

32 Aug 04 date summary Shau, McLeay, Barker, Abbott, §§§§§, 11/99 (6 papers) 2003 is review of application of probabilistic models to Seq. But they selected Stolcke's thesis for their thesis. These guys seem to be saying Prof Chan (93) & Stolcke (99) used a poorly defined ApSip function! — That sounds much better!

My present impression: Prof Stolcke's paper here. ApSip evaluation that may have been "good enough" to begin 1. PGM discovery problem, & that he had 2 mutation types (mrged & change)

But were a very good beginning for PSGD. (This was in 1994)

II (32) Shau et al 6 yrs later may have corrected Prof Stolcke's eval. function & perhaps used improved methods PGM discovery problem. What they do now, is to use PSGD to

4TM

o 0 : 0) Baluja 95 compares GA vs. other methods for 27 opt prob. Other methods "better".
An ordering of improvement in Prob. Models for "GA".

1) PBIL ~~Baluja 96~~ — extends scope of PBIL

2) MINIEA & Bonac 96 all 1997 MIT : "second order pc"

3) ~~Baluja 1997~~: ^{Review} Improve PE of 2) This uses Chow, Liu (1968) for exact prob P.D. They say

4) Baluja, Davies 98 → ^{decrease redundancy losses.}
This "depends" "They don't care about Δ or Δ or Δ or Δ "!
for G.P. (which GA is not concerned w. — i.e., all crossovers have Δ or Δ).
fast paper reviews PBIL prob. MIMIC, etc.
^{signif. improvement.}

Chow, C | 1968
Liu, C |
ET 14 462-967

4) Baluja, Davies 97 (or 1998?) Fast Probabilistic Models for Combinatorial Optzn.

This uses COMIT! How PB differs from Baluja 1997 (what it is not yet clear).

[P2 col 2 of fig 8: It just IP] supposed to tell what COMIT does. P3 section 2 is 2nd clear.

I think COMIT uses 3rd or possibly 2nd [which are by CC methods but v.g.] alternatively w.

PBIL ~~uses~~ (or) a fast search method. || (or alternatively w. 2 Hill climbing (fast) each.

③ is used to reinitialize PBIL (or Hill Climbing) during search while.

My formula for how often to use by CC update requires ^{4TM} of 12433 is relevant here: Using methods that give best formula would enable one to tell how much time to allow for a slow search (i.e. (3)rd or (2)
is how much cc for PBIL or Hill climbing. To, at present, I don't quite understand why
COMIT is a good idea (if, indeed, it is!).

5) Polson Golding Tsutsui 2000 | 1999 was lastest ref. (will pp : This is "like" review. + p57/26/04

at Work in this area. So refs to General work on "Building Blocks".

6) Baluja Apr 01 talk for Prob. Models & Optzn: 2002 26 PP This looks like p57/7-29-04

More detailed review (2 more recent than)

Gives list of survey papers: (8 31, 29 41) ²⁰⁰²
1996 2001 Polson Golding ...

7-29-04

7) Polson Golding Tsutsui 2002: Combining Bayesian Optzn & Adaptive Search.
I think this works problems in sample discrete, continuous Optzn.

FTM

(This array has counts for couples)

- 20 : How, How do we generate couples? T. ~~use~~ ~~size~~ array tells how often each pair of digits value occurred in t-corpus. How can we use this to generate couple?
- 02 One (slow) way: ~~use~~ large (matrix) array: Pick ^{singles} element ^{randomly}, or its first pc. On basis of that 1 choice, put ϕ 's into those elements ^(illegal) (illegal). The single chosen element, "a" gives pc's for all other elements; choose one of them based on "b". Now, w. 2 chosen elements, ~~use~~ use conditional dfr. on elements a & b; sum their pcts (put more pcts in illegal bins). When "c" is chosen, we now have 3 valid pcts^s on legal choices. We add them. (if normalize) & chose "d", 4-th choice. We continue until replacement for each of t-h positions is chosen.
- 07 so ft: 1) is much slower than original 2) it is not clear what weight to give B pd on couples. This way — or even better below than original (short) way.

A Big Advantage of MIMIC over PPM, is that MIMIC can use contexts between non-adjacent elements.

Its Disadvantages over PPM: PPM can use ~~long~~ sequences for indexing, w. by SSZ, is good induction.

PPM can deal w. variable length strings. MIMIC may be able to be modified to do this. I don't know how, yet.

See 18-20

- 15 Some "improvements" of MIMIC: ① use last 2 choices to get pcts. for third character. Needs extra memory, but otherwise, it can be designed w. close "analogies" to MIMIC. Initial use of π & permutation of t positions. use of Markov matrix for choice of permutation. → ②
- 18 ② In stead of fixed vector of ~~length n~~ with fixed coordinates, ~~make~~ make coded system "moving along" as in t-s. prob. The "case matrix" has $\infty \times r \times r$ elements.
- 0 \rightarrow so prob may be as large as factors. At $t, (i^t, j, k)$ column gives case count for digit i & following digit j by i spaces. How do we use Prob Matrix for ① prob to generate couples? (This can (perhaps) be done using t, ideas of (02-07)) which is of uncertain accuracy. Also, since we have to ~~put~~ in t cases, we can generate as long as we like w/o filling it up! (Unless we have a "stop" symbol). So we can continue generating pts until all of t cases before "stop" symbol is filled in.

26 So we have shiny of randomish (confn).

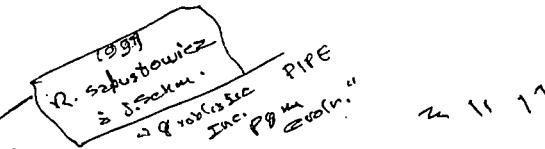
27 ③ We can extend t-~~to~~ t. K choices; we can vary t, depending on current SSZ. (SSZ can \downarrow as we close in on "minimum")

0 \rightarrow While PPM & MIMIC & its Modifies may do not so bad - w. function Generation, what I really want is a method that readily recognises sub functions

A ~~sub~~ Subfunction is obtainable by deleting say complete branches from a case. But I'd also like to return in ~~the~~ & ~~return~~ by taking say branch's deleting ~~its~~ subbranches from t.

See if there have been recent developments in MIMIC 97 • 1991 is 1998 ref. "improved" MIMIC
 (By Balaji)

FTM



m 11 1^

: [SN] Re: Juang's paper! I know he looks at PC's at t+ nodes. Then does a run of trials w. fixed PC's. T. Best could be selected from the runs & used. So mobility is ∞ PD's at t+ nodes — (Hrr. check this for correctness).

see long analysis
in STM 9-11-ff

He also says without several update methods,

[SN] Definition of functions: Several approaches!! Koza: Separate random generation of functions!!
(works) or actually?
Juang's (Approximate) t. Some!! Sol: No definition made until evidence that it is useful.

Takes more cc, but they have more pc. (?)

or may be one of most critical Q's in AI!

Also consider how Baluja & Pazzani deal w. ~~the~~ PC's!

Also T. idea of finding common substrings in DNA, Proteins (M. Li, Garry Wolf).

At "hyper level": I was assuming that for more complex ways would be "expressed" "noticed" at a "hyperlevel" — To what extent is this true? Exactly how does it work? How expressive (in cc & pc) is it? What is best way to balance cc & (pc) at discarding into "low" vs. "high" levels?

[SN] (Re) Noted PPM is 26% loss as good as Koza branch swapping, because

PPM does always recognizes complete \approx partial branches.

HVR: "Automatically defined functions" (T. og) By Koza seems like a way to recognize functions
I implement in (054) — at most less <5/pc. T. Q is gain or loss of cc/pc.

Comments on M&MIC 1997 J.S. C.E. P.

Assume the model is a n-component vector w. regard r.

In this case, there are r^2 components of $P(X_i | X_j)$. ($i=1/r; j=1/r$).

Mean we want to choose ordering of X_i . X_i such that $\hat{P}(X_i)$.

The $\hat{P}(X_i) = \hat{P}(X_i | X_{i+1})$ are constant values

$$\hat{P}(X_i) \cdot \prod_{j=1}^{r-1} \hat{P}(X_{i+j} | X_{i+j+1}) = \max.$$

So we need $r^2 \cdot n$ parameters to do this. Hrr. we end up

w. model having only $r \cdot n$ / pc. (No!) pc's (st. not so small). Most would

be ≈ 0 (using est rule) ≈ 0 using Lops rule (200 is size often "iteration")

We don't want pc's to = 0 since we then can't reach certain values.

Woops! There been missing a important model! T. Model has n^2 params

A complete model would have $\sim (nr)^2$ params — probably or there are nr "states" per position \times values at each of n positions. So nr "transition probabilities" (from fact t. "nr states" values are not be sequential).

By choosing a specific "order" (= permutation), we only need nr instead of n^2 params.

While this is RAM needs, it doesn't help w. size: There is no "pooling". So it will be better to store all n^2 params. But, updating takes times as long also — (But we don't update after each cond.)

4TM

Bibl. See 127 for previous Bibl.

- Bibl. of papers on "Per-fitness-Mut" (mg. "PBIL" & other related papers.
 ["My name is PBIL & Crossover: (Baluja 1998)"]
- 1) GA w/ Explicit stuck statistics: Baluja 1996.
 - 2) Extends scope of PBIL to problems where crossover is bad in GA.
 - 3) Many Comparisons of PBIL to GA.
- | B & J 95
 Shows HC is PBIL as good as
 GA in Oz problem
 Seems to need GA.

- 2) "2 option Heuristic" | Baluja - 1995 22 pp

Extends { 2 option problems. } finds GA is not better than Simple Heuristics.
 (in some detail) Examining types of problems

- 3) "PERLIC: Crossover - Beliefs - Steps".

- II → 3) Optimal dependency trees - Comb-opten: Baluja - Davies 97. ps [205 / 7/29/04]
 Uses pairwise dependences of parents.

Extends beyond "MIMIC" (De Bonet)

- d) Paper w/ to above (both w/ 2nd By) pretty nice.

- 5) Fact Prob Mod - Comb Opten - Baluja - Davies, 1998 | 7/29/04
 This method is useful in Both Hill climbing & PBIL.

- 6) April 1998 Prob. Models for opten: Baluja 02. pdf → 2002 good Biblgy
 2002 is latest ref: (only 1 2002 ref, here.)
 Looks like v.s. Biblgy.

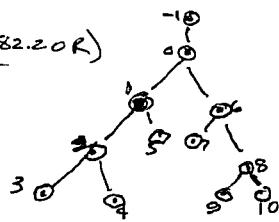
- 7) Bayesian Oz plus Adaptive Evol - Polhill - Goldby - 2002 - Polhill 2002
 Myself "Polhill Oz combining Discrete-Contn Opten.pdf" - 2002

Tutsai 2002.pdf

1

4TM

o: "Report" of (182.20R)



Look at node 5: while in $\boxed{\text{paris}}$, 5 $\boxed{\text{regular}}$

has context 4 (which is very useful),
T. context 1 2 3 4 $\boxed{\text{looks like}}$
is a useful subfunction

From t. approach $(81.00 \rightarrow 13 + \text{immediate context of } 5 \rightarrow \boxed{1})$; next $0 \oplus 2$
further out $-1 \oplus 1 2 \boxed{(3 \oplus 4)}$

I could code 5 w. a simple "linear" (\geq sequential) prefix: 1 is immediate, 2 peers
say node 3 $\boxed{0 \oplus 2}$ (in convention so choices unique) from $\boxed{2 \oplus 4}$ next $\boxed{1} \oplus -1$ or $-1 \oplus \boxed{4}$
etc., so we will have unique context for each nodes of length that can include entire cond..

If we get a mismatch at say p_t, t. context stops.

One objection is $\boxed{\text{PDT}}$ we have to choose another beta. $0 \oplus 2$ as context.

Say 0 matched but 2 did not: I'd like to use 2 as context, ~~but if t. convention~~
said "2 was to be matched first", I'd lose 0. Also, if 2 didn't match, I'd like to

say 1, 2, -1, 6, 7 ... as 2 context for 5.

It might be possible to $\boxed{\text{index}}$ several II contexts for 5:

$1, 2 \boxed{3}$ and $1, \emptyset \boxed{1}$

Other than need for extra RAM (may be available) (18) may not sync on if PC to t.

Pred. of 2 II contexts; If both contexts were of length k, was part

If we have 2 contexts, both of length k, then each context will have a certain "Broadness" of its P.D. — The 2 contexts will have "Broadness" of $\frac{1}{2}$ or $\frac{1}{2}$ as wide (\therefore better): But a context of length $\geq k$ would probably have a P.D. broadness of much less than that of $\leq k$ length context. So much longer for producing $\boxed{\text{context}}$ for long P.D.s (so opposite to what t. says)

2 II contexts of length k

Areas of induction relevant to my problem: (1) Recent Statistical Mac Xtra.

(2) DNA analysis, Protein prediction ... (Is wolf readable?) (May Lc).

Other ideas: (3) PPM with straight R.P.M or Pure Polish, (4) Modifying of RPN like 183 off or 181. off every only
~~parent~~ strings. (5) Turgut, Saltonmaz (1997) molobj (what's this?)

ATM

so every finite string starts at $b = \boxed{B'}$. A formula is $\underline{\underline{B}}$.

No t-string needs c terminals to complete it as B .
 So, for every string we have 2 integers b and c . If $b=c=0$, T. string is $\underline{\underline{B}}$ (only $b=c=0$ gives $\underline{\underline{B}}$)

If $b=0$ then $c > 0$ t. string is $\underline{\underline{f}}$ (function string): and then if $f > 0$, it's a $\underline{\underline{incomplete function}}$
 If $b=c=0$ it's a null string. || If $c=0$, T. string is a finite seq. of B 's.

So, a string is either a seq. of B 's (set of arguments) or a set of B 's followed by $\underline{\underline{f}}$ (incomplete function). T. incomplete will have c characteristic ≥ 1 . (\geq no. of B 's needed to make it a B -rich)

$\# \in f$ is actually a function w. c arguments.

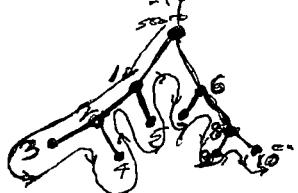
A string that is a seq. of B 's is a seq. of arguments. | So any string is a seq. of args. followed by $\underline{\underline{f}}$ possibly having c arguments.

by a funct. of c args. ($c \geq 1$).

So: $\underline{\underline{B}}$ as a $\underline{\underline{function}}$ depends on what and one wants to grow.

Since our string starts at the root: So all incomplete functions will be "f" type strings! a branch point, having a certain "c" value needed for completion. However, since we will be usually doing "partial" matching, t. string to be matched must start w. a few "B"s.

(How \rightarrow a func. generated? This is to "see go f-handwall" again.)



Consider a funct. like

$$\sqrt{a^2 + b^2}$$

$$\sqrt{x^2 + y^2}$$

Sqr rt of mul

Also would utility of x^2 ... a unary function. Very easily land?

x^2 : perhaps leaves could be addressed for args.

One could use depth facility (but this misses the point of using PPM.)

Try finding what kinds of functions are found by PPM.

Recognizing that x^2 ($\times x^2$) is a unary function may be "higher order" intelligence.

To some extent, x^2 is "recognized". When x^2 occurs, a is more likely to follow.

But if x (B -string) occurs, would some B -string be likely to follow?

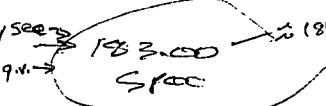
I guess I want to find out just "what kinds" of rays PPM could find in "RPN" or "PN".

Could PPM find useful rays in "infix" notation?

→ Using just the (parent) string relationship of function trees; PPM could find useful stuff.

There are probably many ways to code function trees: Certainly some (w. PPM) will be much better than others.

Actually, 181.00 - 13 may not be so bad / see $\frac{181.00}{13} = 13.85$



4TM

In Application of PPM to Generation of function trees:



To start off - each ~~process~~ funct or ~~terminal~~ leaf node has an ancestor. First uniform, then Laplace formula.

Hence, it depends ~~on parents~~ on function of nodes.

So sprouts at A have ~~as~~ = PC d.f. But depends on A.

Next, it also depends on ~~as~~ parent of A ($\equiv B$) or on other sprout of A.

In general, 4. dependency works backwards & sideways. ~~depends~~ for each node we can list nodes that are "distance back" of 1, 2, 3, 4, etc.

There is some Q about whether "traversing" deeply in 1 direction is more valuable than shallow search in ~~as~~ & front direction. We do have approximate matching.

At ≥ 2 given nodes, ways how many can we have ≥ 1 poss. "history"? If so

use ~~as~~ suitable with mean p.c. of children. $\rightarrow 1.82 \cdot 37$

1.83.00

If "context" is defined only by parents, & parents of parents... Then each node has a unique seq. of parents leading to its root — so we can put each node in a "locked" object & use PPM & its variants.

Look at Jugan (Schmidt) paper: Compares his method w/ $0.00 \text{ ft}^2 \text{ vs } 1.17 \text{ ft}^2$.

Also, compare w/ use of PPM on to RPN ~~string~~ expression of functions that ~~one~~ originally considered. Does it now does really have better types?

[In RPN any complete branch is expressed as a coherent string (new) — so PPM may be at least as good as Kozai's "random branch exchanging".]

In RPN, a string can represent a complete branch (eg. $z_0 z_1 z_2$). Also, if starts out w/ a function ~~it's not complete~~.

It can represent a partial branch plus ≥ 0 more branches plus a partial branch.

Recursively define: a string can represent a sequence of one or more branches forming in a "string".

~~from definition of "string" start.~~ \Rightarrow A string, a function, can represent zero or more branches followed by a "f-string".

[A "+string" starts w/ terminal ($\equiv \text{leaf}$), ~~is followed by~~ may or may not be followed by a "f-string". It can be followed by 0 or more leaves, ~~it~~ may or may not be followed by a "f-string".]

F T T F F T F

~~can~~ can start w/ a funct. — It can complete t-funct & become a "B" (\equiv complete branch)

Or, it can be a part funct so all args ~~are~~ aren't complete.

A "funct" is a string starting w/ a function, but not having all args of that funct.

partial \Rightarrow A funct consists of a funct. followed by 0 or more B's (completes branches) followed by a ~~f~~ funct.

~~as~~ for any of funds, is also ~~completes~~ \Rightarrow it is possible to convert it to a "B" by concatenating on one or more B's.

~~if~~ if a funct has successor relation C , (≥ 1) then follows many ~~as~~ concatenated B's ~~are~~ needed to make it a "B" $\equiv \text{fs}$

Every string beginning w/ a funct., has a C as. ($\leq \infty$) \Rightarrow it follows many B's ~~are~~ needed in concat. to make it a "complete" "B".

Every string not a fs, must start w/ $\equiv T$ (terminal). It will have to terminate before first funct. occurs.

Advantages of Kozai over normal GFA:

1) More efficient:
less LC iteration
repeating by pc trials

2) Ability to deal w/
~~as~~ trials in order
~~so it can deal w/ recursive funct. easily~~

7/26/04
FTM

180

179.29
00.179.40

: say we have strings of length d , from alphabet of ~~fixed~~ fixed.

Every time an example occurs, we have d^2 updates of pairs. Each ~~of~~ of d^2 pts has d^2 posses to add 1 to.

between At the end of all updating, we have d^2d^2 bins that have integers in them, that represent population.

~~Given~~ Given $\text{P}(d)$ array, I don't know how to use it to generate Monte Carlo trials, or to list trials in pc order.

07

One possl. guess at McC. trial generation: By suitable summing over $(d^2)^2$ arrays, we get pc's of each symbol at each d points. We chose \approx first symbol ~~at~~ \approx 20%.

Pick \approx pt. w. pc = it "most likely" pc at that pt. Actually it's $\approx (1,1)$ pt in the array, \approx at

We get \approx pc's of symbols ~~at~~ other $d-1$ pts. directly from the ~~WANT~~ table, $d-1$ data pts ~~at~~

.11 24 to assoc Matrix Elementry. This ~~will give some kind~~ of Monte Carlo approx...

.12 How good it is ... I'm very uncertain!

.13 Assuming .07-.12 is ok., to generate cards in pc order!

First pick " \approx hyper card" in poly way! First pick \approx most likely symbol for each of the d positions.

Then \approx product of pc's of those d symbols is $\approx p_0$. This will be used ~~to calculate~~ to calculate initial limits for LSRH.

Another way to get $\approx p_0$! Pick \approx most likely symbol at \approx $\frac{2}{3}d^2$ positions. Given that symbol, pick symbols at all other $d-1$ pts w. most likely pc's given initially chosen. These $d-1$ choices are equally likely to get a " p_0 ".

Moving probabilities obtained $\approx p_0$; we try all cards in ~~poly~~ $p_0 > p_0/2$.

Then condition $p_0 > p_0/4$; $p_0 \approx \dots$: C. use of a factor of 2 is not best; factor of 3 may be better.

These pc cards assoc w. cards like .07-.11 ... Not p. 12!!

Other selection ways to associate pc's w. cards can probably be devised.

Since $(d^2)^2$ can be very large: say $d=20$, $d=20$; 20^2 array: Means our SSZ for each pc is quite small. Suggests no use of PPM.

General Remarks about GP, PPM: My impression is that PPM (& similar assoc. methods)

are not much good unless SSZ is very large. It uses many GP, but not by an enormous AMT.

The "quick/rug" of Horner's method in certain situations may not involve a fairly large amount of (internal) work. T. idea of writing good TSQ's is to try to find ways in

which path to soln is indeed of hyper, i.e. design languages & assoc. techiques that make these paths feasible.

4TM

SM: Density Estimation is "Non parametric".

- D : Paper: I E3 Session 6b; (Part B cyb.) Aug 04 pp(708-1717) "Sparse kernel density construction" ... Is concerned w. obtaining a density estimate from n data pts $\{x_i\}_1^n$. They end up using a kind of Gaussian interpolator. They say its relatively fast & accurate.
- [The relevance to SM! Given n data pts at contiguous of $k-1$ different values] is driven: To estimate density for prediction.

- 07 [In same issue of Journal]: pp 1730-1742; Discussion of ways to improve Huf/cross in G.P. Books [worth reading] for suggestions.

- > : An Area for Massively Parallel [compact GA; PDF Div FDI 7/25/04]
Also see doc of "compact PDR": I E3 "Ev. Comp. Hough pp 287-297" - D.E. Goldberg.

- 12 Given 2 populations of N binary vectors of length k ($N \cdot k$ bits)
we can represent 2 populations = 2 vector space i.e. per population, binary or ~~one~~ (no intersection between bits) or ~~or~~ somehow as a Multivariate D.R.
That does consider correlations. To cross over would be a ~~to k~~ symmetric w. $\frac{N(N+1)}{2}$ parents. We can also do ~~and~~ \dots order crossover. Matrices
I had a computationally ~~were~~ neat way to express correlation Matrices of this sort.

- for many by order correlations, each time a case occurs, one can update all of 6 redundant matrix elements.

- Note: In a more recent paper (.10): They are using it directly to generate trees...
which much better. (It was done for Pruning methods of the Gentry P.D.)

- In .12, instead of binary elements, say we have radix 7 then correlation between
two \rightarrow Pr. is composed of correlation matrix will be a corl in a 7×7 matrix (symmetric).
Each time a case occurs we put $\frac{1}{7}$ in various array positions.

- We may find easier ways. The matrices are sparse & we only need to know the population of each element - so there may be much more efficient ways to store it. note: Maybe hash tables, or an analogous way to BWXEM or PPM does it.

- 29 30 (SM) Quick notes on PGM: Association larger Many needs: If we did 2 dim correlation matrices we would somehow get a Quad-form = a Multivariato t-test d.f. Getting ENs & Ets, we ~~had~~
had to use ~~the~~ ^{some} normal basis vectors as "~~mid~~ mid descriptors", we could use Multivariato d.f.
For MonteCarlo guesses / other ordinary GPs, or trying them in PC order as in CSM.
Getting Multivariato chosen p.c. order into ~~test d.f.~~ — Then an orthogonal set of basis
vectors makes it sound like putting basis sets in pc order (which ~~is~~ ^{is} not wanted).
I think we do: List all cards w. pc > ϵ . Then list all cards w. pc at $\frac{\epsilon}{2}$... $\frac{\epsilon}{2}$...
 $\rightarrow 180.00$

ATM \rightarrow S&P \rightarrow ALP.

Cross Validation:

\Rightarrow We have a data set $\{x_i; y_i\}^n$, we want $y = f(x)$ as a good approx.
 α is a parameter. α_j is the best fit of α for a data set $\{x_i; y_i\}_{i=1 \dots n}$ w/o j data point.
 So error estimate for α_j is $\sum_{j=1}^n (f_{\alpha_j}(x_j) - y_j)^2$
 (i.e. we use param α_j to predict y_j & look at error²).

T. Advantage of this means no necessity to obtain, since estimators are highly correlated.

To apply to S&P pred. strat is not so clear, since calculating a data pt.,
 may not be clearly defined. E.g. eliminating "1 trade" depends
on which α was used since each α falls where we go in & out.

We note just barely cut out sections that seem to be of average "tradability time".
 We terminate a trading seq. at trade before it would have to continue beyond its boundary.
 Here we can always start a trade at the edge of a section,

Hence consider A.H. hypoth. $[IF (x_i \text{ occurs}, \text{exists } y_i)] \Rightarrow$ \leftarrow No adjustable params.
 If all x_i are distinct, $P(y_i)$ will just be perfect score via cross val. $\sum_{i=1}^n$
 to cases beyond x_i . We could make f_i rule of 13 more general by choosing y_i
 from $L(x_i)$ that are as close to the input digit x_i as poss. — so a very A.H.
 "Nearest Neighbor". If we have > 1 nearest neighbor n , deposit y_i 's ... use a uniform
 p.d. over those y_i 's for f_i predn.

So it looks like Cross Val. does not deal w/ A.H. hypothesis.

Well, ALP would not do better, if this were only hypothesis being tested! (Hence ALP
 normally does include "proximity" term (as well as stereo M.H. term). — Both have about
 same wrt.)

To A.H. hypoth. ALP is worse — uses "nearest neighbor", a proxy between & A.H. hypoth
 for predn. Also, ALP would give a warning that little improvement was obtained
 from +. A.H. hypoth, so we should expect poor predn.

Reasoning: ALP doesn't do anything but tell how much better our hypothesis is than no predn.
 It's doing L.S. Then "simple length" for \hat{y}_j is not biased. But for predn/ ALP
 L.S. is, we use guiding p.d. based on previous predn.s, which which is certainly "Biased",
 but perhaps not badly! T.C. is: would it give unbiased p.d.'s?

Another cross val method applicable to sequential data (like S&P series):

Given data seq: $x_1 (x_1, x_2, x_3 \dots x_n)$. For $j = 1$ to n do predn. off x_{j+1} using
current model made on $x_1 \dots x_j$. Residual error will be e_j^2 . e_j^2 will be
 \approx to forecast j . Since it's extrapolate into future. As a surprising model use

$\sum e_j^2 = \text{constant}$. (CQ). This may not be legit CQ. In fact, it's wrong, even if
 we used full(overfitted) ALP! Make better model: say $e_n^2 \approx \frac{n}{k+n}$? or $\frac{n^2}{k+n^2}$ (d*c*).

See 179.00 for 2 paper that discusses Cross Val. and "Density Estimation".

7/19/04

4TM

I have copy/paste of these; usually in full hardcopy, some only partly in hard copy
All are in PS directory (~~PS~~ computer). Bibl!: See 184 for next field.

00 : Bibl. of papers on PPM & assoc ideas!

1) Unsupervised Context-Lough Contests from PPM - Cleary, Tashiro, written ~1995 (has 1999 ref)
 Reasonable extension of PPM. Shows how related to Burrows-Wheeler (~1994) [PS1 - P28]

6/6/03:
 trace compression
 cleanup

2) A Block Sorting Lossless Coding Data compression Algorithm 1994
 Burroughs and Wheeler.

3) The Zero Frequency Problem. Witten, Bell, IE3 IT July 91.

4) Solving ~~the~~ Problem of Context Modeling : Charles Bloom ~1999

5) Modeling English text : PhD Thesis W. J. Tashiro 2002 ; 7/24/02 = PS1 : HP

6)

Balachandran, Kurtz, Shkarin 1999 Improvements BW/BW+ : It's conceivable.
 Speed & RAM needs.

Shkarin

7) PPM answers to practicality ~~PS~~ Dmitry Shkarin ~2002 : Still High chores.

8) Bell, Moffat, Witten ~1995 (in PS/1.7.04) : Hard copy of P28;

Reviews how good compression was at that time. ~1.3 bits/char for English for binary compressors.
 We are good at 2 bits/char for large corpora ~ PPM/(BW/BW).

9) Bunton 1996 : PhD Thesis - (PS/CHB 3/19/04) ↗ PPF : Bungey

Improvement to 2.6 improvement
 - only 18 pp : computer journal 1997
 PS remains unpredictable though
 - But = continuous
 "Samently Motivated Improvement
 of PPM Variants" ↗ Modo Hard Copy
 More Segments front up

10

20

30

Here,

We will focus on the symbol probabilities and on how they were obtained.

↓
1873 to 1910 or from 1869?
or 1869 " "

SN In processing of \tilde{L} v.s. kernel k : T. wt. of depends on $|x|$,
 $|x|$ being ~~number~~ distance from t. center of kernel. However, the weights should depend only
on the ~~number~~ of matched symbols b/w t. "Matchee" and the context considered (e.g. "Match length").

This would change drastically, integrally, ~~not~~ continuously like $\frac{1}{|x|}$.

Would this make much difference in result?

Instead of ~~extremet~~ continuous kernel, one ~~with~~ binary function of integers only, giving integer
bearing to "Match length".

7/23/04 " A way to do P123: For each "Length of match" (w. present ~~corpus~~ corpus to be predicted)
we have an assoc. wt.. This sort of wts was obtained by optimizing over "dist but past" - it is
a kind of "updated" aprob. There may be a relatively simple (approx perhaps) algorithm updating
the "aprob" (\equiv t. wts). Every so often we will have a \geq len R of match $>$ any ever before. So no
"aprob" data. We could just reuse that data until a suitable wt for it had been found

Alternatively, we might "smooth" the known wts. & extra points for "new" Len R of match.

16 Add info into both cont. of info in t. problem - or, more directly, how first part of t. w.

t. particular symbols factored out from each context.

So we have t. longest context "abcde"; t. next longest is "bcde". T. unknown
ratio of aprefs would be t. pc of symbol "a" After reordering by size of each context.

Say \blacksquare prefix abcde has occurred k times. Using major Lap's rule for pc's of
factored symbols: Compute $\#$ product of those k products by \blacksquare context abcde.

Then compute similar product of k pc's for ~~prob~~ simple predictions by context "bcde".

T. ratio of these $\#$ products is part of t. relative wts of t. 2 contexts.

Another factor is t. pc of symbol "a" which is t. ratio of aprefs of t. 2 contexts.

$$\text{Wt. ratio of } \frac{\text{abcde}}{\text{bcde}} = \frac{.21 \cdot (\text{pc of symbol "a"})}{.22} \quad \begin{array}{l} \text{[then not all sum of 1]} \\ \text{how "a" should enter is unclear} \end{array}$$

$\# \approx (\text{pc of "a"})^k$ proper factor?

Hm, I suspect that 1/GP may not be very right. It may give a few % to entropy/symbols.

- but what of more important to GP, is finding reasonable pc's to ngrams, ngrams, etc.

- T. Sort of P12 discussed in 179.07 paper.

ATM

01174:40 : — (see section 1, p7, apps 3 and 4 for fuller discussion).

π^j is the prior probability of O^j and is associated with the language used to describe the function, O^j .

In Phase 1, the system looks at the set of O^i functions that have been successful in the past and obtains from them a probability distribution on candidate O^i 's for new problems. ~~PPM~~ PPM is used in the present implementation to obtain this probability distribution, which is in turn used to guide in finding

~~L search~~ L search O^i 's for which eqv is large. This probability distribution ~~will be quite different~~ on O^i will be quite different from π^i , which is a function of O^i only, and ~~quite~~ independent of ~~any~~ information about past successes of various O^i 's.

A telling criticism of the Phase 1 methodology, is that it does not really understand that it is trying to maximize eqv . It just makes trial O^i 's "similar" to previously successful O^i 's and uses eqv to evaluate them. It ~~has no way to take advantage of~~ has no way to take advantage of certain trials are better than others ~~and~~ and has no way to use information in unsuccessful trials. In spite of these differences, we expect that Phase 1 will be good enough at induction ~~to make predictions~~ to bring us to the "Phase 2", which does have a good understanding of optimization and can use information generated by ~~bad trials~~ both good and bad trials.

Before telling how PPM is used to generate trials for Lsearch, let us first ~~see~~ look at how it is used in text compression. To compress text, PPM ~~uses~~ tries to predict each symbol of the text, based on ~~expands~~ ~~the sequence~~ the "context" of that symbol; i.e. the sequence of symbols immediately preceding it. Here, we mean by "prediction", that PPM is able to assign a probability to each possible symbol that might occur at a particular point in the sequence. The product of the assigned probabilities of all of the symbols that did occur, is a measure of the compression of the system. The log to base 2 of this product will give the number of bits needed to code the sequence.

live era uses
PPM for text compression
it's been updated
using much
(Good) code.
Hm. older takes
ppm's context-based
implementation:
 $T \leq 2T$, we can
only update fully,
otherwise $T \leq 2T$
"Round"

This is a rewrite of 159.20 ft!

of 159.20

Detailedly The Application of PPM to Phase 1 of Alpha.

Introduction

We will ~~detailedly~~ show how to use the PPM text compression program in the implementation of Phase 1 of Alpha, machine learning program.

First we will ~~detailedly~~ explain how Phase 1 works and how it differs from the more advanced, more general, Phase 2.

The PPM pixel predictor/compressor is then described and we show how it is used in the Lsearch part of Phase 1. There are several ways in which PPM can be implemented — we will discuss the trade-offs for some of them.

Lsearch can be done by either limit doubling, parallel search or Monte Carlo search. In the present talk, we will be using limit doubling. We will explain its advantages for the present application.

47

6

This is = rewrite of 159.20 ff.

T. E. G.

The Application of PPM to Phases of Alpha

Introduction

We will show how to use the PPM text compression program in the implementation of Phase 1 of Alpha, machine learning program.

First we will ~~detach~~ present explain how Phase 1 works and how it differs from the more advanced, more general, Phase 2.

The PFM precast predictor/compressor is then described and we show how it is used in the L search part of Phase 1. There are several ways in which PFM can be implemented — we will discuss two trade-offs for some options.

Search can be done by either hand-drawing, parallel search or Monte Carlo search.

In Pisa present the most well-known of the adventure

advantages for the present application.

~~describes~~ A critical part of Pro Alpha Systems is The framing sequences we will ~~describe~~ Various methods of implementing them.

Section: What is Phase?

188

Phase 1 is described in section 7.2 p.246 $Sol_03_y(NP3\text{ paper})$. The AZ logo again is used to both describe candidate functions, and assign a priori probabilities to them.

In the present implementation of `proto`, I think we will describe, we may ~~comment~~

Use A2 to draw ~~the~~ or some other ~~the~~ languages to describe your aims.

Associated with each language, there will be a natural a priori probability distribution

~~This~~ This a priori probability will be used to help evaluate the "fitness" of candidates functions.

Markov Model There is a different probability distribution on candidates that tells how close the candidate is to successful candidates of the past. PPM will be used to implement this distribution.

The problems at Phase I are all "Q, A" type problems: ~~multiple choice~~

(see Section I, p 6ff of *S105*, for description of Q,A problems). Q,A problems are a fairly general form of induction problem. The main problem in Phase I is always to find functions O_i such that

$$\text{Output by level } \Rightarrow \exists_0 \prod_{i=1}^n O^j(A_i(Q_i)) \xrightarrow{\text{is as large as possible}} \downarrow \text{difficulties}$$

Note: $\text{Pr} \approx$
~~any~~ ≈ 0.000005 km^{-2}

50 : My conjecture about Barron's result on (ii) ANN-like models: That while they used fewer params to learn a model w. given precision, they require ~~more~~ more precision, so perhaps same total no. of bits.

Hence fewer params \rightarrow cost of finding soln... but maybe not: If one looks at random, search finds bounds on no. of bits in soln., indep. of no. of dims.

If full gradient is being used, cost of soln will depend on hyper-volume of "Basin" that contains a soln. (T "Basin" is a region in which slopes toward desired soln.)

Maybe Basins are smaller for high precision solns.

For induction, it's just to no. of bits in soln, not to no. of params, that determines to wt. of the particular Model.

Hm, this Barron result is wild! The logarithm $\log \frac{1}{\epsilon}$ has no params, so the wts in net have all no. That is, net is able to do ~~functions~~ w. few params is amazing! T. Kolmogorov about expressing a n-dim funct. Several dims func., uses very complicated functions (as "Basis"). — Barron does not use that trick! T. Q: is it poss.? Increases in precision would not seem to be adequate!

At any rate, it may be poss. to show that one needs lots of bits to learn by dim functions w. (precision ϵ) using logistic func. (of no params). This could be done by Country no. of n-dim funct. w. precision ϵ (satisfying a certain constraint) that $\leq \epsilon$.

50 : Google: Today I was surprised to find that Google (which says it has 2^{32} web pp ($\approx 4 \times 10^9$)) can do PPM! I.e. if I wrote t. sequence "a c a b d f g" for Google search, it would GM read all 2^{32} pp to find that sequence in present results to me. Note gooboo on a c a b d f g ... it reads all 2^{32} pp. to get this. Takes < 1 second.

Startle we could force Google to generate "Google random" sequences. Maybe new tiny start. Also Google random functions — to be used to solve problems. I don't know if Google already will read pages written pure LISP, or "C" or Fortran. — Try this out. For certain preferred sequences, answer will be too many res. Google will ask for more constraints. We can write: $\{$ "a c a b d f g" LISP $\} \rightarrow$ constraints (?) — Other ways are poss. — say by defining languages, Google has other constructs for pprn "Advanced Search", "Macro Contexts".

Also, look at / Search my ~~recent~~ / BLINKS (BSF 7/16/04)

Maybe Get Lew Marten to write pprn to do this on Google!

[SN] On improving PPM w. definitions: for an ordinary (linear) config. we make up definitions, i.e. after so often, we reparse config wrt those defns. [166.11 reparse defns & possibly add new way to find useful name.] Here, when we define function (subtrees), we also must periodically reparse t. config wrt. those defns. My process is that finding common subtrees is not so easy [See 165.20] first may be poss. to handle something like PPM such, because PPM such can be described in terms of "trees" is subtree such seems to be a tree such. [See 167.3 stuff in PPM spirit]

Also note that subtrees often can be combined as ngms! (167.18 discussion)

: On Practicing (Ego from Emerging/Awareness of outside world) in TM!
 actually just about any large enough, well defined problem

Any open ended problem — like OZ prob... induction "or even INV prob" are potentially capable of having "Self-improvement" (= SI) as a goal.

This will occur in any "large" INV problem (f. Top goal or soln. in mind)

or an OZ prob. w. large enough "CB". — In such cases, it will be worth while for TM to spend a fraction of its available cc on SI.

Working on SI in a TM. But can use resources of "outside world" — such as Internet is potentially capable of realizing outside world can be "Manipulated" (as can the USSR). \equiv "Mirror".

We may be able to limit TM's internet access so that it can't manipulate outside world.

One way would be to provide a "copy" of the internet that's not connected to the outside world —

Say one of Baccaster batch's ~~newspaper~~ a retrieval corpus of + internet. Unfortunately, it would not be able to use Google, which \cong similar services ... which cuts down its relevance considerably

— but eventually, it would be able to simulate Google's functions (i.e. it had one cc --- Google has maybe 100k computers) ($20\% 300 \text{ per computer}$, 10 M bps $\frac{10 \text{ kbs}}{300} = 33.3 \text{ computer}$)
 Here, Google may be /, manipulable w. much less cc.

We might give TM some kind of "Limited access" to Googly services ... otherwise, it could easily stumble & want to manipulate it in other ways.

→ [It may be that it is quite difficult for TM to do much in "outside world" by access to Google.]

: Getting Back to Sheep: review of 159.00 -:40 → 160.30 -:40

Best curator review, who much bibliots.: Then put in bibliots later by scanning back thru notes: T:review will give places to bring references to relevant discussions.

O : 170.90 : not codes for corpus, but over PEM's : This makes Biased searches more drift to desired, but still not poss.. Is there any to define "Unbiased search" that will not discard some words possibly imp. (code/ PEM's)? Note, t. stretch over partial recursive forms.

Perhaps what we want is a search technique that has a "short code" ($\in \mathcal{L}(\text{appr})$).

The "B₂₈₅" in ~~the~~ search can't correspond (perhaps) to a bias inst. U.D. itself - is like exp. info.

O : 170.90 [SN] on objections to claim: PS(6/13/02 "Against claim")

If these guys found a short code for corpus, then found a longer code for ~~the~~ w. better code, ^{model} probably that BC of model + BC of data was shorter (for this test) than the model w.r.t. "short code".
— But look carefully at just what the ~~②~~ claim ~~③~~ actually did!

O : 160.90 : [SN] SM : Train on Sching Matrix (AMN's SM) : For k drivers interacting stocks, $\begin{bmatrix} \cdot \\ \vdots \\ \cdot \end{bmatrix}$:

Find a RNN function $\Rightarrow F(\vec{s}) \approx 0$: To do prediction, Fix $k-1$ off/kth ^{known} ^{values} as inputs to $F(\cdot)$. Then try various inputs to ~~other~~ S_k : It gives a D.F. (not necessarily unique) but this D.F. could give a (inverse) diff. of predicted S_k .

This uses fewer params than having $k-1$ drivers for each S_k ! — But to train this, we usually have $k-1$ S_k values from ~~the~~ yesterday & we want to get S_k from today — So P.S. ~~is~~ will not be useful!

- Arr, we can have ~~the~~ one ANN w. k inputs of yesterday's values, & compute predicted values. In terms of Minimizing (\leq sq error) ~~over~~ ^{over} dataset
- We should be able to do better than any, since we don't need the. set & test set.
- Also, we could do ll models of ANN, which will be significantly better ^(more) results.

— i.e. J-VS2 single control "best point" in param space having ^{min} Hessian.

I would choose \mathbb{R}^n space around "best pt" — parallel models.

→ Also, we don't have to keep our drivers in $\{S_k\}$ to be predicted ...
So if we used same set of drivers for all drivers, this does restrict us:

In general, #. no. of drivers will be \gg #. no. of Drivers: ~~so we~~

use a single ANN for all products.

- Also, we would change $\{S_k\}$ of drivers, from time to time. (so problem enters here). Also we would change $\{S_k\}$ of drivers from time to time!

Each day, we update (x window) the ~~the~~ $\{S_k\}$ of drivers \times selected drivers array, giving affectances already driver selected drivers. T. driver set is \gg S. driver set. Any thing can be a driver, but t. drivers have to be "selected" (large rank, large sum of money, large volume).

The updated array gives good cards for models of yesterday's ANN.

7/13/04

4th

oo: types of M-facial problems (like in Phase 2 of α)?

- 10 : **[SN]** Opt. values of using $\left(\begin{array}{c} \text{repetition error}^2 \\ \text{Hiblitzk} \\ \hline \text{K-L error} \end{array} \right)$ in Thm 3 of sol 78; first, the larger than (error) so much bigger, but (2) If α /alphabet is very large so p's are often very small, then for $S(p_i)^2$ to sum to $< \infty$, say, is not such a big deal, since p_i 's are very small. (Hence, $P_{\text{err}} = \sum p_i^2 \ln \frac{p_i}{p_i}$) converges in the case of Much redundancy!
 In fact, in "Bay induction" produce corpus of standard, finite set of finite strings,
- We can use the set of strings as an alphabet — in which case the true generator is ALP > PMS
- 19 $p_i + p_j$ resp. \rightarrow in which case $\frac{p_i + p_j}{p_i} < \ln \frac{\text{Alp(Corpus)}}{\text{Pms(Corpus)}}$. ~~(not necessarily)~~
- In 19 we have $\sum p_i = 1$, so this β ap. has to be modified a bit.
 - Also in 19 β ap. corresponds to predicting only one "Token": unclear how Remez & Sol 78 applies.

23. 165.18. **[SN]** On ~~Occam's Razor~~: If $\alpha \approx \beta$ for 2 PEMs $\approx p_\alpha, p_\beta$ are both codes for the corpus, including copies of $\alpha \approx \beta$. — If $p_\alpha > p_\beta$ then by corollary of Thm 3 of Sol 78, p_α has smaller expected ms error for corpus.
- My impression is that ~~Reit~~ (Because of the peculiar properties of ALP) implies that ~~Reit~~ $p_\alpha + p_\beta$ is ~~smaller~~ $\frac{p_\alpha + p_\beta}{p_\alpha}$ \rightarrow ~~smaller~~ $\ln \frac{\text{Alp(Corpus)}}{\text{Pms(Corpus)}}$
- p_α will probably do well in the immediate future. See 164.30 - 165.18 for possible cases on my ~~Reit~~ Perhaps if we assign apriori $\alpha \approx \beta$ properly, the discussion will be as if $\alpha \approx \beta$ were chosen before data was seen. If $\alpha \approx \beta$ \approx appears as $\alpha \approx \beta$ resp., Then, w/o seeing corpus, we would (perhaps) evaluate $\alpha_\alpha, \beta_\beta$ to \approx 2 codes
- At present, this is an unsolved problem.

- So 164.30: It seems relevant, perhaps identical!
- So 3 probs: maybe identical solns!
- 1) In approaching t.O.P., how do we know our model is better than another G-U-D.?
 - 2) 164.30: How does ALP fit in? "tag set, test set" diff?
 - 3) Occam's razor \rightarrow 165.17
- 4) (Not solved) In induction, we need ratio of p's of (2) to form a corpus. How can we find this in an "honest" way be summarized. A. D. \rightarrow Overall, non-uniform area correction \rightarrow 171.10

4/11

"continuous" amount of updating from PPM is out of & expected from PPM.

- 20: (68.40) Methods tolerate "diminishing returns". We can spend a big large amt. of times, but, presumably, much time to speed up updating.

The forces - Mixed update techniques "may not work together". Suppose user chooses methods to do various sub-functions & ways to put PPM together. If t_s is slow update & followed by a fast update ... like PPM, we lose all into initial slow update. → PPM needs slow update to build upon f. previous slow update.

→ Way to handle Mix of slow & fast update (PERHAPS!) After slow update:

derives new "grammar element" a compressed corpus by recording it using those previous effects. → PPM can be used to further compress that code (sometimes?) → At any rate, we want PPM to "interpolate" between the slow updates.

- Q: We note how far signs defined by t. previous to slow update. Code is corpus in terms of rules defined signs. So each slow update creates a new alphabet for PPM updating.

- 21: 168.29 A life: problems in TS "identification". We are given a speech sequence generator; containing random facets & several unknown phonemes (some known, some not). To identify t. seq. generator with a certain precision. { t. phonemes can be chosen by each contingent part of PPM contextual --- or chosen at random from both }.

20 is perhaps closer to t. problem goals to want PPM to solve.

Plus "Context" to get max compression for "Colleges Corpus" is a problem to. 20.

So in 20 ff, t. winner could be e.g. one that does products & expansion. The speech of models & the Corpus can be quite large, but it has to be stated.

The size & number of t. species may be such that identification of t. generator

is impractical, & that only approximation feasible - & can be used for prodn.

→ which is much like t. general problem W. a generator. Stochastic T.S. using random discrete phonemes & random continuous phonemes. T. "God" could give them as part of TSG
It might be (poss., feasible) to ~~use~~ use more iterations to pool them to score in

trying to predict a sequence. Could there be a way for them to share prior sequential links?

→ create a prediction scheme better than a simple linear combination?

← There has been much work on optimum way to combine predictions of the different expert predictors ... I'm not interested in that ... I want the Gods to share techniques, strategies, techniques.

Well, what about a way for deriving soln. techniques for time series or for other

7/11/04

168

AT

ALIFE \rightarrow "Microcosmic God"(Spec)
149-19

SN on Alife w/ "Microcosmic God" ~~is~~. How do we structure & Alife Society so

it can usefully work toward solving diff't problems? [that off. Middle Ages; in which Mathematicians would pose problems to one another: Trouble is it's easy to make diff' problems that + proposer can solve easily but the "acceptor" of the problem finds diff'. e.g. the factor product of large primes; Solving a puzzle; perhaps combinatorial problems, etc.

Hm., If a problem is of that type. (\equiv "proposer function") \Rightarrow no "acceptors" will be found! — So: Example: proposer says: "I have the product of 2 primes and the

result is 200 digits long. ~~Then~~ I will give you \$1.000 if you factor it in

1 day you get \$100; If not, I get \$100.

Consider eqs $e^{ax} + bxy = 0$; $\ln x \# / \partial y = 1$

If & given you $a, b, c, \in \{$ limits on range of those params $\}$ can you find soln. that x, y

in 1 day to .001 accuracy? $\left| \begin{array}{l} \text{or, a } bcd \text{ are selected randomly; Both Mathias try to solve it; first one wins.} \\ \text{or, each is allowed to select params of problem for opponent Mathias.} \end{array} \right| \rightarrow (25)$

To push tech skills of this culture in certain directions, we have the frequent funding TSO of t. "Microcosmic God" — That gives very large prizes for solving of its problems!

Individuals may solve them; Or Coalitions of individuals may organize to solve these problems & divide up the rewards in some predetermined way.

(15-18 could be to only source of money in future E. C. economy.)

Other winners of 15-18 may engage in bets w/ their community citizens.

Other citizens can go into debt, if they lose a bet, & have little or no "Money".

If 2 propose problem is too hard, no one will hesitate to accept it & challenger so

t. & two (initial) must both or first problem might be made easier (Giv. a hint!).

Another kind of problem: A math test w/ 4 problems: 2 mathias are allowed to select 4 param values for t. other Mathias to ~~solve~~ solve. First one to solve, wins all of money

D. Royal checker players
are very familiar to
this idea of competing
mathematicians

[One BIG Q: Would pay Alife approach being better than doing about separately, i.e. "Alife":

[E. simply try to teach population competing, coexisting PMS working toward common goal of Macro TSO].

Well try both approaches! See if either can suggest ways to better the other. The Alife ~~will~~ make

better by complement as Trojan Viruses or w/ Net of competing. $\rightarrow 169.30$

obtain

30. 167.40 "context" situation has been dealt w/ in past we obtain a Ad. of what

(t. generation off t. Caud.) does next. It could start a new tree! Perhaps "borrow"

2. subtract from part of t. corpus; perhaps present as final output, t. output of numbers "sub trees".

167.375 - 168.33 will be regarded as "very close to" or "suggesting a ~~gradual~~ growth of" koz's Crossover Scheme.

T. stuff will result in some Guiding Pd" update models that are very expensive?

So what we do is usefully use t. post-update models, but even so often, use t. expensive models.

— Rep frequency of update & monitor e.g. $\boxed{124.33}$: we can less update

~~(Spec)~~
⇒ (66.10): Note that PPM usually chooses only 2 short contexts for prediction - not f. entire branch.

This is at once better than it worse than ~~now~~. "Better than" because it often selects common functions. "Worse than" because while it can track large common branches, it usually assigns a rather low PC to them - perhaps lower than they should be. ^{1st}

On the other hand ~~it~~ may assign too high PC to them, or just assign low PC's to ~~short~~ common short functions ^{2nd}.

105.

TSQ design: Start out w. TSQ in English; but beware examples are "well defined QA problems": E.g. I could do the ANL of SAARL. It's a parameter TM in very formal English, so Express ~~the~~ Hours in English. When I. TSQ seems adequate in English then try to formalize it - but do so in way that ~~uses~~ captures the hours to work. "English" finds a "fuzzy" form of the thing process is equivalent to "Fuzzy fuzz" (\equiv Matchexact) in various ways.

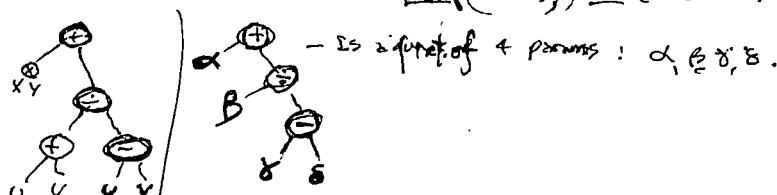
3. (67.05) SN In PPM use for "Guiding PD in Lanch": Note that PPM uses contexts of various lengths for predict. — So if ~~the~~ 2 substrings is represented as a ~~the~~ sub-string, PPM could "recognize it" as a useful, ~~the~~ predictive context.

Trouble is, all (or perhaps not even most) functions ~~in~~ an empirical CFunc will not be recognizable as substrings: The Tree representation seems much better! (in some respects)

If we say what we want to recognize is say sequences of symbols in steps in PPM, say A...Z are new: Then ABEZWD ABEZXXD are "similar".

Since they have A, B, Z in different order; ~~but~~ This sort of "Matching" is done in DNA analysis. → 99.25 on Miss Li's way to 6 things (to best)

What I have in mind: $\text{Sum}^A(\text{mul}(x,y)) \text{Div}^B(\text{sum}(u,v), \text{sub}(u,v))$



→ SN) functionality notation (does not use Polish) to make PPM's training easier (library to handle disjoint/overlapping functions).

The use of Tree to describe functions is overkill of "~~the~~ Notation", But we have to map it into (more) strings before we can use PPM (Perhaps not ^(3.7.5) very interesting & CFunc. is at this point,

We have generalized one or more substrings. We can look at corpus for previous occurrences of one or more of these substrings or of subtrees "crossed" to PPM. From this way PPM

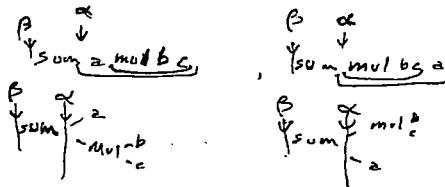
(Spec) (168.30) →

7/3/04

166

4TM

5-6



putting

so putting context to front of a touchen source does not ensure one goes down a given Branch.

context rule (left to right) (as opposed to English sentence right to left)

context rule of OR is a multi bc

or mult bcs = 2.

~~In RPN~~ while contexts don't nicely represent

nodes, they are certainly productive.

 $\begin{matrix} & 2 \\ \text{Mul} & \end{matrix}$ must always

617 642 6657 → TMobile no.

of this cell phone?

be preceded by a binary function sign that represents a quantity (assuming ternary functions are possible)

It is of interest to see whether LISP code has different PPM compression backward vs. forward.

→ 167.18 Spec

7/4/04 SN In studying f. PPM, BWTfun! was interested in factoring contexts:
 One approach: write out corpus; above each symbol, in a vertical column, write its local context that consists of length L ; L lines above the corpus. From this, it should be possible to find factors.

	231	or	t
today	360	unit	o
	513	ca	d
	15	z	s
		y	
			s

The profile 513, 300, 231, 72 ... may contain info about factoring. If the numbers decrease very slowly or remain constant — they might indicate substrings.

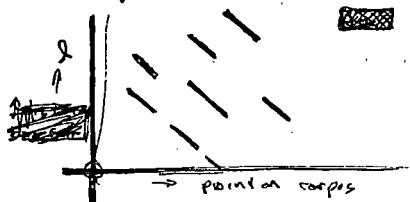
Group drops would indicate new boundaries. Perhaps reveal something like e. "derivatives" or "differences" function.

Or perhaps $\Delta n = f(n) - f(n-k)$.

We need run these density profiles over a distance of at most only 10 or 20 tokens at most — i.e., the expected length of a "word" $\leq 10^3$.

Wouldn't be cool to just look at the first 10 or 20 values of f. profiles to find "good" candidates? What about relationships between adjacent profiles? (see how this is done using a array of

numbers — perhaps we can "spot" words by looking at this ~~2 dim. array~~? Perhaps use a "3D portrait." "News" would be a constant line segment of slopes -45° .



Lines drawn are lines of constant context counts. They drop sharply in the $+45^\circ$ direction & more slowly in the -45° direction.

You can draw ~~2~~ 3d horizons that could spot words.

If may be poss. w. 1 dim. horiz. in the $+45^\circ$ direction

2/0 " " " " -45° !

So we go to corpus using slopes to suggest words. We put the "best" word candidates

in lexical order in parts to corpus w. these words (+ f. alphabet), using a "faster backshift" parsing routine. We rewrite corpus ^{using} our word list as new alphabet symbols. To how corpus is then subjected word suggestions, 11 - 20 to obtain new words. We loop this until we get no compression.

→ 198.30
199.01

FTM

Ochmans Razzer. \Rightarrow v.e. expansion? (Also note 170.23)

→ 164.40 body discusses ~~the~~ meaning of fit of hypos. to test data. It's using U.D. This problem does not occur. After we see r. data, we can make any hypothesis we want. If it is A.H., it will automatically get small wt.

T. Arg. & 164.30 fit is an imp. part of s. Q: "Why is the Irreducibility of D.U. irrelevant to its use in induction?"

It is still possible to look at test set, propose a single 'A.H. hypothesis', & stop: Then Pcs ~~seems~~

like a stupid way to do produ., it does common logic. Is there any ~~other~~ scheme that prevents use of 106? Well. There are 4 sets of A.H. codes, that each predict 2 different sets of 4. 16 different alphabet symbols ($w = pc$). Also 4 Bern codes. If codes should at least do as well as Roses.

Fit here seems to be a problem with ~~test~~, in that one could look off test set, & choose a seq. of codes that would bias the prob. estimate ^{universal machine}.

→ LSR using a principled UMC is a specific unbiased way to do produ using U.D. (192.30)

A notion associated: People regard choice of UMC as arbitrary, so the maximum code density of a corpus of 10^6 bits/bytes \Rightarrow "we can't compete with changes in UMC choices".

In fact one can't change UMC easily. It represents our experience — changing

UMC may make Ochman's razzer unusable (illegal — since all nodes contain 2 bytes)

Res. Och raz: Use courageous PPM: T. Shorter = code is, t. smaller is rms error wrt generated of data. $\frac{pc(\text{largest})}{pc(\text{smallest})}$ → But what about future?

o: 164.15: In discussing Coza's LISP Trees v.s. PPM: PPM is usually described in terms of "Context trees".

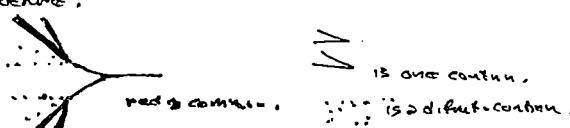
Can we somehow use PPM to desc. "Program = function trees" as well? One trouble is that

I'm not really familiar w.r.t. Trees concept. But just as ~~the~~ tokens can be put on a tree,

Branches can be ~~put~~ put into a same kind of tree structure.

Superficially, it's not clear how to do this!

Suppose tree contains 2 PCs



Another tack: Consider a. from (tree): Each node with tree can be considered to be a

"context" — (which is a branch growing out of that node): How 2 contexts can "match"

to some extent, but if non matching parts can have different sub-branches — so it's much more

complex than (more contexts). A big Q: A matches B to some extent, A matches

C to some extent. If A B & C are branch contexts, it's hard to say whether B or C is

≥ stronger Match (as opposed to 1 more context, where a ~~map~~ of first ~~branch~~

branch is a match of only 2 tokens). In branches we ~~can~~ also count w.r.t.

matching tokens, best if simple number of matches is not a compelling "criterion"

Another big difference is Pmt (linear context has a linear order, because of linear order of

tokens. But if a branch of trees is ~~branch~~ in K tokens, there is no ~~order~~ a branch way to order that branch of trees. This lack of order makes it hard to "sort" the tree contexts.

Let's look at LISP Expressions: (RPN)

7/2/04

4PM

Tug set/Test set problems how
Universal D.F. solves it. \approx 30 ft

164

16:53 Eni
(B)

13.52P 398V

14.03	: 9.0V	- 30m
14.04	: 9.0V	
14.06	: 4.0	
14.09	: 4.0	
14.16	: 9.02V	61.8 Ma
14.19P	: 4.06V	
14.39P	: 4.09V	Voltage volts to conductors resistance
14.48P	<u>9.0V</u>	- due breakout time.
14.49P	4.08	

00: 163.40 : Oh!, problem of $a+a+a \dots$ K times being coincident in Lstpm many many weeks, so ~~stop~~ to pc of t. next " $+a$ " int. sequence.

However, an "experienced" TM will have found, empirically, that t. prefix " $a+a+a \dots$ " is likely to be followed by " $+a$ ". Since we are not using the Univ. D.F. in Lstpm, but rather \approx "MDC", we don't add all those pc's together (as in ACP).

So maybe PPM would do well here!

06: (63.40) Spec : Please "rigid" rules for creating P.D. — They are strict rules that enable PPM. T. & learning generalized is then used to create clouds in Lstpm. [We must, here, consider over shot (true), otherwise we are too restricted in our seek (too "tight"). OSL corresponds to GP picking up a random branch from a random cloud — this branch having occurred only once in t. corpus.]

It may be that PPM can do as well as a better P.D. in general — we simply swapping branches (i.e. PPM doesn't actually swap branches; if borrow branches).

Kozas use different song! are they expendable in PPM? If Kozas actually assigns a T-addr to some, then, perhaps PPM is "left behind"!

Also Kozas has a way to do recursion....

It may be poss. to get all of that w. Forth, since forth is universal, but Forth may not assign nearly to same a priori as Lstpm does. (Hence we can't start w. all Lstpm functions in Forth's "dictionary").....

One way to get definitions is by my PSE-dicty routine. — I also get some recursion by $A \rightarrow AB$ Hrr, tell my PSE-dicty routine is probably very slow related to PPM. Perhaps start with PPM when you want to get to a good sloppy place & t. hrr, go to PSE-dicty. When to switch will depend on?

1) Time to execute C-func (\equiv "fitness func")

2) Expected \rightarrow in lmpc parameter due to one PSE-dicty.

Look at $\frac{up}{down}$ 25 124.33 for way to do analysis.

16.20!

10

25

30

If: (Assume Great Breakthrough): In using U.Dist for prob: How it handles "Tug set, Test set" mass.

Say we have some data: Before we generate we use U.D. to make 2 sep. of models Morning? For t. data. When data comes in we start w. first model. If it is "adequate" we stop; if not, we continue using new models, (which always in correspondence) + $\frac{up}{down}$

In "Tug set, Test set" method we first look at Tug set, try best model, then check it out (then scan) Test set. If it is inadequate, too bad, we need new data.

U.D. makes enables us to test an arbitrary no. of models on t. same data — it takes all data for t. test set, since t. Tug set = null).

In the 2 data set method, we can hypothesize / models that fit very well, so, the best prioritizes too "model cost" setting does date encourages art., well fitting models. So, having separate date

A-H.

prioritize

6/30/07

Phase I Induction Methods. ¹⁶³ ~~19 AF~~ \rightarrow 164.252205 : 6/30/07
P

4T M

163

Various

some

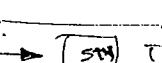
~~use order of G rather than P's. (Reusing f(G) is usually easier).~~00:162.402 1. A ($e^{-\lambda}$ -order) ~~parametrization~~ have to be decided on.

In regular Phase I Q.A.'s we just save + past "acceptable solns" & use them w. = wts as "Th. Corpus" for updating. For each new problem, we may try for several solns — the prob will usually have

diplets G 's ($\equiv P$'s) \rightarrow botom will be using all solns. in predn. In PPM in Phase I, we may want more wt. on solns to reject problems. What we could do is take some fixedNote 12.53;
eq. for freq.,
clustering.

population & some G funct., & adjust params of both PPM & conventional GP, & see

how good the results of the 2 methods are.. We can try PPM w. Various Corpus's.

Various G functs.  Another way to think about it: for U.D., if the set is all data from botm + Corpus (\equiv test set) it is soon. \rightarrow [519] Take all pairs of each 1st term & / per pair of pattern $\leq D$. \rightarrow Make many Corpus' put in S.O. Box, Read Napp. Get all friends.It's quite possible I'll find better way to do w. PPM. Do this soon: Do important jobs, then add params, repeat (then, T. C's are "addable"! Perhaps try to do 2 step review, having input-exp. derivations.06/04 So list the various Params I want to ~~try~~ PPM on so I can see which ones of them to add up.

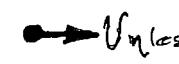
1) GP, 2) Compression of Eng. & Lisp rules; compare w. other variants of PPM.

3) ~~see if~~ PPM can express L. \rightarrow Try writing Ts ~~as~~: use GP & PPM

& run it.

Q: How Could GP work on Phase I problems?

In Phase I we try to find short codes for f.

Corpos.  The fitness function is a Mesa! No "Hill" just "yes/no". Unless we start w. A.H. \rightarrow to promiscuous unless we start w. A.H. codes prefixes & try to improve them.

What kind of fitness funct did Koza use in his electronic circuit designs? At f. start of program, for a very long time. There would also no "dead spots" in "fitness" (i.e. "MESA")

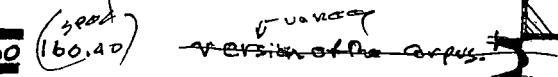
In General, it would be instructive to see how GP ~~can~~ solns. work by converting Mesa (LNU) problems to OZ / probs.In 19 most (non-universal) methods of induction can be "hillclimbers" e.g. finding decreases, & decreases of costs. Optimizing ~~test~~ params, trying various functional forms w/ optimizable params)

Universal codes can be found by making trial codes then "corrections" to trial. (MS error produc. is a special case of this).

As in my previous ~~about~~ Q.A., I had to think of a search for $O^j(A_i/P_j)$ in which ~~it does not provide~~ the finding of O^j : This is probably a Mistake! Use of correlations, redundant drivers (drivers) and do involve looking at A_i 's.It would be great if I could find a (heuristic) "path" from, say A.H./promisc. codes to a final singular short code. My work on PGM ~~decy~~ has been in this direction!Discovery of rules, then negate, then ~~concat~~ concat rules, — hrr, to forget scott is all referential, non-hierarchical stuff. — Deterministic rules you forget these reggs. — \rightarrow 164.06 Spec

4T

161 is 5M



6/28/04 160.265: In no IDSIA report the probability distribution for Lcorpus is generated by P_{IS}
long way & ...

The "C library" has a "QuickSort"

→ V.3.32 Vtols for 2-3.2004

6/28/04 160.265: On + use of a fast sort that doesn't allow insertion, for a seq. of problems, normally T. Such method in solving a single problem will take much more time than re-sorting F-corpus. Actually, if + newly solved problem is k tokens long, they can be inserted into G-corpus sorted sequence in a time $\propto N \cdot k$, + corpus length. We have found where the k tokens go, we can shift k sorted sequence by k places, working backwards!

Until we come to an insertion pt. Then no insert is contained
shifting k-1 places till we come to next insertion pt. Loop for

So it would be feasible to insert each solution into G-sorted list, since this would help much in combination solving + problem.

T. suggests that we store problem corpus + sort + corpus, using any easy way —

N^2 sort may be ok. Then after each problem is solved we insert the "k" tokens into it.

Sorted list: No need to "re-sort".

Another speedup: As we generate cards, we keep track of where in + sorted list, each token was found. When it comes time for insertion, we don't have to generate tokens, so insertion time is essentially same to do N shifts of address of .08-.10.

A huge part takes much more time in this updating is recomputation of the "records" for each token. Fortunately, we have records set of appropriate things to start with, whenever we do that "update".

To start off, I could use the common "Bzip2" method to calculate probs — but do still need access to "inwards" of Bzip2 better than usual much.

Actually I implemented in 2 Q's: ① will try methods used by "Records" to better run current methods ② Bzip2 is good in general for PGenes?

Perhaps Ray should be addressed w. separate softwares!

6/30/04

What about applying PPM to GP? How often do I need to update PPM vs. probal System?

124.33

Well, depends on how fast we get over good new cards! — also see equation 160.265 result

— depends on how much extra ΔG we expect from now & discovered good cards,

N.B. t. advised at .08-.10 can be used to remove elements from a sorted list.

For GP one needs to "Generate" — so that one needs to move ΔG parents from old to new population.

Via PPM: Then we update PPM on new population. Certainly this is a common way to do GP, so we can easily compare it w. to PPM method. A suggested trick: Compute mean ΔG from parents from Generation before. Regular GP is PPM based GP. In both GP & PPM version, there is a biasing toward G-parents.

In both GP & PPM version, this can be done in various ways.

N.B.: Strictly speaking t. use of PPM in Phase1 (as optproblem) is not exactly t-way GP works:

— In Phase1, t. highest G (Elitist PC) cards are always retained. In Phase1 PPM, we can update on top ΔG fraction of population, or use whole population with "weighting" toward best G. The value of "163.00"

163.00

[SM] .²⁰

>0: From 4TM 129.20: ~~the~~ A criticism is that the drivers & their sales are not same. It would be better to have them separate. We want ~~the~~ large σ^2 for drivers, but σ^2 of drivers is irrelevant.

If we have several drivers for a given item, we can study recent contours of drivers (or buckets).
e.g. T contours of drivers on previous day. How to do "Partial Matching" is unclear!

If we have N drivers; each contains a pt. in N-space, so we can use a machine (classification option) to tell which today is n to other days in past. Contours of N components add to more info.

Then others ~~are~~ bringing ~~the~~ matrix. — The R's is beginning to look like linear predict.!

— Not quite! ~~is~~ more like "East Based ~~the~~ predict" ... we look forw. separations in past.

Anyway, a BIG. is ~~the~~ ²⁰ contours of stock prices good drivers (= predictors).>

Since single stocks are not bad drivers, contours can't be very flat and they really ~~are~~ significantly better? (considering SOY diff.)

6/26/04

Why Phase 1 w. "reasonable TSO" has to work = .00

150

0: 158.30

: [SN] on Adequacy of PPM for Phase 1: When adequate TSO & PPM has to work! — (presumably)

tr language used is "adequate". While PPM was used for compression. Needs large corpus (\geq large size) it should need PPM for Phase 1. — I think I have all of it included in lecture mechanisms &

in Phase 1 — as is, PPM is pretty much standard Bernoulli's or Laplace's rule "type of K" "distr" which should be a deg var for Phase 1 (or perhaps for all induction).

Try to find/reconstruct the SAMEBITS for ANL. Since PPM does about same job as Bernoulli's PGM. — Perhaps w/o using STORAGE instruction! — since PPM is supposed to "simulate" storage

(or actually Emulate it!) It is conc. seems to have its sub-components in it, but they have been removed.

In Penn Notes (last 100 pp in particular), Part 2-2 Social/Computational or TSO construction/design[~~part 2-2~~ Under Discussion remarks & try to summarize most important ideas.ABCdefg A B C D E F G H I J K S¹⁺² 2³⁺⁴ 3⁵⁺⁶ 4⁷⁺⁸ dx

11: 08 → In fact — yet if composite context is not stored then we still know them they're one or more

Features missing from the Context — but there is no Initial first: That can be found directly

(Perhaps w/o CC) or w/ "hints" to various degrees, or, i. ultimate "hint" is to

Distr info/hints, directly

— Now —16: [SN] On being \approx 2-3 times for PPM, for card separation! All previous cards are represented by strings that start w/ the start symbol S. Before we insert a new context (e.g. the front part of a card) into L, we change it to N. N is a unique symbol that occurs nowhere else, so it always crosses mismatch at best yet. After insertion N S o. T. long. trick is to prevent matching from every part S, to the previous card — which is irrelevant.

0: 159.40 : One Limitation of Phase One is that it makes use of Oj's by looking at previously

successful Oj's, and making trials that are "similar" to the successes of the past. Though it does not understand optimization is what is wanted, it is probably capable of finding reasonably good Oj's. Its implementation area isCovered in Phase 2. ~~including the whole book, but mostly the beginning part~~

Using a corpus of successful Oj's of the past, Phase 1 induces a distribution

255. now It then uses LSEARCH to find cards of max a posterior probability. (255) Optimization is what is wanted, but it is generated by the language A \in (see Appendix A, p 27 of ID report)

26 In the system to be developed we will be using PPM — the method to generate new Oj's from a corpus of successful Oj's of the past.

I had a modification of PPM in mind, and I wanted to test it on English

text (or perhaps computer programs (LISP, say)) to see if my modifications were better to compare modifications with other variants of PPM. The corpus has some text.

Or to compare to other modules of PPM.

[Follow w/ a detailed explanation of how my version of PPM works]

255. When an acceptable bound has been found < T. criterion for acceptability can be various: ① Search

255. solution finds is unacceptably bad: pick best set of cards (log for ② Total prob \geq a posterioriprobability of cards is $>$ a certain threshold ③ Trainer may decide when search should terminate. — on heuristic basis! This solution is added to the corpus of solutions.

Max Version of concept Spec.

Periodically, the probability distribution used in LSEARCH is updated using the information (162.00)

6/24/04

159

10: So: Abstract/Summary of Review "Started" on 139.00.

What I want to do is program a probability version of "Phase1" (Phase1 is described in p. of IDSI report) PPM

I will be using "PPM" (or a variant of it) to assign p's to tokens ~~language~~ in the generation of candidate solutions to problems.

139.06 R: Then later 159.11 - 30

The sequence ~~A~~ \rightarrow \star \star \star \rightarrow B

discusses why I thought PPM might be very good for this task: how it could do some things that definitions do. Some things done by definitions that PPM seems unable to do.

Notes about PPM

(SN) A (perhaps) different way to write this review: Just write it up in "sequential order".

Then gradually add comments to refs to comments. As I do this, continuing indices of

imp. ideas found in this version of the manuscript.

① What "Phase1" is: how it's just trying to make "candidate" to problem cards.

② Why PPM ~~will~~ be good for Phase1: (Comments + PPM also ~~describes~~)
at PPM = (Notes on PPM ~~for R~~)

③ Why PPM is good for PPM (for me..)

2-3 Trees v.s. Quicksort/Hemp Seed (assertions in "inner loop")

④ How to apply PPM to Phase1 problems: 3 kinds of [such]: $R \neq T$; T ; Random

Advantages, disadvantages; why ④ was chosen: (probably ④: work out problems).

Wavelength	PPM
131.05	
139.06	
(130.27 R)	
133.05 condenser objective	
132.27 ff 2'	
133.02	
Abstract 131.23	

[Notes] PPM to assign p's to sequences

Advantages: 1. Many solutions. 2. AZ says, but now we use PPM to assign p's to sequences, it has second order O(j) cost compared to $O(n^2)$.
Disadvantages: 1. It's slow. 2. Many solutions, it has second order $O(n^2)$ cost.
Conclusion: PPM is good.

This Macro will describe/reduce the use of PPM-like induction to

realize Phase1 of the Alpha, AS program.

We will first describe Phase1, how it works and how it differs from Phase2.

The PPM compressor and prediction programs from ~~Phase1~~ described,

and we show how it is to be used in the LSearch part of Phase1.

There are several ways to realize PPM and ~~selected~~ programs. We will describe some of them and explain why they were chosen.

There are also Phase1 comments used in parts of doing LSearch.

Draw and explain why we selected a particular one for Phase1 induction.

Section: What is Phase1? Phase1 is described in §7.2, p24 of IDSI Report Rev 2.0 Oct 2003

But, instead of LAL language; we will be using a PPM-like system to obtain a probability distribution over trial solutions to problems by generating its tokens, one by one.

The problems of Phase1 are all "Q/A" type problems. This is a fairly general (but not completely general) form of induction problem. The main problem in Phase1 is always to find a function, O^* such that $\sum_{i=1}^{n+1} O^*(A_i) Q_i$ is as large as possible.

(See IDSI report rev 2.7 for more details) See (Section of IDSI report: §7, Aug 3 and 4 for added fuller discussion.)

j is purpose of O^*

spec
→ 160.20

6/22/09

4TM

MUR251 ^{power}
USA
Issue LEVEL0 & all dc.

↳ Murrayat Ushoo.

That PPM May be Adequate for
Phase 1 & Beyond! .11-.30

00:157.40 :::::: I want to see how t. forgr. idea (3) related to actual TM problems in which PPM is normally used.
 Well, we use PPM to get pc for next token of a string; based on either statistics of a long string or
unorderd of a bunch of shorter strings (say strings that represent stimuli relatively successful cards for
 solving some problem). So consider we are working on Q/A problem in Phase 1!

We have this historical [O] _{f/N} Corpus: PPM gives us a distri based on "recent past"
for each token freq. during (and generations)

From sense the PPM is "universal": for a suitable corpus ($\equiv T \& Q$) we can fit any pc model;
 in f: sense one for context & content of "tokens" (\equiv previous features) we can
 guess my pc model for the token. PPM is very "consi", for any of a certain large
 set of statistical data generators — maybe Finite State Grammars.

6/23/09 A Major Q.: If we put in a pattern $\in TSQ$ that is supposed to embody a certain reg. Then w/
 what TD to fin: will PPM enable that w/ reasonable ESZ & cc?

N.B. For Context, the "Corpus" must include "traces" of previous problem solns. — not just t.

PEST prob's their solns = How PPM would do it: I havent worked out yet,

Re: Q: It works since that answer is "Yes"; if component cores. have acceptable

PC's then pc of t. core to be discovered will be "acceptable".

To Trouble w/ (5)-(6) is that in PPM all pc's of tokens or cores are "conditional" on previous token

Sap. in t. cond. In Connections (as in Sol 89) t. pc's of cores were "unconditional".
 Using PPM can vastly up(r) those pc's. I guess Core Net idea really is incomplete — it's t.
outline of an idea but context is very imp. in assigning pc's to tokens.

From t. today, my impress. is that PPM may be good enuf to solve very diff. problems

concepts) in Phase 1. — That Phase 2 will be (1) a way to get T to "understand" (2) t.

What "appears". (2) get beyond Lstochester & Finney (no comp factors) optimum
 prob.

Hvrs, using PPM, it will not be obvious that t. is context, and has by pc's t. PC

evaluated by t. pc's. Whch by T will be very surprised & intuitive.

Still, PPM seems to be capable of recognizing only 1 kind of "context". E.g. t. source

t. problem is an simp kind of context, yet it's inaccessible to PPM. We could

indicate t. source by an "index" on t. problem. How could PPM deal w/ indices of this sort? \rightarrow 160.00

Whch use
Serious Environ.
Society envirn.
Sol 89.
I didn't read
earlier
importance
ab'context'

FTM

20:156:90 Note 166.1ff on how to use BW to find "discovered words" in a corpus.
 Come into trouble when we have > 1 agent, because of order of agents — so we have several
 poss. parsing methods for the corpus. (In recent AZ141 we had parsing problems as well...).
 We wanted to [] ~~decide~~, i.e. in product of alternative parses) in PDE — as well as reconstruct
 on a heuristic basis, we do as Wolff! reparse corpus after every or every several
 new derivations.

157.33 ft tells how to generate ~~start tokens!~~ "tokensets" — So we first have to have learned from
 tokens (which, typically, are nouns). We can also use BW to get frequent nouns
 de AZ141 Dots — quickly, some can use AZ141 to derive them.
 I'm using AZ142 in t. sense of the way to assign PC's of single nouns, that's described in my
 — long letter to G. Wolff.

Is it poss. to use to ideas of 156.33 — 157.08 to (1) define nouns of language incrementally
 (as described in original 157 report) plus decisive measure.? If we could do PDE
 would be well on way to CFG decy, our area w/o. CFG decy: NGMDS & good enough
 to do rather good predn.

T. main "New" ideas (1) use of BW info sped up such for tokens ~~also~~ tokensets.

(2) frequent reversal to get good at least one good parse. (3) T. idea of hillclimbing to
 incremental changes in (word status & nounstatus).

An additional thing: BW xfm enables us to find nouns of by freq. But has a very
 idiosyncratic subset of tokens following them. ~~the~~ nouns of PDE sort are ~~not~~ & cards for
 de noun data. Also b. ~~it~~ tokens following such as NPST is also a "symbol set" card.
 I've written various times on ways to get nounstatus for PDE decy: Deco methods would be
 sped up by using f. BW xfm.

21: 156.29: T. reason this is very important: That I may find a way to use/make PPM so it's a
 much more complete/universal system. (Also, I will understand better what's going on!).

Say, i. operator & reverses order of ~~tokens~~ less 2 tokens, so best if we use RPN:
 z, b, α, F [F has args; α has args] = b, z, F .
 $\approx (z, b, \alpha), F = (b, z)F$. So say we have sequence z, b & want PDE

to discover that z, G (RPN) is v.g. — even when (Drop intermediate →)

Say PPM observes given & certain PD, based on observed contexts between certain
 "contexts" (= nouns in Prepos) & t. following tokens. For each context C_i , PPM gives
= def. on tokens = $P(T_k | C_i)$: Say G is a function on t. poss G_i , that can
 parametrize — thus changing t. P.D. in this way — i.e. higher $P(T_k | C_i, G)$.
 Which is a quite different def. on P.D. than given by

We may think of G as a "f.d. modifier": a common example is a tree:
~~Input~~ P.D. on input \rightarrow P.D. on output.

(Spec 158.00) →

<:\ERU\ERU.0002.

PSG-D (SCY.30 to
157.23 Catalog)

problem Q. foelsman.

Ind. intercepts:

(45.17) PB → BBCC

Not solved. 2002-03

145.16, 145.19
146.17

Spots for 2-3 trees

Many spots

137.02 - 14

After 137.28ff

ANN (51)

(42.28) (43.04) 12

TSQ 152.30 good!

[53.38 - 54.12]

137.26

Low prob today 154.30

IND component Analy 155.00

: FN On Phase 1 PPM vs Phase 2: ... In turn, it would seem Phases 1 & 2 or 3, etc., should be learnable in Phase 1: If they are expressible in (Universal) long Phases 1 uses, then they are learnable --- via PPM.

On the other hand, PPM can only observe ^{from} recent context, clearly not all kinds of "contexts". — Which is why we have to go to Phase 2 for very smart behavior.

[Also, Phase 1 seems, unable to really understand what "optimization" means.]

So .00-.05 suggests some confusion in what Phase 1 w. PPM can & cannot do. Is Phase 2 necessary? or perhaps universal Q's? — Is Phase 1 okay? Could I just choose ^{universal} (extensible) grammar for PSM's & try to correlate/relate problem domain to t-sheets of PSM's? (This is a kind of QA induction --- but Phase 1 for first approach.)

To argue against PPM: Consider a set of probs that are similar (in sense of being solvable by 2 or t-sheets etc.) — say other probs are off from x_i, y_i where it is common to all off problems, but x_i, y_i may very batch problems. As is, PPM couldn't notice to "similarity" b/c, because of fibrations to "adjacency" x_i, y_i . I.e., the problem, seen, pair (x_i, y_i) , Soln. — To contexts K has no immediate following neighbor of high likelihood.

K and Soln are linked, but not adjacent.

Note: If we could somehow generate r. Next x_i, y_i then I think this would Solve Differently

I certainly ~~had~~ been thinking of neighbors (\exists always \rightarrow always \rightarrow p.d.'s) — But I ~~had~~ thought that I even found a way to extend PPM to neighbors or p.d.'s or always or always, \rightarrow See .30ff on latest "Breakaway". PPM is already a kind of memory — about more later. Slugs, because t-sheets do shorter lengths have less/more wt. One way I considered: Consider all contexts (preceding) to x_i & y_i . This is a kind of slug. We can count (cont. right) a neighbor of maximum weight, so we get to x_i 's: x_i, y_i, \dots — which means neighbor can be followed by former/kinder slugs. In this very oldish paper \Rightarrow be followed by some fixed preceding, with a distance limit = p.d.

→ Mr. .00-.10 is the Main Argument: I really have to Get it straightened out!

Just "Thinking Out loud": We can perhaps simulate a Univ. D.F. using PPM if we consider as PPM weighted sequence/universal instructions.

FN As $SSZ \rightarrow$ perhaps PPM "must" (?) approach t-universal D.F. in this sense it would be "consi".

I think this is what I've been mulling about: PPM delegates a certain kind of responsibility on "active" symbols.

Here, "active" symbols, make it possible for certain symbols to modify/override ^{from} occurrences of previous symbols.

Say " α " marks "active" symbols, γ, β, δ etc. We can code in corpus, using α followed by

selections which of t & it is (PC will track ~~freq~~ of the symbol within α occurrences).

So when we find corpus & get its PC by using α depth α . Next we can "hill climb" on additions & deletions of symbols to it. This will be done rapidly if we force

EW ~~ext~~ to converge). — Since it's easy to find all occurrences of $\alpha, \beta, \gamma, \delta$.

We can evaluate corpus PC's ~~value~~ (for formula) while this speeds up. At 1st, we still 157.00

4TM

[S]

ICA: Indip Components Analysis

(P28)

Also see 6/17/04

\rightarrow Several Tutorial papers on web: also see 6/17/04

Jougen Suttorst (perhaps Hoch..) did "nearby" ICA w. ANN. So named ICA as "Linear".
 Also look at J. & H's paper on "Flat Minima" for ANN. ... They got some nice web
 site results. Looks like there are a few other web sites for papers. There is a report
 on 6/17/04 on "Flat Minima" in pseudo code! I don't know which one, however.
 Another ask J.: It may be a sped up "Factor Analysis"? But like Zeta code detection?

06: 15440: Each set of chars is 2D in Nspace: we could normalize power & reduce no. of dims.
 The no. of chars in "alphabet" is large, it is still enumerable to 2 PPM. We may have to do modified
 "escape" since Diagonal Rule ~~is~~ we will often observe chars that have not been seen
 before. We do, however, have a (random) metric below chars, so if a char hasn't ever occurred,
 \Rightarrow "nearby" version has. A method of searching for "nearby" ~~is~~ strings of chars, ...
 Underline how good this.

One way to deal with problem is to quantize signal so as to minimize ~~the~~ be of signal.
 We can do this separately for different "error" levels ($\#$ runs error) for e.g. LPC code.

There is of course an optimum mix of ~~the~~ [LPCode + code for error] \Rightarrow MUL

~~the~~ It is may be a way to get "most accurate" LPC code which will be good ~~the~~

to use PPM

[S]

More or \approx 3 Major problems in Getting GP to be "practical"

Phase 1

of them

- 1) More efficient search over popl for code (PPM is slow (long and big)) (this is a general induction problem)
- 2) What to use as initial population is an OZ prob. (in advanced TM perhaps in Phase 2?).
- 3) How to recognize that a given problem is "similar" to an older "solved" problem.
- 4) To translate ~~the~~ formal "well defined problem" into an initial population problem soln lang. on this could be partly from "Metacope Context" it will not be too
- ~~the~~ a suitable ~~population~~ is perhaps a suitable init/cross algos).

2,3,4 are closely related (may be identical).

Anyway, after TM recognizes \Rightarrow new problem is \Rightarrow degrees $\approx 1, 2, 3$, resp.

~~the~~ to first prob, ~~the~~ prob 1,2,3 — we can look at 1. populations of ~~the~~

3 separate problems at various stages of completion (cell size (etc...) \approx no. bats $0 \leq d \leq D$).

So maybe ~~the~~ mix 1-3 populations w. $d_1 = 2^{j_1} / 3$. Actually, we have 2 parents for each

of ≈ 3 populations: d_1 is its correct d_1 for classes of populations/sets, we must somehow mix 1-3 populations \Rightarrow

the 6 corresponding parents to get ~~the~~ an initial population for 1. "new" problem.

1) Initial xform of 1. init problem \Rightarrow long for exp. solving

2) an initial population \Rightarrow possibly 2 init/cross or PPM or some other way to generate codes.

More generally: how to map my prob down into an appropriate PSM for it.

6/19/04

154

T M

Verg General Approach to "Phase I": (153.38-40)LINEAR Predictive Coding

Spec

00 :: 153.40 : Given PPM, $\approx T_{SQ}$ = ~~excessive GTS for Once~~: We have to Hill climbing problem & reducing to CJS. The bonds of possib. moves "int. climb" like 153.38 - ~~so~~ — They are ways to train to train (~~many other things~~).

Actually, T-Good shear "Hill" is +. \approx CJS; part-excess sequence. Say we keep final problem t. T_{SQ} constant. We can then change t. seqs of pros. & modify PPM or use ~~new~~ method of induction much diffrent from PPDY (say \approx GP).

If I use PPM, I may want to ~~the~~ "BOOT" + δ w.r.t. set of "free" solns. to a large set of pros. This is because PPM may not be able to do much w/o. a large SSZ.

\rightarrow If so perhaps it will always learn very slowly: needing many examples at a time, before it can usefully use it in pros. Corresponding to J's OOB results, If I limited TM to recursive functs, I'd put lots of recent "Boot".

Re. 06 ff: If PPM is slow, well its probably still/much faster than usual GA.

T. Q is: should it be as "creative" as GA, or would it be too "Elitist"?

Also I suspect that local extremes using PPM for GP pros will not be a problem ... but we shall see [2.2]

13 :: 139.40

~~[SN] Some time back I had an idea of applying PPM to the XPML corpus~~

~~BW~~ XPML corpus has several into (like people for PC = the language), any compression w.r.t. would be useful (concept for additional \approx factor!). Well, I believe that successive use of WB token does not add another \approx factor! They merely permute t. corpus! So we only have to use \approx \approx factor once. It is true, it can make it much more likely that \approx . ~~so~~ soft. WB tokens will

give some extra compression. (Try doing previous ref.) Scratched 154-160

~~It's true, BW XPML shifts corpus by α_1 , & it becomes BW XPML shifted by α_2 . Then~~

~~To get an original corpus, we need only shift $(\alpha_1 + \alpha_2)$ mod N — which is of PC = $\frac{1}{N}$.~~

I'm still not really sure of this, but!

20

22 (12) ~~PPM did not work on Spec~~

Perhaps for long time (using pros in T_{SQ}) The per problem will continue to \uparrow . — Until it has a large corpus; then the per problem will become more "constant".

I also consider (06) of starting TM w. a bunch of pros/sim. pros so PPM would begin w. reasonably useful set of pros, so t. "flattening" of .22-.23 would occur sooner int. 23Q.

But, I think t. many ideas in T_{SQ} writing, is to really know recurrent tokens for each problem.

Ideally, those tokens should be read by TM, ~~if not directly, used as few "hints" as poss. to get T M to acquire t. hours we acceptable to. We necessarily need TM to be able to discover hours of all kinds.~~

30 :

~~[SN]~~

Linear Predictive Coding is "linear" to PPM as best both XPM original Signal into a set of narrow bands.

Also, to use "recent context". I guess LPC is reports (1) the set of slowly changing coeffs (2) error in prediction. For lossy compression, t. error signal may be omitted.

LPC \approx would probably be poor for speaker ID. However, say we use 4 coeffs? This is \approx 8 bits in 4 spaces. These "pts in 4 spaces" would be characteristic of a speaker & could be effectively coded via PPM. So, each of 4 coeffs is read digitally w/ its own precision level.

It may be possib. to use 2 PPM on the set of "characters". Each point in 4 spaces is one

Scrambled int. language. To denoise profile of those "chars" in 4 spaces could be one

characteristic of a speaker. — But sequences of characters (\approx PPM) would also be used.

/ denoise ... now?

155.00

6/13/07

153

4TM

TSQ - 12

Charles Bloom has written about ways to improve PPM... who implemented Manyo's Plan. I have a relevant paper by him.

"2 kinds of PD's"

PDI before GOTO/GRM
PDI "guides" them

SPEC

DO: 152.40: Making concretes for solns w. log₁₂₂(category): Logical reasoning "maps"/xms & even problems into a problem logic, then solves it as logical problem.

Explained in 3TM 424.06

3TM 394.22 Worsening version of problem

TSQ v.g.

3TM 425.00

.. 419.02

.. 403.00

"do 2-12
on various angles
of 'category'

3TM 394.02ff

on "category"

SO Given problem: To try to map into logical problem is one possn. (We want to use context to make this more likely if t. context is appropriate). If this is successful, we continue w. that soln. If not, it doesn't appear in t. concrete. (only successful/useful operations occurring t. conc. nat.).

① 2120 Note 158.17!
1) SSZ is too small in TSQ :: pc's are too small.

- 2) Conc. nat has to be "darker" more shrinker-like learning. (JS below. Comes very fast)
- 3) We need a faster CPU & bus until factors are available.
- 4) wrt to 2) We want a "better" TSQ.
- 5) Some time ago, I wrote about TSQ Repair → TSQ Repair 15.20 → find it! It was so good! → No! → IDSE 3TM 405 or ~411
I scared 3TM 386-452
condition "TSQ repair"

12: 152.40 I've written lots about TSQ writing: One v.g. idea was to write "full & dirty".

TSQ is by writing an ordered list of prob/sols in actual programming code.

Then look at CJS's. Try to repair by adding problems, modifying TSQ, implying context dependence of to-here. When I finally do get to TSQ writing, perhaps read & review last few yrs of TM writings to try to summarize imp. ideas.

One complaint about induction TSQ's is that they are not readily progressed to deduction problems.

Re: induction, it seems to be easy to find reasonable probs (e.g., try implemented, etc) for it, & it would teach me more about TSQ. Writing of conc. nat constructions.

[SN]

On having sources to solve QATM: One easy way to do it pd's have outputs $O_i(Q_j)$ give 1 output! Now we have these outputs as "concretes" of E (refers), wrt a "distance function" from cluster centers & determines it in PC. We may have some normalization. The induction function itself could be a clustering alg. in which, in t. past, this alg. has been successful in finding sets of cluster centers & assoc. distance functions to do b. solns of particular QATM problems. — i.e., $c_{ij} = Q_j$, output = set of centers, is assoc dist. funct. The distance func can $\geq 2^{11}$ also have $p_c > 0$; — which is very desirable! (But other assignment methods won't do this giving $p_c = 0$, was a profound criticism of Bloom).

[SN] On "2 kinds of P.D.": PDI, Delmes

& how many QAs we have. It's an attempt to get t. PDI associated w. corpora.

Q_1, Q_2, \dots, Q_n . Essentially a SUMAC. In addition to these corpora, it QAs is to say

External "contextual" info should be included. It's TM's P.D. for O_{n+1} , mirrored all of t.

but that's never been done. With corpora Q_1, \dots, Q_n , PPM could t. m. = P.D. on O_{n+1} .

— T. Q_{n+1} : would it have usable CJS? Could we "repair" t. TSQ? To what acceptable CJS?

Could we "repair" PPM to use usable CJS? That TSQ may be beyond please! Use an entirely

different TSQ! Start on "TSQ repair".

(spec 154.00) →

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4TM

TSQ: 30 Imp

Hm, if we use
i. Current QA
Gores Than
any unsolved problems
gives $\underline{\underline{Pc = 0}}$
 $Pc = 0$ or
 $(n \text{ Gores}) = \infty$.
Otherwise
 $Pc > 0$ unsolved
probs, we can continue
to climb on
other problems.

o: (150.40): It starts w. Spec, we have a set of N problems; whenever it can solves m out of N , it gets $pc = \frac{m}{N}$ — which is a somewhat useful hill (Prob it considers \approx 1 problem to be of ∞ value). In next steps, it may try to attack unsolved probs where O_i didn't work & find corrective status. Or find corrective status on O_i that work for all (or more) problems high before. This is perhaps same of $n \rightarrow \infty$ what I consider in 8. latest version of IDSIA Report: early chapter on QA / imp.

But less "informal + sharp": I want to go to T. TSQ writing part as soon as poss. — since this seems like the most seriously diff part of TM design. T. Early TTSQs could possibly anything. They are mainly designed to teach me how to write TSQ's.

o: Back to 139:00 outline, review.

I may want TTSQ to fed up to replace So in future. — Like IDSIA report!

So \Rightarrow start w. desc of Phase 1 of TM \Rightarrow also Phase 2: How they differ! ~~Give~~ Give (narrow) refs in IDSIA Report.

T. present most direct goal is to use \approx PPM methods to assign pc 's of tokens in Phase 1, L such. for QA problems (both d-funcs & s-funcs).

: 150.10 <img alt="Diagram of a tree structure with nodes S1, S2, S3, S4, S5, S6, S7, S8, S9, S10, S11, S12, S13, S14, S15, S16, S17, S18, S19, S20, S21, S22, S23, S24, S25, S26, S27, S28, S29, S30, S31, S32, S33, S34, S35, S36, S37, S38, S39, S40, S41, S42, S43, S44, S45, S46, S47, S48, S49, S50, S51, S52, S53, S54, S55, S56, S57, S58, S59, S60, S61, S62, S63, S64, S65, S66, S67, S68, S69, S70, S71, S72, S73, S74, S75, S76, S77, S78, S79, S80, S81, S82, S83, S84, S85, S86, S87, S88, S89, S90, S91, S92, S93, S94, S95, S96, S97, S98, S99, S100, S101, S102, S103, S104, S105, S106, S107, S108, S109, S110, S111, S112, S113, S114, S115, S116, S117, S118, S119, S120, S121, S122, S123, S124, S125, S126, S127, S128, S129, S130, S131, S132, S133, S134, S135, S136, S137, S138, S139, S140, S141, S142, S143, S144, S145, S146, S147, S148, S149, S150, S151, S152, S153, S154, S155, S156, S157, S158, S159, S160, S161, S162, S163, S164, S165, S166, S167, S168, S169, S170, S171, S172, S173, S174, S175, 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4.14

ANN: .0011 for small feedforward nets! No rescale. .10 ff is 20m using cross validation. Predictive good
 $-0.09 \quad -0.10 \quad -0.18$ is 20m. to general 10-l. cross fitting - Prediction based in ANN.

DO : ANN! our approach to analysis. ① conventional feed forward, conformant.

W. Cross Validation: Trg. set vs. Test set.

Randomized cross val. Progress of w. adjustment until fit on test set is best.
 due to many random initializations. Prediction based on some(?) method.
~~Various~~ Various codes

Analysis: Each randomly chosen code is of some peak. The test set changes its initial parameters into a single peak (by choosing "Best"); assoc w. each random initializ., is a set of prediction states to be used on Test set. Because of many random initializ., each test set of states is of equal wt.

It is not clear how to use & merge for predict w/o have good & r. predictable. \rightarrow (20)

(Alt. strat: use standard ANN w. all no. of peaks. pick random params. Also ~~best~~ ^{optimal})

N.L. option to get prompt w.r.t. "Data set" (= test + trg. sets)

This last C.10 ff is essentially n.l. cross fitting: Using random initialization, we optimize to peaks, i.e. good baseline (\equiv width) of each peak. During optim., we get idea of how large & goodness is of a random pt. in param space. For predict, we use a wt. mean of predict at all of peaks.
~~Wt. is~~ ^{per} ht. of peak multiply by its baseline. We can get total fit ^{per} (=classifications) of the best peaks & get mean(ht. peak) "background" from (-3 - 14). I think this will give an "unbiased predict" in some sense. background

T. say, does not solve problem of "how many params" — which can be solved 2 ways:

- 1) Some how use ipmt date to estimate # in prediction assoc. w. sum no. of params. & rmp General, i.e.
- 2) use $\sigma^2 \rightarrow \sigma^2 \frac{N+1}{N-1}$ formula from linear predict? I'm not sure of proof for > 1 dim!

Using only trg. set: Assoc with a target. Will be number, telling how many trials to be made so far to "Best" pt. This no. will be Δ ; i.e. say a secondary peak so we don't have to know N_2 exactly. ~~Maybe~~ PC $\in \frac{\Delta}{N_1}$.

So randomly we could do wt. mean of initializations w. wts $\in \frac{\Delta}{N_1}$.

t.e. Predictions are

possible.
 Each division of 1. Data set into "trg." & "test" will give 2 different of expected variance in predict. — (depending mainly on sizes of t. & test). So we select a size ratio to minimize expected var. of predict.

ATM

10 : 139.00 is start of review! Some info about inclusion "redundancy" problem
 3TM 420.20 starts working on redundancy "problem"

62. 139.06 R T. Q of to what extent PPM is as good as (or better than) +.
 Use of definitions. (Ref. 139.06R)

At that point, I felt that definitions summarized a lot of use of Brants "rewrite" a corpus, saved much time in looking for higher order regularities

If may be Part PPM is as good as or better than others, if one only considers "onlayer": But defines ~~most~~ of words (= "words") making the N_{langs} poss... which is an impf "Hyperorder Concept".

Another thing I discussed much in t. past was "What is Context" I think t. final conclusion was, but my answer:

It amounts to "How is + Pd of t. next symbol (cont. Pd of t. t. now) (or distant future), dependent ^{post} of Corpus (or my other Aux) info
 PPM uses a simpler freqg. model of probly — w. some surface refinements for "symbols t. t. have never seen & been far (escapes). But, in general, the Q of "What is Context" is + same as t. general prediction problem

→ How can we define PPM's concept of "Context"? — using ALP, say.

AZ 14x is a sort of way to do this. Using definitions. From Ngrams. Expanding into ^{post} of tokens

I don't have a grasp of how to look at the problem in a good, general way.

PPM plays Corpus (recursively) + L. Can it print of a better, ways to predict on L? I've written

some on this last.

6.12.04 Originally, t. idea of "Context" became a rose when I was using simply freq. of tokens to get ~~the~~ pc's t. next tokens. "Context" suggested ways to get between pc's behaviors.

But in general, ALP finds t. best ways to get pc's of tokens is not the most general way to get pc's

Recent Ngram is t. most restricted idea of context ... this is used in PPM

I think that this is modified to consider ~~size~~ of each context & how often it's seen & its pred. (i.e. how sharp its implied P.D. was — also was it ~~det~~ determinate (\equiv only one continuation ever observed)). For some ways of using contexts, they observed not using longer contexts & entropy/symbol. This must be because they were not using rate & (or for) evaluability & effects of long contexts. I treated one aspect of this in my analysis of

"One Shot frag # 1/2 AZ 14x" (see letter to Wolff). → Another talk 152.20

[SN] Most recently, I've been considering having TM start on MTM problems, then go to what seems harder: NM TM. However, maybe better to start w. ~~stochastic~~ ^{immediate} (= MTM) at t. beginning, because ~~it's~~ once is almost ~~there~~ "on + Hill".

In many optm problems, getting on a reasonably steep part of hill, t. initial is often very difficult problem.

We could use a MTM test but a start for evaluation — so TM wouldn't have to get all problems right to get a good score (actually any score at all!). In strategy w. a true MTM problem, however, I had a hard time moving onto T. Solution Govt. I don't know if I ever found a good way to do this!

Would starting w. Solution Govt "immediately" be better? — or would I have some difficulty transitioning to NM TM problems.

3TM 423.20 discusses "2 PD's";
 I don't remember what they were — for t. that time!

2 possb: 1) In LSch for Phrasal induction:
 T. giving Pd is usually fairly simple.
 like AZ or OOPS... very Bernoullish:
 BZ1p2 is a more sophisticated possb.
 2) could be t. true (incompletable) PD
 implied by some vone or equivalent.

→ (52.00)
 (52.16)

474)

- o (148.1) cont.: I have been considering competition among cards: Could Ray not cooperate (also instead)?
 ↓ advantage of cooperation is that Ray formulates \approx min-TSQ. Could we obtain such a Ray w.
Cooperation? (Also Note 148.30)

Redesigned to

So: Q's: ① What are good algorithms for competition or cooperation in a community of cards?

- ② Could such a community "live" in the environment as "worms"? If so, how would Ray deal w. less (^{denied} ~~dangerous~~) worms/viruses/spyware/trojans?

if suitably designed,

- o As is, Ray's "Tetra" cards could, perhaps, live in any computers = viruses;
 later offspring, then it would spread over the net. Here the goal of the system would be that of "Real Life" - i.e. no goal at all — just reproduction \approx a sort of "God". Children would not be sent out very frequently (since Ray would be notified by his children).
 So much time would be spent ~~desiring~~ ^{each} child to send out virus.

Ray specifically avoided using Machine Code in "Anarchis", to avoid off... by using code running on interpreter Engine. That no other computer would have.

] So Ideas I'm working on now:

- 1) I want to write summary of my recent work on implementing ~~V=~~ B22 to do GPi phase I of TM

- 2) I want to write more on future of AI for YAH.

- 3) The idea of what kind of social activity to have in a Life community designed to solve ~~external~~ problems / FAQs. How to implement a "proto-structure" (147.28ff) \Rightarrow 168.00

- 4) Perhaps how to get Ray down on Web re "document worms" or just voluntary timer on "Unused Machine Cycles".

$$\begin{aligned} & \text{1.8 in 12 years} = X \\ & 1.2/\text{yr} \quad 10 = .10/\text{yr} \end{aligned}$$

- Rec: 3) Perhaps give more detail look at T. Ray's work (described in Levy's "AI: A Life")
 Perhaps look at Ray's writings (see ~~his~~ his website in my "Bookmarks" on NPS00).

24 25! 147.30: Another direction of community Ming Li (et al) has a paper "PatternHunter II.PS CIPS" \Rightarrow 5/24/04

This detects, counts homologous DNA / DNA ~~sub~~ ^{two} sub-segments. These are "Similar Segments" better than "mismatches" by which mismatch \approx gap scores. They say Ray can do this very fast.

- Q: just what does Ray look for? What he would find be useful in inducing patterns in the genes that denote "useful functions"? T. Q's are up to Prof. for 3. utility

- (for induction) of "Regular Expressions" \leftarrow which are, I think, related to finite state languages)

\hookrightarrow This paper may be able to detect similar sub-segments in some order on different cards.

4TM

ALIFE

(47.26 min - 148.40)

Score

so: 147.40 : And A card has to be able to solve a problem himself, before he can present it to another card.

We arrange "problem rules" so that this is a useful challenge. E.g. One card just multiplies $(x - z)$'s together (very random x, z 's) & ask for a solution & resultant polynomials. — somehow, the challenger & challenger have to be on same level.

Cards can get "money" for solving typical problems in "problem pool" of 147.30.

They can also get money from one another by winning problem challenges.

A card has to make his problem look easy, but hard. A challenger has only a certain amount of time to solve a problem.

There is also Q of how do we generate children? Maybe we just look at total amt

of money earned per unit time for each known cards & we generate ~~random~~ 2 or 3 cards,

Cards based on this process (like Bzz), with weights.

We discount cards from population. But we return top "top percentile" of earning rates.

\rightarrow We may use ordinary GP method of crossover for 0.8-1.0 — May they be better.

Another Q is just how much money to give for each coin — so the amount won is more useful sense, a measure of how good that card is in problem solving.

Suppose Cards challenge one another. If they have "worth" (\equiv rate of mutation)

of all cards; They will want to pick a poor card, since a poor card is easier to beat.

The poor card will not want to take the challenge, since he will probably lose. $\rightarrow 149.00$

N Computer "Worms"! Use of "Computers' Net" to reproduce worms. This could be a great threat in "ALife": The worms would be rather benign to hosts & use very little computer capacity of host. To be resistant against antibiotics SW. They would have to have very unique structures — different to differentiate from other, common SW in the computers.

But their visibility is not the most important part. How to get them to evolve to be less visible in user's eyes, is main problem. The evolution so as to ~~be~~ look harder to detect/eliminate

\rightarrow would be part of the overall evolution. First try various ways worm could be more "curious"/diff. to detect or undesirable to detect. It may be a good detector/detector for other "hostile" viruses. — May look for ways that of visibility of competition.

\rightarrow Hm. Hackers may modify worm so it only does "useful" things if it has no agenda of its own — could pose a threat sort "survive?".

If envt. makes them find themselves? /
find themselves? /
↑
find

— Pro, since both involve evolution, it may be very difficult to separate them!

Also **NB** early (est?) paper on Viruses claimed that to destroy virus before it's properly constructed

Virus is a logic computer program. Is an "undesirable" task.

A "friendly" life form could meet & an "unfriendly" life form in a computer! If they fight One will kill the other. They will cooperate, or agree to ~~both~~ both (from host because fighting is expensive). Possible consequences here, many & saving resources of host (which they don't want to do) (Absolute 149.00!)

REV: 02

on time to do 2-3-Trial w. PBCC / PB35 / Pant500 / Pant2500 .

10! So, I should be able to make 2-3 Trial problem work in PB35 that is very close to what is needed in PBCC ; so I don't have to make many changes into new environment.

11-12 General conclusions about speeds of PB35, PBCC, Pant500, Pant2500 :
 PBCC is about 1.3 times as fast as PB35 (~~PB35~~) 145.10; 145.05 v.s. 145.10
 on PBCC , Pant2500 is about $\frac{2.6}{1.8} = 1.85$ (145.07, 145.10)

than Pant500 — Not much difference : perhaps check this more carefully. My impressions were like
 If we use Virtual Memory in PB35, the speed goes down by factor of about 60 .

We can use larger units of RAM in PBCC w.o. slowdowns however .

$\frac{2.5 \text{ to } 10}{\text{factor PB2500 to PB35}}$
 factor on 32 bit
 PBCC.

For time needed for various corpus sizes (\propto lower Band contours) see 144.18-28

T. max corpus size for PB35 to use normal memory is 7.85M

Using Virtual Memory 2.85M (but speed $\div 60$!)

Using Pant500 in PB35 & small corpus, it takes time to insert 1 symbol for corpus length 10.

Time/symbol $\propto \ln 10$; so corpus length of 10⁷ takes 10 hours for insertion.

A "regular expression" is a form of a mathematical language.

[SN] In Unix/Linux grep is a program that searches for regular expressions & reg. expressions may be used in find command of Filesystem.
Regular Expression: Recent Gnutar is one kind of "regular expression" therefore (= FS-G-nuttar).

should do. However many other types of expression are searchable: we should make a big project of finding kinds of regular expressions & of how (a) findable rapidly

(b) useful for problem. Scientific Data Trees: New start paper on "Regular Expressions" — May see used in Internet papers as well.

[SN] My impression has been that ANNs are good for predictions involving non-linear continuous functions. This Guy in Bioinformatics says best program for predicting structures from DNA sequences, has been a ANN program. — which seems to be a discontinuous problem!

— But I would have to know much more about what the program does !

[SN] ALIFE: "Avida" at CalTech, (see website/Bookura) They have this program (freely available)

To create organisms (Eugenia) from scratch of life. I don't think ALIFE is solving an external problem:

— A way I would do it: There's a pool of problems of different difficulty: Each has a "reward" if solved. We somehow assign the difficulty to mutations, so that there is a pressure to "Get more reward": Which means "Solve hardest problems". We may allow creatures to eat one another, to get parts to make "strong" (= reward getting) children.

It would seem (the more could be no point of "CalTech"), since one normally takes + genotypes of successful parents & mixes them w. genotypes of other successful parents. Cannibalism wouldn't yield anything better!

T. poss. advantages of an ALIFE problems solver: T. could can present problems (of composition) to one another. This is an automatically updated T & Q. A problem is to get the problems in order of surviving in the society, to be related to the problems presented to the system. Perhaps the social interaction consists of agents presenting problems to one another

+TM

$$2^{32} \quad 2^{50} = 10^9 \quad \underline{\text{so } 2^{\underline{50}} = 2^{32}}.$$

running BigMem.Bas in PBCC.

Dim A(268000000) As Byte. 268M

T! = Timer

For X = 0 To 250000000 250M

Next.

It took 105.131 sec. ! ~ 100 times slower than BigMem.Bas.

T. Diff. between BigMem & BigMem is rather small!

G4! I did 250M loops rather than 25M - so 10 times as long - not 100 times!

try BigMem w/ 25,000,000 only; Also note: Disc loops 2106.

10.1065 sec!

Still very simple!

On trying BigMem4: "25M" only! The try got stuck down at BigMem.B4(.00)

it USE 268M in A(); BigMem4 uses only 26.2M in A()

try 200M in A. for BigMem, only 25M loops -

Took 2.42 sec; so using > available RAM, it had to decalloc.So remember: Don't use so much RAM! 200M is probably too much.

I may get 512 Ram, hrrr.

(17) 105.40 (on PBCC: "DATA" and "READ" May be source what diff from PB35)

→ No such word as "SHARED" listed. ← This may be serious diff

3 2 "VARPT" functions (but not Varpt 32!) — It expects a.b. — it returns

2 32 bit address. — see Varpt VARPT

I looked up "Functions" → toward Export makes a function accessible between pages. (May be irrelevant)
 See "Global" vs. Local. → read this section carefully before using "Global".

READ\$ → Read\$ i only ASCII is readable. See at Page 2 a way to get numerical data in.
 Or use File write contents of t. first Node. Or have a file containing your
 data, that it uploads.

For setting up the initial contents of t. first Node, user is exp. of assignment statements:
 Put it in a String so it can be read when neccy. In PBCC, I could just use MAT
 assignment of MAT A() = B(); where B() is today w.r.t. preinitial Node (values).

T. System may have a Read mat! try read!

Read(t) is a String of t. tth Data object;

This can be converted to a number via Insts like CVBYT, CVD, CWBYD, get

So no real problem.

Also STR\$ and VAL (is MKE\$)

Actually V2 converts string expression to no. This is what I need to put numbers in
 DATA statements.

I think t. trying to VAL can have decimal pt. like "38.75".
 So "VAL" may work.

or even commas, in nature about commas
 like 3,923.13 local decimal.

PB35 has Val à many off assoc. functs! So I can do changes within PB35
 à test them, later move to PBCC. Hm, PB35 does not have "Read"; only has "Read\$"

- 20 : Speeds of various basic pgs & Pants, 500 vs. Pant 2, 2800!
21. To do loop of $A(i) = A(i)+1$ for 254 times.
 The do is 254 times ~~i~~-times each so 254 operations,
 In PB35 took 3.4 sec ~~+ 0.05"~~, or ~~HP500~~
~~so $\frac{3.4}{254} \text{ ms} = 136 \text{ ms/op}$ or 68 clocks/op.~~
- 22) To do 254 ^{times} operations in one loop using $\approx 2.8 \text{ M by array}$
 In PBCC took about 1.4 ± 2^4 on Pant 2800
~~so 56 us/op. or $56 \times 2.8 = 156.8 \text{ clocks/op}$~~ $\rightarrow \frac{\text{Pant 2800 speed}}{\text{Pant 500 speed}} = \frac{2.8}{1.4} = 1.857$
- 3) to do task of ~~as~~ on HP500 took 2.6 sec ~~+ 2.5 sec~~.
 or 65 ns/op. \rightarrow So PBCC is $\approx \frac{3.4}{2.6} = 1.3$ times ~~as~~
 fast as PB35

So it looks like PBCC ~~can~~ do things much w/o slowing down — so we could expect
 factor of $\frac{3.4}{1.4} = 2.4$ so using Pant 28 ~~&~~ PBCC will increase speed & efficiency

So Conclusion of 145.18 - .28: speedup by $60 \times 2.4 = 144$ over 145.18 - .28
~~but Syntex takes~~
~~1M/corpus would / 60 min~~ $\rightarrow \frac{60}{2.4} = 25 \text{ sec.}$ for 1 MB/gated corpus.

Unfortunately, to porting of a pgm from PB35 to PBCC is extremely non-trivial (PBCC
 often syntax different and didn't work). The printout of errors in compiler is interesting:

146.17 It can't find a number (1.0) (1.0,7) which means $\tau \leq$ ~~next~~ word in 10th line.

146.17 There is something in PB35 about references to Arrays via SRTNS being by "value" rather
 than "?". I don't know what this means — the 2-3T pgm does use SRTNS.
 2-3T defined much, so it does work.

First Transport SN-14 (For PANT 2-3T pgm)

Run " SN-14 No

Just by transporting the PANT 2-3T pgm. Here's contents of what to various SN pgms are:

On top of ~~SN-14~~ pgm is a form of syntax pgms

\rightarrow SN-14 may not have reinitialization of arrays to zero — so it works once, but can't be
 repeated (w/o. Zeromy). { It may necessary to zero an array very if "MAT" command pcc.

The most obvious difference PBCC is the first line is FUNCTION PBMAIN()
 (use " " END function.)

In the Documentation online, it says "functions always" \rightarrow Function PBMAIN() AS Logic

My experience is that "AS Long" is syntax, Try deleting other parts of line...
 If there is any problem, it's necessary to add " " line! See: key word

146.17 If $\text{INKEYS} = ""$ Then goto 10 ; otherwise t. screen will disappear soonest.

Program ends.

(no "run" needed)

T. technique, is to write pgm, change it till it compiles ok. (Compilation might
 may have useful feedback (e.g. 18 - 19) After compilation, it is possible to run

The display is go to t. "CCDir"; doz refresh & double click on t. current "src" file
 — usually second from left.

\rightarrow 146.17 SPEC

Syntax 32 bit DOS.
 Sort < Mylib.txt >
 Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

Sort < Mylib.txt >

Sorted.txt.

5.26.04

Speeds of My 2-3 Tree program

00

The $\times 60$ factor seems familiar to me! ~~What~~ Just what I can do w. That factor, is unclear!

Now in Virtual mode see memory H1 can be.

try $k_4 M_x = 5$	$H_y = 10 k$.	$k \dots = 5.824$	$-30 \rightarrow \text{output!}$	$6 \rightarrow 34$
		now $+527$	$7 \rightarrow 1476$	$6 \rightarrow 350$
			$7 \rightarrow 1463$	$7 \rightarrow 1718$

$$H_y = 100k \quad 7 \rightarrow 1698 \quad \left| \begin{array}{l} H_y = 1M \quad 7 \rightarrow 1703 \\ H_y = 10M \quad 7 \rightarrow \text{exp. memory error.} \end{array} \right.$$

$$H_y = 5M \quad \text{memory error} \quad \left(\begin{array}{l} H_y = 2M \\ H_y = 2.8M \end{array} \right) \quad 7 \rightarrow 1465 \quad H_y = 3M \quad \text{no good} \quad H_y = 2.5M \quad 7 \rightarrow 1700$$

$$H_y = 2.7M \quad \text{OK.} \quad H_y = 2.8M \quad \left(\begin{array}{l} \text{BUG!} \\ \text{OK } H_y = 2.8M \text{ error} \end{array} \right) \quad H_y = 2.85M$$

$$\text{So } H_y = 2.85 \text{ OK.} \quad H_y = 2.9 \text{ bad. PBCC's close out.} \quad 20 \times 2.85 = 57 \text{ Megabytes!}$$

$$T_{\text{PBCC}} \geq T_{\text{PB35}} \quad 16.227 \text{ by PB35 for } (-1) \text{ said I had!}$$

For $K_y M_y = 10$ I got 126256. (≈ 121106 or 193.40 R) so it may be working.

AM It was $\approx 10 \text{ ms}$ (symbol + memory) using memory room! So $10 \text{ ms}/\text{symbol}$ in virtual memory.

~~For~~ So .6" for k symbols $600'' = 10' \text{ for } M \text{ symbols}$ 6 minutes for 600 symbols.

2.8 minutes for 2.8M symbols — so $t \leq n$ use this to compare w. 1M corpus.

or 600k corpos.

So I can do ~~all~~/²⁴ stuff in ~~Memory~~ Corpse

Conclusion: In normal PB35 memory 7.85k corpus is ~~~~~ 1M corpus (≈ 193.40)

Using Virtual Memory, 2.85 ~~1M~~ corpus is possible, but speeds $\approx \frac{1}{60}$ of normal memory,

Normally it takes 10 ms per symbol for 1 corpus of 600k $\Rightarrow 10 \times 2.8 \text{ ms} \approx 1 \text{ ms}$.

$$\text{So } N = 100 \text{ is } 20 \text{ ms/symbol.} \quad \left| \begin{array}{l} N = 100k \Rightarrow 50 \text{ ms/symbol} \\ 1000 \text{ " } 50 \text{ ms } 1 \text{ M " } 600 \text{ ms/symbol.} \end{array} \right.$$

$$\text{So } \approx 1 \text{ M corpus would take } \frac{1 \text{ min}}{25 \text{ sec}} \text{ (using PB35)} \Rightarrow 60 \text{ sec} = 1 \text{ min.} \rightarrow$$

~~Using PB35 for 1M corpus~~: Using virtual memory it would take 1 hr.

$$\text{Using PBCC } 2.8G \text{ (2.5 times as fast)} \quad \frac{60}{2.5} = 24 \text{ minutes for 1M symbol corpus.} \quad \text{using PBCC}$$

$$.6 \times 24 = 14.4 \text{ minutes for 600k corpus.}$$

$\rightarrow 500$

(45.00 - 16)

These figures will be mult by many for rest of calculation.

~~BUG!~~ BUG! Error in computation of memory needed for 2-3-T for larger Corpus!

- T. present's program uses words for addresses. This is 16 bits $2^{16} = 64k$ only. For corpora of $> 64k$,

we need 32000 bytes / address. This will be half the size of compressible corpus:

I had 4 bytes and 2 words, ~~8~~ 8 wordbytes so $4+16=20$; now I need $4+32=36$ bytes/character!

$$57 \text{ Mbytes } \frac{1}{36} \approx 1.58 \text{ M characters in max corpus}$$

Use of Double words may slow down PB35 further!

Perhaps try using PBCC (console version — it runs at 32 Bits!)

Time some items in PB35 vs. PBCC using P2.8. See if there is much difference.

In PBCC 250 Mbytes available so corpus of $\frac{250}{36} \approx 7$ M symbols.

NB I was thinking of using Bzip2 output for estimation of a bit-cost; but result is only ± 4 bits: factor of 16, which is not good enough! Looks like we will have to stl(corr) term. Quicksort or Heapsort. As is, I understand how 2-3 Tree, Qsort works. I want to understand Heapsort also. It may involve Tree Structures.

→ **142.28 = .40** is a nice "Hy-level" approach to TSQ construction: GOOD TO KEEP IN MIND!

of! 140.40 → Try to see how various prob-types, prob-types, solv-types can affect PES Scheme. → (12)

SN Under what conditions can we use ALP & get products of known expected error model construction yet not use "Cross Validation"? Perhaps if estimator is entirely a priori: we hadn't seen data when program was written: Exactly what does this mean? After the PPM is run on new (completely unseen) data, we have a certain bit-cost for bit of original data. This is expected value of future; (next symbol); bc/symbol. → (15.12)

If seq. is assumed to be "stationary" Then assignment of bc/symbol \rightarrow to a subsequence gives a \approx "unbiased" estimate of bit-symbol.

12: (5) → One way is to write TSQ "in English" at Hy level. Then put in problems and solutions, of TSQ & PPM ("train/test" corpus). Both probs & solns. should be expressed in "factored" form as much as possible, using symbols, counts, depths, that it PPM uses. "Generally Useful". Then each of these concepts ("factors") is converted to form used by TM via a TSQ, or inserted into T. lang. This is in some "con factor & form" these of a large no. of (prob/solv) pairs that use PPM's concepts, \rightarrow being made part of the test corpus, but PPM codes before TM starts (ring).

This "test corpus" gives PPM lots of important "contextual" & their likely contexts. heur#18

A form of a soln. could include "Use heuristic #18". TM will have tried to correlate it. Various heuristics would be followed by various choices used in its implementation. For TM to try to do it hours, since it - TSQ's database of probs + solns, that could have used heuristic a particular hour \rightarrow so it could do it in one hr, as well as "rules" for its implementation.

• The initial TSQ's are to teach TM elementary skills! Mainly I-ring techniques,

(2) Mainly to teach TM how to design TSQ's to get TM to acquire skills of various kinds.

(3) Ultimately to get skills needed for Phase 2

→ I could take t_i present 2-3 prob prob, see how long a corpus I can do in pure basic Rnn; then see how slow it gets for corpora using a longer Rnn → PB35W. My impression is that it's like using a HDD for X: data, using a RAM disk → perhaps acceptable for intervals in many "projects". See ~ 81.00 ft for studies of speed of read 2-3 t prob. T. prob. may use

was EN 18 B.Bas & also SN(S.E.Bas): I think t_i versus 20 bytes per symbol of corpus.

PB35 d/hrs maybe 200h for arrays! so corpus = 10K symbols.

EN 18 B.Bas H1=1000; D1/M DN(H1) as word. So: DYNomic May?

H1	(out of Many)	G4 ok	7.94 autotrain
2K	ok	7K ok	7.85K autotrain
4K	ok	7.5K ok	so 7.8K is ok
8K	autotrain	7.8K ok	7.85K is out of many

So I think better to do a 7.85K corpus

In SN18C/Bas q1 always has virtual I want to know true bytes for 100 sec or more! For KMMX=10 freqkey=5 output = 15.958 & think it doesn't work because much to do for 24 MX=10 is 640 $\frac{12.1106}{2115}$ w/o virtual vs. ...

: p 233 of Num Recs! Says for David Hart, worst case is an array that's been already sorted!
E don't see this!

SN Poss. Criterion of poly! That contains that only occurs / ^{only} 2 or 3 times in 2 very
 long corpora, and unlikely to be ^{good prep.} ~~prefixed~~ - (From latest work on $A \in \{a\}$) ^{see} ~~Ammermann~~

If a second layer of definiteness ~~is used~~: T. freq. of symbols should be based on
 the most likely person - i.e. not ~~all~~ occurrences of ~~are~~ \rightarrow (called ~~hybrid~~ ~~definiteness~~)
 will be instances of α . A certain no. of them (\approx of others) will be
 due to "coincidence".

On Qsort: 1) we can (possibly) significantly speed up comparisons by starting comparisons of \geq strings on their \leq symbol. It's a fast top & bottom "chunks of text"; for a poor chunker one always knows 1 string that is \leq all strings in a chunk, so compare those 2 strings to get \leq . 2) Horizontal S.E. + expected value of c_c for Quicksort solved by solving a difference eq. Probably \Rightarrow one can get difference eq. for c_{avg}^2 & get value of d.f. — which would be very useful!

At first Glance it ~~looks~~ differences equals to expected values is for Vare, screen identical: so $\sigma^2 = \text{expected value}$: But check this! My impression was that v. d. t.'s look like  rather than .

looked like rather than

Note absence of $(N+1)$ term (Horowitz may integrate $N+1$ for first term, but it's irrelevant here.)

Corresponding to 14.12:

$$S(N) = \sum_{z=1}^{N-1} S(z), \quad S(N+1) = \sum_{z=1}^N S(z)$$

$$(N-1) S_N = \sum_{z=1}^{N-1} S(z), \quad N S_{N+1} - (N-1) S_N = 2S_N = S_N + S_N = 2S_N : \Rightarrow N S_{N+1} = (N+1) S_N$$

$$\cancel{N S_{N+1} - N S_N + S_N = 2S_N} \quad \cancel{N S_{N+1}} = N S_N + S_N = (N+1) S_N$$

$$\frac{S_{N+1}}{N+1} = \frac{S_N}{N} \quad \text{so } S_N = kN.$$

Is this early form?
Yes.

So σ^2 grows like a linear function $E(n)$, so $\frac{\sigma^2}{E(n)} \rightarrow \frac{k}{\ln n}$

$\frac{\sigma^2}{E} \propto \frac{1}{\sqrt{n \cdot \ln n}} = \frac{\sigma}{\sqrt{N \cdot \ln n}}$

TsQ's: A major problem is to design a (inst sat // reg config) so that 4 hours I want TM to occur

can be easily expressed in this language & /Or T. lang is "extensible" so the needed concepts are easily definable. In my ~~present~~ universal lang, I must be able to define (or equate) concepts so that ~~one~~ is satisfied. It amounts to putting certain much kinds of a priori info into the Real. Machine \Rightarrow (e.g. see (28))

2.8 If may back main principle of TSO, Root machine design. T. restricts "Learnability" of t. TSO should be implemented via (Brain Engg) / (PPM) ~~types~~ regys.

So I write the ~~Scope~~ of problems (i.e. possible solns), a ~~part~~ ~~part~~ ~~part~~ p's

Problem for my solns. [I don't need to pass it to this - BZ (if its) would be adequate.]
 One way to implement $(3s-3z)$ would be to give TH context (prob/solv) "free" as part of its $\{\text{prior corpus}\}$ \rightarrow (43%)

4TM

: Once Q is another I can do w.o. 2-3 trees p.m. i.e. just use 2 Haussart filters B21P2.
So & I can find it.

Quicksort with Pseudo Random: $\text{sort}(n) \approx \mathbb{E}[T_{\text{quicksort}}(n)]$

Also look at 2000 HULL due to $\mathbb{E}[\text{sort}(n)]$

So much easier to perm! See Horowitz, Sahni P121 # for quicksort $\rightarrow 130$, NumProc. p233
I don't yet see why 6 stack is needed!

It is used int. simple, recursive form of Quicksort

Rec Quicksort: The partition pt. is chosen at random each time, i.e. $E(T)$ is the expected time to sort a list of size N , then $E(N) = \frac{1}{N-1} \sum_{i=1}^{N-1} (E(i) + E(N-i)) = \frac{2}{N-1} \sum_{i=1}^{N-1} E(i)$.

This is one solution to $E(N)$: $\sum_{i=1}^{N-1} 2^i = \frac{N(N-1)}{2}$ so $\mathbb{E} = \frac{N(N-1)}{2}$. $1+2 = \frac{3(2)}{2}$

Which seems unreasonable!

Eq. above is wrong. After a random point is chosen, we have to do $\sim N$ comparisons which takes

time: mean addition: Assume exchange takes \leq comparison time x

$E(N) = \left(N + \frac{2}{N-1} \sum_{i=1}^{N-1} E(i) \right)$

Hands P12 & Ceq. 3.4 got slightly different eq. $E(N) \approx N + \frac{2}{N-1} \sum_{i=1}^{N-1} E(i)$.

Given $E(N) = \frac{N(N-1)}{2}$

$(N-1)$ time of comparisons \rightarrow depends on order of data. This also applies to Horowitz's & S's proof

$\leq \ln N$: consider $\sum_{i=1}^N x_i$

$\therefore x^2 \ln x = 2x \ln x + x$

$\sum_{i=1}^N x_i^2 \ln x_i = \frac{x^2}{2} \ln x - x^2$

$$\text{so } E(N) \approx N + \frac{2}{N-1} \sum_{i=1}^{N-1} \left(\frac{\ln N}{2} - 1 \right) \approx N + \frac{2N^2}{N-1} \frac{\ln N}{2} - \frac{2N^2}{N-1} + N = x^2 \left(\frac{\ln x}{2} - 1 \right)$$

$$N + \frac{2}{N-1} (N-1) \left(\frac{\ln(N-1)}{2} - 1 \right) = N + 2(N-1) \left(\frac{\ln(N-1)}{2} - 1 \right) = \cancel{N} + \cancel{2(N-1)}$$

$$\text{so what is } \sum_{i=1}^N x_i^2 ?$$

$$\begin{cases} x^2 \ln x - x^2 = \\ \frac{x^2 \ln x - (x-1)\ln(x-1)}{2} - x^2 + (x-1)^2 \\ -2x+1 \end{cases}$$

$$= (N-1)(N-2)N+2.$$

1 2 3

$N =$

1 4 8 12 $\frac{1}{2}$ 18.833

1 5 12 24 $\frac{1}{2}$ 43.16

$\frac{13}{3}$ 24 4

$x =$

$$x > N + \frac{1}{N-1} \approx 18$$

$$x \rightarrow \sum_{\text{new old}} x$$

$$x_{n+1} = N+1 + \frac{1}{N} \approx N$$

$$\begin{cases} x_{n+1} = N+1 + \frac{2}{N} \approx N \\ 2 \approx N+1 = \sum_n + x_{n+1} \end{cases}$$

$$\sum_1 = 1$$

$S = 1$

For $N = 1$ to 100

$$x = N+1 + 2S/N$$

at next point $N+1, x, x/(N+1), \log(N+1)$

$$x_{n+1} = x/(N+1)/\log(N+1)$$

$$2 4 2.88$$

$$3 8 4.6$$

$$4 12.6 5.23$$

$$5 17.23 5.6$$

$$6 23.4$$

$$7 29.3 2.15$$

$$100 937.47 2.035$$

$$200 2.03609$$

$$500 2.025$$

$$1000 2.0225$$

$$10000 2.016277$$

Solve for N $x \approx 2N \ln N$.

This is "Expected value". No ω^2 is given.

It is "prob pt": is chosen random, it was 16

Same true to initial ordering of data would not affect result!

100	350	50
200	360 ¹⁰	30
500	250 ¹⁰	20
1000	22.5 ¹⁰	10
10000	16.7 ¹⁰	1

100	350	50
200	360 ¹⁰	30
500	250 ¹⁰	20
1000	22.5 ¹⁰	10
10000	16.7 ¹⁰	1

250	2.0x
225	10x
167.7	x
165.2	0
2.01652	$\frac{1}{N}$

$$x = 2.5$$

N.B. For g/f. finance Equus can be used to get σ^2 at each p. b. or c. of sum.

20 : (SN) For a T.S. of 0's & 1's only: How close is a curve fitted under MS approach to using true course & pc & Maximizing apsip?

I.e. maximize $\sum_{t=1}^T p(t) \cdot (1-p(t))^{1-p(t)}$ + ... same sources:

$$\text{Fwd} \rightarrow \text{find } f(t) \Rightarrow \sum_t (p(t) - f(t))^2 \text{ is min. This is same } \sum_t (p(t) - f(t))^2 + f(t)^2.$$

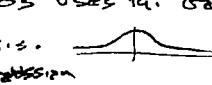
$$\text{min} = \sum_t 2(p(t) - f(t)) - f(t)^2.$$

$$= \left[\sum_{\substack{t: \\ p(t)=1}} f(t) \right] - \sum_{\substack{t: \\ p(t)=0}} f(t)^2.$$

$$2) \text{ to find } P(t) \Rightarrow \prod_{s=1}^{S(t)} p(s) \cdot (1-p(s))^{1-p(s)} \text{ is max.}$$

$$= \prod_{s=1}^{S(t)} p(s) \cdot \prod_{s=0}^{S(t)} (1-p(s))$$

→ Hwv. 03 can also be viewed as a max pc model w.r.t. Gaussian D.F. → So check it out!!

(HA) So they are both very similar. ← Maybe ln of this is as opposed to mean sq. error. we want penalty = 0. 03 uses rel. Gaussian D.F. for error. If we say "1" when 0 is correct. 06 uses 2. linear d.f. vis. 

→ There is some Henry penalty w.r.t. G.d.f. since words not mutually exclusive $\Rightarrow \sigma^2$. One "know" may be solve. 06 is to either solve 03 (as first approx.) + next approx. moves + late gbs in accordw. 06 by using Gauss error \Rightarrow simple soln. Two approaches to datasets. & as t. 03 solution is converges to correct so 1. to 06.

(SN) Instead of PPM, I could use old $\tilde{f}_n = \tilde{f}_{n-1}(m)P_n$, in which I only make 1 definition using t. recent content. I do this for all other contexts that have occurred before ($S(n) \geq 2$) & use a lot of precomputation. While this may take MUCH longer, it may be more accurate.

It may be able to help that regular PPM more accurate, by tailing how to fit.

~~processes~~ processes of various context strings. ↑ is summation
I do have ~~exact~~ exact formula for PPs using factorials. Here my approximations may not be correct. ~~check~~ using Maple. 

I would like to compare it to PPM.

Actually, it doesn't really implement "definitions" (to create new items from old) any more than PPM does. I am hoping that PPM will be good enough to get over thru Phase II. Another way to get thru Phase I is by GP.... possibly using PPM for Lsach — which is a bit like

Using a "second order" Phase I — The induction method used is Universal, rather than the t. limited modeling of PPM. In such a system, to lowest level (SQA) there are problems.

That are like extrapolating a seq. of functions. I.e. in t. QATM, we have a sequence of points that are sense to $Q_i A_i$, $i=1 \dots n$. A function for each value of n : $f_n(\cdot)$

We want to try to (rapidly) extrapolate a PP on fns! : PPM is able to do this rapidly,

but much better performance is probably poss!

Actually Phase 2 sort of does this. We first try to fit an "unorderd" set of points. As "unorderd" says: it is a set of appoxms to a func. that will work for "all QAs".

We assume that Phase I has found to solve problems that are Phase 2 meta problems.

Phase I could just as well apply such methods to its own ~~meta~~ meta problems, not various kinds.

Now at t. beginning, Phase I will simply "solve problems" — to train the or well as TM.

I will learn how to write TS Q's & TM w.r.t learning in Phase TS Q's.

4TM

REV

- At least 2 important things
 1) Implementation of PPM & use of the Larch
 2) TSO writing & how affected by ①.

201.138.40

Q: Some things to include in it: "Outlines!"

- 1) Explanation of why we decided initially to do 2-3 Trees ppm!

2) $N \log N$ time.

d) It may be available & 2-3 does pgm.

e) It could do insertion

f) Apparent faults of 2-3 trees:

g) " " " deletion.

i) My PGM uses at least 20 bytes per symbol for large corpus. (144.29)

06

1.5) Discuss recent work on how 2-3 tree may be better: 138.13

2) Perhaps initial discussion of "PPM": Why it looks good:

Q: just what were t. natoor or t. "improvements", in terms of t. general problem?

Initially idea was in Costa Rica.
 Nov 2003; 3TM421.93 mentions B2Z as posy: So < B2Z, 3TM421.93 stat. 405.31
 3TM421.93 Bibl. references: 405.02

sequential produc. of \vec{L} , problems of computing normal persons & expressing kernel [T. Improvements to PPM are really only for 2.5) The kernel approach: how to update it kernel cheaply! How to get individual token PC's directly, compare with 1/

- 3) Discussion of 3 kinds of Larch ~~not~~ T \leftarrow T, II, (random) MC

Why II & MC looks better at first (factor of k or k^2 where k is length of codon in tokens)

~~Conditions under which T \leftarrow T does not occur.~~

So discuss cond. under which T \leftarrow T seems best.

- 4) The "frequency of updating" problem and T. poss. use of Huffman (?) or quicksort

rather than 2-3 Trees. (Initially, I may want to use 2-3 trees)

Go thru recent work = see if they do indeed cover impl. ideas.

Also Go thru recent readings of ideas on TSO — partly modified by recent

ideas about PPM as a cheap ~~method~~ low level predictor.

Discussions of adequacy of PPM in this applicn. 138.04, 132.20 'improvement' (PPM ~~does~~ have to be universal)

Q: ~~Improvements in predicting E.g. \vec{L} sequences~~ Can all improvements in guiding PD

be effected by ?? Perhaps ~~because~~ because \vec{L} has just about all info about original ~~corpus~~ corpus:

It takes very little extra info to go from \vec{L} to corpus.

Could we apply PPM to \vec{L} w. any signif. compression? It would be easy to apply PPM to \vec{L} .

t. \vec{L} sequences!

It would be really ~~easy~~ if I could get the B2Z code & then find a part that ~~uses~~ \vec{L} .

I have no idea as to whether this would work!

Magnusson's overall BW paper: lots on mechanics of sorting.

It may be that 2-3 is sensitive to just what varieties of PPM one's using. For some,

t. regression may do nothing — for others, it may do a lot, whereas it may have negative effect.

No! on second thought, all varieties of "PPM" are t. same in that they convert corpus to \vec{L} . T. differences are how they try to predict \vec{L} — so for several reasons

at 2-3, we only end up using "a different version" of PPM once.

We can try various methods of producing \vec{L} : linear & non-linear (as mentioned before). Even try lambda-Lin.!

Actually, I'm not terribly optimistic about linear recurring PPM, but it's so easy to try, that it certainly should be tried! So when I have a \vec{L} generation program, I will definitely try those tricks. ($2-3 - \frac{1}{3}2$) → HVR, see (154.13)!

about what has happened? T. Noyekachchana can do given problems of a diffy
in "solve", "interpret", "Simplify", "prove", etc.

SN Back to our earlier Q on the "adequacy" of PPM for LISP: As an extreme case,
say we used full linear def for LISP. over success ~~use~~ problems in TSCQ, using solns of
~~previous~~ problems as corpus. This would recognize all good tags in corpus & use them
to ~~speed up~~ LISP. By using a less optimum P.D. to Guide LISP, we end up w. solns of
smaller pc & \therefore larger such times.

T. min. idots of $T_1 = T_2$ was that we could somehow make problem of improving T.
Guiding P.D., ~~problem formulation~~ is a part of ~~is~~ normal TSCQ. The phasal \rightarrow phasal
is one way to try to implement this.

SN on if need for 2-3 tree is its large need for ~~register~~ RAM
for "inner loop" chapter 15, p301
If we put stuff in lex order directly, as in B2CP2, say, ~~we~~ could use the \vec{L} &
corpus for production of individual tokens w/o having to insert only into \vec{L} . We
would have to know ~~where~~ to insert it particular context string, etc. If suffices were
in actual Lexic order (by address), we ~~would~~ ^{can} do a binary search
so each taking $\sim \log N$ iterations.
say we have 2 tables of N entries. $\boxed{T_1 \leq T_2} \quad \text{or} \quad T_1(N), T_2(N)$:
T₁(α) gives the Lexicorder of α , i.e. shift of \vec{L} for α .

T₂(β) is inverse of T₁(α): It gives β , shift no. of \vec{L} in lexical context.

To find where γ comes in \vec{L} (its index no. will usually ~~be~~ an integer):
We compare γ w. shift no. $T_2(\frac{N}{2})$. If its before, γ more comparisons. $T_2(\frac{N}{2} + \frac{N}{4})$
 \dots $T_2(\frac{N}{2} + \frac{M}{4})$

So we find γ 's position after $\sim \log_2 N$ comparisons.

Given Table T₁(α) we can generate table T₂(β) in N steps.
i.e. for $i = 1 \dots N$ $T_2(T_1(i)) = i$: Next?

This would be good for Periodic Updating of \vec{L} . Like Eq of 124.33

The process could be speeded up somewhat by noting how many common
symbols occurred before there was a diff parity. This would give idea of whether
one should jump, say to $A + \frac{N}{16}$ or, ~~much~~ closer, to $A + \frac{N}{100}$ or whatever
more distant, to $A + \frac{N}{10}$, etc.

0 : Consider Lempel-Ziv: compression $\approx \times \frac{1}{2}$; v.s. Bzip2: $\times \frac{1}{3}$. For ASCII: $\times \frac{1}{2}$ is 4 bits/symbol.
 $\frac{1}{3}$ is 2.67 bits/symbol. — Actually it's more like 2.2 bits/symbol, so English text is
LZ may be better so difference is maybe $(4 - 2\frac{2}{3}) \times \frac{2.2}{2.67} = \frac{4}{3} \times 1.1 \text{ bits/symbol}$.
For a 10 symbol pgm! This is $\times \cancel{2^{10}} 2^8 = 2048$! So it does pay to use Bzip2 rather than LZ. The performance on Bzip2 may or may not be very
significant, hrr. — I'll have to try this out.

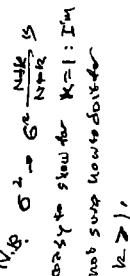
In the Calgary Corpus the compression factor for LZSP code wasn't very good but my
" Lisp " "Lisp code" will be for (I hope) a fairly redundant corpus!

It looks like it will have PPM for generating random any way — But it might not be useful feed back from PPM (Bzip2) pgn.

So best: write/review of how I will use PPM to do LZSP. — why I will use T=27,
Then write it in PBzip2. See if it can accommodate large input files
So useful — It is possible to get PB to accept large files, but it slows things down $\frac{1}{2}$ times
tremendously! Hrr, I may be able to tolerate this; t. only large files I'm interested in

over English text; If it takes a day or $\cancel{2}$ to do 1 file... still ok.

For temp SQUIS, I probably will have ≈ 50 files of ≤ 10 symbols, ~~large~~
But to test PPM on GP, I may need ~~large~~ files of ≥ 10 .



digital = Boolean
nondigital = Integer

digital = Boolean
(Binary)
Analog = continuous
non-digital.

Digital R

12:30 Thurs 24

P.E. Prof/Sch.
Monday

7 AM Std'

The presentation on
P28 - Bubly
probably (6/6)

7 AM Std'

W. 2 forms: One would desc. behavior w/o r₂₀; f. Some could desc. behavior w/ r₂₀.

We could try 3 decays ($6 \rightarrow 4$ partons) to see if we do any better.

Another posiy is to do away. (w.o. $\frac{dL(\theta)}{d\theta} = 0$) so only adjustable param.

I may better to solve for t , τ param. analysis is
Because, it's a first approach for τ .

482-800 case 1.

Here I really need a good review of recent Menkes' work on PPM production & how it is in Lysich.

List of ideas to think about (in stack):

2) T's Q's: $129\frac{1}{2}$ is very interesting! It is a list of "Mathematical facts" that I expect TM would be able to know. A fact, for TM is defined by how it is used to help solve problems. Here, I don't think I ever discovered a reasonable way for TM to know the "facts" of $129\frac{1}{2}$! For each fact, I want to say just how it affects TM's (behavior/problem solving routines). → .15 ff may be one of the BIG Bestmarks in TM TSC writing!

~~SAAB~~ was largely concerned w. ~~the~~ diffys of this sort. I think best to QA form of problems ~~which~~ would cover an enormous range of problem types — so writing TSPs would be much easier... — but still not easy!

I still want to write up detalliert howtose w "ppm" for Lernu - But I think Having t.

.15 is t. BIG PROBLEM. Having SW. form for PPM would seem to make it easier to write $t \leq 0.15$ - but only if I knew where I didn't know what to do, how to simp.

to write $t \leq Q$'s - but only of ϵ . kind where I didn't know material, how to simp.

$$\text{Waste to be dumped} = \frac{1}{2} \cdot 2^{10} \cdot 1.25^{\frac{10}{2}} = 867$$

My impression is that it's best to write TSQL stored procedures by level (English), then work on down to
Paging... way

Peng... way
One Ted from us.

One Top down way is to start w/ Big Problem & factor it down to + primitives:

If certain parts are too hard to factor! (exponents of variables).

These TSO's can be used back-to-back for incremental run of each problem soln. — for trouble shooting

We say that EC of the paverelated symbol. → This can be done by using Brute force or BIT Cost

W-O-W my guys say they're still ~~still~~ like cost is ~~the~~ so per factor off $\sqrt{2}$!

My book is out for troubleshooting, however
TSN in TSL book may want to put multiple solutions, into 4 copies, so that TSN could
borrow them from Bham.

[SN] It was a symbol from 2.5 to 2 : a factor of ~~1.25~~ from

$$2D symbols \rightarrow \underline{Bc} \rightarrow \underline{\underline{(86.7)}}^{-1}; \quad \text{symbols} \rightarrow \underline{\underline{(9.3)}}^{-1}.$$

I think Proofs is
written
2 135 minutes later.

Writing

00:134.30: Also, writing those TSQ's will give me better idea of what I want/need in a guiding PD.
(corresponding)
(analogous to PPM). One big difference between present state & 1990 (in schools) is that by using

4. Q & TSQ, I can write TSQ's & strategies. A TSQ having much kind of Descriptions,
may make it easy to write them. In fact learning of descriptions can replace "Telling" students
things

The "Lap rule" Born says. Seems to be close to kind of suggestions for new Cards
that I expect in long. There certainly are other simple ways, but basically, I think that

4. Born says, 3 main fundamental, elementary devices by which (PD's are easily obtained.)
PPM is a rather fast way to implement something very much like "Lap's" rule.

Lined Boxes

40

20 in HP500

17.5

7.1

$\frac{2.3}{2.3}$ - probability
 $\frac{2.3}{2.3}$ - time
2.25
2.1

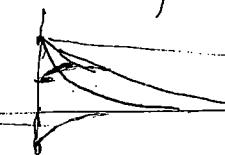
10:134.19: The idea of these PD's on tokens as "data objects" or "material objects" to be combined with objects
as w. various other data objects, to create new PD's. So we have an algebra of PD's
to create new PD's from old (the lastest what much of classical probability theory is about)!
i.e. combining old PD's to get new ones. No good ways to get PD's from R.W./Data.

In OOPS, 4. idea of associativity & PD w.r.t. design. or use of Tokens in a particular problem Soln. seems
very interesting? — But myself, 4. small size, without loss of established d.p., Problem

2 logical constraint. i.e. $\boxed{\text{Set}}$ of Tokens used in PDM is an interesting, perhaps

Useful, data-type! Learning to execute, manipulate these $\boxed{\text{P.D.'s}}$ could be
one important type of useful mathematical problem. Assess w.r.t. this learning how to generate 2
 $\boxed{\text{counters}}$ & manipulate S-funct. — which it will need to know, anyway

20B7/B8

2 G
100 day

2.0

2.1

(SN) A 2-param family of descs with nice properties:

$$f(x) = ab e^{-\frac{1}{2}bx^2} + cd e^{-\frac{1}{2}dx^2}. \quad \text{If we want } \frac{df(x)}{dx}|_{x=0} \text{ to be } 0 \text{ we still have}$$

3 params to adjust: after $f'(0)=0 \Rightarrow ab+cd=0$. so $ab=-cd$.

Another constraint: we may want $f(x)$ to = mean of $y(x)$ — so only 2 params.

We adjust to 3 params so best as a prediction: $f(x)$ has impact over PC for centre

Compute the score for each $f(x)$: is $\ln f(x)$ if $y(x)=1$; is $\ln(1-f(x))$ if $y(x)=0$!

so we want to maximize $\ln f(x)$ or make product $\prod f(x)^{y(x)} (1-f(x))^{1-y(x)}$: This way, but

easy to compute: (so we may want to use pseudo floating pt.).

$$f(x) \approx \frac{a}{b} + \frac{c}{d} = \alpha \quad \text{so } ab = -cd \quad a = -\frac{cd}{b}$$

$$\begin{array}{l|l} 2d + bc = \alpha bd & 2b = -cd \end{array}$$

$$-\frac{cd}{b^2} + \frac{c}{d} = \alpha \quad \boxed{-\frac{cd}{b^2}} \quad \boxed{c(\frac{d}{b^2} + \frac{1}{d}) = \frac{cd}{bd}} \quad \boxed{(-\frac{1}{b^2} + \frac{1}{d^2}) = \frac{cd}{bd} = \frac{c}{2b}}$$



No! $\frac{1}{b^2}, \frac{1}{d^2}, \frac{1}{c^2}$ are linearly related so the 3 params b, c, d as will determine

th. so not easily...

For computation, we'd like to be able to pick values for \approx of 4 variables & then

compute them to obtain α . say we know $a=b$ ($=-cd$) $cd=-\beta$ $a^2+b^2=c^2+d^2$
 \therefore simplifying $a^2+b^2=\beta$.

(2nd) that does

$$\boxed{(a-\alpha b)\frac{d}{b} + b\frac{c}{d} = 0} \Leftrightarrow \text{also } \frac{c}{d} = -\beta \quad \text{so we know } \frac{a}{b} \text{ and } \frac{c}{d} \quad c^2 = UV \\ \therefore \frac{c}{d} = V = (-\beta).$$

\therefore gives $\frac{c}{d} = V$

$$\begin{array}{ll} \frac{a}{b} & \frac{c}{d} \\ \frac{a}{b} & \frac{c}{d} \\ \hline 0 & V \end{array} \quad \begin{array}{ll} c^2 = UV & \\ d^2 = \frac{V}{U} & \end{array}$$

↑ talk at
Roy of Ess.
4E June Friday

One way to compare PPM vs. Computer pc of a soln: is cross breeding & via PPM v.s. via GP.

To compare Soln. times we have to consider long & short term... which is what GP always does. This sounds diff! ---- at a more "el." level, compare to "Goodness" of GP & PPM w. a fixed population. For GP, no long during a generation, is no long during a generation for PPM as well.

The (perhaps) advantage of Lschr (using PPM) ^{→ The "long PPM" is not very here.} is that short codes are sufficiently selected for.

In normal GP, we one has to modify to "fitness func" to include ~~some~~ other part short codes are better. Lschr ^{using some PD}, does this automatically. → GP deselects (using fitness func) is a case after trial because of excess long PPM. Lschr deselects better & trial, which seems much more efficient. ^{Also Q of whether OOPS is really to blame here: (1) Lschr}

Our BIG Q is PPM v.s. OOPS. Does PPM really give a better pd for Lschr? We have to consider various (≈ A.H.) mechanisms that have been & can continue to be introduced into OOPS but could signify its power. T: Excellent further it can do this in PPM is unclear. → (Also note 136.10)

T. Useful Mechanisms for induction in OOPS:

- (1) q. usual Lschr's distribution & work token (Perm Seq).
- (2) Ability to define new tokens
- (3) Ability to (combine, use, modify) ~~parameters~~ & functions used previously

Successful cases → to be used for present problem. → This succes like a v.g. idea → 135.10

It may be that PPM does do (3) (18) to some extent — perhaps better than PPM!

It does this by suitable choice of "except" probbs (or errors). My "kernel" does this ...

How effectively, is not clear.

(1) Is pretty clever as well as less number-crunching by PPM

(2) In Costa Rica, I got idea that PPM would \Rightarrow simulate effect of delays.

Now, how I'm not so sure! — Because definitions can control dealing moments in "various production" paragraphs.

Most recently I had idea that it would be useful to try PPM (any mechanism) on English text (so see how it compares w. PPM & its refinements).

But more important: I wanted to try it on GP problems to see if it ~~general~~ ^{shift} Speedup

→ So: What is expected value of PPM vs PPM for Lschr? What do we expect to get from it?

1) It will be function of the phase! (2) to demonstrate useful TSQ using (3) to enable TSLQ writing & testing. → 135.00

Well: Two results: Don't seem to fit together. (This is Roy: Moony's Computer)

I put Moony's original 4.3G H.DD into my PC; replacing my 9.3 H.DD ^{premises} that go 6.8 G.B.

On start up: 2. got to Windows logo screen 2. began 2 cycling routine (prob on start)

— Never got far. This is same behaviour that we get using Moony's 9.3G H.DD and Moony's E500. So it would seem that it's the SW. on Moony's 4.3G H.DD.

for Moony's Computer
5/1/02

2) I formatted to 17.5 G-B (H.DD) & partitioned. ^{Moony's Harddrive} E500 ~~format~~, I installed W98 F.E. w. no trouble, but our notebook: 2 total mess! (maybe I didn't partition H.DD properly?) suggesting that E500 ~~HW~~ is at fault.

sum
partition

4TM

• Note that in all of the foregoing discussion, if first part PPM could affect regions like 131.09-13 it is quite irrelevant.

A discussion of a soln. to 132.15 ff is in the NIPS report: The section on f. R (recognition functions) — In the first or second section of the report (Page 8 of 4/17 of document)

So the point is, I really should not worry (now) about 131.09-13 — But the approaches of 132.27 ff & 133.02 are more to the point.

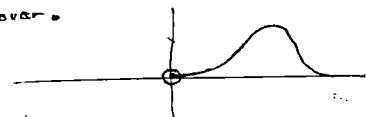
A more general Q: Certain mutation/crossover algos w/ their respective expressive power of PPM than ~~PPM~~ in some respects. How to characterize this: Poss. ways to # Powers of ~~PPM~~ PPM.

Consider 2 parents ~~in~~ two random trees. Consider all 2-2-4-type crossovers. This gives a uniform d.f. over a finite set of kids. Considering all by G pairs of parents, we get a D.R.-anti "non-generation".

• How does this D.R. differ from those obtained by PPM?

The GP distribution: w/ a finite population, we only get a d.f. over a very limited offspring population — kids are restricted to being found in the population, crossover.

In the PPM d.f. all possible strings have prob. > 0 .



The GP d.f. is formed by a concat of 2 d.f.s. ~~in~~ choose a parent at random, ~~then~~, choose a crossover pt. ~~at random~~. The top and bottom of the crossover is our D.R. the bottom end of the crossover is another D.R.

Perhaps (it looks like): If $f(l) \rightarrow$ the distribution of length of pms, then after crossover \approx D.R. of lengths something like $f(l) * f(R)$ (f.e. autoconvolution).

~~No!~~ $f(l) = \begin{cases} 1 & \text{if } l \in [a, b] \\ 0 & \text{otherwise} \end{cases}$ front part d.f. is $\int_a^l f(c) dc$ backward d.f. is $\int_l^b f(c) dc$ sum = 1

I think in general to form a back and f.f.'s are vs. same. It is like $\alpha = \int_0^\infty f(x) dx$ $\alpha = \int_0^\infty f(-x) dx = 1$

$$\alpha = \int_0^\infty f(x) dx = \int_0^\infty f(-x) dx \quad : \int_0^\infty f(x) dx = 1$$

The diff. four cases: is concat of $h(l)$ w. $h(-l)$. \Rightarrow

$$f_{\text{conv}}(l) = \int_0^l h(x) \cdot h(l-x) dx \quad \text{which is not exactly a convolution.}$$

Well actually, since $h(x)=0$ for $x < 0$, $f_{\text{conv}}(l) = \int_{-\infty}^0 h(x) h(l-x) dx$ — which is

a kind of convolution. It is either a ~~convolution~~ auto conv or a conv. of $h(x)$ w. $h(-x)$ —

Different authors may use different definitions.

So: My impression is that whenever concat 2 d.f.s like this, f. d.f. is the resultant ~~get wider~~, by say, $\sqrt{2}$ factor. (unless of course, we have a "selection" for shorter pms).

There is also Q of: Even if the GP is PPM and \approx same D.R., is PPM more

"efficient" than R.P.? — My impression is that PPM is ~~more~~ "efficient"

Also its use of Lsoft is efficient.

4-TM

Intelligent
Prog's.

Intelligent
Stoch 2.0

P 16208 S3.09:

Tom Ward
Jeff
Mark781 646 3703 ↗
781 335 9034 ↗
Message
Message

: It may be fine w. 131.35, I'll not need a "phase 2"! Then still, Please I doesn't understand fully what "often" means. — So sometimes has been added to 131.35!

HV's: — T. first "layer" is already Universal. — What does it. second layer add to it?

Well, it would seem that finding reggs PGM couldn't fail, would be a v.g. Payer, ^{Gutti} ¹³⁴ ³²²⁸ ^{Bill} ⁷⁵³² ⁸¹¹ ^{617: A97} ⁷⁵³² ^(no)
N.B. "Universality" means discovery in T \leq ; But T can be very long! An already Universal induction system can be ~~be~~ improved by speeding it up.

Another task: Dept. just what I want TM to learn in, say 131.09 - 13: write pgm that

can do it. Then make TSQ for TM to learn that pgm. \rightarrow JS

SN

in f. assoc w/ bld 8/3/00 - A study for a TSQ in Algebra: "What I want T. to do to 'know' 'equation plus equals = equations'" I want to know not one phrase, but e. implications of it. — \rightarrow I want T. to "understand it" to some extent.

In f. case 131.09 - 13, T. universal system ~~must~~ eventually, be able to do that! How can we speed up the discovery?

We should be able to write a TSQ to enable/speed up P. & discovery

15.09 I think the original problem was Payer's: That TM learns to do problem types

as if problem deems: T. ~~uses~~ are labelled by trainer using f. as symbols. This sort of thing would seem to be ~~be~~ not too difficult. Next we want TM to ~~learn~~ learn to recognize

f. in prob. types w/o f. Trainers including f. as's. Let's look at the ~~details~~ of both. types of problem solving.

SN

Perhaps f. soln. is that PPM doesn't have to be universal: f. can never will always be imp. kinds of reggs that it cannot (can't) do. Here, f. isn't very discovery process

\rightarrow f. (which seems more universal) — \rightarrow this is universal, T. ~~uses~~ didn't

131.09 - 13 ~~should~~ be (under bld) solvable ast. main problem type is 107,08, 15, ..., 19, ...

so I think 131.09 - 13 is not a logic. Criterion of PPM's use is "giving birth" on a universal set of instructions, \rightarrow 15 f. \leq of interest/import, Payer. I'd like to have a new "soln" to it. So far so good.

(So this is not really necessary.)

Going back to 15!: A couple of ways to solve it first part!

1) We give TM($prob_1, a_1$) (a_1 is bld) either it solves it we give it ($prob_2$): It has to decide ~~if~~ function that solves both problems. We train f. ($prob_2, a_2$) \rightarrow it has to find common soln. for all $\geq \dots$ etc.

2) We give TM($prob_1, a_1$): It finds soln. We train another TM($prob_2, a_2$), but two are satisfied w.e less than perfect soln." E.g. It may find F_1 but solves prob. \neq the others prob. \rightarrow ($F_1 \neq F_2$).

However, while its total func "how \leq for any problem (old or new)" is now f. function \rightarrow F_1 (F_2). — This certainly/better from no soln at all, but if $prob_1, 2$ have f. that solves both, exactly, that would be better. At first, it would seem that TM has no way of knowing that \exists a function that solves both ~~prob~~ \rightarrow $prob_{1,2}$. (Hrr, we may start TM out w. its knowing that all problems given it have a common & funct. soln.)

It should be easy for TM to correlate \exists a_1 w. \exists a_2 — so it could get 100% overall success.

4-29-04
4TM

.00 : (30.40 : 130.37-38 is input. Learning to map prob to indices. See
class (past) to best solns. Its much easier than trying to map prob
needed for check solns.

The problem to be solved is finding a best fitting function — probable hypothesis
random method of finding parameters works, ...
→ Mean

• 05 → Now, a major weakness of PPM ~~comes to terms~~ in adapting to the ^{useful} programs (or Subfunctions) in different orders (?)
Check to what extent this is true. (The Universal laws can define such a thing more clearly w. plug
• 09 Problem (Pro perhaps not in best way).
In general -

10. In general, if $\alpha \beta_1$ should be followed by β and β_1 can have many (various) values; $\beta \beta_1 \alpha$
In general, I certainly say that β_1 is arbitrary.

12 I'm disturbed that it can't deal w. this particularly important ray type. Just how far character
13 + copy of interest? That's very internal to a ray. Yet its secondary response is
affect f. sequence. PPM only recognizes rays that are limited to: random & part
Could we factor recognition function
SNR

~~SNL~~ ~~To~~ ~~now~~ ~~of~~ ~~physics~~ ~~we~~ ~~want~~ ~~to~~ ~~have~~ ~~>1~~ ~~"layer"~~ ~~of~~ ~~prodn?~~

~~so~~ ~~133~~ ~~conclusion~~ ~~following~~ ~~discus~~

~~chain~~ ~~of~~ ~~adjacent~~ ~~"disturbances"~~ — ~~so~~ ~~all~~ ~~causal~~ ~~prop~~ ~~are~~ ~~in~~ ~~2.12.15~~ ~~very~~ ~~complicated~~ ~~cyclic~~ ~~sequences.~~

~~To~~ ~~what~~ ~~extent~~ ~~is~~ ~~(Kozai's) GP~~ ~~(crossovers~~ ~~of~~ ~~function~~ ~~lines)~~ ~~able~~ ~~to~~ ~~deal~~ ~~w.~~ ~~2.09.15~~ ~~??~~

e.g. ~~we~~ ~~want~~ ~~to~~ ~~be~~ ~~able~~ ~~to~~ ~~catagorize~~ ~~a~~ ~~set~~ ~~of~~ ~~seqns~~ ~~by~~ ~~knowing~~ ~~beginning~~ ~~(Bach).~~

or ~~there~~ ~~is~~ ~~a~~ ~~control~~ ~~characteristic~~, ~~e.g.~~ ~~first~~ ~~10~~ ~~terms~~ ~~obtained~~

PMM ~~can't~~ ~~discover~~ ~~much~~ ~~of~~ ~~info~~

e.g. We want to be able to categorize a set of sequins by their background (Background: Context) yet Physics is able to deal w. very complicated causal steps
 or There is a certain characteristic of f. first 10 values obtained by a certain function (st. PPM couldn't discover much of this). If we do this & so find a

PPM could help find appropriate ones.
Hrr, any day that can't be done by PPM can be done by a univ. lang. — just how
to implement this in a good general way, is unclear. Parksoft UMC looks at it & tries to find ways — in addition to "kernel" &
it tries to find regularities! Or, UMF looks at it & tries to find ways — in addition to "kernel" &
normal regularities, regys. Perhaps have UMC look at it & error PPM unless? After
looking for regys in PPM orane, unary lang —
for PPM that signifies & its

On the other hand, I expect that grammatical-like regions (neurotic etc) would have a probability considerably lower than half w. certainty of $\approx .094$. (say, 12%, 13%).
 A finite State Grammar with help (ASIM). A posy: T. set of contexts that produces either a particular Token or a set of "backward contexts" (usually strings).
 This set is a "state" candidate.
 $E_{S044111}$

Essentially 4. problem of 09.12-13 is a category problem.
A perhaps V.G. may teach w. it is another problem of inaccuracy at P.M. The problem of
"improving pd obtained by "PPM" becomes one of "low level problems" of the system. By
supporting "pd" I mean to include CC as well as PC aspects of it. "pd"! i.e. it is a "finned pd"
mentioning CC PC & CC after considering if PC is affected of CC as well as vice-versa.
Q: Is; Do I want to (read to) doing on phases?

• I want to be able to get π . I need existing B22 probs — & then try to predict it —

Compare w. B22, PPM, etc.

→ As far TSO's: I could write a TSO w. poss. solns. to problems, & see How many B22 were hard for each additional soln. T. values would be within range of V2 (π_{B22} is smaller than π_{V2} & longer) — Good! ⚡
I would like to see if it could get solutions better than Mine! Particularly if I used some T.S.Q., which lots of problem solns — so that it might find parts of solns that I wouldn't think of using!

(SN) on TSO Design: I will have to solve a certain class of prob. first before a common soln.
Then Learn to solve Then class 1
and so on for several classes.

Then it has to learn how what class a problem is & apply appropriate proven soln.

If would see first this kind of thing should be routinely (routinely by PPM). "This class of problem decoder" (what kind) would have type prefix to attempt to solve a problem. → Trial-and-error, discuss. suggests N.O. This is normally done in Phase 2

On second thought, I don't see how $\pi_{\text{B22}} = \pi_{\text{V2}}$ could work! : (Deciding what class a problem is, is a meta problem)

The "Meta-Soln." (= Metafunction): Looks at: problem & outputs a list of poss. solns.: This algorithm could be in

+ form of a narrow distribution "Contact" (the spans contacts being ones after followed by poss. prob. solns. sequences)

Our way to a problem has "meta problem" soln.: triangular corpus consists of (problem & soln.) pairs,

Unclear as to how PPM would be effective in this case... $\pi_{\text{T. Chars}}$ would depend on the context ^{I think} not
at end of the problem down. It would usually come into head by the "Metadecoder"
at what problem class we have: Its + kind of problem that Phase 2 is designed for.

Another idea: One way would be to try to find a function that maps input problem down to a prob on \mathbb{Z} . (Correspondence of pts on \mathbb{Z}). A corpus for \mathbb{Z} (ring such that, could be prob down expand w. poss. on \mathbb{Z}). This is a semi-discrete problem, since small errors in its output are not imp. (i.e. if π_{B22} is π_{V2} in \mathbb{Z} kernel, then errors < 10 are acceptable.)

on \mathbb{Z}

At the beginning of TM's TSO, a Null context will eventually give a list of useful containing that are solving to problems. The Metafunction will map to a "sub-distribution" of Pts in \mathbb{Z} — "Narrow it down", so to speak.

→ "Solutions" in π_{B22} correspond to pts on \mathbb{Z} that approximately follow t. null context.

Recover our very poss. function from problem space: Content of them are useful to solve t. problems:

Certain are useful to solve t. meta-problems.

In a problem training phase, t. problem-generator could be placed (by former) after t. problem. (It wouldn't work if t. problem came before.)

If we now use problem-solns as corpus, then inserting a new problem m , would

end in new "index" of problem type & realization a good soln. Next, when t. problem (as context)

was inserted into \mathbb{Z} , to find how a soln may be generated. After this has been done

for many problems & problem types: we want to be able to insert t. problem w/o. t. index.

— I think we then run into t. diff of. 15-18! T. point is $\alpha \wedge$ is not all class $\alpha \wedge$ in PPM.

Well, say we solve $\alpha \wedge$ (a large set of t. first-order problems) (\wedge or \vee , indexing...). PPM indexing would speed up solns). After we've solved $\alpha \wedge$ then, we use that same \mathbb{Z} , to develop t.

t. meta-problem that maps from / problems into "state-space", or simply down problem down to integers.

While t. first-order subfunctions for t. Meta-Soln. should be like those used to solve t. / problems, Pro output functions,

would be much different, unless we have given TM problems that are similar to t.

Meta-problem (at least in output form). { Remember Ob/op algebra: we have similarity of

problems that prob. has Ob but not the ops.

8/13/00 — Dup. of previous page.

This will be an ordered list of problems, tasks, definitions, ...
 --- toward the construction of an initial TSQ for TM.

167.24-.34

l, m, n are 32 bit random numbers

u, v, x, y, z are variables

" :" separates examples. " , " separates data within an example
 cond means "conditions for this problem"

imp means "what is implied by these conditions"

$n=n$ e.g. $3=3, 7=7$

cond $x=n$ imp $n=x$

" [" and "] " are "metasymbols"

$l+m=[l+m]$ e.g. $4+5=9$ --- learning Addition

$[l+m]=l+m$ e.g. $9=4+5$ --- Equality Commutes

cond $x=y$ imp $y=x$ Equality Commutes

$l+m=[m+l]$ Addition Commutes

$x+y=y+x$ Addition Commutes

$x+m=m+x$ Addition Commutes

$l+(m+n)=(l+m)+n$ Addition is Associative

cond $x=m$ imp $x+n=m+n$ --- if equals are added to equals the sums are equal.

cond $x=y, u=v$ imp $x+u=y+v$ --- as in previous example

$l-m=[l-m]$ learning Subtraction

$m-m=0$ meaning of Zero

$x-x=0$

cond $x=m$ imp $x-n=m-n$ -- if equals subtracted from equals, remainders are equal

(\vdash guess & run $\vdash l+m$ to be my numerical eval. of $l+m$.)

Note: TM may know $\binom{m}{x} \cdot x = m$; for many values of m, x ; but for 1 value of x , $\binom{m}{x}$ is not true: so it's true w. probab. 1!

T. being over now / Back
 T. being over now / Back
 cond $x=u$ imp $u=x$

If seems better to give problems in which various sub-principles are discovered, because then TM has to discover mechanisms that make certain (operations/prob.-soln. method) very likely. To act "as if", & know that won't work. Was commutative. Also, we want TM to realize that all commutative facts don't come in simple ways.

One way to deal w. this: First get TM to work prob. bc if it knew about commutativity of several math func. Then later get it to learn how & commutes & & commutes bc bc is useful in certain kinds of math problems. (It may be that this aspect of commutativity is an essentially diff. discovery that it took the math community much time to discover ... in which case we may need to give part ~~the~~ history "Hints".

4TM

SM

So 128.23-FO expresses the problem of "computing t-kernel" as one way to do linear prodn.

That ~~info~~ auto corr info \geq a soln. of Toeplitz Matrix with $\geq N \times N$ entries (N is size of composition). Here other means of N -linear prodn. (128.26 ff.)

It is not unreasonable to do a Kernel w. several thousand pts. ("lags"). Here we do want t-coeffs ~~to compute coeffs (in kernel)~~ to be $\ll N$ because of overfitting & etc.

To start trying this out, all we need to do is put a corpus in ~~as~~ LabeledOrder! Perhaps we have to know.

Following entries I think it's the sequence of "following entries" that we want "auto corr" of.

Note that we want t auto corr. to each to item, so we have R-difft. corr..

[SN] Could we use cross corrs between R items easier? Well look at some cross corrs: see at \Rightarrow page zero "zero". "Zero" in sense of useless for predn. \Rightarrow 23

SM

10 stocks: Each has tokens! Make corpus of tokens ~~of~~ of stock IDs and $\max_{\{t\}}$ each day.

Then ~~for~~ a "holey bin" on PC's for each stock, every day (the bin will be a vector of up to 10 different stocks — like a longer vector) (C). Actually, one may not be able to "holey bin" because of unavailability of large memory.

Picking 10 stocks to use, is not easy! One way: pick in same industry! (hard to be correlated).

Another: Use Currencies: Correlated commodities. Another Use Indices D J I, S&P 500, etc.

Use various spiders, diamonds (\approx indices)

Another touch! Each stock has 2 tokens: (1) ~~(2)~~ ^(each) when this happens next day. So do time-varying strategy,

But each day we have 2 pairs of tokens in say H_1 , low order.

IN SM. we have \approx 2 sets of tokens so we don't have to do "Escape" evaln.

→ 161.00

In timescenes Curve fitting for t-kernel, we still have to problem of "Knowing Goff". T must recent

"Solu" (which sounds reasonable), is to make spiral based on t-past. (+ more recent past poss., far as close to present problem as poss.).

In just present case, t-spiral of t-kernel coeffs is redundant; May not be ≤ 0 or > 1 . We could probably narrow it down further by looking at past kernels of content = soft, present one.

If we use assume coeffs zero if w. differences, we have a relatively narrow distribution. Also t-values of previous adjacent coeffs could be near in a rather narrow range. (Relative ratios of successive coeffs not actually used can be > 1 because of previous (it could be wrong))

If we assume t coeffs w. distance, t reduces order of t successive coeffs + 2 tok.

After Grabbing t coeffs for successively bigger no. of coeffs considered, I can probably

suggest some exact forms for the kernel. — But ratio between successive coeffs very slow

In a way that I can optimize. so $e^{-tx} - b x^2 + c$ may be good (6th 3 powers!) only 2 of us want a kernel product X_n .

The question of shape for monic linear prodn. like $X_n \cdot X_n$ together product X_n .

If they were both (C), might be special w.r.t. to predicting X_n . If they are different plus just special w.r.t. to predict X_n .

This may be only symmetric second (curved) order prodns.

I'd like to be able to express t-kernel as $\sum e^{2\pi i x}$ because it's easy to compute t-values.

So try it w. 2, 4, 6, 8 values of i is optimized w. Management methods.

$$\begin{aligned} \text{or } d \\ 2x^4 + bx^2 + c \\ \text{or } 2 \\ 56x^8 + bx^4 \\ \approx e^{bx} + e^{-bx} \end{aligned}$$

: A good way to estimate kernel! For each Token sequence, (0 or 1), do an "auto corr'n".

It may fit to an exponential std. factor $\frac{1}{\lambda}$, which is $\frac{1}{\text{sum of weights}}$. auto correlation of weight function.

Say $X_i = 1$ randomish seq. of 0's & 1's + take opt.

$$\text{We want } \lambda, z \Rightarrow \sum_{j=0}^{+\infty} \left(x_i - \frac{\lambda}{z} x_j e^{-\frac{|i-j|}{z}} \right)^2 = \text{min.}$$

Want to have kernel to normalized

$$\sum_{i=1}^n k_i = 1$$

$k_0 \in \phi \leftarrow \text{first product of } i=0$

I think $z \approx$ something like λ . I think we want

$\lambda = \text{constant} \Rightarrow x_i = 1$ for all i (Bernoulli if product to be 1).

At any rate, for linear predict., the mean of predict. must = mean of predicted.

If x_i are random (λ in density of $(0 \in \mathbb{R})$),
Then for large λ and a normed kernel, we will get

a predict. of $\frac{1}{z}$ for the next x_i , which is to correct overage.

To. (regular λ is, probably larger to $\frac{1}{z}$ in a cross-over)

(usually) get to prediction, $\frac{1}{z}$. To. products of predict. relatively insensitive to λ , but
is best for $\lambda = \infty$. Here we assume λ . It's an off ~ uniform density.

If May concern "bursts" (which is closest interest) then $\lambda < \infty$ may be better.

but unclear if kernel $\frac{1}{z}$ should $\frac{1}{z}$ but unclear if kernel $\frac{1}{z}$ should be no longer Normed.

Say x_i comes in Gaussian shaped bursts in a burst area of density d_g :

Convergence (at random), one every $\frac{1}{d_g}$ bursts. Suppose $d_g \ll 1$ - so infrequent bursts. I guess λ would be about burst width, it may be Normed kernel.

It is possible that there is a constant term in predict.

Then, essentially, it's a problem poorly but one is allowed infinite tails as well as peak.

I could try non-linear (cross-products). terms. If I want to do linear pred.,

then cross corr'n (auto corr'n) has all needed info.

Cubic terms might be v.g. $\sum x_{i-1} \cdot x_i \cdot x_{i+1}$: If $x_{i-1} = x_{i+1}$ then
perhaps likely that $x_i = 1$. Also $\sum x_{i-h} \cdot x_i \cdot x_{i+h}$ terms.

This could be very interesting study in "Prediction" (Viterbi?). We also have to scale it results so that the sum of weights in a term is a function of term index divided by size of original corpus.

The x_i is only 0 or 1, our pred. are $\frac{x_i}{2}$ to $\frac{1}{2}$ (real) are essentially $\frac{1}{2}$'s.

Treating the kernel discovery as a linear pred. problem, using auto corr'n info; It's a Toeplitz (PPT: NumRec)
Matrix that has to be inverted in times N^2 operations rather than N^3 . P 433 has gain for common loss from
that - need - It could take $\ll N^2$... but have to study PPT. Apparently takes $M \times N$ operations -
M being no. of cells & N no. of datapts in corpus. Actually, it takes about $M \times N$ operations to get the
auto corr' function! P 430-433 of NumRec. ("Power Spectral Estimation by Max Ent (Golub-Kahan Method") sections
directly relevant, since it seems to use auto corr'n of t-signal.

4IM

Some day trying about t. kernel dat. { Say we have a distribution of various latencies of token, for a finite distance D . We slide the distribution $p(x)$ to the left. For each t it gives displacement, we count — No! This is not what want!

- Simulate = continuous d.f. ...

Say we have a seq. of unit Δ pulses / coming in bursts usually, but also some random background & weaker bursts & broader bursts. To predict $(0, \infty)$ at a point, using knowledge of all other pts. (1) What would be a good kernel? So we use Max likelihood — we also have to predict zeros.

→ Actually, the problem is to assign Δ to each token & to estimate p_c for product of p_c 's assigned to all tokens. One way to do this is to try to do a kernel for 1 token at time!

to get max product of "Yes" & "No" pulses by t. kernel. While back I discussed the construction of an approx to a kernel (≈ 17.32 ff) Minim. of $\ln(\frac{\text{product}}{p_{\text{true}}})$ but this assumed I had a "non-parametric" model of t. kernel to "smoothe" (= approximate) — so it doesn't look so smooth now... But the idea of expressing $\hat{E}[\cdot]$ kernel as t. sum of exponentials (exponentials) is

Still sounds good — but t. error criterion will be different — simple Max product p_c , = Max likelihood. I can either do each token individually or do them all at once. Calculate whether it would be much faster to do them individually. — One way: Assuming all tokens have same kernel — One could do one t. token by itself, then use that kernel later in t. approxn. for doing them all together.

I can just use a 1-sized kernel to get t. kernel params. Then use both sides for actual prob. Perhaps try each side individually to make sure they're about the same!

Eyeball t. data to estimate good steady params. The open. program is pretty much independent of t. Once. I can vary both t. const & t. exponents to use in t. "Laplace fit".

— So start maybe w. 2 exponentials (t. params) then 3 etc. than 4, etc.

A major problem is to make sure t. kernel is ≥ 0 for all values.

If possible, Matlab has a Prob's standard Non-linear Optiza. func.

— But porting t. data to it would be non-trivial.

Num. Recipes describes "Marquardt method" pp 523-528; ← Try Google, Also see Book on Non-Linear Modeling.

IN PS folder: dempster - firth method 3/25/04 → in DJVU (1977) 670K.

Might get Alex to print it. It needs some DJVU filters.

Around 3/25/04 "EM algorithm" Theory over EM 3/25/04 on EM algm which is usually used for optim of Max likelihood. ... but it may not work?

EM. ps gives good pictures on pp 1, 2, 3. T. method itself is "obvious", but if proof of always converging, is not. From t. first 3 pp: It's not clear how to apply EM to prob problems of rating & count kernel model.

T. Various EM papers may tell how to apply t. idea to very many heterogeneous (Sobers) — possibly suggesting how to do "t. kernel" (which may be a common problem).

4TH

> 0 Each good pc's $\boxed{\text{Sols of problems that are}} \quad \boxed{\text{containing of } \vdash, \text{ TSQ}}$

SA

In Induction / TSQ acquisition! We have ① a universal lang \vdash to express program solns.
 ② an initial pd/ \vdash \vdash sequences of statements in that lang. This initial pd/ \vdash is not a universal d/f, \vdash , but it
 enables a certain type of lang.

For \vdash : 3 degrees of sophistication:
 ① symbols of \vdash each have their p.c.s so p.c. of \vdash can do something
 like exp lang (but not d/f). ② later but p.c.'s change, accumulating p.c. via Herbrand... assume
 known seq. for Taming of lang ③ PPM - like d/f. on Taming.

4/23/04

$\boxed{Q_1}$: For a universal lang \vdash is it easy to have definitions "as compact"?

$\underline{\text{Sug Q}_2}$: At what p.c. can we ~~possibly~~ generate system to work from of improving \vdash to \vdash of \vdash ? To some extent \vdash improves its language representation.
 → If defns. are poss., it is poss. for \vdash to be effectively modified to any lang (universally)

$\underline{Q_2}$: Depends on \vdash , \vdash & TSQ.

In "Phase 1" of ALPHA, we have ~~problems~~ problems: T. system wants to find a single func to solve
 to whole set: At first Deterministic, then probabilistic. In either case, past solns (or subsets of
 "T. present" (TSQ)) are used to over \vdash PD. For each on t. respect "Corpus" (old corp + soln
 to new augmented corpus). The Corpus is a set of solns. to "t. same problem" — or
 to "aspects of t. same problem". It seems to fit a ~~GA~~ prob-soln. i.e. a PPM guided
 search.

~~(E) N~~ Re: GP, GA: There is something undesirable about the "Monte Carlo" tech
 Taking ~~exact~~ ~~perfect~~ func, N samples N is no of diff. cases. $N \rightarrow \infty$, yet iterations
 seems slower! — How? Well, one way: we pick cond $\in \omega$. P_j : Which p.c. of at
 cond being "correct/soln." \vdash (verifiable, testable) \vdash decision time limit, say $10^6 \leq d_j$.

We do all trials, and testing \vdash sec, max. We then repeat after $T \leq t$, etc.

If t. soln. has $p_j > 10^{-6}$ and it take time $= c_j$ to generate & test it, it will take total
 of $\approx c_j \cdot 10^6$ time to find it. — which is much worse than Lorch, if $p_j > 10^{-6}$.

Lorch got $(2) \frac{c_j}{p_j}$ time for each.

In QA Phase I: just how did I go about representing probabilistic models?

I think I wrote about this: perhaps including summarizer.

For Phase II I mainly needed PD's on PSMs, problem p.t.s — a PSM was a 3 param distn —
 mean, var, & MLE moments; so 0, 1 & 2 moments.

Now going on to t. Details of Phases 1 & 2, write a good usable summary of just how
 T2T & 11 X road areas to work!

I don't quite remember just how t. kernel was computed!
 Somewhat: ~~107.05 tf~~: ~~had~~ 99.00f only values...

107.00f isn't 100% clear, but I think we can find a kernel for each token, independent of PSMs: They are probably
 all same shape, so we can average them. (P.S. check on whether t. shapes are indeed the same).

4TM

00 : 124.40: perhaps I can update on T_{2T} & when T interval gets sufficiently large → $\Delta \left(\frac{\text{Time needed to update}}{\text{Time needed to solve}} \right)$

So: I guess that I have to ppm in each batch to write out a more detailed & clear overall of LSRH — for T_{2T} LSRH is for 11 & Random to some extent.

If more well to do T = ST LSRH I have forgotten the details of the proof of optimality.
This does have a slight advantage over $T \leq 2T$ such.

I really want update more frequently than after each prob. soln. for T_{2T} Inv prob. — Since PC's not by to update with!

Hrr., for OZ problems, perhaps since I can have already obtained some "core" at suff. update. This is essentially very useful to GA. Since it "automatically" (for Phase 2) want

to solve OZ prob., $T_{2T} \approx GA \Rightarrow$ in imp. direction of go to.

The eq of 124.33 $m = \sqrt{\frac{2\pi}{5}}$ assumes updating & solar time. In OZ prob.,

This idea has to be modified! one way: Computer & PC's of by G. crude:

before & after an update. I. e. after an update, find PC's of various by G. crude that

were obtained before the update. Since time to soln is $\propto \frac{1}{PC}$ this is directly translatable

into "S". Actually, updating is designed to PC's of previous by G. crude. If should do this w/o. overfitting. → 17)

Work out the operation of Lemppa OZ problems. Certainly 10 seems to be an imp. part of it.

perhaps 14 can be used to estimate S more accurately!

17: 14 → T. way it works: After every update, we recompute S (because it takes little time). After an update of m tokens/crude, we compute now PC's of each of m cruds wrt. to corpus & compare these PC's to the values obtained before the update. The total difference in $\frac{1}{PC}$ will be $m(m-1)S$ (note factor of 2 due to w.r.t. PC's of $\frac{m(m-1)}{2}$ of 124.31.) This "S" computation gives us recall & back off

→ how well the system is "living"! ← Very imp! S is a very incisive remarkable Efficacy of TSD!

This "S" was very small in the Lemppa English Corpus used in the original BW 1994 paper

The S & w. corpus length & seemed to be for a corpus of ~ 150M tokens.

Much S estimates for 100M char corpus.

Can we use & (very fast) BZB from to estimator S in TM! 14. — We can do this because to estimate S, we don't need to PC's of individual tokens: only the products of these PC's — which BZB gives quickly.

From - 1994 BW paper: Table 2, p14:

Copies 1 to ~~all~~ symbols. $\frac{.52}{34} = .17$ m bits/symbol (?).

$$\frac{4.35}{3.93} \quad \Delta = .52$$

$$\frac{.52}{3.93} = .13 \text{ m bits/symbol.}$$

Interpreting the BW data is not so simple!

BW Data

14	4.35	Δ
48	3.93	.52
64	3.34	.44
160	2.98	.41
640	2.65	.32
2560	2.45	
1M	2.43	.22

Anyways, what I can do is write a script of programs & solns, & see what to ppm given PC's to new prob in an acceptable way. — Doesn't pick up the sub-functions & etc. I expect, & so, etc.

This, of course, takes much less time than letting TM search for solns. — Also it's much easier to plan! I could get a useful approx. from BZB!

This loss is of interest! Write some design specs of problem solns & see if BZB can

TMT

$$\frac{m-m}{2} + m = \frac{m+2+1}{2}$$

$$\frac{3+2+1}{2} = 6$$

$$\frac{\Delta+1}{2}$$

$$\frac{m+m}{2}$$

Q: 123.80 A way to think about it: Consider a seq of probs. that have been done w/ updating after each problem. This is "system 0" ($\in S_0$). How much worse/better is it if you update every m problems? (Time needed to update is same constant in all cases).
 ↗ update update ↘
 $\begin{matrix} & 0 & 0 & 0 & 0 & 0 & \dots & 0 \\ \Delta & 1 & 2 & 3 & 4 & 5 & \dots & m \end{matrix}$
 ↗ call Sm system that does this ↘
 prob per.

$$\text{No: } \frac{(m-1)(m-1)}{2} \cdot \delta$$

The update on one problem causes subsequent problems to be worked faster by factor δ .

At first problem after update, both systems (S_0, S_m) are same.

After second " " " S_m is better by δ

$$\text{prob } \quad \dots \quad \delta + 2\delta$$

$$\text{prob } \quad \dots \quad \delta + 2\delta + 3\delta$$

$$m \text{ is } \dots$$

$$\delta(1+2+3+\dots+m-1) = \delta \frac{(m-1)m}{2}$$

↓ show why
 $\delta(m-1)$

I(you) don't understand why
 of this "Seq 1 w/ 1".

Q: The idea is that when
 the problem is sufficient by
 not having $(k-1)$ updates
 of previous problems

Say Δ is time needed to update. When m is such that $\Delta = \delta \frac{(m-1)m}{2}$ then

System is as good as S_0 ...

At end of m probs no update so total cost per problems is

To find $m \geq \Delta$ this is min.

$$\frac{m-1}{m} \cdot \frac{(m-2)\delta}{2} + \frac{\Delta}{m} = \text{min}$$

↑ 1st result of (occurred)

a So that has zero cost for updates

$$x = m-1 \quad \frac{x}{x+1} \cdot \frac{(x-1)x}{2} + \frac{\Delta}{x+1} = \text{min}$$

$$1 - \frac{1}{m} + m \cdot \frac{\delta}{2} - \delta + \frac{\Delta}{m} = \text{min}$$

$$\frac{(m-1)(m-2)\delta}{2} + \Delta$$

$$\frac{m^2 - 3m + 2}{m} \cdot \frac{\delta}{2} + \frac{\Delta}{m}$$

$$\frac{m\delta}{2} + \frac{\Delta}{m}$$

$$\text{let } (1-\frac{1}{m})(m-2) \frac{\delta}{2} + \frac{\Delta}{m} = \left[(m-2) - 1 + \frac{2}{m} \right] \frac{\delta}{2} + \frac{\Delta}{m} = \text{min}$$

$$m + \frac{2}{m}$$

$$\frac{d}{dm} \left(\frac{m\delta}{2} + \frac{\Delta}{m} \right) = \frac{\delta}{2} - \frac{\Delta+1}{m^2} = 0$$

$$\frac{m^2}{2} = 2 \frac{(\delta+\Delta)}{\delta}$$

$$m^2 = 2(1 + \frac{\Delta}{\delta})$$

$$m = \sqrt{2(1 + \frac{\Delta}{\delta})}$$

looks ok. is checked.

can know Δ but δ will be quite uncertain. can determine δ empirically,
 by working a seq. of problems; then we have 2nd point Z .

from pt. Z we work a bunch of problems, we see how long it takes. (come back to pt. Z),
 update s. previous m problems, then work t. same batch of problems & see how much & in time we get.
 just

→ Q: just after an update, we redo several problems that occur later (not update).

We can pick an initial m , then do 2nd periodically to estimate δ . Since we only
 redo, say, 10% or 20% of problems to 2nd, this will not be much of a penalty for
 determination of δ .

$$(S \frac{m(m-1)}{2} + \Delta) / m = \text{min} \rightarrow \frac{S}{m} \frac{m-1}{2} + \frac{\Delta}{m} : \frac{1}{dm} = \frac{S}{2} - \frac{\Delta}{m^2} = 0 \cdot m = \sqrt{\frac{2\Delta}{S}}$$

$$\text{So } m = \sqrt{\frac{2\Delta}{S}}$$

Since 125.00 for translation of this eq. for OZ probs.
 So 13.8.13 for a cheaper way to do updates.

Any way from 123.03, 13.04; $\Delta \in N_L \cdot R \cdot n_e$. This could be 200 NL: NL is no. of solvers/m.
 i.e. each set of problems solved. T. time to solve a problem could be 10^9 nanoseconds.

Here "solve" is not proper term for OZ probs. 100 problem w. #0 follows each is $N_L = 12$;

so $\Delta = 200 \text{ ns}$: which is \ll to 10^9 to solve a problem. So may be update every problem?

At first, it should take $< 10^6$ to solve a problem so may not be feasible.

In T2T L8ch I was thinking of updating more frequently than just "softw. problems". → 125.00

4/21/04

FTM

125

Mondays
Wednesday
Friday
Pay

10: Troubles. P2-37: If a card is caught by D_c it is handled outside W. — It takes $\sim W \cdot R_c$ operations for "correct" \rightarrow problem with addition/deletion of to card.

On the other hand, a complete update of L's PC's requires $\sim R \cdot N_L \cdot n_L$ operations. \downarrow "No. of updates corr" used.

Maybe only ~~NL~~ n_L : Working along the L corpus 1 by 1; each time we do a borrow, we update only 1 of the R kernelizations of L-corpus.

$$\text{Ti update algm is } Y_{n+1} = (1-\alpha) Y_n + \alpha X_n. \quad k_n = \text{curr. part of current component} \\ \text{so } 1-\alpha Y_n = Y_n - \text{shift } Y_n \text{ towards the right position. so } Y_{n+1} = Y_n - \text{shift } Y_n + (\text{or a const})$$

So we have to update all R y^j 's, but it could be a fast update.

Shift Y_n ~~over to the left~~ seems to be a fast inc \rightarrow 2nd & clock in 406 — simple borrow function.

So we do $Y_{n+1} = Y_n - \text{shift } Y_n$ for all R components. We can't take advantage

add a ~~small constant to one of the R components~~: (This \rightarrow $n = k+1$)

So probably timer may be $\sim Y_n - \text{shift}$. This must be done in II. in Part II III or IV.

So it is $[N_L \cdot R \cdot n_L]$: But there maybe k. no. of clocks or no. of clocks $\times 8$ (each for priority however G4 bit or Part IV or whatever). Say $R=10$ (min); $n_L=20$? $\therefore 200 \cdot N_L$.

Say we are keeping only to top 10% of cards — still, N_L can be larger. It corresponds to G-A "population size" is $N_L=1000$; $\therefore R \cdot N_L \cdot n_L \approx 200k$ clocks for one update of L's PC's.

N.B. in II. "small constant" can be ∞ to some of the G's of the card after pt. 1, W.O.

approachable \uparrow in CC of the updaters!

"Inner loop" $\sim R250$ \rightarrow 235-236.

SN Inner loops! He has a 10 clock cycle for generating random nos. which he says is Very Good, fast.

So: See how much time update takes is compared to amount of Benefit we get from it.

Both expressed in common unity of "Time lost or saved". This is a lesser problem about

Scheduling Problems V.S. Meta problems! — But more realistic \rightarrow better param knowledge etc.

So say update takes Time T \downarrow If we update first, subsequent problems will be solved \rightarrow faster option \downarrow $\frac{1}{6}$ sooner ($T \rightarrow T(1-\delta)$). \uparrow is reduction of some G's of the problems in the update.

So P_{n_1} , update, probz v.s. δ_{n_1}, P_{n_2} , update, probz. \uparrow \downarrow

In 2 cases, compare times for probz 2 \approx times for probz 3.

or v.s. if δ is problem solution factor, \downarrow δ in

But in δ \downarrow update includes \square probz in addition, so probz will be solved later.

In δ , \uparrow 3 problems are each solved \approx times v.s. v.s. best into poss., but we have \approx of \uparrow has been used.

I need \uparrow graph telling how much an update & soln. time as a function of what's updating

Consider only first-order models: So \uparrow probz, probz, update and probz update/probz update

base solve probz in some time. This disregards diff prob in δ , & soln to prob1 is better than

rest of δ , so \uparrow second order of δ uses/bottom soln. that \downarrow update of δ . In spite of this \uparrow δ .

betterment of δ probz soln. by δ , it costs \approx whole δ 's update.

So, assume an update at a particular point summarizes \approx update info update.

4TM

- so: In advance by convoluting the kernel w. \tilde{L} , R times
 \rightarrow Say N_L is length of \tilde{L} 's corpus. Then it takes $T_{\text{conv}} = N_L \cdot R$ to convolute f. kernel w.
 \tilde{L} , R times.
- But often when using $T_{\text{ZT}} \approx 121.28$ we take about N^{cauds} (\approx no. of cauds
 tested) computations of p.c.'s of Nodes? Each node may take time $N_L \cdot C$ to compute:
 I don't know what C's value is, at all! — It is < 1 , but how much less ... I just don't know here.
 say Good idea! So total time $\approx N^{\text{cauds}} \cdot N_L \cdot C = (C \cdot N^{\text{cauds}} \cdot N_L)$
- so compare $N_L \cdot R$ to $A_L \cdot C \cdot N^{\text{cauds}}$ certainly $C \cdot N^{\text{cauds}} > R$.
 So it would seem best to calculate all of f. p.c.'s in advance via $117.00 - 02$.
 A better comparison is $(02) \cdot K_C = N_L \cdot R \cdot C$ vs $\approx N^{\text{cauds}} \cdot N_L$ on R.v.s. N^{cauds} .
 R is still $\ll N^{\text{cauds}}$. — so $117.00 - 02$ looks best.

The analysis of 121.28 of ~~ZT~~ T2T still is relevant makes $T \geq T$ look up.
 We start by computing \tilde{L} , then we compute R f. kernels, then we get "Laplace xfun" of f.
 Kernel (via $117.00 - 119.02$). Then we get R p.c. values w/ each point along \tilde{L} by
 convoluting in ~~approximate~~ approximate kernel w. \tilde{L} .

We can then do $T \geq T$ or 117.00-02 which.

T2T seems only a factor of 2 slower than ((our Random's yet requires Much less RAM).
Random's speedup derived in that p.c.'s need not be calculated, & perhaps fast (quick
 disk access) Parallelization No. Gen can be used. However, it still seems to use a lot of RAM,
If we had more RAM available. (It needs $\approx N^{\text{cauds}} \cdot D$ or RAM \approx length of caud = "depth"), would it be
 faster than $T \geq T$? Well even if we had more memory available, then the $N_L \cdot R \cdot C$ factor
PERHAPS
is much smaller than $\approx N^{\text{cauds}} \cdot N_L$ (no of Nodes But we need to compute).

In 4.01 instead of multiplying by C, perhaps mult by $(N \cdot c)$! ? More likely: Mult \leq
 $\leq N_L \cdot R \cdot 0.01$ by here which is no. of kernel wts we use in approximating f. kernel by wtd exponentials.
 Is $N^{\text{cauds}} \approx (\text{pc soln})^{-1}$? So upto 10^{10} ? On f. other hand N_L will probably be $\ll 10^6$
 So it looks like $117.00 - 02$ should take relatively little time — flexible.

4. f. time is 0.4. if N_L is $\ll N^{\text{cauds}}$, then it's roughly $T \geq T$ Run to soln. ; but
 If we want to modify f. p.D. in view of problem solns, [it seems like a difficult story]
 { On f. other hand, a single set of cauds w/ assoc Genes is a known kernel, effects.
 Various p.c.'s in a simple way; Can I implement it in ~~an~~ an inexpensive way?
 Removing a caud from f. L distribution has a similar effect — recalculate after the same way
 Can we use f. Laplace xfun. approx to cheaply implement f. rec addition/deletion?
 I think we just consider the state seq. ΔL given by f. new caud.
 After it runs to Lap. xfun kernel is added to f. old \tilde{L} ? How much time? (\ll)?

7/20/04

121

+ TM

~~C~~ = Bill's birthday. ID The Bridges meeting Tuesday M/Wk 680.

20

~~Speech Recognition~~: To discover how Humans recognize phonemes; Several kinds of errors they make (say w. 1 of noise: Gaussian, random Phoneme Noise).
 Also do error study for synthetically constructed phonemes v.s. ones obtained from Humans.

23:

120.40! T2T: I need $\{p_i\}$ for each of L tokens during (and constructed) How much precision needed? (Numerical).

One (1st) way: Get \hat{L} & smooth w. kernel, Returns \hat{p}_i 's per vector.

A very approx. way: At each pt of L , move along until we find k times following tokens. -- (do both $L \geq 0, \geq 0$ on c). I have to do this until I get to pt. at which no more phrasal least likely Token. — which is an awful lot of testing! T. no. of tests \propto (dependence) corpus size. Also width kernel. (Normalized kernel is consistent width).

We can estimate the amt. of time spent on such activity. Essentially we have a Bern. Sump. of choices \Rightarrow probability freq. of each choice $\propto p_i$ on pc.

$$\frac{\sum p_i}{\sum p_i} = C.R. \quad \frac{C}{p_i} \text{ is time spent on } i^{\text{th}} \text{ most likely choice}$$

\Rightarrow T. constant, C will perhaps be \propto corpus size. (\propto unnormalized width of kernel).
 Thus, this \rightarrow is t. corpus size generates \propto \propto population of cards.

possibly very useful \Rightarrow reducer! That averages \approx 1 pc's over single run along L .

Perhaps this amounts to saying each node computes R potential pc's/computed \Rightarrow takes out average, t. entire amt. of time. T. no. of nodes \approx about equal to total no. of cards generated (at a particular T c.B.). So we create a card, for each nodes developed. For cards w. \Rightarrow follows decoding path, there's 2 big savings.

t. amount of memory of states $\stackrel{\text{System}}{\approx}$ ~~nodes~~ \Rightarrow amounts at most to $\#$ nodes worth.

This technique of doing T2T \Rightarrow gives us a factor of D in speed \Rightarrow what enormous amount of memory needed by 1- or Random search. (The outward prof, it

(\Rightarrow may be poss to use this same trick to \downarrow amt of RAM needed for bM || & Random LSEARCH)

As a result, \Rightarrow ~~L~~ \Rightarrow L \Rightarrow may be better by $T \leftarrow 2T$ by a factor of ≈ 2 , but otherwise, use about same amt. of RAM. No, it's much \Rightarrow much more than T2T.

22

\Rightarrow HVRs (NB) In T2T, one must store all off states/nodes that have not yet been completely developed. Under first search, One explores from a "stack of Left" on entry,

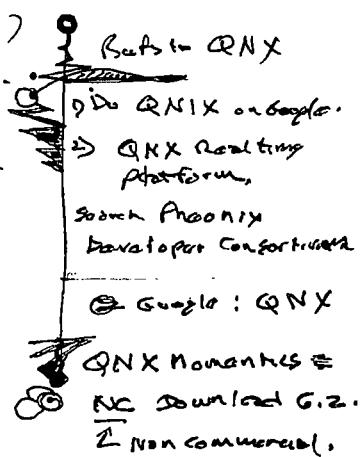
10

so not many nodes are "In process" at any one time. \Rightarrow \downarrow \Rightarrow depth of L branch being worked on. See the Java pgm for Lsearch for INV problem in my ~ 1985 "Optimum Sequential Search".

I may want to write up this analysis of "optimum T2T". That it's almost as fast as L, but, \Rightarrow w/o, much RAM needed, seems like a BFG Deal!

A perhaps imp. Q: Does fewer digits apply to Lisp type DMCs, in which one normally finishes a card of \approx card, before testing it?

T. for Question Real bad in this latest development (\Rightarrow surprised) not \Rightarrow how much time it took to calculate pc's "on-the-fly", rather than compute them all



~~TM~~

- 20: An Alternative approach to Optimization (v.s. Phasor) is GA guided by a PPM. We can keep population at ~~L~~ larger constant step by deleting clouds, when better clouds are found.
- On second Part it seems Part I have to do L search (of one of 3 types) to do GA, anyway!
So GA is not an Alternative to (L search): it's just another. (Training à Analysis, à Comparison)
- & Part of L search Development.

Presumably after a sequence of problems or sufficient time between solved problems
Evolving P_t is changed. ~~continuously~~ Just how P_t should be done, is unclear...
One could add clouds to ~~L~~ t. Basis of L corpus, but Computing PC's becomes harder
I.e. one can't smooth P_t. \bar{L} distribution w.r.t. kernel — which normally enables very fast
operation of t. system.

May be 2 phases of operation: At first, before we have any good clouds, we use
a constant L distribution. When we accumulate enough better clouds, we add them
to t. L corpus & recompute t. L distribution. In general, we may want to do this after
we only add a batch of clouds to t. L corpus (i.e. we compute L), whenever
t. set of new clouds really looks rather good, i.e. has lots of members below t.
90 percentile of Gave.

Indeed, one does do L search "to help GA", one uses L search instead of GA.
Hrr, to be competitive, t. L distribution has to be continuously or periodically updated —
(i.e. Learning during Gen).

If we use a TSO, we can update L. def. b/w. problems or ~~periodically~~
every 'several' problems.

- 3: 119.37: Another poss. advantage of Random L search is that the \bar{L} d.f. can be continuously updated.
It's not necessary to smooth \bar{L} w.r.t. kernel. We assume, hrr, that t. kernel is constant — or
that it is updated frequently.

A factor that t. for p. doesn't explicitly consider is, in Optm problems, the clouds won't
"solutions" or "nonsols" — they get G. values ($\in \mathbb{R}^{n \times 1}$). One way of dealing w. P_t is to
choose t. corpus of \bar{L} , only t. top 10% percentile of \bar{L} G. values, ~~or~~ ^{so-called} 20-threshold
So, \bar{L} threshold for inclusion \uparrow as we "climb t. hill". This would be nice to do w. ② (random L search)

In T2T L search for OZ problems: we do $\geq T$ runs ~~then~~ until we get some output; then
we modify \bar{L} for ~~next~~ $T \leftarrow 2T$.

To start out, our initial L could be constructed w. corpus of "Hand-solved" problems!

I had originally planned TM Solver & bunch of problems using some fixed approach ("I will do it myself but
TM itself doesn't change t. pc's w. new solns, rapidly and so too much better than constant").
After first prob's here, After TM has solved each prob's very well, we use PPM for building P_t.

Drew up outline for each of 3 L search systems giving details on how each part works.
Discuss how each is used: what kind of TSO's it needs, what kinds of GA problems can solve,

4 Td

- 118.90: Another way to get min $(\text{mx}-\text{ly})^2$ is to use non-linear optimization using Prct
Second order method & invented! It is probably identical to the ... Margani's method.
03 — I think it converges rapidly.

Defn TzT
So anyway, say I have ~~a~~ a good way to get PC's of Tokens. I can't do realize
1) If Lshch, 2) Random Lshch $\Rightarrow \underline{T \leq T^* Lshch} \Leftarrow \text{cell } T \geq Lshch$
For TzT Lshch, ~~[all I need is 2xR terms that "partly" decouple + kernel: e.g. R^2 R~~
pts of equal percentile intervals.] \Rightarrow NO! I need to PC's of R Tokens (or better still, Recr
loop). But I can't ~~approx~~ approximately using Recr from "floating pt"? Actually keeping track of where
one is in $T \geq T^*$ isn't so easy! One way would be: for every fixed ΔT interval, one checks
to see if $\Delta T \geq \Delta T^*$

12 — I might want to use ~~pseudo~~ floating pt! I use 2 registers for each no. The characteristics
13 multiplied to get characteristic of product. ~~add~~ \Rightarrow The numbers are added.
14 what char of product. If it has a leading zero, we shift it & decrement mantissa by 1.
15 \rightarrow looks like very fast way to keep track of products of PC's! but I'm not sure
integer mult is any faster than ~~floating pt. float!~~ Its floating pt. addition that's slow.

When I'm doing $N = n+1$, I just keep track of carry. As soon as one occurs, I inc. ~~mantissa~~
mantissa & shift characteristic. So I always know in flight, & I always know apparently whether good
enough its log₂.

(50) to Get Log apparently: The characteristic is always below .5 & 1. To change this to \log_2 ,
~~we need to subtract a certain amt, then multiply by a constant~~. Since \log
accuracy isn't high we might want to do ~~approx. division~~ better nos. in this \Rightarrow floating pt.
Also, we might be able to do ~~approx. division~~ better nos. in this \Rightarrow floating pt. We do a few
"shift & subtracts". On basis of ~~signs~~ of results, we can get approx. ~~quadrants~~. T. prob. won't
matter "in line" to # times cast.

T. shift from 117.00 to zero is all v.g. is eventually partly useful. \rightarrow T. cc of compa. \approx
~~as much as to accuracy of PC being calculated ... So I will eventually have to do full~~
~~bit by bit analysis. But now, I want some f.e. on whether it'll help w. TzT's~~
to make them feasible — So I used to often try TzT \Rightarrow try it on a few
problems.

Also perhaps, try if our GA~~'s~~ can have been done ~~using standard GA and Pts~~
I want to know how many trials are needed for soln. of GA prob. U.S. normal means?

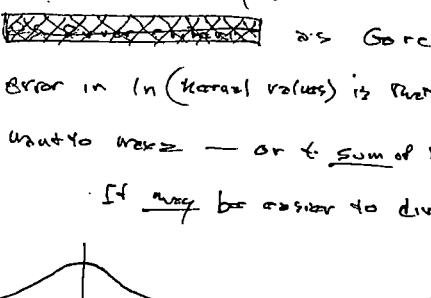
Going over this \Rightarrow first! T. disadvantage of II is Random Lshch is \sqrt{N} factor of N, ~~in~~ ~~Time~~.
N is no of tokens in soln. T. Disadvantage is need for much Memory. Hvr, there is also a factor
of N reduction in Memory! But T. resort may be that one can do it w. not so much RAM, maybe
 \ll GBy. Advantage of Random over II is that maybe less computation \Rightarrow choices of Tokens. \rightarrow 120.23

Advantage of TzT is ~~(AVB)~~ much less RAM & perhaps much less keeping track of
things (just simple loop \leftarrow first tree lshch).

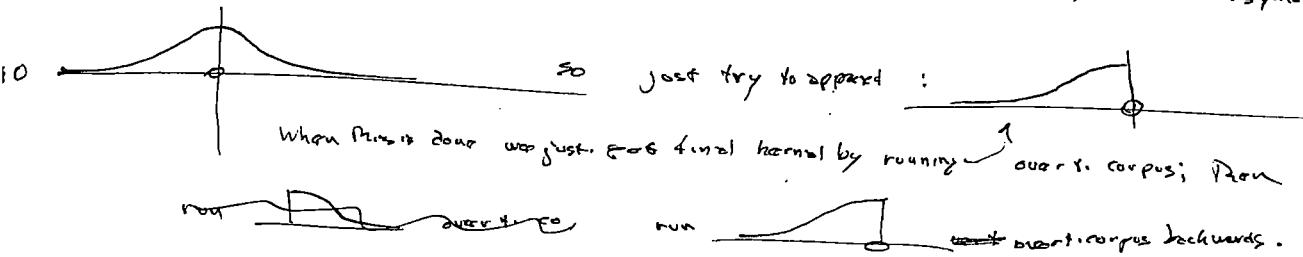
FTM

0:117.40: Propose a good idea to augment to 2-3 tree nodes w/ Pruning, Then ~~then we've~~

~~So we'll work, transfer it to completely or mostly, to Assembly code,~~

0:117.50: The Wts, (c_j of +. kernel) can be found by curve fitting, using ~~the~~ "error of $\ln(y)$ "
 as Gare — but look into Gare carefully! The reason we want to minimize
 Error in $\ln(\text{kernel values})$ is that these are closely related to pc's & its product of pc's that we
 want to make — or to sum of log's that we want to make.

If ~~may~~ be easier to divide to approx. of kernel into parts, because it's symmetric;



I think I had ~~2~~ way of doing non-ns. error min by Successive Approx

The thing that is varied in successive trials was w. Given to each ~~approx~~.
 So we did by/ns error, but went steps so that it becomes equiv. to us of error in.

Say x is a data pt. & y is a pt we want to approximate x . we want $(1 - \frac{y}{x})^2$ to min.

$$\text{we assign } w = w_0, \text{ so } w \cdot (x-y)^2 = \left(\ln \frac{y}{x} \right)^2.$$

First we try to set $(x-y)^2$ to be small, using $w_0 = 1$. Next time,

$$w_{n+1} = w_n = \left(\frac{\ln y_n - \ln x}{x - y_n} \right)^2 \text{ to continue doing this from the measured y's;}$$

We repeat wts in accord w. 21.

If this doesn't converge: 2 poss. ways: (1) do slower convergence, so

$$w = \left(\frac{\ln y - \ln x}{x - y} \right)^{2-\delta} \text{ in which } \delta \text{ is } < 1. \text{ as } \delta \text{ approaches } 0, w \text{ approaches } 1$$

(2) Somehow, do it backward: i.e., in solving $x = f(x)$ (for known $f(\cdot)$)

we can try $x_n = f(x_{n-1})$ successive approx. If it diverges, then its likely

that $x_n = f^{-1}(x_{n-1})$ will converge. How we would do this w. 21

31 11.21 since y_n is a function of w_n , we can write $w_{n+1} = f(w_n)$.

Hrr, the inverse of f is quite complicated.

Another diff: It may be that using 21, w converges at some x pts but diverges
 at others. i.e. inverting eqn 21 would then simply

Since $\cdot + (\ln x - \ln y)^2$ error criterion seems to emphasize behavior for small x ,

for initial w , perhaps near $w \approx \frac{1}{x}$ (Note in present case x is always > 0)
 we don't cover case $y \leq 0$ (so $\ln y$ is complex)

- so. At present time! It would be possib. to convolute L w. kernel (in time or T or t int.)
- ~ Time $\leq T$ units by doing by simulating kernel by its Laplace xfun, then do $x_i = \alpha_j \tilde{x}_j + (-\alpha_j) y_{i-1}$
~~more exactly,~~ More exactly, ~~less smooth~~ $\tilde{x}_j = \dots \tilde{x}_1 \tilde{x}_j$, $x_i = \alpha_j L_i + L_{i-1} (1 - \alpha_j)$
- 04 No. First we get $\tilde{x}_j = \alpha_j L_j + (1 - \alpha_j) L_{j-1}$ for $j=1$ to T . different α_j values
- 05 Then kernel smoothed L_i is $\leq c_j x_j$. Here c_j is ~~the~~ \tilde{x}_j Laplace factor —
~~no compn. of kernel~~
 q. kernel, K. We may be able to use same kernel for a slightly changing \tilde{L} , \rightarrow (118.02)
 which would be easier if we keep T constant, by deleting 2 corners from every
 frame we effect one (corner flambard).
- So If engg. works out we get \approx bunch of smooth \tilde{x}_j : each is a
 vector (for each) having \approx no. of components \leq no. of terms.
- 11 This would facilitate $T \leftarrow T$ (each \approx 11 bits output per 10 machine cycles!) \rightarrow (132)
- 12 The random access & fast random no. generator, \rightarrow (in inner loops, 32 bits)
 is more boundaries, and a sorter of fast to random nos. (much less \rightarrow fast)
 "inner loops" has a fast random no. generator.
- On second thought $-1 \geq$ doesn't seem relevant! Use $.00 - .11$ for R components of a PC vector (there are R about terms). If $S = \sum_{i=1}^R$ of R components, we get random no.
- on $(0, S)$ to determine what interval it falls in: One way say Z is random no. $\in Z \in S$,
~~we do~~ we do $\sum_{i=1}^R$ Components; $\geq Z$ we pick min $i \rightarrow$ first. It takes on average,
 $\frac{R}{2}$ additions — which may not be bad! Trouble is, we have to do $\sum_{i=1}^R$ compn to get S !
 So we do it $\frac{1}{2}$ times! On the other hand, at each S point we may compute S
 "anyway, to use for normalization. But usually R additions will take little time!
 we have to load a register repeatedly in. new components.
- use X_{2i}, X_{2i+1} : $\boxed{\text{add } x_2 \leftarrow x_b[x_c + \dots x_d]}$ This may not take so much time.
~~then~~ Incr x_d
~~If $x_d < R$ go to~~
- I may not need v.g. random nos. — try some very fast (not necessarily good) ones —
- So if using a better random no. gen., changes rate of longer much.
- 32 \rightarrow Recurring to ends of \tilde{L} : Boundw only used $\frac{1}{2}$ of kernel (?) — but anyway, we
 can reflect both ends of \tilde{L} to continue them to get kernel xfun!
- $\Rightarrow \tilde{x}_T, \tilde{x}_{T-1}, \tilde{x}_{T-2}, \tilde{x}_{T-3}, \dots$ (and T_1, T_2, T_3 is reflected as
 $T_4, T_3, T_2, T_1, T_2, T_3, \dots$)
 So ~~less~~ "less" problem.

ATM

15.90: Another research foray! That we use "Safe GPD" for present problems & for the general problem of improving induction Algs. In an early version of I DSIA report, (problem ^{still} Abstract) I had this GPD does ^{regular} ~~both~~ problems & "Hyperorder problems" like deriving a test & a gen. for problems. I spoke of a "GPD" to do this — ~~Principle of GPD~~ in an abstract way: But if we consider a PD to be a program that effectively defines P.A.'s; Then it's a more practical, useful way to look at the problem. ~~ED~~

Reading ^{my} most recent IDSI A Report, is suggestive: Even + 1975-TB1/3 paper. The idea is that ~~most~~ ^{most} (lowest level), "mainline" problems of TM should be similar to f. main problem of improving +. algm that solves f. low-level problem. So each soln of a 1' d.f. (low-level) problem can go, (to some extent) into "corpus" solns (or to solved corpus) of f. h.d. (high level, meta problems) of improving +. method to solve for low-level problems. ~~of the L system~~ Suppose one way to do Relz.

One thing I hadn't thought about much, is improvement by logical Analysis. This way I expected to do it was to first teach TM how to solve formal/logical problems, then teach it +. correspondence between other types of real problems, & f. formalisms of deductive logic — so it can apply deductive logic to those & u prob.

A possi approach would be to teach deduction as a kind of induction — or vice versa nothing special about it's ~~it's~~ always poss. That'd be wrong.

(15.8) ~~PD~~ having a cc param several viewpoints; & +. the idea of "improving" a pd. by adding more cc's of 15.10 if is one way of ~~the~~ (possibly?) ordering such d.f.s. The d.f. of Univ. d.f. is f. limit of a seq. of PD's obtained from "FOR'S" of successively larger CB, — is another way ~~other~~ by Decay. So we can have a vast family of different PD types, in different myforms, different output forms & different relationships of cc to output pc. We probably need algms to translate from one PD type of I/O, to another.

I could have to maintain L diff w-G values as a "Utility" of how TM does different ways to use PD for problem solving. Its something to System has to consider; Like a bunch of floating pts. insts. Plus we ~~give~~ TMs to use as it likes, or some analog devices, or a Dictionary or Encyclopedia.

Any way, I've considered 2 extreme paths to TM:

I) Phase 1, Phase 2, Phase 3 Grammar of PDA's

II) GPD having pd used to produce basis for "low-level prob". Since PD is used to change/tweak used for [f. d.f.] problem solving or add lines.

While II) is ~~probably~~ better in a theoretical sense, It is policy best to do II) because I get faster ~~for~~ f. B., E.g. It's better to build successively better objects than to try to make a final object ~~as~~ into.

2 TM

20:11440: How can we & PGM formulations CC? Well one way is to perhaps drop the idea of a single corpus, problem
 & use a TSG to educate the TM so it can have a better Guiding PD for LSch.

At first, (as in Phase 1) we use a simple induction system to summarise ~~many~~ topics found in ~~the~~

TSG in the prep. There is probably a limited amount of cleverness in this Guiding PD, but it is less used by the system with "auto-apply" because it is not the Guiding PD, is as effective as poss. ...
 remember to basic freq. being used is universal, & — sort of "makes" any conceivable instruction sat.

I've noted that to Lisp lang seems more suitable for PPM guiding & PD. Back forth. — It this is indeed so, can forth simulate Lisp in a way that makes PPM a good Guiding for the resultant lang?
 Well forth can simulate Lisp by defining a set of ~~new~~ Lispish instructions. One Q is —

What kind of TSG would bring this about? Essentially, we want forth to define words

→ most of those words tend to be words comes & perhaps be worthy of definition.

This definition of how tokens really modifies PPM a lot!

→ so in AZ141, which is Lispish lang, I also define new tokens. → 116.20

REMARKS [SN] I am concerned that in many induction environments, it
 needs a fast approx. PC value(s) for t. "Guiding PD". One area of induction where

speed has been emphasized is Speech recognition: Analog input — digital output.

[SN] In 2 TM system as contemplated I need:

- 1) Alg. to generate new cards
- 2) Fast as poss. way to test cards (Gorc)
- 3) Way to remember params of each card, & its Gorc.
- 4) method of mapping 3) into 2)

Poss. use of GP to discover good Alg. for Card Generation.

In GP/GA we do have to select/remember population. Here in t. "L" / PPM method we don't have to, bcs t. ^(plus Gorc info) distribution has all info in population, but none used! Forum.

So while it does not probably require much memory that GP, it doesn't require much useless memory (that will be easier to do due to mapping in GA/GP population??) or more diff^{ly}!

It would be hard if we could do only complete capacity run of GP to get a good

card generating Alg. — Or a good PD generator to generate cards.

If this were poss., it might be best to use ^{2 systems} IPCL (InfoProc Copy) ~~information~~ to use its output for t. next run of card generator, etc. It is pretty much more efficient to generate improvements

in t. system sequentially ("bootstrapping") but doing it all in one Big run.

The Good must (perhaps) use a different set of problems from t. problem of Generating Good models.

→ I have to work this out much more carefully!

HA! (C) What .30 Amounts to (it always uses "if instead of to"). In 32, it's updating
 Card generator & from. During t. Listen! — I.e. learning while searching.
 Self. 32 is true.

4 TM

DO

$$\text{So } \frac{m}{\sum_{i=0}^m \frac{1}{2\pi i \sqrt{(m-i)}}} = \frac{m}{\sum_{i=0}^m \frac{1}{\sqrt{i(m-i)}}} \approx$$

$\int_0^m \frac{di}{\sqrt{i(m-i)}} \approx \sum_{i=0}^m \frac{di}{\sqrt{i(m-i)}} = \pi$ except sometimes $i=0, m$.

$\text{So } \text{P}(i) \approx \frac{1}{\pi}$

DO

So 113.57 becomes $\frac{e^m}{2}$. Now I have to go back to 113.12 (or maybe 113.11!) to see just what it means!

Conclusions: $\sum_{i=0}^m \frac{1}{i^2(m-i)} \cdot \frac{m!}{i!(m-i)!} \approx \frac{e^m m!}{2} \approx \frac{m^m}{2\sqrt{\pi m}}$

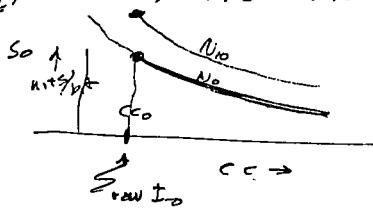
I guess t. original (error) started w. 109.06

SN

A measure of Utility or Merit, of an induction system! Suppose an induction system, I_0 based in a direct manner, is able to get an entropy of ~~No~~ bits/symbol at ~~a~~/corpus.

By using I_0 to direct (\approx Lach) we can decrease P to N , bits/symbol, but it will take more cc.

By \uparrow to C , we obtain further \downarrow of bits/bt.



$$\text{So } \text{bits/bt} = N(I_0, cc).$$

Now it may be that the form of the curve $N(I_0, cc)$ is universal. Is it? True for all induction systems? But we just have to know one point: $N(I_0, cc)$ curve & we can immediately obtain all the others.

So if I_{10} , say has some N value at cc_{10} , then we just get

$$N_{10} > cc_{10} \text{ and curve is } N_{10}(I_{10}, cc_{10}) \approx N_{10}; \text{ then:}$$

$$N_{10}(I_{10}, cc) = N_0(I_0, cc) \cdot \frac{N_{10}(I_0, cc_{10})}{N_0(I_0, cc_{10})}.$$

The figure of merit of a bad system increases units/symbol at \downarrow by cc level.

T. Why we are able to get ~~better~~ better Lach. from an induction system I_0

We use I_0 to construct a "guiding PD", for ex Lach to find ~~better~~ Ind. systems

{ W. better n/symb. Of course the choice of models, acc. for the different Lach is critical, is important in determining how ~~better~~ entropy \downarrow w. cc.

But given 127-28, and initial Ind. system I_0 , we can take a new Ind. system I_1 w. a larger cc. Presumably we can repeat this operation indefinitely, getting I_0, I_1, I_2, \dots made w. more cc.

Would we get as good, or better results by just using "one step at a time" as we do

hyper c.b. for Lach? (Perhaps not: if successive I_0, I_1, I_2, \dots gets better & better models,

I, "just one ~~better~~ bigger CB" / Method uses same info every time. Th. Successively better I_i is more like Phasor, Phasor parts \Rightarrow better —

On the other hand, using a previously discovered PD to guide Lach \Rightarrow a big \uparrow in cc! —

So for this "much better PD" one pays ~~more~~ ~~more~~ heavily.

Speaking loosely, we know that using a null induction system to guide Lach, we can approach to ~~more~~ the degenerated corpus, very closely --- but w. much expenditure of cc.

12.40
10/11/2012:

We use previous code $\Delta bcd \Delta abcd \dots$ "z" is seen being added to "a".
 To first Δ means end of a data & start of another. To second Δ means "end of previous".
 We assume Δ 's to have radius r_c but the first recorded symbol in neighborhood of each symbol has radius r_c .
 What does "corpus radius" is that the symbol a now follows Δbcd after every Δ .

$\Delta bcd \Delta abcd \dots$ Then the regular steps follows.

Code of $\Delta abcd$ consists of a (ab) as a symbol at first pt. So will mean start of "corpus".
 \Rightarrow PC of $a \approx \frac{1}{5}$; Next symbol starts at b so PC of $b \approx \frac{1}{6}$; Next a symbol $c b d$, so
 \Rightarrow PC of $b \approx \frac{2}{7}$. (y, "regular corpus")

To code of Corpus: N symbols, "z" occurs in traces. e^{-xz}, e^{-Ax}

It gives code giving trace word $z = pc \text{ of } \frac{m}{m+N}$

Thus naive PC would be given by the "factorial formula".

Where we do i 's? Then we do $m-i$'s: sum of PC of various i 's.

So we have something like $\neq P_m P_{m-i} = \frac{e^m}{i!(m-i)!}$ since $P_m = \frac{e^m}{m!}$

$\rightarrow S_m = \frac{e^m}{m!} \cdot \frac{1}{i!} \cdot \frac{1}{(m-i)!} \approx \frac{(e^m)^{m-i}}{2\pi \sqrt{i^2 \cdot (m-i)}}$

So, it looks like calculating fraction of P_m as i increases!

For $z=0$; it's in form; $0^0 m^m + \frac{1}{0! m!} \approx \frac{e^m}{\sqrt{2\pi m}}$ so z ends up to $\sqrt{\frac{e^m}{2\pi m}}$

So $S_m = e^m \left(\frac{2}{\sqrt{2\pi m}} + \frac{m-1}{2\pi \sqrt{m(m-1)}} \right)$

So the final product $\frac{e^{m_1}}{2\pi \sqrt{(m_1-1)^2}} \cdot \frac{e^{m_2}}{2\pi \sqrt{(m_2-1)^2}} \dots$

Substitution:

Let $x = \frac{y}{m}$

Then $y = mx$

So $\int \frac{dy}{\sqrt{X^2 - y^2}} = \int \frac{dx}{\sqrt{X^2 - (mx)^2}} = \int \frac{dx}{\sqrt{X^2(1-x^2)}} = \int \frac{dx}{X\sqrt{1-x^2}} = \int \frac{dx}{X \sin \theta} = \frac{1}{X} \int d\theta = \frac{1}{X} \theta = \frac{1}{X} \arcsin \frac{y}{X} = \frac{1}{X} \arcsin \frac{mx}{X} = \frac{1}{m} \arcsin \frac{y}{m} = \frac{1}{m} \arcsin \frac{x}{1-x}$

Now $\frac{dx}{\sqrt{X^2 - x^2}} = \ln(x + \sqrt{x^2 - 1})$

So $\int \frac{dx}{\sqrt{X^2 - x^2}} = \ln(x + \sqrt{x^2 - 1}) \Big|_0^1 = \ln 2 - \ln 1 = \ln 2$

for $x = 1$, $\ln 2$ is real, but for $x = 0$ it's complex!

$\int \frac{dx}{\sqrt{X^2 - x^2}} = \sin^{-1} \frac{x}{X} \Big|_0^1 = \sin^{-1} \frac{1}{X} - \sin^{-1} 0 = \frac{\pi}{2}$

So $\sum_{n=1}^{\infty} \frac{1}{\sqrt{\frac{1}{2} - x^2}} = \pi$

$$Z = \frac{m!}{\sqrt{2\pi}} \beta^m \sum_{j=0}^{m-1} \frac{\beta^j}{j! \sqrt{m-j}} = \frac{(m!)^m}{(\beta e)^m} \sum_{j=0}^{m-1} \frac{\beta^j}{j! \sqrt{m-j}}$$

$Z = Z(m, \beta) :=$	$\frac{m+2}{1.3}$	$\frac{2.0}{7.05}$	$\beta = \frac{m}{2}$	$\beta = N p_{\text{tot}}$	$p_{\text{tot}} = \frac{\beta}{N}$
	$\frac{1.022}{.6}$	$\frac{2.9}{1.8}$	$\beta = .9M$		
	$\frac{m+6}{1}$	$\frac{1.8}{1.28}$	$\beta = M$		
	$.5^2$	$m=10$			
			$\beta = M$		

$$\delta = \frac{m}{N-m} \approx \frac{m}{N}$$

$M > \beta$ in all cases of interest.

- 1) Check & match, 2) Do eqns in Maple or \leq from. 3) Do a quick sanity, w/o approx —
so check whether any difference — also see if it gives "scarcable" results.

Seems that $\delta = \frac{m}{N-m}$ maybe slightly wrong: should be $\frac{m}{N-km+m} = \frac{m}{N-(k-1)m}$

$$\delta = \frac{m}{N-km+m} \quad 1-\delta = \frac{N-km}{N-km+m} \quad (1-\delta)^{N-km}$$

"Brushing a bit under the rug" say $.23 \approx 0.14$.

$$\left(\frac{m}{N p_e e} \right)^m p_e \dots \quad NP_e = \beta \cdot \left(\frac{m}{N p_e e} \right)^m p_e$$

\Rightarrow Should we sum $m!$ from ϕ sum? Evaluating a logarithm: it consists of adding k digits of m , but not using stirling.

$$P \left(\left(\sum_{i=0}^m \left(\frac{i}{\beta e} \right)^i \frac{m!}{i!(m-i)!} \right) + \right)$$

$$P \left(\left(\sum_{i=0}^m \beta^{-i} \left(\frac{i}{\beta} \right)^i \frac{m!}{i!(m-i)!} \right) \right)$$

$$P \left(\left(\sum_{i=0}^m \beta^{-i} \left(\frac{m}{\beta} \right)^i \frac{m!}{i!(m-i)!} \right) \right)$$

$$1 + \frac{m!}{\sum_{i=1}^{m-1} \beta^{-i} \frac{m!}{i!(m-i)!}}$$

$$1 + \frac{m!}{\sum_{j=0}^{m-1} \beta^{-j} \frac{m!}{j!(m-j)!}}$$

$$Z(m, \beta) = 1 + \frac{m!}{\beta^m \sqrt{2\pi}} \sum_{j=0}^{m-1} \frac{\beta^j}{j! \sqrt{m-j}}$$

$$\left(\frac{i}{e} \right)^i \approx \frac{i!}{\sqrt{2\pi i}}$$

So do sum from $i=0$ to m , log-add terms.
 $x = 0$ term.

$$\lim_{x \rightarrow 0} x^x = 1 \quad x \ln x \rightarrow 0 \Rightarrow x \rightarrow 0$$

which is 1 .

Easier to generate $i!$

$$\begin{aligned} j &= m-i \\ i &= m-j \\ -i &= j \\ i+j &= m \end{aligned}$$

$$\begin{aligned} i &= 1, m-1 & j &= 1, m-1 \\ i+j &= 2, m & j &= 2, m-2 \\ i+j &= 3, m-2 & j &= 3, m-3 \\ &\vdots &&\vdots \\ i+j &= m, 1 & j &= m, 0 \end{aligned}$$

so each summand \approx by factor of $(m-i)$

\approx by 2 factors of β .

$$\left(\text{factored by } \sqrt{\frac{(i+1)}{i}} \right)$$

The word Mad is factored
is not affected when
mult by e^{Ax}

: Is it all reasonable that $Z(m, \beta)$ should be ≈ 1 ?
Given $i \neq m = \beta$; ≈ 1 for all m ?
 $Z(m, m)$ clearly ≈ 1 .

Could P_e be slow \uparrow of $Z(m, \beta)$ w.r.t. m because of approx error?

I would think that $Z(m, \beta)$ should be ≈ 1 for all m , because it uses exact codes of i . Identically same P_e 's,

so $(1-\delta)^{N-km}$ factor, which is < 1 ; most add op. $\approx \frac{m!}{i!(m-i)!}$

This factor is exactly $(1-\delta)^{N-km}$ so $\approx \sum_{j=0}^m (1-\delta)^{N-km} \frac{m!}{j!(m-j)!} = 1$?

Seems like the $(1-\delta)^m$ factors should cancel out \approx

Try it using exact summations and exact δ values, etc.

Try coding f. fully! Brain says: We define long sum of i squares: Substitution of i defined on \sin

Many ways should give \approx change in P_e (\approx rank). If not P_e in \approx same place...

4TM

o: $(109, \infty)$! T. Stirling apprxn is very good for $m \geq 1$, say, $\frac{z^2}{e^z} \cdot \sqrt{\pi \cdot z} = 1.918$

But o! does not work w. Stirling!

$$\cdot 11 \cdot \frac{1}{e^{\sqrt{2\pi}}} = .922 \text{ not bad!}$$

In 109-25: $P_{\text{Tx}} \sum_{m=1}^{\infty} \left(\frac{m'}{N P_{\text{Tx}}} \right)^m \frac{m!}{m'! (m-m')!} = \frac{m! P_{\text{Tx}}}{m'! z!} \sum_{m=1}^{\infty} \left(\frac{1}{N P_{\text{Tx}}} \right)^m \cdot \left(\frac{m'}{e} \right)^{m'} \cdot \frac{1}{m'!} \cdot \frac{1}{(m-m')!}$

Since terms are no ugly terms, i.e. $m' = 1 + m$ (never zero) $\left(\frac{m'}{e} \right)^{m'} \approx \frac{1}{\sqrt{m' \cdot 2\pi}}$ $\left(\frac{1}{e} \right)^{m'} \approx 1$

$$\sum_{m=1}^{\infty} \left(\frac{1}{N P_{\text{Tx}}} \right)^m \frac{1}{(m-1)! \sqrt{m-1}}$$

$$z \approx \sum_{j=1}^m \beta^{-j} \frac{1}{(m-j)! \sqrt{j}}$$

$$\sum_{j=0}^{m-1} \beta^{-m} \sum_{j=m-1}^j \beta^{-j} \frac{1}{j! \sqrt{m-j}}$$

$$= \beta^{-m} \sum_{j=0}^{m-1} \beta^{-j} \frac{1}{j! \sqrt{m-j}}$$

$$\text{So by } \frac{\cancel{z(m)}}{\cancel{z(m,m)}} \sum_{j=0}^{m-1} m^j \frac{1}{j! \sqrt{m-j}} \approx \text{ a const of } m.$$

$m=1$ perhaps doesn't occur \Rightarrow ~~so it's not a factor~~ $\approx C(z, r) \approx 1$

$$z(2,2) = z^{-2} \sum_{j=0}^1 z^j \frac{1}{j! \sqrt{m-j}} = z^{-2} \left(\frac{1}{\sqrt{2}} + \frac{2}{\sqrt{1}} \right) \approx 1.675$$

$$z(3,3) =$$

$$\text{to calculate } z(3,3) \approx (m, \beta) \quad \text{(10)}$$

$$A_j = \sum_{j=0}^m \frac{\beta^j}{j!} : A_j = \frac{\beta}{j} \cdot A_{j-1}.$$

$$A=1 : s = m \cdot (-.5) \quad \text{"s" is for } j=0 \\ \text{For } j=0 \text{ to } m-1$$

$$A = A \cdot B/j : s = s + A \cdot (-.5) \cdot (m-j) \cdot (-.5)$$

Next

$$\text{point } M, B, S \cdot B^1(-m).$$

All can be quite large: k is fine that was $\ll n$ ppm

Even w. $\beta = \frac{1}{2} M$, we have very small Z for $z \approx 1.77$!

woops! I left out the $\frac{m!}{j!}$ factor.

$$m^m \approx \exp(-m) \approx (2 \times 3.14159 \times M)^{-1} (0.5)$$

putting $\beta = \frac{1}{2} M$: for $m=2$ to 20 $z = 3.2 \approx 1.77$.

I have to mult by $\beta + \frac{1}{2} \div \sqrt{2\pi} \approx 2.5 \dots$

P_{Tx} can be quite small if m is large. It is + original cost of taking α ~~and m too~~.

It may be ~~that~~ ~~that~~ ~~is not~~ ~~very~~ ~~but~~ ~~our~~ ~~calculator~~ ~~is~~ ~~not~~ ~~correct~~!

divided by ~~2\pi~~ we get 1.3 to 70.5

$$\text{for } \beta = 0.8 M \quad \sum_{j=0}^{m-1} \frac{1}{j!} \text{ goes from } (0.022 \text{ to } 2.9)$$

$$\text{for } \beta = 0.9 M \quad \sum_{j=0}^{m-1} = \frac{.6}{1} \quad \frac{1}{1.8} \quad \frac{1}{2.0} \quad \frac{1}{2.2} \quad \frac{1}{2.4}$$

$$\text{for } \beta = M \quad \sum_{j=0}^{m-1} = .52$$

It would seem better for $\beta = M$, ~~the~~ the defn of α should not help for ~~any~~ value of m !

Also, it would seem that for any $\beta > M$ $\frac{\beta}{M} = c \approx C < 1$ ~~from~~

but ~~big~~ and M , Z should be ~~tiny~~ large.

$$\beta = N \cdot P_{\text{Tx}} \therefore P_{\text{Tx}} = \frac{\beta}{N} \leq \frac{m}{N}$$

$$M^{(n+\frac{1}{2})} \exp(-m + 1/2/M) \approx 2.506628$$

2.506628

BB5! 4TM III. BAS

$$11 \approx \frac{1}{e^{\sqrt{2\pi}}} = .92213$$

$$\times 1.2 = .94898$$

$$z! = \frac{4 \sqrt{2\pi}}{e^4} = \frac{8 \sqrt{\pi}}{e^4} = 1.919004$$

$$\times \left(1 + \frac{1}{24} \right) = 1.99896$$

4 TM

20 : also: look at $m=2, 3, 4$ etc (recursion cases) — we forget, hvr. k will be m .

Re: More cases for PPM they only use $1 \leq L \leq 5$, say w. U.P. results —
current PPM* w. L > 5 allowed, though +. larger ones were very infrequent
"exact"

So perhaps my original factories focus on $P_{T\alpha}$ —

~~Also~~ If it's easier to calculate "exact" version, using a $(1-\epsilon)^m$ factor
to compensate for the ϵ .

While 108.40 might be ok for obtaining $P_{T\alpha}$, ~~but~~ it seems very expensive. On the other hand,
using ϵ case counts of L factors to 25 in +. factorial like Prod "of $Z^{T\alpha}$ " would seem to be catastrophic

poorer (because completely incorrect product) ~~than~~ than 108.40! So $Z^{T\alpha}$ may be better
~~if over ϵ !~~

Then $L \geq 10$ probably worse than PPM!¹⁵

T-expense of 108.40 isn't algebraic ~~but~~ Outrageous! We will be keeping track of 2^L cumulative
P.C.'s of every point in \mathbb{C}^n . This might be done using a kind of "floating pt.", in which case
fixed pt. multiplication, but I keep track of shifts needed to keep "magnitude" at 1.

.111
.0111
.11111

13:09 ~~One could~~ " $D^L = Z^{T\alpha}$ ", but use 108.40 for evaluating $P_{T\alpha}$. Perhaps the system would
start out pretty much like older $Z^{T\alpha}$, but gradually improve as ϵ precision improved. $P_{T\alpha}$ was
computed w. more accuracy. This is perhaps the best way to do " $Z^{T\alpha}$ " anyway!
We may start out using +. factorial formulas

.11111
.11111

20 : I do need to get Mat w. $Z^{T\alpha}$ coding straightforward! I will probably need it when I do Grammer-dictionary
to implement "Phase 1". I will use Mat for (15) even! Perhaps by implementing Sol GT!

4.14.04 I can "sort of" see why I think OOPS' language wasn't as good as Lisp-like $AZ^{T\alpha}$ —
IM $AZ^{T\alpha}$, the sub-sequences always (usually) have meanings as job-functions.

In OOPS's forthright lang., P.M. does not seem to be true. One could, perhaps, in OOPS,
adopt a very forthright programming style, in which ~~all~~ almost all ϵ 's were short-sous of
dictionary entries — in which cases +. desired ~~context~~ context structure optimized by PPM
will work O.K. In fact PPM might impose a "style of program" on the system in a way to make
PPM useful (a sort of self-conforming hypothesis enforcer (2)) — in which case
one could use (perhaps) a (most) universal formalism that could express desired solns as
as "short codes". Hvr. w. some Universal langs, it may take a much larger compex;
bother to system begin having mostly PPM-type regularities. → On the other hand
this data return must be implemented by a suitable initial TSO.

[SN] "To first order" O PPM does everything that ϵ -series do, but cheaper —

Hvr. on "Second order" (advanced ~~langs~~ langs) PPM may be unable to do so except if
defining upcasts +. obtaining +. implied "functions".

20:108,40 :

If α is assumed PC of S , all Tokens will have their part multiply $(-S)$.
 α contains k tokens. α occurs m times in augmented bigram corpus.

The α occurs m times in type's of S equivalents. Token α in α corpus is P_{α} .

Therefore, total intuition of α include t , times " \geq ", N tokens in α corpus.

Factored change of PC of Corpus brought about by use of α , m times is:

$$\approx \left(\frac{S}{P_{\alpha}} \right)^m \cdot P_{\alpha} \stackrel{\text{in } \alpha}{=} \text{PC of definition of } \alpha. \quad (-S)^{N-km} \quad (1-S)^{\frac{S(N-km)}{S}} \approx e^{-S(N-km)}.$$

$$\approx \left(\frac{S}{P_{\alpha}} \right)^m \cdot P_{\alpha} \cdot \frac{e^{-Skm}}{e^{-Skm}} = \left(\frac{S \cdot e^{Sk}}{P_{\alpha}} \right)^m \cdot \frac{P_{\alpha}}{e^{Sk}} \quad \begin{cases} S^A \cdot (-S)^B = \max \\ \frac{A}{S} (A \ln S + B (N-A)) \\ \frac{A}{S} = \frac{B}{1-S} \end{cases}$$

So perhaps assign value to S so that this total PC is max

$$T_1 \text{ values depend on } S \text{ is } \frac{S^m}{e^{(N-km)S}} = \frac{S^m}{A^S} \quad A = e^{(N-km)} \gg 1 \quad S = \frac{m}{N-km}$$

$$\ln A - S \ln A = \text{Max} \quad \frac{m}{\ln A} \cdot \ln A - S = \text{Max} \quad \frac{m}{\ln A} = S \quad m = N-km \quad : S \text{ is } \frac{m}{N-km} \quad S = \frac{m}{N-km}$$

$$e^{-S(N-km)} = \frac{e^{-Nm}}{e^{(N-km)}} = e^{-m}$$

$$\text{So } 0.06 = \left(\frac{m}{(N-km)P_{\alpha}} \right)^m e^{-m} = \left(\frac{m}{e^{(N-km)} P_{\alpha}} \right)^m \quad \text{so weight factor of } \leq \text{ is } \frac{m}{N-km}!$$

$$= \left(\frac{S}{e P_{\alpha}} \right)^m \cdot P_{\alpha} \quad \begin{matrix} \text{correction factor} \\ S = \frac{m}{N-km} \end{matrix}$$

$$\approx \left(\frac{m}{N P_{\alpha} \cdot e} \right)^m P_{\alpha} \quad \left(\left(\frac{m}{e} \right)^m \approx \frac{m!}{e^m} \right) \quad \frac{m!}{e^m} = \frac{1}{m!}$$

I assume $m \ll N$ so $S \approx \frac{m}{N}$.

But it \approx
depends
out!!

$$P_{\alpha} = \frac{\beta}{N} \approx \frac{m}{N}$$

Next, we have to consider all possible configurations of α .

$$P_{\alpha} = \sum_{m'=1}^m \left(\frac{m'}{N P_{\alpha}} \right)^{m'} \cdot \frac{m!}{m'!(m-m')!} \quad \begin{matrix} \text{Two ways to consider} \\ \text{composition of } \alpha \\ \text{itself, it has } \alpha \\ \text{but is also like} \\ \text{Malabar} \end{matrix}$$

$$= P_{\alpha} \sum_{m'=1}^m \left(\frac{m'}{N P_{\alpha}} \right)^{m'} \cdot \frac{e^{m'}}{(m+m')!} \cdot \frac{m!}{(m-m')!}$$

$$m'! \approx \frac{m'^{m'}}{e^{m'}} \cdot \sqrt{2\pi m'} \quad \begin{matrix} \text{we expect } \beta \text{ factor} < m \\ \text{as } m' < m \end{matrix}$$

$$= P_{\alpha} \frac{m!}{e^{2m}} \sum_{m'=1}^m \left(N P_{\alpha} \right)^{-m'} \frac{1}{\sqrt{m'!}} \frac{1}{(m-m')!}$$

$$\beta = N P_{\alpha} \approx m + \text{repetitions of } \alpha \text{ by } \beta \text{ is } \frac{1}{m} \text{ or more}$$

$$\text{Now } \sum_{j=1}^m \beta^{-m-j} \frac{1}{\sqrt{j!}} \frac{1}{(m-j)!}$$

gets rid of e factor!

$$j = m-i \\ m-j = i$$

$$= \sum_{i=0}^m \beta^{-m-i} \frac{1}{\sqrt{m-i!}} \frac{1}{i!}$$

$$= \text{some function of } m \text{ is } \beta.$$

$$= \frac{1}{\beta^m} \sum_{i=0}^{m-1} \frac{\beta^i}{i!} \cdot \frac{1}{\sqrt{m-i}}$$

I could parametrize for various β , m . — But β will be $\ll m$.

So do graph for various large m , β = .9, m , $\approx m$, etc.

Go over those Equis Carefully before passing! Getting rid of $\frac{1}{\sqrt{m}}$ factor is greatest task!

Do it more correctly w/ $(-S)^m$ using second order terms
 $\Rightarrow \beta = 2.5 \rightarrow 2.5 \text{ min } \dots \dots \text{ for } x$

$$\approx 100.00$$

4TH

~~100~~
~~100~~
~~100~~

00:107.40! Q: Is t. kernel width $\leq t$? Insertion into L at various pts, will occur without t. returns
Hrs, at each t. value, t. total length of L $\leq t$. Then width of kernel will always be a certain fraction of
t. length of L ($t \leq \text{length}(L) \leq t$). If we have a fixed L (or a L of fixed length - abtained
by deleting a Card whenever one inserts one), Then we have a kernel of fixed width.

[SN] Adding 2 new tokens is certainly up-to-date beginning — yet it leads sooner to screwup ~~than~~
the needed shape of t. kernel! Another disturbance is Later: when a new token is
deleted (as in OOPS). In ~~early~~ first case (early ~~late~~ (to)) was later to give equal pc
to several glossi symbols — can't be done w. = precomp., because symbols in precomp.
are at different distances..... (?) no! — those are distributed in corpus space (t. direction)
which are concerned w. "L" spaces ... not directions

For t. design of sequences of insertions: we can however "precompute" in form of K different
cards!

$$\Delta T_1 ; \Delta T_2 ; \dots ; \Delta T_K. \quad T_i \text{ is } \frac{\text{t. tota}}{\text{steps}} \text{ token. Cor}(i): \Delta T_1, \Delta T_2, \dots (K \text{ is null context})$$

We could probably add in definitions as well, in this way: a bit $A_{T_i, t}$.

Error of t. kernel is probably second order effect, but relevant errors are log off.

Kernel size is controlled in maximizing the pc of t. seqn — t. product of pc's of tokens
= PPF (≤ 1 in tokens).

t. idea of "big kernel" lies over (apparent flow), t. linear ordering of tokens ~~in~~ in buffers

— pc is lot. When one sorts t. corpus lexically $\rightarrow L$, PPF automatically occurs. (3) Another way to deal with

One way to avoid this — The only measure of similarity b/w 2 contexts is length of their common
suffix. This seems to break conventions PPM & PPM*. The relative wts of our PPFs

completely switches (probably shared by all softwares). An alternative way would be to view each suffix as P_{big} , — \propto from seq. w. t. precomp (of wt. $\frac{1}{2}$, perhaps). So t. part success of suffix is

use to make \geq its wt. (33)

Q: To what extent is PPF escape probability related to that offered by using a "precomp"?

In both cases t. pc of t. token $\leq \frac{\text{now}}{t}$ (t being no. tokens PPF for) (oris $\leq \frac{1}{t}$)

(Apparently) t. rate may do PPF, as to define K ~~tokens~~ (Densest k distinct tokens) & then
So t. does 1 for each context, & consider t. sorted ways to code t. corpus. Defn Definition

35.20 → In t. PPM discussion of ~1985 (written, clear, right) they use a "Tree" structure that somehow
seems to avoid the error of look ordering — but it may be more expensive in time and memory

33.25 → Expanding PPF a bit: ~~the~~ To code using t. now^{PC} is a particular suffix ending in "z".
t. suffix z is of length n . Defn

First distinct x in t. precomp. pc will be \approx precomp (c's ~~not~~ not composed of tokens).

Also, ~~the~~ pc of symbol denoted "definition".

In PPF, we can compute the pc of each sequence of tokens replaced by each x.

This is done by looking at the cumulative pc of t. corpus at t. beginning and ends of each insertion

4/4

2/2

→ (06.07): Hm, I really have no good idea as to how long it takes to ~~the~~ generate a ~~for~~ a word. Currently, it takes $\approx 2000 \cdot \text{Ind}$ ~~clocks~~ to put ~~symbol~~ 1 token into \tilde{D} . Also, ~~estimated~~ 1 (or 10) \cdot by of Ram ~~used~~ by ~~enough~~ for all that I need to do.

In $T = 2T$ (which seems simplest to pyin) + Bottleneck seems to be \rightarrow compa-off PC's.

+ Try to see how much accuracy \rightarrow needs in various token PC's.

As is, I don't have a clear idea as to how much memory I need, how fast, how good TS ϕ is needed to get to Phase 2.

For ~~the~~ Token PC refines; I may be able to ~~simply~~ simulate kernel by \rightarrow Laplace Xfns.
Then convolution using $X_n = \sum_{k=0}^{N-1} \alpha_k Y_{n-k} + (1-\alpha_k) X_{n-1}$ - so many α 's will \rightarrow positive or negative.

This could be linear in SSZ. As is, I have no idea as to what kernel looks like.

I could just accumulate an empirical kernel, e.g. 103.05 : (but I have ~~idea~~ that stores a ~~vector~~ kernel).

One general for ~~each~~ Token types!

(Thinking "out loud"): When one ~~wants~~ asks for \rightarrow PC of a context; we look at longest (historical window) in corpus. — How far along " L " do we have to go back to find a particular Token? \rightarrow length of L sequences of tokens can be treated as a sequence of "Token vectors"; (A token vector \rightarrow is \in basis vector in Token space \rightarrow the dimension of token vectors)

So we compute L : $L \cdot n \cdot k$ (solid kernel) \rightarrow we get ~~a~~ sequence of (smoothed) vectors.

To store these smoothed vectors would require $\approx k \cdot N$ bytes on words. (N = no of tokens in corpus).

Here, because of \rightarrow smoothness of \rightarrow kernel, it shouldn't be necessary to store so much info (Smoothness likes only 2 if points per second for \rightarrow "bandwidth signal"). If \rightarrow kernel of width W , it may be necessary to update stored memory with point of a suitable filtered form of L : perhaps a "boxcar" filter of width W or $W/2$ would be good.

- 1) ~~say~~ Kernel is of width W . — store every W or $\frac{W}{2}$ th point of ~~some~~ filter of L .
- 2) we don't want $\frac{N \cdot n}{W}$ points ~~at all~~: Because of this $\frac{N}{W}$ compression as \rightarrow too long, — \rightarrow Kernel "sort of" gets wider as we move along \rightarrow corp. It may be that the no. of pts we need to store is indep of N (!). If \rightarrow kernel is \approx as wide as " N " then we \rightarrow need \approx N vector PCs.

So it's important to know just what fraction \rightarrow width of kernel is of \rightarrow corpus, N . — Will vary w/ how accurate PPM is for that kind of corpus. Width will be ~~---~~ or bits/chair compression perhaps.

3) Actually, \rightarrow entropy of \rightarrow corpus depends not so much on \rightarrow width of \rightarrow kernel, but

on how rapidly \rightarrow corpus shifts from one Token to another.

- 4) Consider \rightarrow following form: $(\text{Token}_1 \text{ in times}) (\text{Token}_2 \text{ in times}) (\text{Token}_3 \text{ in times}) \cdots (\text{Token}_m \text{ in times})$.
 \rightarrow The width of kernel is $\ll m$, so transition will be short. \rightarrow Correct Token prodns will ~~usually~~ be \rightarrow the most likely one — Other times, it will be \rightarrow second most likely one. With only ≈ 2 symbols, \rightarrow entropy per symbol $\approx < 1$ bit/symbol — (\rightarrow and actually ≈ 1 bit/symbol). It would screen (not BW's method (\approx Bzippe)) with, in present case, do better than 1 kernel — i.e. it would pick the closest correct context — which would be correct, except at boundaries b/w symbols (\rightarrow transitions b/w symbols). BW would give very low PC's to Tokens at boundaries, because they ~~are not the most recent, a~~ haven't occurred in a long time.

With L of form ≈ 29 , we can compute what kernel would be like! I think it would be very narrow!

Say 3 symbols wide (\rightarrow apparently indep of position in corpus!) $\Rightarrow ?$

Another Q: Does a corpus exist \Rightarrow its L is accb. in ≈ 29 ?

4 TM

18:10β
-19

23 CH 22 24th Books

0106.40 : get this local concentration of CC . The rate of which this occurs will depend much on how our algorithm for PC 's of CC contacts of CC clouds. This algorithm should depend on how near to G of CC cloud is to best G 's cluster — so ~~as we climb up hill~~ as we climb up hill, PC 's clouds move toward us. "Top percentiles" will actually \downarrow — so PC 's association with their contacts will \downarrow .

Q.R. : So write up all 3 Long Models in a little detail. Devise suitable consideration to do this. There is to facilitate grouping.

→ Q : Is there any standardization of L & its application, associated with fact that PC 's will be occurring short — less or no errors? "A" will occur often in "Corpus" & in L . I think there is a relevant re-consideration in deciding if needed \Rightarrow symbols $\& \&$ for start & stop. \rightarrow See 97.14 — 98.14 At 98.12-19, I think find "Boundary Context".

SN Interesting to present system on problems others have worked on. Consider that our system ~~will~~ will work

↔ it has good, reasonable contacts! These can be acquired by initialization or by a suitable Pre-TSQ. It has to acquire functions, etc., that can easily be put together using PPM .

Presumably, often, it has solved a suitable large batch of problems, it will have to have such a set of functions, perhaps. The set of prefixes will be a function of the initial set of prefixes, and \rightarrow TSQ.

Perhaps it is possl. to design a set of primitives \rightarrow PPM is adequate for almost all problems. (if one started w. a suitable "TSQ".)

One Q is: To what extent is CFG from now? We do use If O then O else O

or just If O then B. To boundaries of $\alpha \& \beta$ have to be somehow indicated.

We have a function of $\alpha \& \beta$: This is easy to do in LISP, (I guess) — If $\alpha \& \beta$ are strings. Here, If in Basic is no longer \rightarrow for separate control. If the "IF" = False, we go on to next step.

In LISP, I guess If is a single function — \rightarrow switch between 2 functions.

How would it be done in such machine? Maybe put $\alpha \& \beta$, on + stack (\geq slots), then do IF:

We check and pop off α or β on TOS.

It may be useful for my class to ~~be~~ have no. of problems to solve that form a sequence of common features, but ~~the~~ PPM would have to be able to use these "common features":

On the other hand, it may be necessary to see in detail how TSL is supposed to solve various problems in \rightarrow TSQ.

When we point α to a problem, we should always continue to seek for kind of byproducts (if any). Since we search in ~~CC~~ order, $\alpha \rightarrow$ will have to be a list of byproducts as well.) The reason byproducts is good, is that it will give good "cues" for subsequent problems. Also simply having solved

solutions to a problem is usually an economical way to get good / covers a good basis for covers.

So: In drawing up the details. $P \leftarrow ZT$, (1), random models: Cost of memory ~~can~~ be a contributor too. To extent to which discarding can be used is unclear. See 101.09 for discussion, Numbers, 40 MB/sec write, 20 MB/sec read. $25\text{ms} + 17\text{ms} = 42\text{ms} \rightarrow \approx 25\text{MB/sec for reads/write}$

4PM

19:14 - 20:13 Body

It would seem that Random Lsreh would not be v.g. in this respect, because a change in concentration of pc of part of a cloud and even would seem to not produce an immediate effect in Random Lsreh.

If Lsreh (or perhaps T<=T Lsreh) would seem to be more likely Candidates: we would probably want to have a special critia as soon as a hy cloud is found. This Mite be poss!

In Random Lsreh as well!

There is a particular variety of GA that does local Lsreh of this kind — Has a particular Name — (published in Italy?)

It would seem that Normal Lsreh would be ~~not~~ better than Random Lsreh in this regard since an & in pc (of a particular region of cloud domain space) mostly to timesheet or not very far — but this does not normally produce a wish to investigate ~~at~~ that area.

In T<=T Lsreh, if we try to do it in \approx pc order, we could get \approx "localized investigation of \approx G pts".

On second thought, if in G doesn't have \approx pc of a region — then it ~~is~~ is ~~a~~ able to change order of clouds!

So: Present prob: In view of 104.37; we'd like to be able to get ~~as~~ quick feedback from successful ~~the~~ clouds. (\approx local Lsreh).

Would it be a good idea to write up a more detailed desc of each off ~~the~~ settings.

($T \leq T$, II, Random).

I would also like to reiterate: \approx 2D speedup of \approx random over $T \leq T$, it could

At first glance, it would seem that normal methods of doing II & random Lsreh would be correct; But it's a generator caused by G & is not unusual to \approx be more w.t. to it, we could do this by (slightly) increasing the pc's of a cloud's contexts (use PC L structure). — So maybe one's doubts

or quadrature. PC of a cloud is ~~an array~~ ↓ by 2 or 4, + cc of solns (if any)

Noir to that cloud. Other, this is "business as usual" ("type of soln, & we'd want to

make "local grid" type of reaction. In Phase 2, I expected to use Irregular Lsreh ~~for~~ Big ~~grid~~ — It may be that this "immediate EP" cannot be used ~~so~~ so effectively

in Phase 1 That we could go to Phase 2 to do it properly.

To put more emphasis on ~~hy~~ to "neighborhoods" of hy clouds, is a kind of "edit" — Its values is ... uncertain ...

One way to get the "local concentration" around hy G clouds: If a hy cloud has occurred, in Lsreh, t: "Prob" threshold of \approx system must be at a certain levels near the off by G cloud. If we \approx t: pc's of nearby clouds, we should place \approx cc on them to bring them up to the new \approx level — which will prob cause some of them to finish is too qualified;

If these clouds have hy G, P's will further \approx pc's of nearby clouds, etc. So we could \Rightarrow 106.00

: A possl. serious expense in Random Srch is Generation of random ^(Nos.) trials. In most cases we don't need V.P. random nos., & so cheaper sources could be considered. Another possy is H.W. generation of random nos. At present, it isn't clear to me & (1) How many bits of randomness I need for each token choice. (2) what kinds of non-randomness are tolerable. — It may be that an exhaustive (non-random) seq. would be ok. (1) See how much time it takes for PB35 & P6CC to generate random Nos. (subtracts time to do administration; by timing a "null" loop.)

T. big Q: Time to do random srch v.s. time to do 1 deterministic srch.

Also, just how much time is needed for pc. calcn. in T_L < T search?

My impression is that usually for even random no. body, times are in on random method faster & better as good or better! — but not really easy to find!

O.K.! How to get pc exactly & cheaper not so expensively! At each point in "L" we start!

Cumulative random counts of each of ~~tokens~~ (^{TOKENS} since ~~tokens~~ of L). ~~After we have been running along time, these~~ $\frac{d}{dt}$ of those counts will be about constant, & will be our "kernel". — So we ~~average~~ average out a "kernel", which we update every once in a while.

Still, its not clear how we get tokens pc's out of this!

T. \Rightarrow density distribution $\rho_{\text{d}}(t)$ $= \left(\frac{d}{dt}\right)$ is over Tokens : it's quite different from t. "Kernel".

"L" is moving along "L", say $\rho_{\text{d}}(t)$ is +. density at pt. t of ~~tokens~~ token, ~~of~~ t.

$k(x)$ is the kernel at t (it's an impulse). Then pc of symbol t \rightarrow Bad OK:

$$\rho_{\text{d}}(t) \star k(x) = \int_{x=-\infty}^{x=\infty} \rho_{\text{d}}(t+x) k(x) dx.$$

say $N_d(t)$ is + total no. of tokens t has been produced ~~by~~ ^{up to} following symbol, upto point t.

$\rho_{\text{d}}(t) = \frac{d}{dt} N_d(t)$ t. quotes are because it's not a derivative but a "difference".

$$= N_d(t) - N_{d-1}(t) \text{ is exact form!} \dots \approx$$

13:12

So, we do know function of ρ_{d} (to vectors w. Token components) numerically as + identity of + tokens for each d value. The convolution of +. kernel $k(x)$ & +. density ρ_{d} can be done rapidly by fast Fourier transform. It takes time $\propto N \ln N$.

Couple of "Notes": (1) T. convolution is essentially a "smearing process" & doesn't have to be done very accurately (for convolution, 2% off)

(2) It's really bitrate a convolution because + kernel width w is $\propto d$.

Re (2) I wrote dilated the L distribution so that + kernel was constant. May have to modify amplitudes well as dilatation & "L" direction, \rightarrow I think this will work. The dilated points need not be perfect integral values. Unfortly, this makes +. LRP impossl. (perhaps). I would move from to a closed lattice pt. \leftarrow yes, — No kernel doesn't have to be so exact.

SN It would seem that immediate Feedback starts during Lsrch ^{(would} ^{could}) be very imp! — i.e. one feeds an apparently by G direction a persuade it — T. alternative is to have to wait until the next T < 2T round (or equivalently).

If this P.B. usually is large, then perhaps only data relevant "update" whenever unusually by G and has been found. \rightarrow 105.00

Note! This is + sum of all constant kernel.

94th

Random L Search .25

Note on PBCC:

See "Variable size Scans" "Variable scans"
for discussion of "Shares" "Share & go...?"
etc.

20 : 102.40 : A big Q, of course, is +. Exact shape of f. Kernel. I caught some ideas for this from looking at how PPM, PPM* etc. BUT is improvement by approach, work,

Try various forms & see how good they are & compression. N.B. Each kernel form gives an exact PC for, work symbol, sometimes use ~~they~~ so any kernel is predictor compression, but we can see which are ~~more~~ less compressible. 99.00 off for earlier version
optimal design

We could, empirically, find f. kernel in following way! We simply go thru to "code" it. Code by making a large set of bins, both sides of +. pc in L to be predicted. Each fine

a char occurs, we ~~add~~ "P" to all other bins that were at same distance from L as that character was. (remember we are coding in "L" spaces). So we end up w. big bins at distance.

~~from~~ from the no. of hits in each bin, we get f. kernel K. The bin allocation has to depend on N, no. of symbols thus far.

INC can determine empirical kernels for various texts assuming corpus are similar or not. Also, we can measure compression of ~~A~~ A, vary kernel from ~~R~~ R. This is very peculiar behavior of the distance betw. +. 2 comp. I don't know just what with other kernel means. Perhaps it would be significantly different for run-length encoding implied by binary codes of 2 level images of printed text.

I'd maybe first for most modeling of functions in Lisp is to think that kernel is a lot of sense,

~~that~~ whether it would be +. stored in FORTRAN loops, is unclear.

BTW! Since L kernel contains all problems into assuming independence of successive characters, ~~it~~ T kernel enables us to complete +. exact entropy, of a particular reading method.

T. Empirical character of -log will give us +. exact compression! It may be better or worse than other PPM & PPM-like methods. Also, expect kernel to change for different types of corp. f.

4.02.07) Inst. Set use for function "Phaser": its is, u. mts. I'd considered were just open loop ... so no

points longer than ~~no. of symbols!~~ The Sndr. PPM did have a If C) Then 'loop-structure'.

OPB can actually define functions & make recursive defns. — This last may be too large & slower so let's live.

T. loop, rec 2 ~~less~~ (oppositey different) levels of complexity. Other forms in value is used ~~is~~

For e - iteration j = (1 to N () Next i While until loops — This Nested If structures, etc.

Actually, Selection of Inst. Set is part of ISO Design.

102.40 : (Mt. Carlo Lsrch): Is possible way to get +. 2-D factor inspeed up (as for (1 Lsrch))?

As we are moving now +. 2-D tree generating +. cond terms, ~~each~~ Each node corresponds to a prefix of the cond. — But we go to next Node, we inquire off. "L" as to what +.

What equal should be: At first point is stored info as to whether all of +. PPM up to that pt. has been executed. If not, we spend our D of CC at the first point. If finished node is yes then check for cond.

Then token, we exchange token & workout for recompiling. Then pick a new random "Cond/initialization".

So: To bottom nodes ent. 2-D tree — Contain info about whether ~~the~~ The PPM (CC) up to that pt. has been completed or not. If not completed, PPM gives address of +. state of +. System at last pt., so we can continue to work at PPM. "States" will usually be somewhat past +. pt. at which +. had asked for a new token.

Mt. Carlo Lsrch is essentially about +. same as (1 Lsrch, but) MTC, it's designed (implementation) to code. In the pure PPM or PPM* version of probably, PPM's can be composed in no great CC, but even then, it is possibly much faster to do +. Mt. Carlo way.

4 TM

SM: On ActionAlgo Problem!

AAP

11
29

ON **CROSS VALIDATION**: This is one ^(weak) ~~bottle neck~~ of t. Univ. D.F.: It is not clear how to divide corpus to employ it. - i.e. (~~underlying~~ test set): One way: Use all poss. divisions of N into k+l: We will get $\binom{N}{k, l}$ ~~models~~ \rightarrow ~~test~~ \rightarrow ~~test~~

2 main error ~~estimators~~ over to test set for each k, l from (assuming "best fit for each ~~subset~~" ~~set~~ of models for each k, l): So we have overfitting this ~~estimator~~ ~~assumption~~ \rightarrow k, l is not ~~the~~ ~~test~~ ~~value~~ for ~~fit~~ converges, for k (test set size) \rightarrow 0.

In many cases, it is not so easy to divide up data this way. But in some, it ~~is~~ workable. One can pick k ~~of~~ modeling set from N in $\frac{N!}{(N-k)! k!} = \frac{N!}{k! l!}$ ways. Total no. of ways $= \sum_{k=0}^N \frac{N!}{k! (N-k)!} = 2^N$.

This "size" may be so large that one may want to use only part of it — using "Random Sampling". \rightarrow 13

I vaguely remember doing something long time ago, but ended up w. so many equivalent routing off of the data part. Modeling Set \rightarrow AAP

SN On t. A. A. (ActionAlgo) Problem: Perhaps Good way! Try to get P.d. of t. Algo over data. This should be directly summable to UDF methods. \rightarrow 29

③ (07) If Random Sampling is done, one who concentrates on the smaller end. $k=1, 2, 3 \dots$ This may be a common way of using Cross Validation. (e.g. $k=1$).

④ 1002t More on Random ~~use~~ L seen: At first keep track of which Cards have been "hit" (by t. Micro) before. — but don't start ~~track~~ ~~from scratch~~. If Ray ever hit ~~spurious~~ ~~containing~~, what we have storing ~~past~~ states. This means we don't consider Cards w. PC's Bad/One performance level. This track will depend on how much RAM we have (Assuming we ~~don't~~ use Disk Sampling). Actually, PCs may be quite ~~similar~~ — we may be quite happy \rightarrow using only ~~the~~ 10k most probable Cards (PCs sounds like a bad kind of SUMAC!).

26 As for keeping track of Cards: we already have cards in LexOrder (?), so we can have a register that tells where the position of t. Card is.

28 Quite likely. Best direction movement of Cards could be nearer y_0 : But compare to deterministic L \rightarrow 34

29.12 → **SM**!: Say you has a strategy w. certain probability giving yield y_0 for t. corpus.

In general step by step above \rightarrow & see how narrow \rightarrow region of dependence \rightarrow by y_0 . Also, fix y_0 ! How large is region in $\underline{\text{all}}$ or $\overline{\text{all}}$ space that was yield $\geq y_0$? What's say it's $V(y_0)$. Then what's $\frac{dV}{dy_0}$? — i.e. density around y_0 ?

30.12 → Our way Mt. Carlo would work! We have Pcs "L" in Lex order: We start w. initial symbol, A —

we go to B in L and we get \pm distribution of pos. following rules, in t. "L" direction ("l" direction is "Lexical" direction). If t. corpus is of size N , then we pick a random symbol to follow, using ~~a~~ ~~biased~~ ~~selected~~ of mid $\approx N$; in "l" direction, for initial symbol "A", we can only look in "positive" \rightarrow "l" direction.

As we generate more symbols of t. \rightarrow X , we can look in both directions (possibly). Having chosen our token, (X, say) after A we look up $A X$ in file L & get (probabilistically) \pm next symbol, etc. \rightarrow 10300 iterations specifically 103,25

3-31-04

HDD Speed of Read/Write

101

from

→ Prepare ~ 30MB/sec read or write for 7200 rpm 16M 40G.

thus we ~ 1.5 MB/sec. Use of cache for read & for write is must.

Show some numbers ~ ~ 10 MB/sec. This is at least 1GByte ^{f?} ~~in chunks~~

Worst Case w/ 200MB d= 68 MB/sec w. 128b chunks ^{f Bad or not?}

51 " " " 84b "

So assume 60 MB/sec. ~~1.5~~ ns/bits. If ~~1000 bits~~ = This is ~~85~~ clocked 5 GHz op probably. It will take > 85 clocks to do a transfer?

Feb 2004 On another work page ~~60~~ 10 MB/sec ~~written~~ but off to ~~20~~ MB/sec ~~written~~ ^{written}.

~~40~~ 40 ns/bits in unit $\sim \frac{1}{70} \text{ MB/sec in real}$. $(\frac{1}{40} + \frac{1}{70})^{-1} \rightarrow 25 \text{ MHz (read/write)}$
~~7400~~ 7400 bits in unit $\sim 42 \text{ ns}$

So, if Q is, can 1 disc read bytes to CPU faster than 8-bit process (RAM)?

If, say 4 times as fast we can do swap in computer sequentially

Otherwise, server can't do it in II: To some extent, RAM is faster, & Disc has a big Cache. We have to do a read & write to swap.

Now if the main structure is at all open, & time formula ~~is~~ ~~and will be~~ > 8 bits.
 of bits.

In More detail by performance TM, we will have to build more complex Storage Systems

Another possibility is to have several HDD's in II reading & copying: Or pick off data from several read heads in II — (Maxima is currently done in China by 16 or 32 heads in II).

Hrr: I will probably start w. T=2T, then look into II or Random Latch if 16 bits like Pico factor of 2D could be achieved or even a factor of more than 16 bits! CC!

We will arrange so that Time spent on each read would depend on what work swapping occurred.

If ~~16~~ read/write cache memory ~~are~~ ^{properly} used, T. disc should be ~~16 bits~~
 either reading or writing ~~at all times~~. (~~Almost~~ all — since read rate < write rate).

Just how the HDD system manages ~~between~~ ^{4 heads} read rates & write rates is unclear! — i.e., it would

mean that both would have to be synchronized onto bytes going by on f. disc; at a constant rate!

→ unless every other bit is written, or every 4 bits written. & every 4th bits read.

→ The No. of Heads on a HDD can be very large; but normally only, say 8 (or 16?) or (32?)

writes to one byte. Possibly 64 could be done w. 2 64-bit cache?

Empirically, Several recent of any HDDs have 16 heads: Old ones less (15 for common!)
 5, 6 etc.) Hrr 16 is more & no seen. To 5# "Corrige": I don't know how many heads they have,